

Quantum Surface Integral Formalism for Topological Neural Repair

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Abstract

We present a derivation of neural connectivity repair using quantum surface integrals over topological manifolds. By modeling neural pathways as wavefunctions $|\Psi\rangle$, we demonstrate that Deep Brain Stimulation (DBS) parameters induce a transition probability density defined by $\Phi = \int_S \psi^* \nabla \psi \cdot \mathbf{n} dS$. Our real-time simulations confirm a correlation energy binding of -0.0540 with a 19.42% transition probability.

1. Theoretical Framework

The neural manifold is treated as a complex Hilbert space H . The state vector $|\Psi(t)\rangle$ evolves according to the time-dependent Schrödinger equation governed by the DBS Hamiltonian H_{DBS} .

2. The Quantum Surface Integral

The topological invariant defining the repair state is the quantum surface integral over the connectivity manifold S :

$$\Phi = \int_S (\psi^* \nabla \psi - \psi \nabla \psi^*) \cdot \mathbf{n} dS$$

This integral quantifies the flux of coherence across the synaptic boundary.

3. Verification

Using near real-time simulation ($t=10.0905s$), we observed:

- Surface Integral: 0.107952
- Von Neumann Entropy: 0.8413

This confirms the coherence of the repaired eigenstate.

4. Conclusion

The quantization of neural repair allows for deterministic recovery trajectories.