

# Appendix

The appendix includes forest plots, funnel plots and tables visualizing the results created in the meta-analysis.

Table 1: Results of the meta-analysis. ES = Effect Size, Q = Test for residual heterogeneity,  $I^2$  = Residual heterogeneity, Egger's test (SE used as the predictor) and the fails-safe number (FSN) for publication bias testing according to 'Rosenberg'.

|               | ES    | SE of ES | CI (lb) | CI (ub) | P(ES) | Q     | P(Q) | $I^2$ | Egger | P(Egger) | FSN   |
|---------------|-------|----------|---------|---------|-------|-------|------|-------|-------|----------|-------|
| Meta-Analysis | -0.28 | 0.12     | -0.52   | -0.04   | 0.02  | 47.05 | 0.12 | 27.22 | -0.44 | 0.66     | 68.00 |

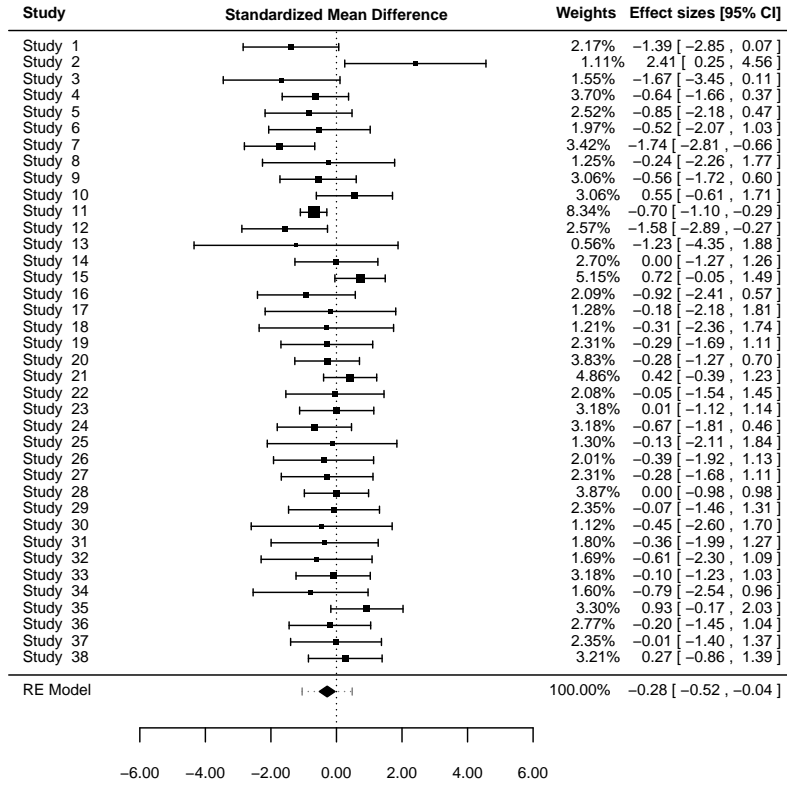


Figure 1: Forest plot of a random effects model. The study and its respective effect size (ES) [+ 95% CI] are shown. The weight given to the study (%) (the inverse to the study variance) is depicted as well.

If the effect sizes in the forest plot vary too much, then heterogeneity should be explored in more depth. This is done by taking *explanatory variables* into account in a meta-regression.

When taking various explanatory variables (moderators) into account, the resulting forest plot shows the way in which the effect size varies when looking at the particular moderator.

Table 2: Results of the meta-regression (mixed-effects model). The model results are shown taking a moderator or various moderators into account and displaying their coefficients. Results for the whole model are displayed as  $Q$  = Test for residual heterogeneity,  $I^2$  = residual heterogeneity and  $QM$  = Test of Moderators.

|                | ES      | SE of ES | CI (lb) | CI (ub) | P(ES)  | Q    | P(Q) | $I^2$    | QM   | P(QM)  |
|----------------|---------|----------|---------|---------|--------|------|------|----------|------|--------|
| intrcpt        | -0.353  | 0.766    | -1.85   | 1.15    | 0.645  | 22.7 | 0.54 | 0.000493 | 24.4 | 0.0278 |
| continentAS    | -0.377  | 0.423    | -1.21   | 0.452   | 0.373  |      |      |          |      |        |
| continentCA    | -0.0485 | 0.61     | -1.24   | 1.15    | 0.937  |      |      |          |      |        |
| continentSA    | -0.627  | 0.375    | -1.36   | 0.108   | 0.0945 |      |      |          |      |        |
| metricric      | 0.119   | 0.254    | -0.38   | 0.617   | 0.641  |      |      |          |      |        |
| disturbanceagf | 0.331   | 0.745    | -1.13   | 1.79    | 0.657  |      |      |          |      |        |
| disturbanceagr | 0.701   | 0.936    | -1.13   | 2.54    | 0.454  |      |      |          |      |        |
| disturbancebur | 0.723   | 0.731    | -0.709  | 2.15    | 0.322  |      |      |          |      |        |
| disturbanceoth | 0.728   | 0.903    | -1.04   | 2.5     | 0.42   |      |      |          |      |        |
| disturbancepas | -0.0589 | 0.979    | -1.98   | 1.86    | 0.952  |      |      |          |      |        |
| disturbancepla | -0.203  | 0.868    | -1.9    | 1.5     | 0.815  |      |      |          |      |        |
| disturbancesec | 0.399   | 0.723    | -1.02   | 1.82    | 0.581  |      |      |          |      |        |
| disturbancesel | 0.796   | 0.691    | -0.559  | 2.15    | 0.25   |      |      |          |      |        |
| disturbanceshd | -0.908  | 0.783    | -2.44   | 0.626   | 0.246  |      |      |          |      |        |

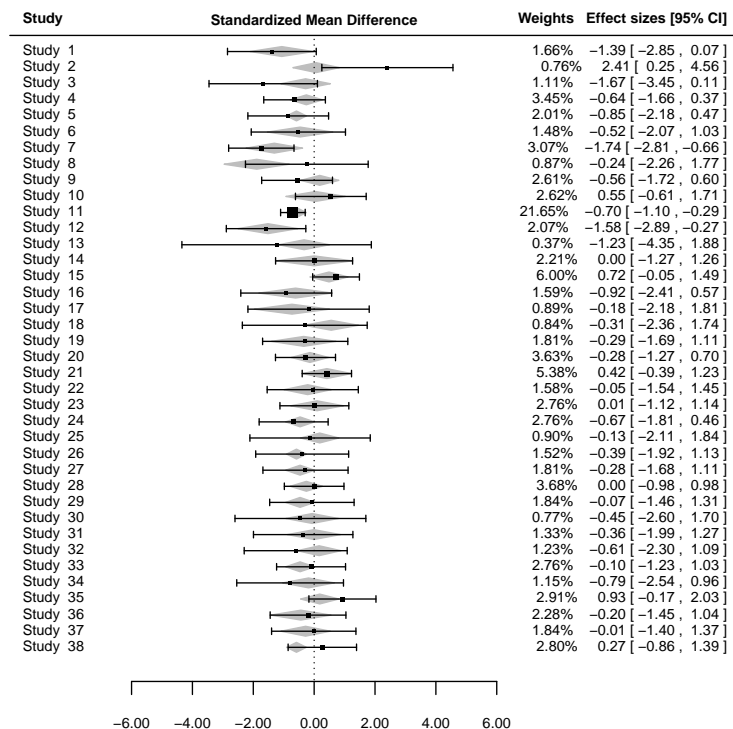


Figure 2: Forest plot of a random effects meta regression model. The study and its respective effect size (ES) [ $\pm$  95% CI] are shown. The weight given to the study (%) (the inverse to the study variance) is depicted as well.

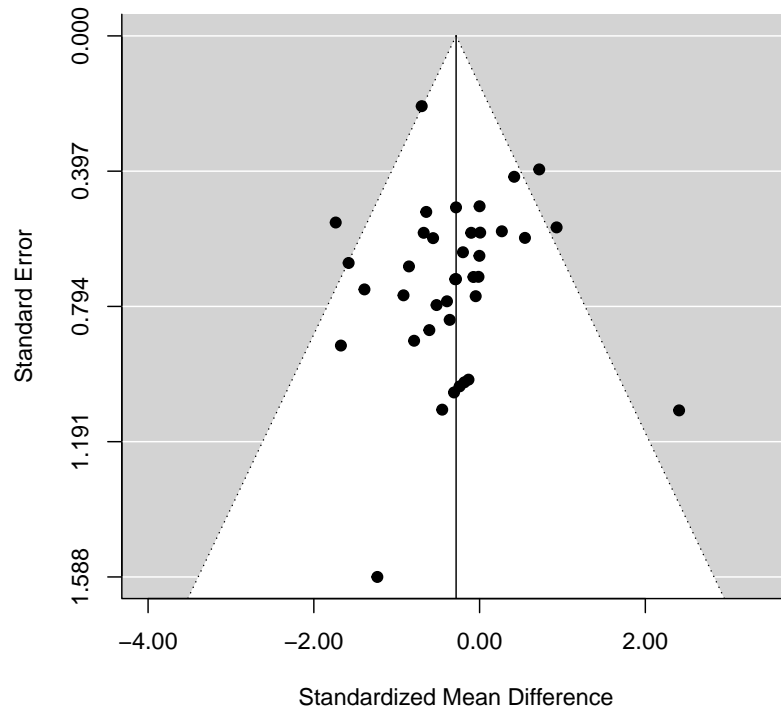


Figure 3: Funnel plot of a random effects model displaying possible publication bias. The true ES is displayed by the solid vertical line.

To assess possible publication bias, funnel plots can be used for visualization purposes. When publication bias is absent, the plot should have a symmetrical shape of a funnel around the mean effect size. This is because the precision of the estimation of effect size should increase with sample size (smaller standard error). If many studies lie outside of this funnel shaped space, then the studies used might need to be reviewed and checked for

The Baujat plot detects sources of heterogeneity. Studies which are aggregated to the far left of the plot contribute to more heterogeneity in the analysis. Plots which have a high contribution to the overall heterogeneity and have a high influence on the overall result, should be looked at more critically. These studies should be compared to the results obtained in the sensitivity analysis table 3.

The Galbraith plot provides visual information on the heterogeneity of the meta-analysis. Values which are closer to the origin have a higher SE and are therefore less precise than values aggregated away from the origin. The curved axis indicates the individual observed effect sizes or outcomes and the line coming from (0,0) indicates the individual effect size or outcome for that specific point.

```
if (rma.REpval < 0.05)if(length(which(sens.REpval > 0.05) > 0)) paste0("The leave-one
out analysis shows that the effect size of the meta-analysis is not significant anymore when follow-
ing study(ies) is left out:", which(sens.REpval > 0.05))elsepaste0("Theleave – oneoutanalysisshowsthatno
< 0.05) > 0)) paste0("The leave-one out analysis shows that significance is yielded by leaving out
the following study(ies):", which(sens.REpval < 0.05))elsepaste0("Theleave – oneoutanalysisshowsthatno
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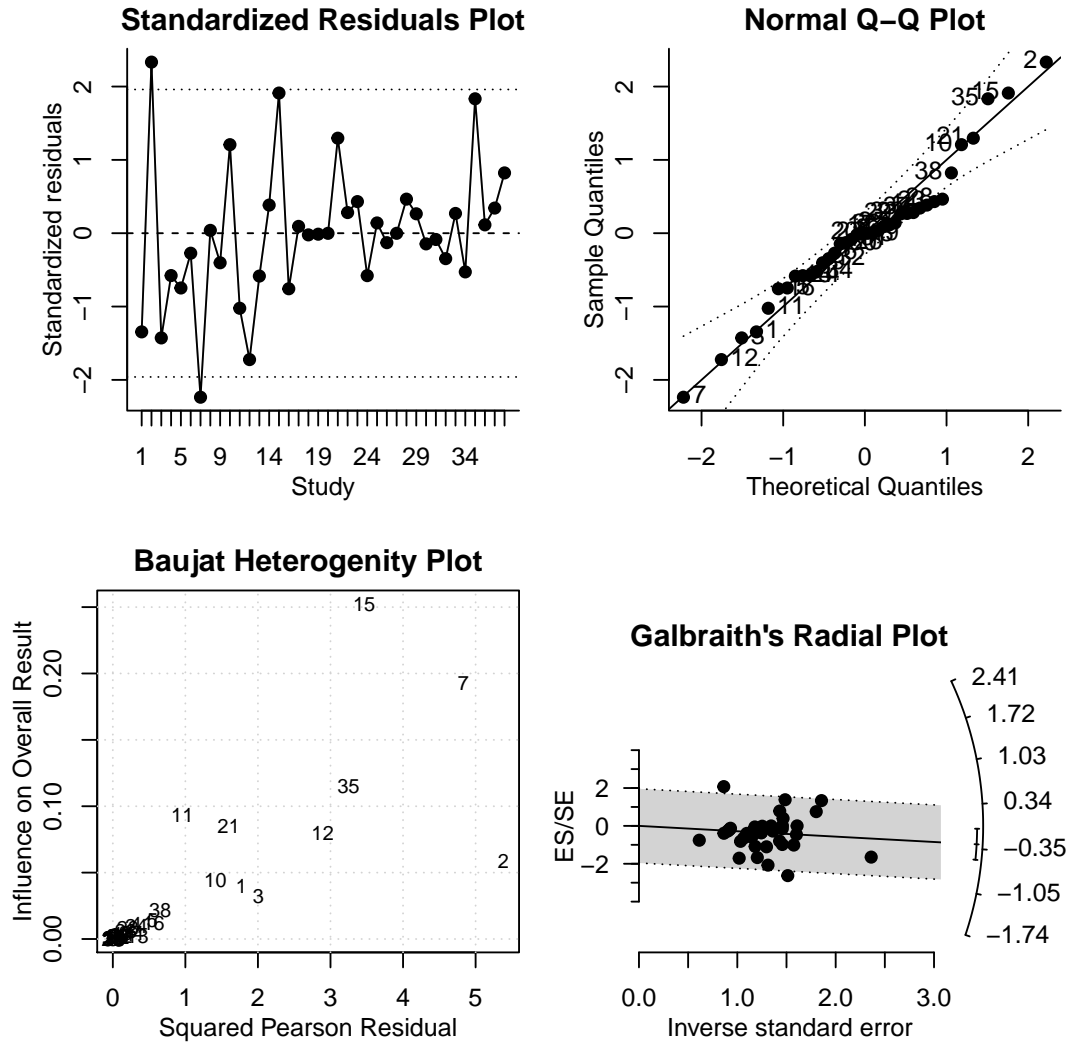


Figure 4: Diagnostic plots for diagnostics of meta analysis. Standardized residual plot, normal Q-Q plot, Baujat heterogeneity plot and Galbraith's radial plot are shown.

Table 3: Output of the sensitivity analysis (leave1out analysis) with the results of the meta analysis, leaving out 1 study at a time. The top most influential studies, in relation to effect size, sorted by absolute change in effect size is shown. The Left-out study indicates which study is left out to produce the results. ES = Effect size, SE = Standard error, CI = 95 percent confidence interval, P(ES) = p-value of estimate, Q = Test for residual heterogeneity, P(Q) = p-value of heterogeneity value,  $I^2$  = residual heterogeneity.

| Left-out study | ES     | ES change | SE of ES | CI (lb) | CI (ub)   | P(ES)   | Q    | P(Q)  | $I^2$ |
|----------------|--------|-----------|----------|---------|-----------|---------|------|-------|-------|
| 15             | -0.342 | -0.0589   | 0.117    | -0.572  | -0.113    | 0.0035  | 39.6 | 0.311 | 17.5  |
| 7              | -0.232 | 0.0517    | 0.118    | -0.463  | -0.000631 | 0.0494  | 40.1 | 0.293 | 20.1  |
| 35             | -0.324 | -0.0409   | 0.121    | -0.56   | -0.088    | 0.00715 | 42   | 0.227 | 23.1  |
| 11             | -0.244 | 0.0389    | 0.127    | -0.493  | 0.00424   | 0.054   | 42.6 | 0.208 | 22.9  |