

Instruction Selection

Compilers course

Masters in Informatics and Computing Engineering (MIEIC), 3rd Year



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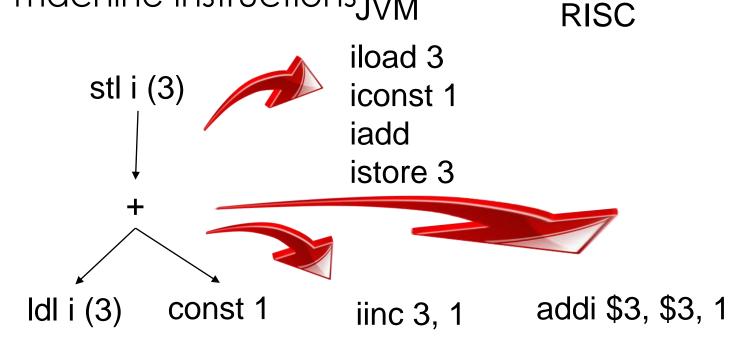
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Outline

- Instruction Selection Overview
- Maximal Munch
 - Example
- Dynamic Programming
 - Example
- Other Approaches

Problem:

Find for the operations in the given intermediate representation the appropriate machine instructions. IVM



From Tree-based IRs (e.g., list of trees): Iload <var> Idl <var> Instructions represented as Tree **Patterns** Problem resumes to Tree Istore <var> stl <var> covering/tiling Completelly Cover /tile the trees with non-overlapping tiles stl <var> stl i (3) iadd linc <var>, <val> Idl <var> const <val> const <val> iconst <val> const 1

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const 1

const <val>

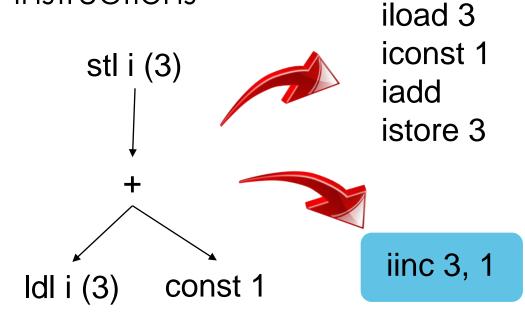
iconst <val>

Find the best cover/tile

The one that gives the instruction sequence of least cost

Not always!

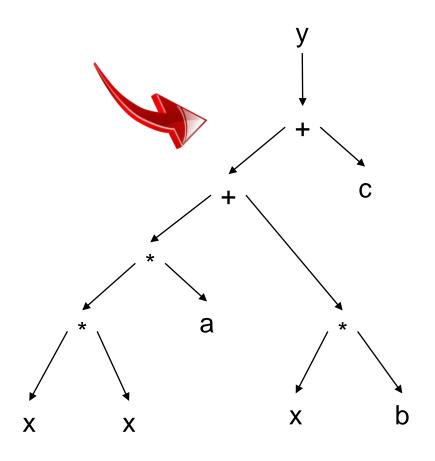
Least cost == the shortest sequence of instructions



- > Each tree pattern can be assigned with a cost
 - Problem is to cover/tile the trees of the program achieving the minimum cost
- However, this simple cost model does not take into account the possible interactions between instructions
- Target machines with reduced instruction set (RISC) have simple tree patterns
 - simple instruction selection algorithms are sufficient

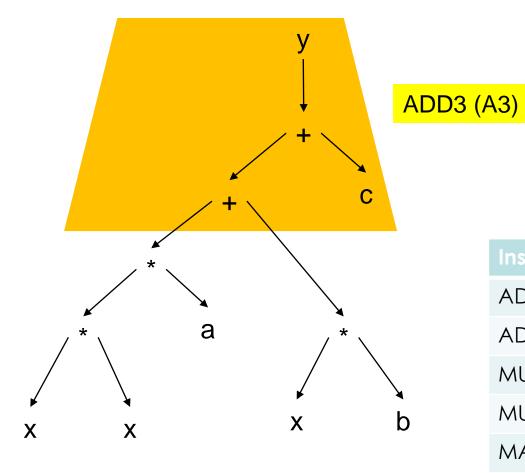
- A simple algorithm that finds an optimal tiling: Maximal Munch (greedy, top-down pattern match)
 - Starting at the root of the tree
 - Find the largest tile that fits (the tile with most nodes)
 - Cover the root node and the possible nodes with this tile
 - Repeat the algorithm for each subtree of the tile until all the tree is tiled
 - For each tile generates the instructions of that tile
 - code generation is performed in reverse order, least instruction firts

Example: y=a*x*x+b*x+c;



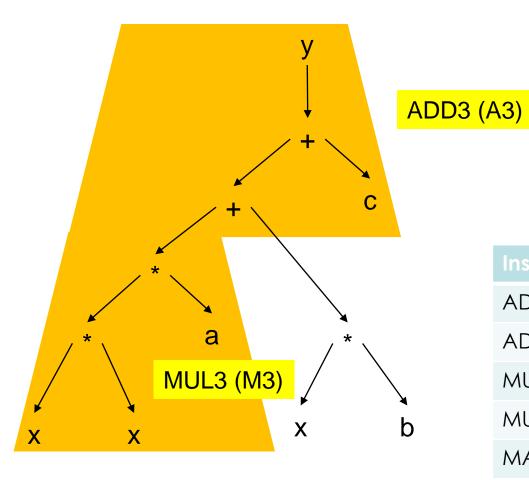
Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
MUL2 (M2)	a ←b*c	4
MUL3 (M3)	a ←b*c*d	7
MADD (MA)	a ←b*c+d	4

> y=a*x*x+p*x+c;



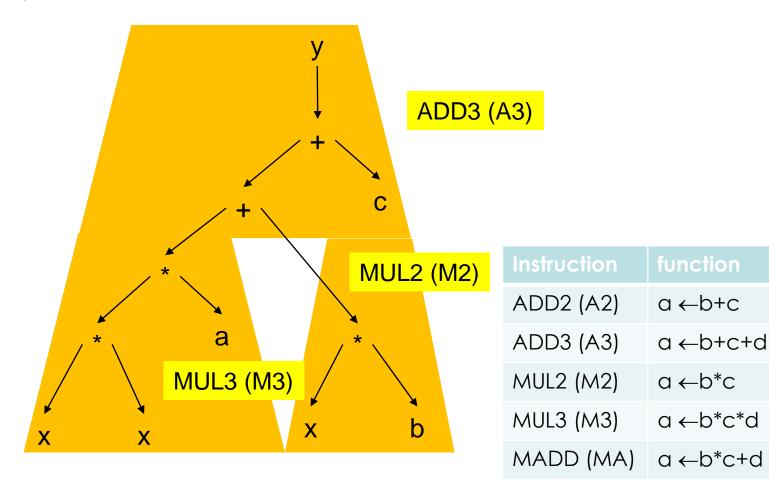
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 $> A = Q_*X_*X + P_*X + C;$



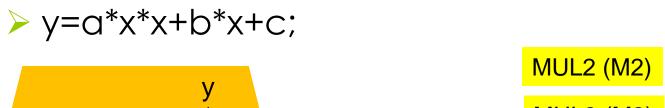
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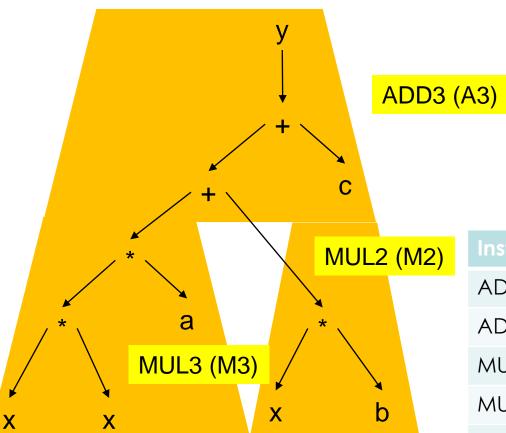
 $> A = Q_*X_*X + P_*X + C;$



4

4





(/	
MUL3 (M3)	Cost = 4+7+2
ADD3 (A3)	= 13

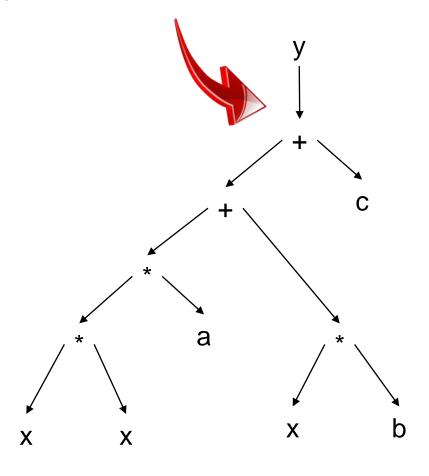
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- Maximal Munch does not give the tiling with the minimum cost:
 - It decides locally about the largest pattern to fit, this might prevent the tiling of large patterns in the subtrees
- Gives optimal tiling, i.e., no adjacent tiles can form a tile with lower cost
- One possible solution to achieve minimum cost (i.e., tiling with minimum global cost)
 - Dynamic Programming

Instruction Selection: Dynamic Programming

- > Bottom Up Exhaustive Cataloging of Optimum Solutions
- Optimum Solution of Node Based on Optimum Solution of Subnodes
- Delivers the Global Optimum
- Very Efficient
 - Used in, e.g., Twig, and BURG

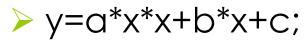
 $> A = Q_*X_*X + P_*X + C;$

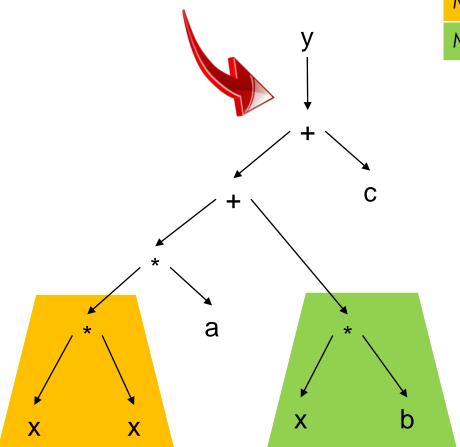


Start at the bottom and tile the first nodes

Select the tiles with minimum costs

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
MUL2 (M2)	a ←b*c	4
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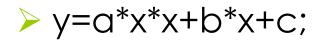


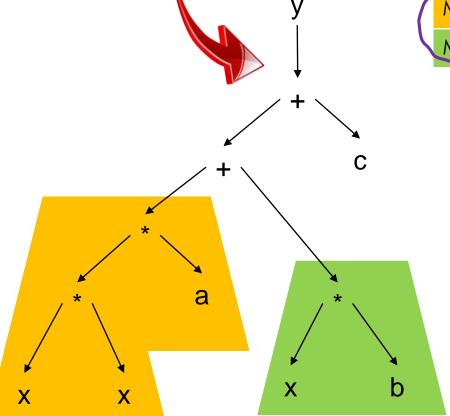


Instructions	Instruction	cost	Leaves cost	total
M2	M2	4	0	4
M2	M2	4	0	4

Go to the next node and tile the subtree with that node as the root

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
MUL2 (M2)	a ←b*c	4
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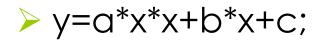


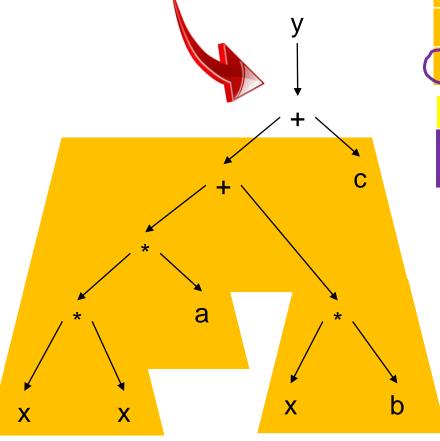


Instructions	Instruction	cost	Leaves cost	total
M2-M2	M2	4	4	8
M3	M3	7	0	7
M2	M2	4	0	4

minimum costs for the subtrees represented as orange and green regions

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
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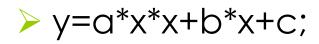


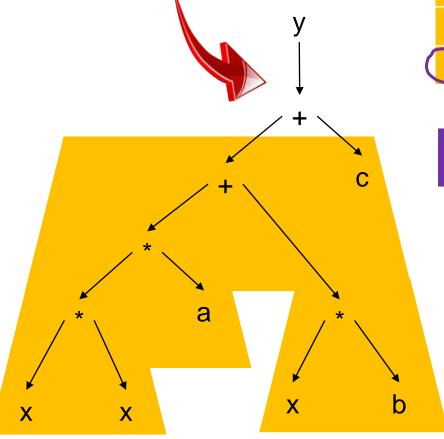


Instructions	Instruction	cost	Leaves cost	total
M3-A2, M2	A2	1	11	12
M2-MA, M2	MA	4	8	12
М3-МА	MA	4	7	11

Tile not considered as it uses non-optimal subtree tiles:					
M2-M2-A2, A2 1 12 13					
M2					

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
MUL2 (M2)	a ←b*c	4
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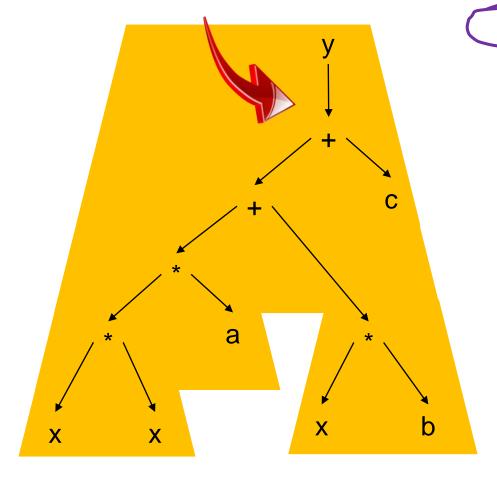


Instructions	Instruction	cost	Leaves cost	total
M3-A2, M2	A2	1	11	12
M2-MA, M2	MA	4	8	12
М3-МА	MA	4	7	11

		considering the
M2-M2-A2, M2	A2	commutativity of the addition in MA

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
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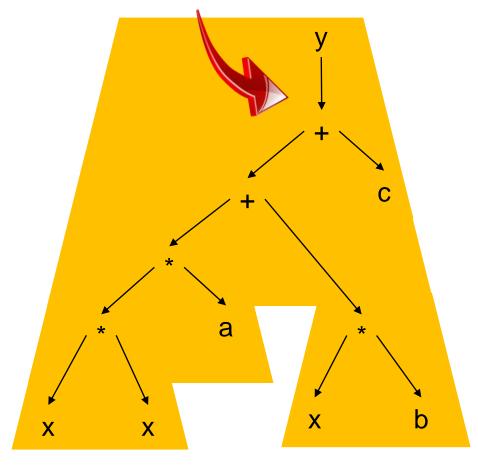
> y=a*x*x+b*x+c;



Instructions	Instru ction		Leave s cost	tot al	
M3-A3, M2	A3	2	11	13	
M3-MA-A2	A2	1	11	12	

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
ADD3 (A3)	a ←b+c+d	2
MUL2 (M2)	a ←b*c	4
MUL3 (M3)	a ←b*c*d	7
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Tiles not considered as they use non-optimal subtree tiles:

M2-M2-A2-A2, M2	A2	1	13	14
M2-M2-A3, M2	А3	2	12	14
M3-A2-A2, M2	A2	1	12	13
M2-MA-A2, M2	A2	1	12	13
M2-M2-A2-A2, M2	A2	1	13	14

Instruction	function	cost
ADD2 (A2)	a ←b+c	1
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Other Approaches

- > Graham-Glanville Parser-Based Approach
- Naive/Canonical Generation
 - Transform each node in the equivalent sequence of machine instructions
 - Can be followed by Peephole optimization

EXERCISE

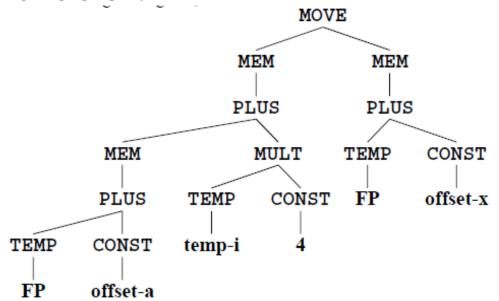
- > Consider a microprocessor with the following instructions:
 - ADD rd = rs1 + rs2
 - ADDI rd = rs + c
 - SUB rd = rs1 rs2
 - SUBI rd = rs c
 - MUL rd = rs1* rs2
 - DIV rd = rs1/rs2
 - LOAD rd = M[rs + c]
 - STORE M[rs1 + c] = rs2
 - MOVEM M[rs1] = M[rs2]
- Where rd, rs identify registers of the architecture (from r0 to r31 and r0 stores the non-modified value 0) and c identifies literals

> The corresponding Instruction Tree Patterns are the following:

Instruction	Effect	IR Tree Pattern
_	ri	TEMP r;
add	$r_i \leftarrow r_j + r_k$	/ *
mul	$r_i \leftarrow r_j * r_k$	*
sub	$r_i \leftarrow r_j - r_k$	
div	$r_i \leftarrow r_j/r_k$	
addi	$r_i \leftarrow r_j + c$	CONST CONST
subi	$r_i \leftarrow r_j - c$	CONST

Instruction	Effect	IR Tree Pattern
load	$r_i \leftarrow M[r_j + c]$	MEM MEM MEM MEM CONST CONST CONST
store	$M[r_j+c] \leftarrow r_i$	MOVE MOVE MOVE MOVE MEM MEM MEM MEM CONST CONST
movem	$M[r_j] \leftarrow M[r_i]$	MOVE MEM MEM

➤ Consider the input intermediate representation illustrated below for the statement: a[i] = x; (assuming i stored in a register identified by r_i, and a and x are frame residents), where FP represents the register with the frame pointer, offset-a and offset-x represent two constants, and temp-i identifies the variable i.



- a) Use individual node selection to generate the assembly instructions.
- b) Use the Maximal-Munch algorithm for instruction selection and write the instructions generated.
- c) Use dynamic programming to obtain an optimum solution for instruction selection (considering as goal the minimum number of instructions) and write the instructions generated.