Practica 3

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1. Define the TM solution of exercise 3.4 of the problem list and test its correct behaviour

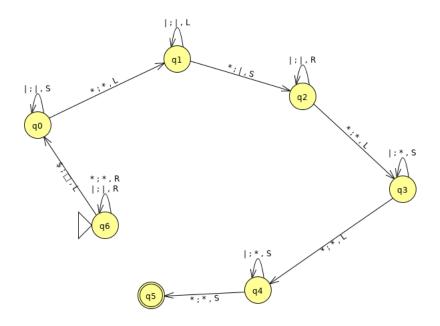


Figura 1:

2. Define a recursive function for the sum of three values.

addition_3 =
$$<<\pi_1^1|\sigma\left(\pi_3^3\right)>|\sigma\left(\pi_4^4\right)>$$

```
octave:11> evalrecfunction('<n^1_1|\sigma(n^3_3)>|\sigma(n^4_4)>', 1,2,3) <<n^1_1|\sigma(n^3_3)>|\sigma(n^4_4)>(1,2,3) <<n^1_1|\sigma(n^3_3)>|\sigma(n^4_4)>(1,2,2) <<n^1_1|\sigma(n^3_3)>|\sigma(n^4_4)>(1,2,1) <<n^1_1|\sigma(n^3_3)>|\sigma(n^4_4)>(1,2,1) <<n^1_1|\sigma(n^3_3)>|\sigma(n^4_4)>(1,2,0) <\sigma(n^1_1|\sigma(n^3_3)>(1,2) <\sigma(n^1_1|\sigma(n^3_3)>(1,1) <\sigma(n^1_1|\sigma(n^3_3)>(1,0) <\sigma(n^1_1|\sigma(n^3_3)=(1,0) <\sigma(n^1_1)=1  
\sigma(n^1_2)=2  
\sigma(n^1_3)(1,1,2)  
\sigma(n^1_3)(1,1,2)  
\sigma(n^1_3)(1,1,2)  
\sigma(n^1_4)(1,2,0,3)  
\sigma(n^1_4)(1,2,0,3)  
\sigma(n^1_4)(1,2,1,4)  
\sigma(1)=5  
\sigma(n^1_4)(1,2,1,4)  
\sigma(1)=5  
\sigma(n^1_4)(1,2,2,5)  
\sigma(1)=6  
\sigma(5)=6  
\sigma(5)=6  
\sigma(5)=6  
\sigma(5)=6  
\sigma(5)=6  
\sigma(7)=10  
\sigma(1)=10  

\sigma(1)=10  

\sigma(1)=10  

\sigma(1)=10  

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\sigma(1)=10  

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\sigma(1)=10  

\sigma(1)=10  

\sigma(1)=10  

\sigma(1)=10
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Figura 2:

3. Implement a WHILE program that computes the sum of three values. You must use an auxiliary variable that accumulates the result of the sum.

```
Q=(3,4,s) s:

while X_1 \neq 0 do

X_2 := X_2 + 1;

X_1 := X_1 - 1

od

X_4 := X_2

while X_2 \neq 0 do

X_3 := X_3 + 1;

X_2 := X_2 - 1

od

X_1 := X_3
```