# qconnect Protocol

### **Definitions**

PS: Public key (for signing)

SS: Secret key (for signing)

 $PK: \mbox{Public key (for KEM)}$ 

SK : Secret key (for KEM)

K: Symmetric encryption key

N: List of used nonces

B: Contact book

 $\operatorname{Sign}_{SS}(M) = S$  Signs message M using private key SS creating signature S.

 $\operatorname{Sign}_{PS}^{-1}(S,M) = \{0,1\} \quad \text{Verifies message $M$ matches signature $S$ using public key $PS$.}$ 

Outputs 1 when signature matches.

 $KEM_{PK}(K) = C$  Encrypts the given key K using public key PK.

 $\text{KEM}_{SK}^{-1}(C) = K$  Decrypts the given encrypted key C using secret key SK.

KEM stands for Key Encapsulation Mechanism.

 $\operatorname{Enc}_K(M) = C$  Encrypts the given message using symmetric key K.

 $\operatorname{Enc}_K^{-1}(C) = M$  Decrypts the given ciphertext using symmetric key K.

Now() = T Outputs the current timestamp.

## Registration

Bob registers his keys with the server.

Bob has: 
$$PS_{Bob}$$
,  $SS_{Bob}$ ,  $PK_{Bob}$ ,  $SK_{Bob}$ 

Bob sends to server :  $PS_{\text{Bob}}$ ,  $PK_{\text{Bob}}$ 

Server calculates:

$$\begin{split} M &= \{0,1\}^{128} & \text{Generate signing challenge.} \\ K &= \{0,1\}^{128} & \text{Generate KEM challenge.} \\ C &= \text{KEM}_{PK_{\text{Bob}}}(K) & \text{Encapsulate KEM challenge.} \end{split}$$

Server sends to Bob : M, C

Bob calculates:

$$S = \mathrm{Sign}_{SS_{\mathrm{Bob}}}(M)$$
 Sign the signing challenge. 
$$K' = \mathrm{KEM}_{SK_{\mathrm{Bob}}}^{-1}(C)$$
 Decapsulate the KEM challenge.

Bob sends to Server : S, K'

Server calculates:

$$S_{\mathrm{Verify}} = \mathrm{Sign}_{PS_{\mathrm{Bob}}}^{-1}(S, M)$$
 Verify the signature of the signing challenge.  
 $K = K'$  Verify the KEM challenge response is correct.  
Once verified, Server records Bob's keys.

## Contact Request and Accept

Bob adds Alice as a contact.

Bob has:  $SS_{\text{Bob}}$ ,  $PS_{\text{Alice}}$ ,  $T_{\text{Threshold}}$ , B, NServer has:  $PS_{\text{Bob}}$ ,  $PS_{\text{Alice}}$ ,  $T_{\text{Threshold}}$ , B, NAlice has:  $SS_{\text{Alice}}$ ,  $PS_{\text{Bob}}$ ,  $T_{\text{Threshold}}$ , B, N

#### Bob calculates:

$$\begin{split} T &= \text{Now}() & \text{Get current timestamp.} \\ n &= \{0,1\}^{128} \text{ s.t. } (n, PS_{\text{Bob}}) \notin N & \text{Generate nonce.} \\ N &= N \cup \{(n, PS_{\text{Bob}})\} & \text{Add nonce to list.} \\ S &= \text{Sign}_{SS_{\text{Bob}}}(T||n||PS_{\text{Alice}}) & \text{Sign contact request.} \\ B &= B \cup \{(PS_{\text{Alice}}, PS_{\text{Bob}})\} & \text{Mark Alice as able to send messages to Bob.} \end{split}$$

Bob sends to server:  $S, T, n, PS_{Alice}$ 

Server calculates:

$$\begin{split} S_{\text{Verify}} &= \text{Sign}_{PS_{\text{Bob}}}^{-1}(S, T || n || PS_{\text{Alice}}) & \text{Verify contact request is from Bob.} \\ T &> \text{Now}() - T_{\text{Threshold}} & \text{Verify contact request is recent.} \\ (n, PS_{\text{Bob}}) \notin N & \text{Verify nonce is new.} \\ N &= N \cup \{(n, PS_{\text{Bob}})\} & \text{Add old nonce to list.} \\ B &= B \cup \{(PS_{\text{Alice}}, PS_{\text{Bob}})\} & \text{Mark Alice as able to send messages to Bob.} \end{split}$$

Server sends to Alice : S, T, n

Alice calculates:

$$S_{\text{Verify}} = \operatorname{Sign}_{PS_{\text{Bob}}}^{-1}(S, T || n || PS_{\text{Alice}}) \qquad \text{Verify contact request is from Bob.}$$
 
$$If \ S_{\text{Verify}} = 0, \ \text{reject.}$$
 
$$T > \operatorname{Now}() - T_{\text{Threshold}} \qquad \text{Verify contact request is recent.}$$
 
$$(n, PS_{\text{Bob}}) \notin N \qquad \qquad \text{Verify nonce is new.}$$
 
$$N = N \cup \{(n, PS_{\text{Bob}})\} \qquad \qquad \text{Add old nonce to list.}$$
 
$$B = B \cup \{(PS_{\text{Alice}}, PS_{\text{Bob}})\} \qquad \qquad \text{Mark Alice as able to send messages to Bob.}$$

$$\begin{split} T &= \operatorname{Now}() & \text{Get current timestamp.} \\ n &= \{0,1\}^{128} \text{ s.t. } (n, PS_{\text{Alice}}) \notin N & \text{Generate nonce.} \\ N &= N \cup \{(n, PS_{\text{Alice}})\} & \text{Add nonce to list.} \\ S &= \operatorname{Sign}_{SS_{\text{Alice}}}(T||n||PS_{\text{Bob}}) & \text{Sign contact request.} \\ B &= B \cup \{(PS_{\text{Bob}}, PS_{\text{Alice}})\} & \text{Mark Bob as able to send messages to Alice.} \end{split}$$

Alice sends to server:  $S, T, n, PS_{Bob}$ 

#### Server calculates:

$$\begin{split} S_{\text{Verify}} &= \text{Sign}_{PS_{\text{Alice}}}^{-1}(S, T||n||PS_{\text{Bob}}) & \text{Verify contact request is from Alice.} \\ & & If \ S_{\text{Verify}} = 0, \ \text{reject.} \\ & T > \text{Now}() - T_{\text{Threshold}} & \text{Verify contact request is recent.} \\ & (n, PS_{\text{Alice}}) \notin N & \text{Verify nonce is new.} \\ & N = N \cup \{(n, PS_{\text{Alice}})\} & \text{Add old nonce to list.} \\ & B = B \cup (PS_{\text{Bob}}, PS_{\text{Alice}}) & \text{Mark Bob as able to send messages to Alice.} \end{split}$$

Server sends to Bob: S, T, n

#### Bob calculates:

$$\begin{split} S_{\text{Verify}} &= \text{Sign}_{PS_{\text{Alice}}}^{-1}(S, T||n||PS_{\text{Bob}}) & \text{Verify contact request is from Alice.} \\ & & If \ S_{\text{Verify}} = 0, \ \text{reject.} \\ & T > \text{Now}() - T_{\text{Threshold}} & \text{Verify contact request is recent.} \\ & (n, PS_{\text{Alice}}) \notin N & \text{Verify nonce is new.} \\ & N = N \cup \{(n, PS_{\text{Alice}})\} & \text{Add old nonce to list.} \\ & B = B \cup (PS_{\text{Bob}}, PS_{\text{Alice}}) & \text{Mark Bob as able to send messages to Alice.} \end{split}$$

## Public Key (for KEM) Distribution

Alice sends a public key (for KEM)  $PK_{Alice}$  to Bob.

Alice has :  $SS_{Alice}$ ,  $PK_{Alice}$ 

Server has :  $PS_{Alice}$ Bob has :  $PS_{Alice}$ 

Alice calculates :

$$S = \operatorname{Sign}_{SS_{\operatorname{Alice}}}(PK_{\operatorname{Alice}}) \qquad \operatorname{Signs public key}.$$

Alice sends to Server :  $S, PK_{Alice}$ 

Server calculates:

$$S_{\rm Verify} = {\rm Sign}_{PS_{\rm Alice}}^{-1}(S, PK_{\rm Alice}) \quad {\rm Verify\ message\ is\ from\ Alice}.$$
 If  $S_{\rm Verify}=0, {\rm reject}.$ 

Server sends to Bob:  $S, PK_{Alice}$ 

Bob calculates:

$$S_{ ext{Verify}} = ext{Sign}_{PS_{ ext{Alice}}}^{-1}(S, PK_{ ext{Alice}})$$
 Verify message is from Alice.  
If  $S_{ ext{Verify}} = 0$ , reject.

## Bob sends message to Alice

Bob sends a given message M to Alice.

Bob has:  $SS_{\text{Bob}}$ ,  $PK_{\text{Alice}}$ , NServer has:  $PS_{\text{Bob}}$ ,  $T_{\text{Threshold}}$ , B, N

Alice has:  $SK_{Alice}$ ,  $PS_{Bob}$ ,  $T_{Threshold}$ , B, N

#### Bob calculates:

$$\begin{split} K &= \{0,1\}^n & \text{Generates key of length } n. \\ C_K &= \text{KEM}_{PK_{\text{Alice}}}(K) & \text{Encrypts key.} \\ C_M &= \text{Enc}_K(M) & \text{Encrypts message.} \\ T &= \text{Now}() & \text{Get current timestamp.} \\ n &= \{0,1\}^{128} \text{ s.t. } (n,PS_{\text{Bob}}) \notin N & \text{Generate nonce.} \\ N &= N \cup \{(n,PS_{\text{Bob}})\} & \text{Add nonce to list.} \\ S &= \text{Sign}_{SS_{\text{Bob}}}(T||n||C_K||C_M) & \text{Sign message.} \end{split}$$

Bob sends to server:  $S, T, n, C_K, C_M$ 

Server calculates:

$$S_{\text{Verify}} = \operatorname{Sign}_{PS_{\text{Bob}}}^{-1}(S,T||n||C_K||C_M) \qquad \text{Verify message is from Bob.}$$
 
$$If \ S_{\text{Verify}} = 0, \ \text{reject.}$$
 
$$T > \operatorname{Now}() - T_{\text{Threshold}} \qquad \text{Verify message is recent.}$$
 
$$(n,PS_{\text{Bob}}) \notin N \qquad \qquad \text{Verify nonce is new.}$$
 
$$N = N \cup \{(n,PS_{\text{Bob}})\} \qquad \qquad \text{Add old nonce to list.}$$
 
$$(PS_{\text{Bob}},PS_{\text{Alice}}) \in B \qquad \qquad \text{Verify Bob can message Alice.}$$

Server sends to Alice:  $S, T, n, C_K, C_M$ 

### Alice calculates:

 $M = \operatorname{Enc}_K^{-1}(C_M)$ 

$$S_{\text{Verify}} = \operatorname{Sign}_{PS_{\text{Bob}}}^{-1}(S,T||n||C_K||C_M) \qquad \text{Verify message is from Bob.}$$
 
$$If \ S_{\text{Verify}} = 0, \ \text{reject.}$$
 
$$T > \operatorname{Now}() - T_{\text{Threshold}} \qquad \text{Verify message is recent.}$$
 
$$(n,PS_{\text{Bob}}) \notin N \qquad \qquad \text{Verify nonce is new.}$$
 
$$N = N \cup \{(n,PS_{\text{Bob}})\} \qquad \text{Add old nonce to list.}$$
 
$$(PS_{\text{Bob}},PS_{\text{Alice}}) \in B \qquad \qquad \text{Verify Bob can message Alice.}$$
 
$$K = \operatorname{KEM}_{SK_{\text{Alice}}}^{-1}(C_K) \qquad \text{Decrypt key.}$$

Decrypt message.