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Automated Goal Operationalisation based on Interpolation and SAT Solving

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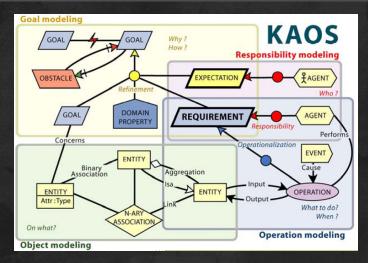




Goal Oriented Requirements Engineering

- Goals are objectives the system under consideration must achieve.
- GORE refers to the use of goals for requirements elicitation, elaboration, organization, specification, analysis, documentation and evolution.
- KAOS Knowledge Acquisition in autOmated Specifications:
 - a conceptual model for acquiring and structuring requirements models;
 - a set of strategies for elaborating requirements using this framework;
 - an automated assistant to provide guidance in the acquisition process.

KAOS specifications



Goal Model

Objectives the system should meet are defined in this model and interrelated through AND/OR refinement links.

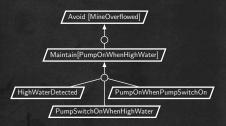


Figura: Goal Model.

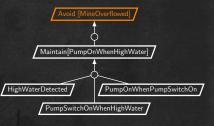
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U.N.R.C.

Goal Model

Objectives the system should meet are defined in this model and interrelated through AND/OR refinement links.

High level goals



Goal Model

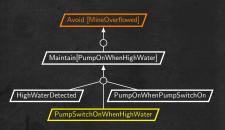
Objectives the system should meet are defined in this model and interrelated through AND/OR refinement links.



- High level goals
- Low level goals

Goal Model

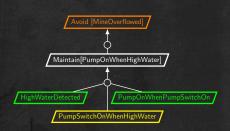
Objectives the system should meet are defined in this model and interrelated through AND/OR refinement links.



- High level goals
- Low level goals
- Requirements

Goal Model

Objectives the system should meet are defined in this model and interrelated through AND/OR refinement links.



- High level goals
- Low level goals
- Requirements
 - Expectations

Goal Model

Objectives the system should meet are defined in this model and interrelated through AND/OR refinement links.



- High level goals
- Low level goals
- Requirements
- Expectations
- Goal patterns:
 - Avoid: $C \Rightarrow \neg T$
 - Maintain: $C \Rightarrow T$

Object Model

This model defines the domain entities, relationships and attributes that are relevant to goal formulations.

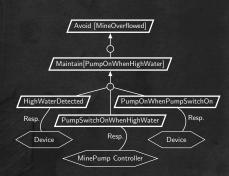


 Objects can be specified formally by means of domain invariants.

Figura: Object Model.

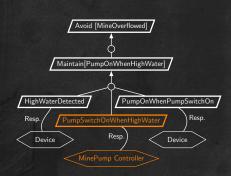
Responsibility Model

The agents in the system are described together with their interfaces and responsibilities with respect to the goals.



- Responsibility assignments provide a criterion for stopping the goal refinement process.
- A goal assigned as the responsibility of a single agent must not be refined further.

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Goal Oriented RE KAOS method

Operation Model

This model defines the services to be provided by software agents.

Operation switchPumpOn
DomPre !PumpOn
DomPost PumpOn
ReqPre True
ReqTrig False

- input-output relations over components of the object model.
- operation applications define state transitions.

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Operation switchPumpOn DomPre !PumpOn DomPost PumpOn ReqPre True ReqTrig False

- input-output relations over components of the object model.
- operation applications define state transitions.
- domain conditions capture the elementary state transitions in the domain.
- required conditions capture additional strengthenings to meet the goals.
 - RegPre: enabling condition.
 - ReqTrig: triggering condition.

Goal Oriented RE KAOS method

Goal Operationalisation

Operation switchPumpOn
DomPre !PumpOn
DomPost PumpOn
ReqPre True
ReqTrig False

Operationalization refers to the process of prescribing additional pre-, trigger-, and postconditions on operations in order to achieve goal specifications.

Safety Goal [PumpOnWhenHighWaterAndNoMethane]

 \square (HighWater $\land \neg$ Methane $\rightarrow \bigcirc$ PumpOn)

Goal Operationalisation

Operation switchPumpOn
DomPre !PumpOn
DomPost PumpOn
ReqPre True
ReqTrig False

A goal is correctly operationalised by a set of operations, if satisfying all required conditions in the set guarantees the satisfaction of the goal.

Safety Goal [PumpOnWhenHighWaterAndNoMethane]

 $\square(\texttt{HighWater} \land \neg \texttt{Methane} \rightarrow \bigcirc \texttt{PumpOn})$

Goal Operationalisation

Operation switchPumpOn
 DomPre !PumpOn

DomPost PumpOn
RegPre True

ReqTrig

HighWater & !Methane

A goal is correctly operationalised by a set of operations, if satisfying all required conditions in the set guarantees the satisfaction of the goal.

Safety Goal [PumpOnWhenHighWaterAndNoMethane]

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Interpolation

Given two sets A and B of formulas such that $A \cup B$ is unsatisfiable. an interpolant for A and B is a formula I such that:

- I is true in all models of A.
- I is false in all models of B. and
- I is in $\mathcal{L}(A) \cap \mathcal{L}(B)$, i.e., the common language of A and B.

Simple Example

$$A \equiv p \wedge q$$

$$B \equiv \neg q \wedge r$$

$$I \equiv q$$

Interpolation to Refine Requirements

Suppose we obtain a counterexample trace T, violating a particular goal G.

- If we build a formula F_T capturing trace T, and a formula F_G capturing the fact that G holds at the last state
 - clearly $F_T \wedge F_G$ is unsatisfiable.
- We can produce an interpolant I from these formulas, that provides a condition whose validity leads to the goal violation.

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Interpolation to Refine Requirements

- I is a property of the trace T, which implies the negation of the goal G.
- The interpolant allows us to obtain a weaker "counterexample" than T, a condition reachable from the initial state which leads to the violation of a goal.
 - solely by removing *I*, we do not guarantee the satisfaction of *G*,
 - but not removing it guarantees its violation.
- Notice that interpolation is, in some sense, a form of generalisation.

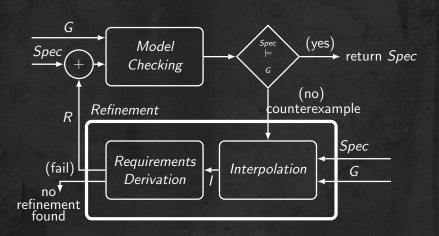
Brief Overview

We present an approach for goal operationalisation, that automatically computes required pre/triggering conditions for operations, in order to fulfil a set of goals.

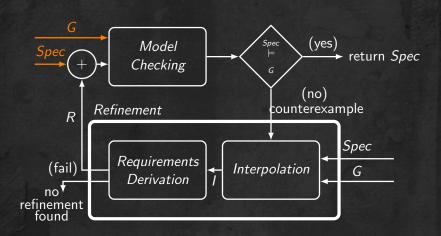
- Iterative,
- base on Interpolation and SAT solving,
- safety and the time progress goals,
- a wide range of liveness goals, namely, reactivity properties.

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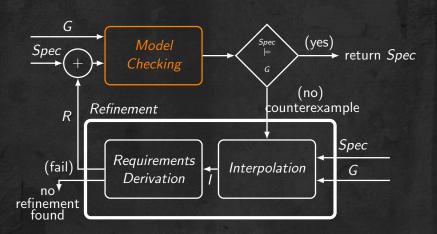
The Approach



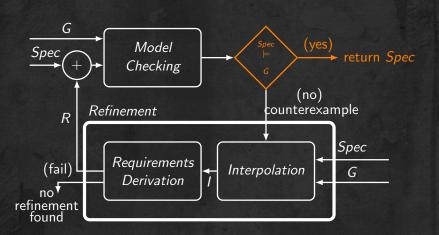
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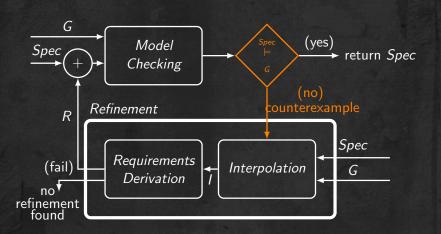
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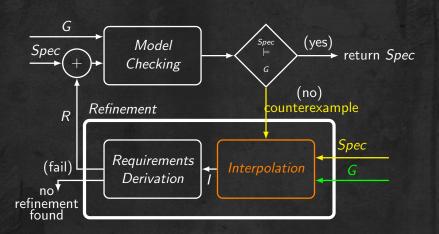
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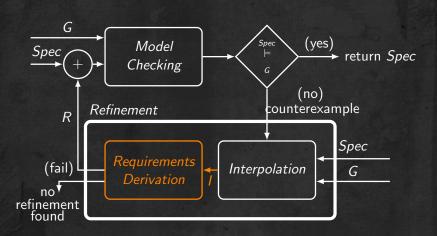
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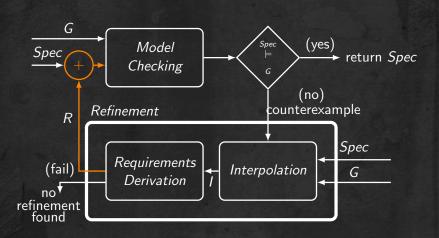
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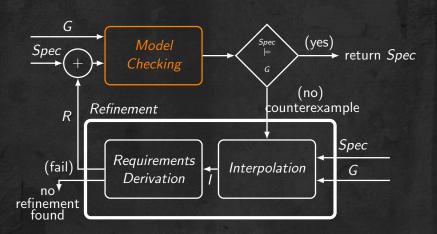
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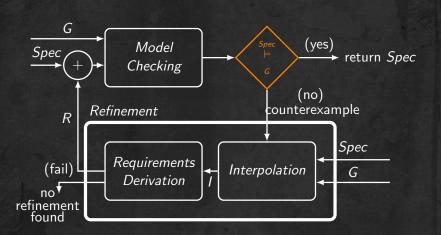
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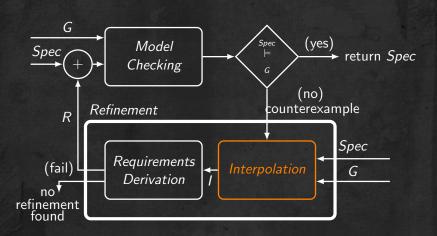
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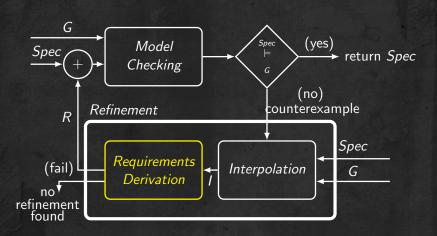
The Approach



The Approach



The Approach



Requirements Derivation Phase



A counterexample may be removed either by:

Requirements Derivation Phase



A counterexample may be removed either by:

- prohibiting the occurrence of an operation from certain states
 - i.e., strengthening the operation's required precondition,

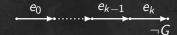
Requirements Derivation Phase



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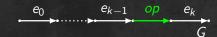
Requirements Derivation Phase



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- or forcing an operation to occur in certain states
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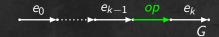
Requirements Derivation Phase



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Requirements Derivation Phase



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- prohibiting the occurrence of an operation from certain states
 - i.e., strengthening the operation's required precondition,
- or forcing an operation to occur in certain states
 - i.e., weakening its required triggering condition.

The approach is concerned with automatically detecting which of the above cases is necessary.

• weakest preconditions play an important role.

 $\begin{array}{ll} {\tt PumpOffWhenLowWater} &= & \\ & \Box ({\tt LowWater} \to \bigcirc \neg {\tt PumpOn}) \end{array}$

Counterexample:

tick LowWater

switchPumpOn LowWater & PumpOn tick LowWater & PumpOn

 $I = LowWater \wedge PumpOn$

Strengthening Required Preconditions

```
PumpOffWhenLowWater =

□(LowWater → ○¬PumpOn)

Counterexample:
tick LowWater
switchPumpOn LowWater & PumpOn
tick LowWater & PumpOn
```

```
PumpOffWhenLowWater =
           \square(\text{LowWater} \rightarrow \bigcirc \neg \text{PumpOn})
Counterexample:
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we compute the weakest precondition of the interpolant with respect to the last operation.

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Counterexample:

tick LowWater

switchPumpOn LowWater & PumpOn tick LowWater & PumpOn

 $I = LowWater \wedge PumpOn$

I' = WP(I, switchPumpOn) = LowWater

we compute the weakest precondition of the interpolant with respect to the last operation.

```
\label{eq:pumpOffWhenLowWater} \begin{split} & \text{PumpOffWhenLowWater} &= \\ & & \Box \big( \text{LowWater} &\to \bigcirc \neg \text{PumpOn} \big) \end{split}
```

Counterexample:

tick LowWater
switchPumpOn LowWater & PumpOn

tick LowWater & PumpOn

 $I = LowWater \land PumpOn$

I' = WP(I, switchPumpOn) = LowWater

- we compute the weakest precondition of the interpolant with respect to the last operation.
- the operation switchPumpOn is able to control the value of the interpolant.

```
PumpOffWhenLowWater =
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Counterexample:

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- we compute the weakest precondition of the interpolant with respect to the last operation.
- the operation switchPumpOn is able to control the value of the interpolant.
- then by forbidding switchPumpOn to occur when LowWater, we get rid of this counterexample, and contribute to stop violating G.

```
PumpOffWhenLowWater =
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Counterexample:

tick LowWater

switchPumpOn LowWater & PumpOn tick LowWater & PumpOn

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 - check it is not obliged to be executed when LowWater

```
PumpOffWhenLowWater =
             \square(\text{LowWater} \rightarrow \bigcirc \neg \text{PumpOn})
```

Counterexample:

tick LowWater switchPumpOn LowWater & PumpOn

LowWater & PumpOn

 $I = LowWater \wedge PumpOn$

I' = WP(I, switchPumpOn) = LowWater

 $RegPre(switchPumpOn) = \neg LowWater$

- we compute the weakest precondition of the interpolant with respect to the last operation.
- the operation switchPumpOn is able to control the value of the interpolant.
- then by forbidding switchPumpOn to occur when LowWater, we get rid of this counterexample, and contribute to stop violating G.
 - check it is not obliged to be executed when LowWater

tick

PumpOnWhenHighWaterAndNoMethane =

 $\Box(\texttt{HighWater} \land \neg \texttt{Methane} \to \bigcirc \texttt{PumpOn})$

Counterexample:

tick aboveLow tick aboveHigh HighWater

tick HighWater tick HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

PumpOnWhenHighWaterAndNoMethane =

 $\square(\texttt{HighWater} \land \neg \texttt{Methane} \to \bigcirc \texttt{PumpOn})$

Counterexample:

tick aboveLow tick aboveHigh HighWater tick HighWater

 $I = HighWater \land \neg Methane \land \neg PumpOn$

HighWater

tick

```
PumpOnWhenHighWaterAndNoMethane =
```

```
\Box(\texttt{HighWater} \land \neg \texttt{Methane} \to \bigcirc \texttt{PumpOn})
```

```
Counterexample:
```

tick aboveLow tick aboveHigh HighWater

tick HighWater tick HighWater

```
I = HighWater \land \neg Methane \land \neg PumpOn
```

PumpOnWhenHighWaterAndNoMethane =

 \square (HighWater $\land \neg$ Methane $\rightarrow \bigcirc$ PumpOn)

Counterexample:

tick aboveLow tick aboveHigh HighWater

tick HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

• No operation executed can control the value of the interpolant.

PumpOnWhenHighWaterAndNoMethane =

 $\Box(\texttt{HighWater} \land \neg \texttt{Methane} \to \bigcirc \texttt{PumpOn})$

 ${\tt Counterexample:}$

tick aboveLow tick aboveHigh HighWater

tick HighWater

HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

- No operation executed can control the value of the interpolant.
- We try to remove the counterexample by forcing an operation to occur.

PumpOnWhenHighWaterAndNoMethane =

 $\square(\texttt{HighWater} \land \neg \texttt{Methane} \rightarrow \bigcirc \texttt{PumpOn})$

Counterexample: tick aboveLow tick aboveHigh HighWater tick HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

HighWater

- No operation executed can control the value of the interpolant.
- We try to remove the counterexample by forcing an operation to occur.
- The operation to be triggered, say a_t , must meet two conditions:

PumpOnWhenHighWaterAndNoMethane =

 \square (HighWater $\land \neg$ Methane $\rightarrow \bigcirc$ PumpOn)

Counterexample:

tick aboveLow tick

aboveHigh HighWater

HighWater HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

- No operation executed can control the value of the interpolant.
- We try to remove the counterexample by forcing an operation to occur.
- The operation to be triggered, say a_t , must meet two conditions:

 $I \Rightarrow DomPre(a_t) \land RegPre(a_t)$

PumpOnWhenHighWaterAndNoMethane =

 \square (HighWater $\land \neg$ Methane $\rightarrow \bigcirc$ PumpOn)

Counterexample:

tick aboveLow tick

aboveHigh HighWater

HighWater HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

- No operation executed can control the value of the interpolant.
- We try to remove the counterexample by forcing an operation to occur.
- The operation to be triggered, say a_t , must meet two conditions:

$$I \Rightarrow DomPre(a_t) \land ReqPre(a_t)$$

$$I \wedge \bigcirc DomPost(a_t) \Rightarrow \bigcirc \neg I$$

Weakening Required Triggering Conditions

PumpOnWhenHighWaterAndNoMethane =

 \square (HighWater $\land \neg$ Methane $\rightarrow \bigcirc$ PumpOn)

Counterexample:

tick aboveLow tick

aboveHigh HighWater

tick HighWater tick HighWater

 $I = \text{HighWater} \land \neg \text{Methane} \land \neg \text{PumpOn}$

ReqTrig(switchPumpOn) = $HighWater \land \neg Methane \land \neg PumpOn$

- No operation executed can control the value of the interpolant.
- We try to remove the counterexample by forcing an operation to occur.
- The operation to be triggered, say a_t, must meet two conditions:

 $I \Rightarrow DomPre(a_t) \land ReqPre(a_t)$

 $I \land \bigcirc DomPost(a_t) \Rightarrow \bigcirc \neg I$

Reactivity Liveness Properties

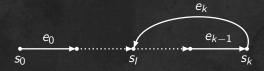
- Manna and Pnueli's characterisation: ([]<>As -> []<>G).
- A violation of a property of this kind consists of a prefix (finite part) leading to a loop in which the As is satisfied, but not G.
- To compute an interpolant for this counterexample, we encode

the reactivity goal:
$$P = (\bigvee_{i=l}^{\kappa} As^i) \Rightarrow (\bigvee_{j=l}^{\kappa} G^j)$$



Reactivity Liveness Properties

- The interpolant is a weaker representation of the loop part that explains what is wrong in the loop.
- We search for an operation a_t:
 - can be executed at some point in the loop,
 - a_t's execution reaches a states that does not satisfy the interpolant (i.e., "breaks" the loop).



Reactivity Liveness Properties

If we find a_t, then we refine:

$$ReqTrig(a_t) = ReqTrig^{pre}(a_t) \lor (ReqPre(a_t) \land \neg G)$$

- Notice that we do not refine a new triggering condition based on the interpolant.
 - we may produce triggering conditions weaker than needed.



Liveness Goals

Conclusions and Future Works

- We presented an approach for goal operationalisation, that automatically computes required pre-/triggering conditions for operations, in order to fulfil a set of goals.
- The approach is correct, but it is not complete.
- It applies to safety goals and particular kinds of liveness goals, namely reactivity properties.
- We have developed some case studies, and compared with previous approaches.

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