

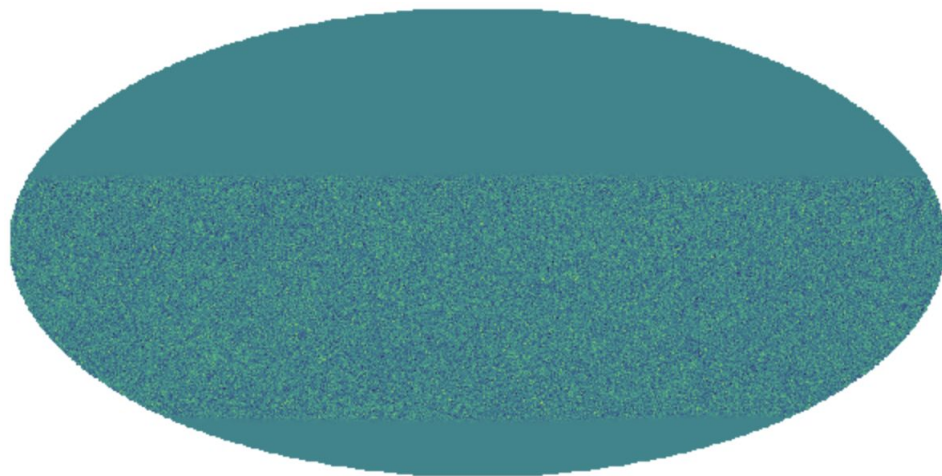
# S4x Litebird

Chwide QE lensing reconstruction

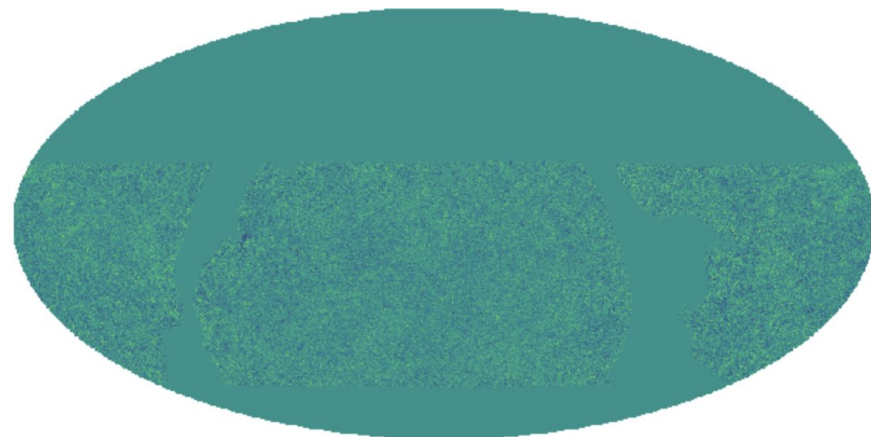
Louis Legrand 8 May 2024

# Maps from Shamik

25 maps, NILC E and B maps



E map



B map

# Quadratic estimator (in real space)

$${}_1\hat{d}(\hat{n}) = - \sum_{s=0,\pm 2} -_s\bar{X}(\hat{n}) \left[ \partial_s X^{\text{WF}} \right] (\hat{n}),$$

QE deflection field  $\nearrow$

$d = \partial\phi$

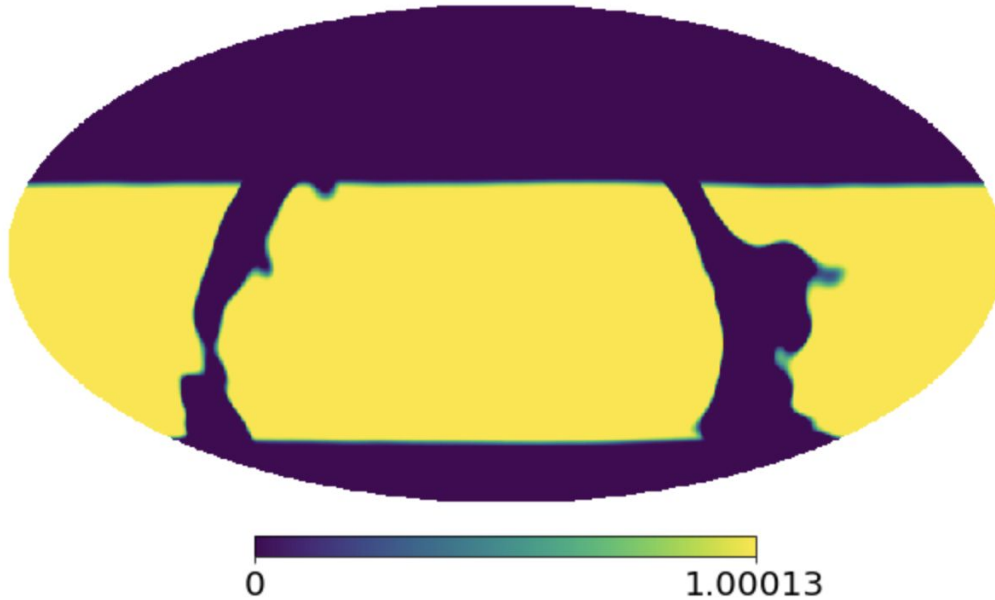
$\nearrow$  Inverse variance filtered (IVF) maps

$\nearrow$  Wiener filtered (WF) maps

- Follow Planck 2018 lensing analysis ([plancklens](#) code)
- (generalized) minimum variance estimator using E and B only
- IVF is done in pixel space, with fiducial spectra and mask
- QE weights (in the WF) use the gradCls

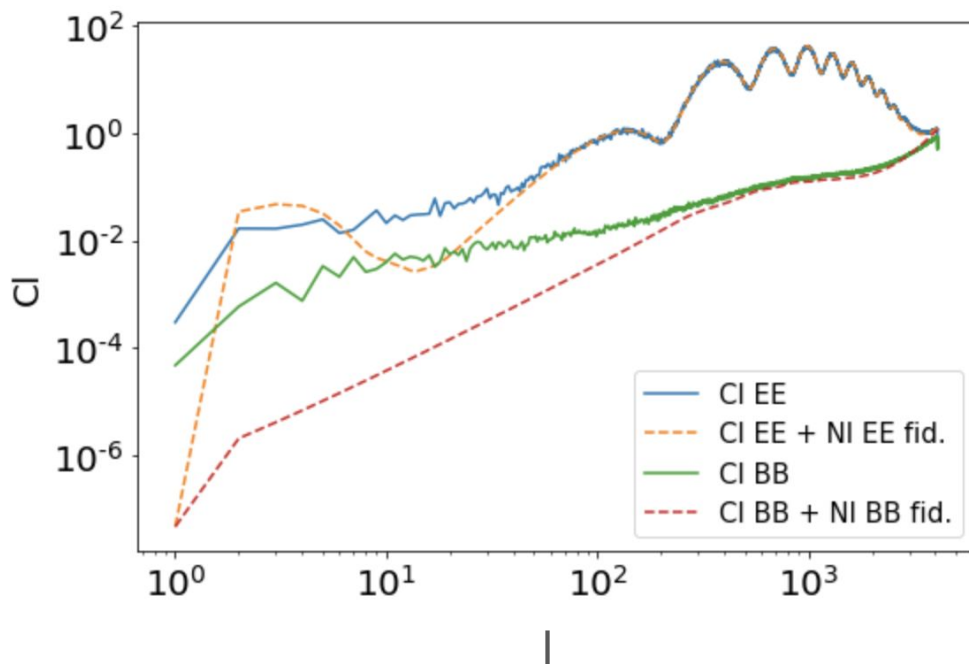
# Mask

- Combination of:
- S4 chile wide footprint with 3 degree apodization
  - Galactic dust footprint with 3 degree apodization



# Filtering spectra

- Effective Gaussian beam of the NILC maps of 2.1 amin
- Polarisation noise estimated from the spectra (roughly) of 1.3  $\mu\text{K.arcmin}$
- I did not model the  $1/f$  noise at low  $l$
- Filtering is done between  $l_{\min}=1$  and  $l_{\max} = 4096$



# Debiased and normalised QE


- Normalisation and mean field subtraction
- Mean field of each sim can be estimated from the other 24 simulations

$$\hat{\phi}_{LM} \equiv \frac{1}{\mathcal{R}_L^\phi} (\hat{g}_{LM} - \langle \hat{g}_{LM} \rangle_{\text{MC}}),$$

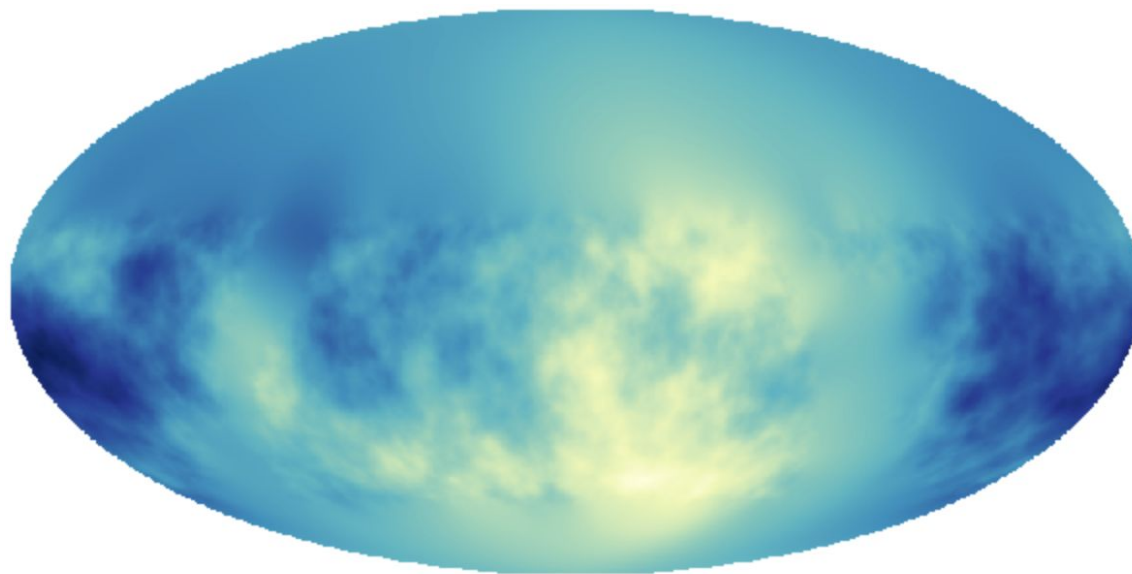
QE response (analytical)



Mean field = signal from other sources of anisotropies (such as mask or foregrounds).  
Estimated by averaging over simulations

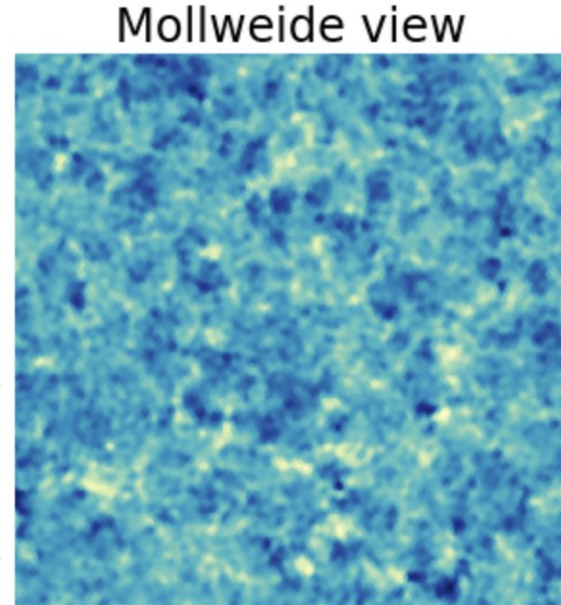
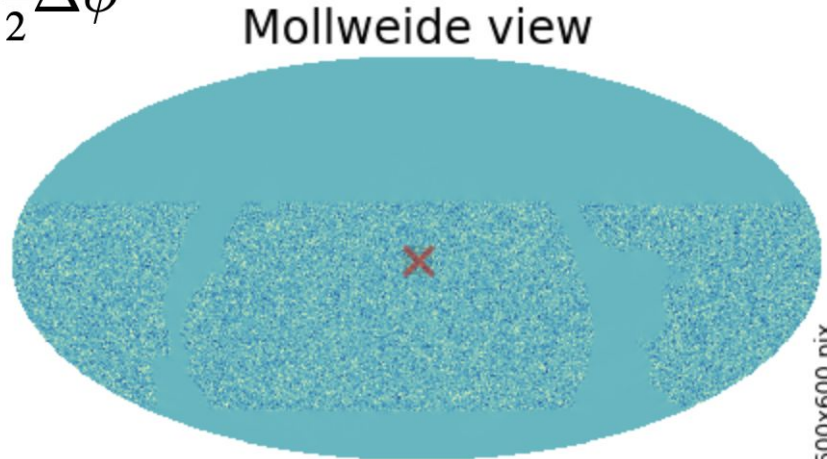


# Reconstructed phi map



# Wiener filtered convergence map

$$\kappa = -\frac{1}{2}\Delta\phi$$



r/t .... zoom out/in  
 p/v .... print coord/val  
 c ..... go to center  
 f ..... next color scale  
 k ..... save current scale  
 g ..... toggle graticule

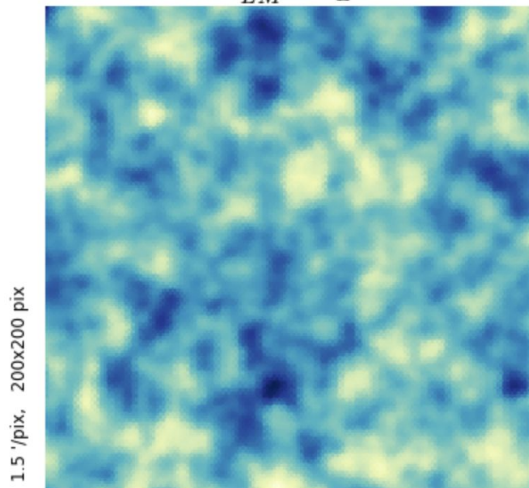
0.2525

scale mode: loe 0.2172 0.1780

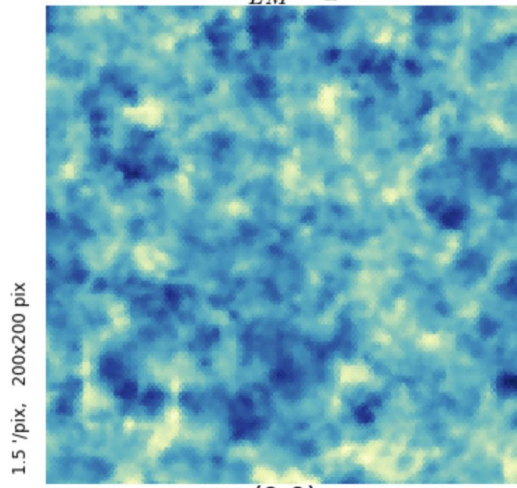


# Comparison with input

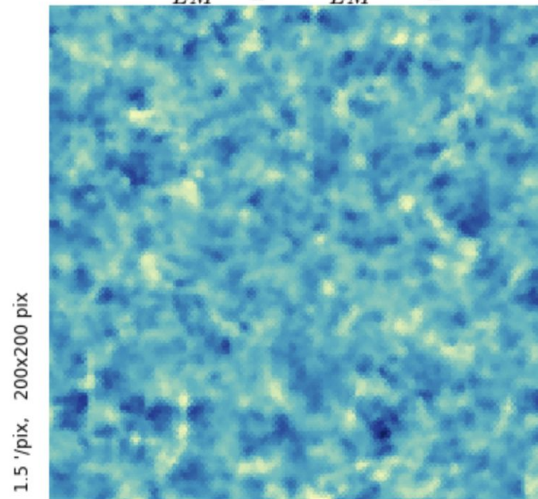
$$\kappa_{LM}^{\text{input}} \mathcal{W}_L$$



$$\hat{\kappa}_{LM}^{\text{QE}} \mathcal{W}_L$$



$$\hat{\kappa}_{LM}^{\text{QE}} \mathcal{W}_L - \kappa_{LM}^{\text{input}} \mathcal{W}_L$$



# QE power spectrum

- Power spectrum biases

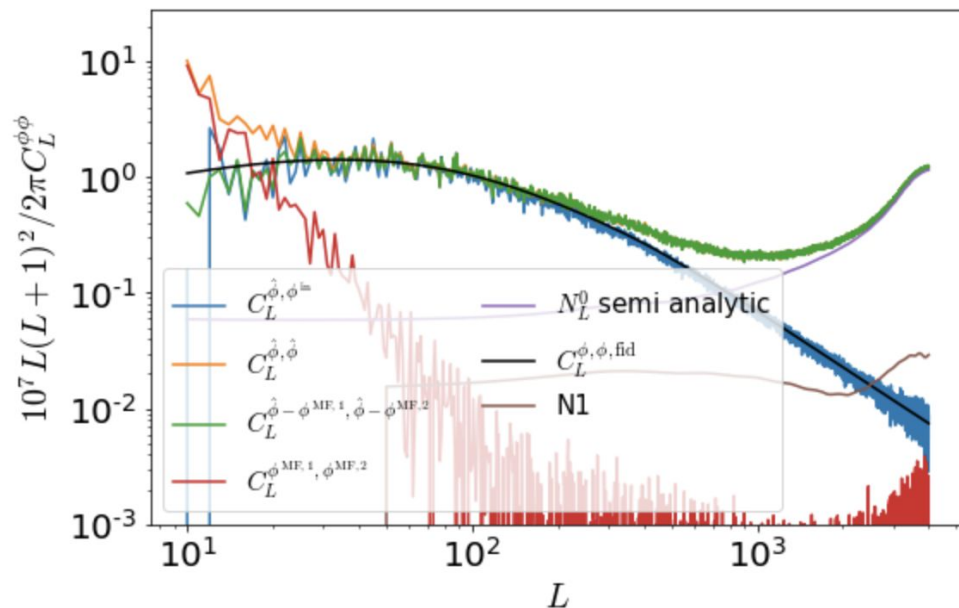
$$C_L^{\hat{\phi}^{\text{QE}} \hat{\phi}^{\text{QE}}} \sim C_L^{\phi\phi} + N_L^{(0)} + N_L^{(1)} \leftarrow \text{Connected contractions at first order in } \phi$$

4 point function of the CMB

Gaussian contractions

- N0 is estimated semi-analytically (combining fiducial spectra and spectra from the sims): unbiased at first order between the true and fiducial spectra of the maps

# Mean field subtraction



Cross correlation with simulated  $\phi$

No mean field subtraction

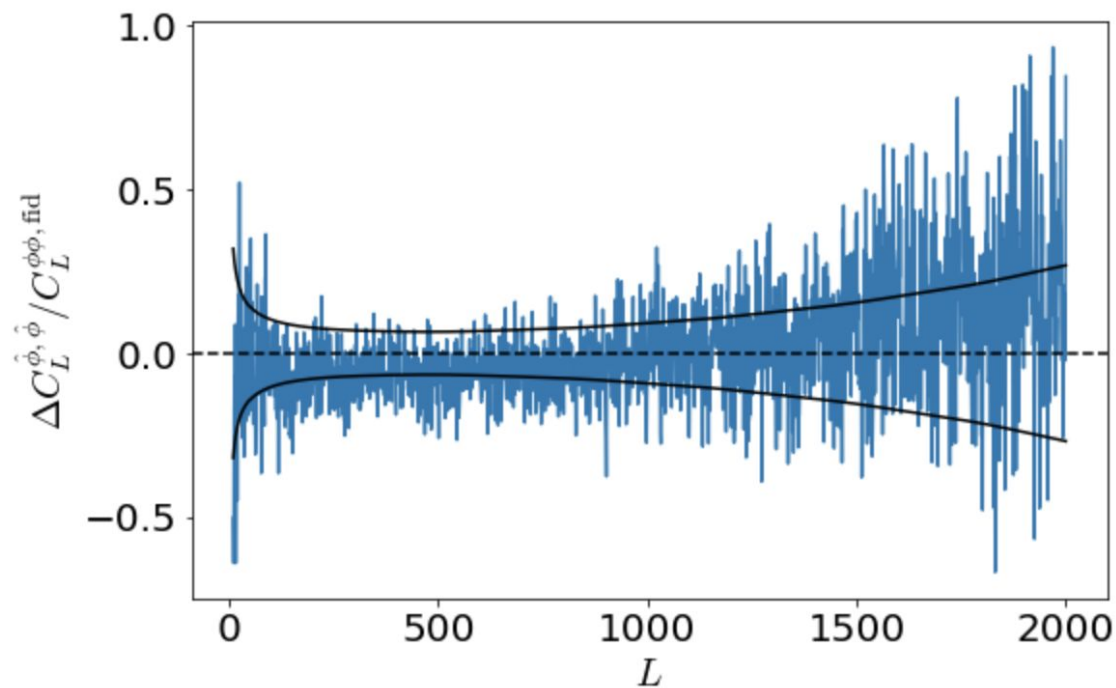
Mean field subtracted

Mean field (cross)

- Mean field estimated from two batches of 12 simulations (subtracting a different batch from each leg of the spectrum to lower MC variance)

# Relative bias

- Subtracting N0 and N1 bias
- Black lines are the expected variance



# Next steps

- Should I produce B-mode template maps ?
- Use the iterative estimator to gain SNR