# Algorithms and Data Structures

## STORING AND ACCESSING DATA

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# Overview

**Storing and accessing data using arrays**

- Creating arrays
- Adding and updating array data
- Enumerating array data

**Measuring algorithmic complexity**

- Asymptotic analysis
- Big-O notation

**Demo: Contact Manager**

- Overview of design and code

| Time | Reading |
| --- | --- |
| 06:12:00 | 1 |

| Time | Reading |
| --- | --- |
| 06:12:00 | 1 |
| 06:12:05 | 4 |

| Time | Reading |
| --- | --- |
| 06:12:00 | 1 |
| 06:12:05 | 4 |
| 06:12:10 | 3 |

| Time | Reading |
| --- | --- |
| 06:12:00 | 1 |
| 06:12:05 | 4 |
| 06:12:10 | 3 |
| 06:12:15 | 6 |

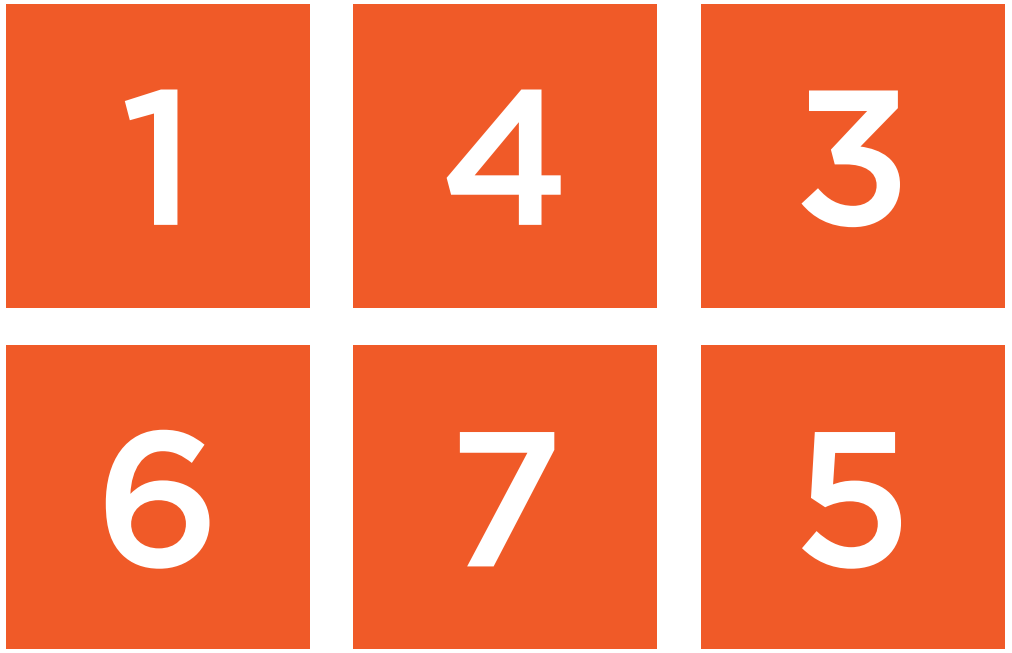
```
struct Reading {
  DateTime time;
  int value;
};

Reading r1 = Gauge.Read();
Thread.Sleep(5000);

Reading r2 = Gauge.Read();
Thread.Sleep(5000);

Reading r3 = Gauge.Read();
Thread.Sleep(5000);

Reading r4 = Gauge.Read();
Thread.Sleep(5000);

Reading r5 = Gauge.Read();
Thread.Sleep(5000);
```

- The gauge reading structure

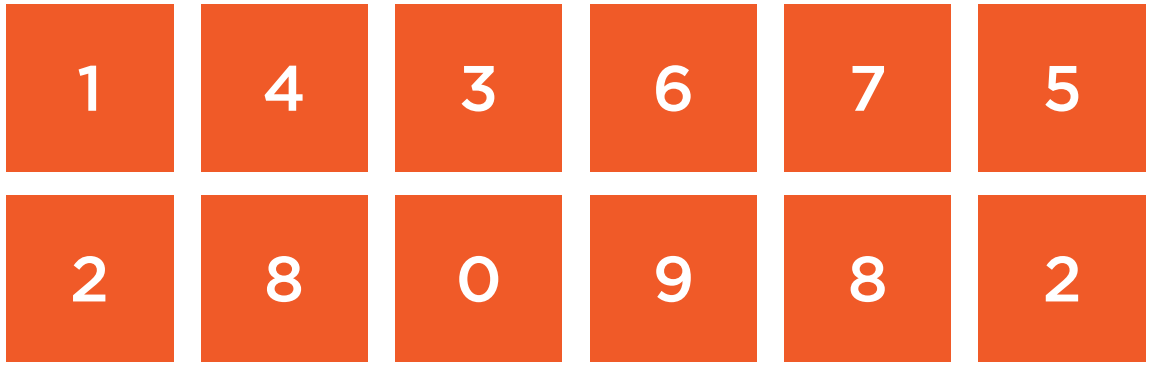
- Read the gauge data into a variable
- Wait 5 seconds
- Repeat the read and wait process

# 5 seconds

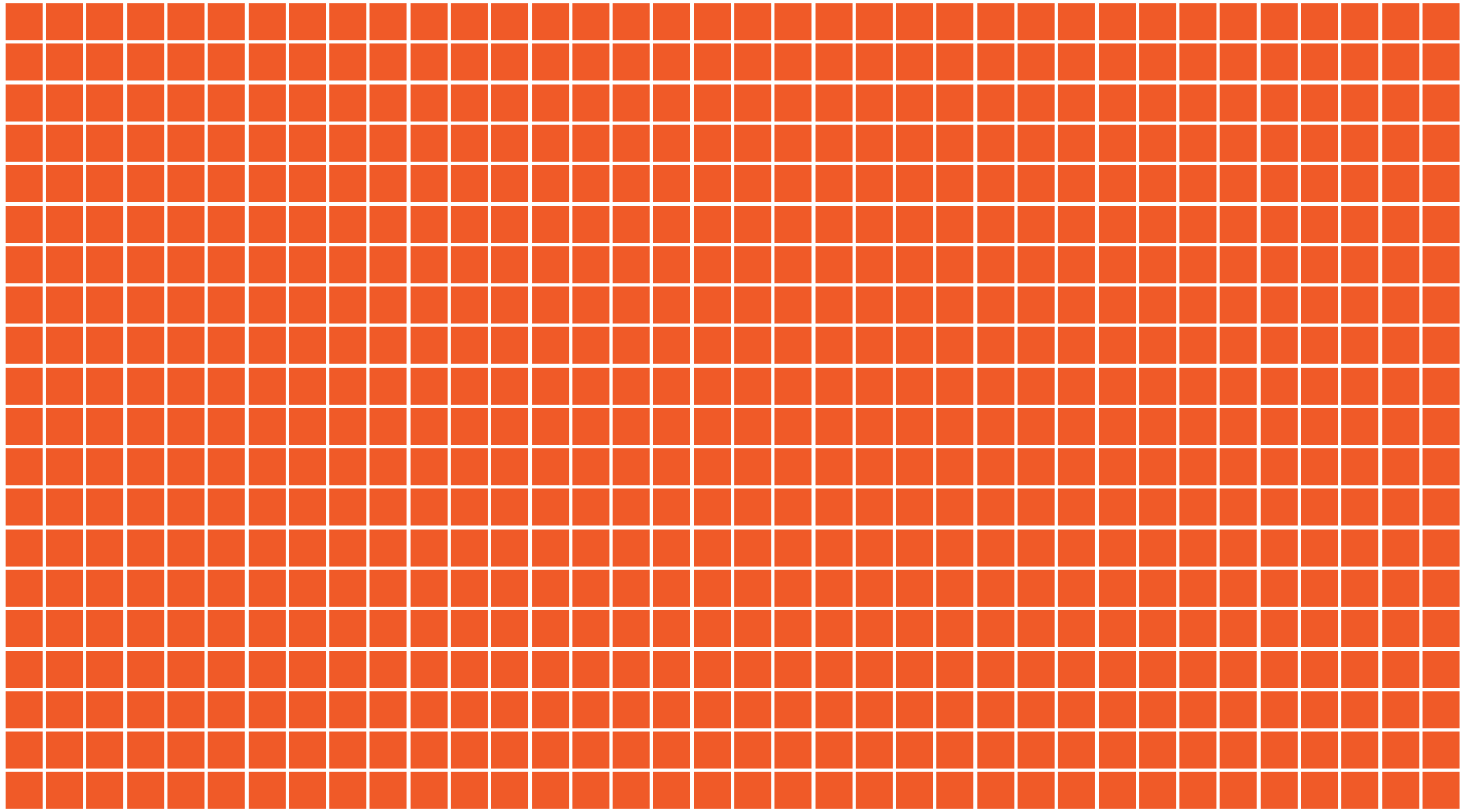
# 30 Seconds



# 1 Minute



# 1 Hour



Can contain multiple instances of a type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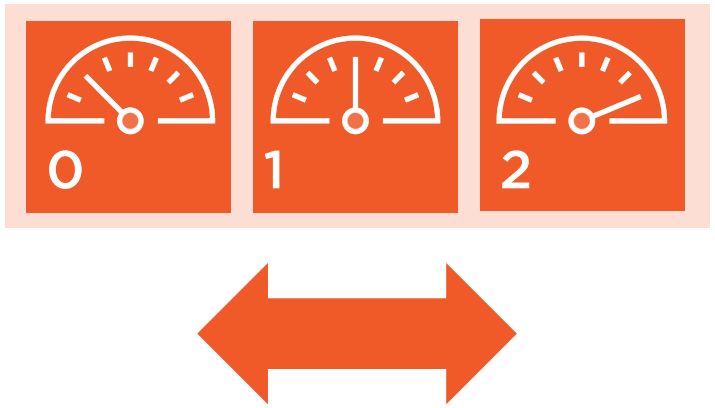
Numeric indexing


Can contain multiple instances of a type

Numeric indexing

Access individual items

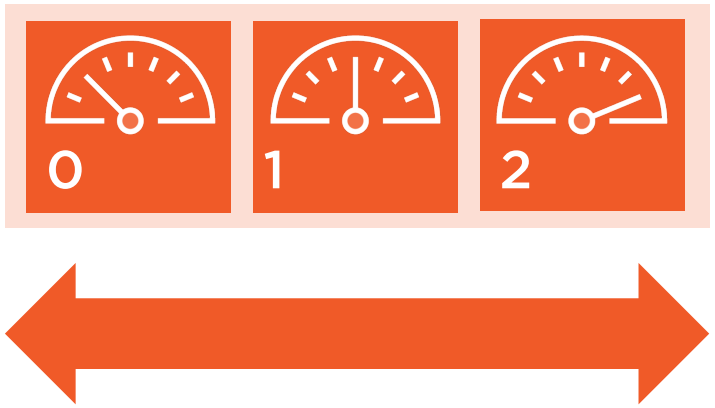



Can contain multiple instances of a type

Numeric indexing

Access individual items

Static or dynamic sizing

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Numeric indexing

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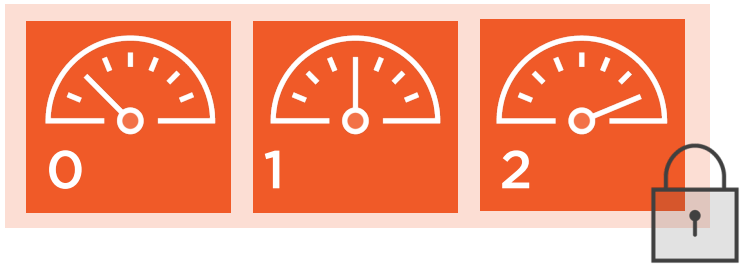
Static or dynamic sizing




Can contain multiple instances of a type

Numeric indexing

Access individual items

Static or dynamic sizing

Fixed size once created

```
Reading[] readings = new Reading[5];
```

# Creating an Array

```
Reading[] readings = new Reading[5];

readings[0] = Gauge.Read();
```

# Adding Data to an Array

```
Reading[] readings = new Reading[5];
readings[0] = Gauge.Read();
readings[1] = Gauge.Read();
```

# Adding Data to an Array

```
Reading[] readings = new Reading[5];
readings[0] = Gauge.Read();
readings[1] = Gauge.Read();
readings[2] = Gauge.Read();
readings[3] = Gauge.Read();
readings[4] = Gauge.Read();
```

# Adding Data to an Array

```
Reading r = readings[2];
```

# Accessing Array Data

```
Reading r = readings[2];


for(int i = 0; i < 5; i++) {
    Reading r = readings[i];
}
```

# Accessing Array Data

```
readings[2] = Gauge.Read();
```

# Updating Array Values

# Asymptotic Analysis of Algorithms

# Resources


## Operations

The number of times we need to perform some operations

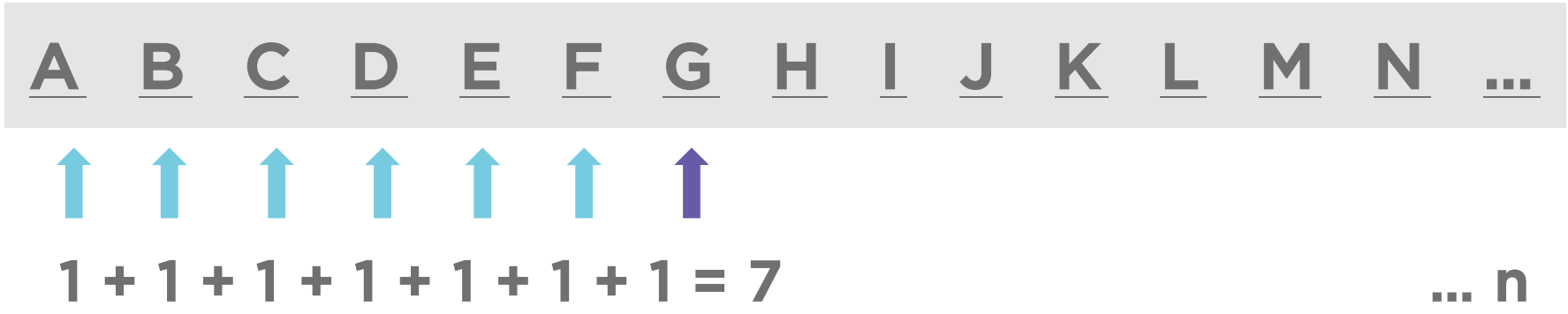
## Memory

How much memory is consumed by the algorithms

## Others

Network transfer, compression ratios, disk usage

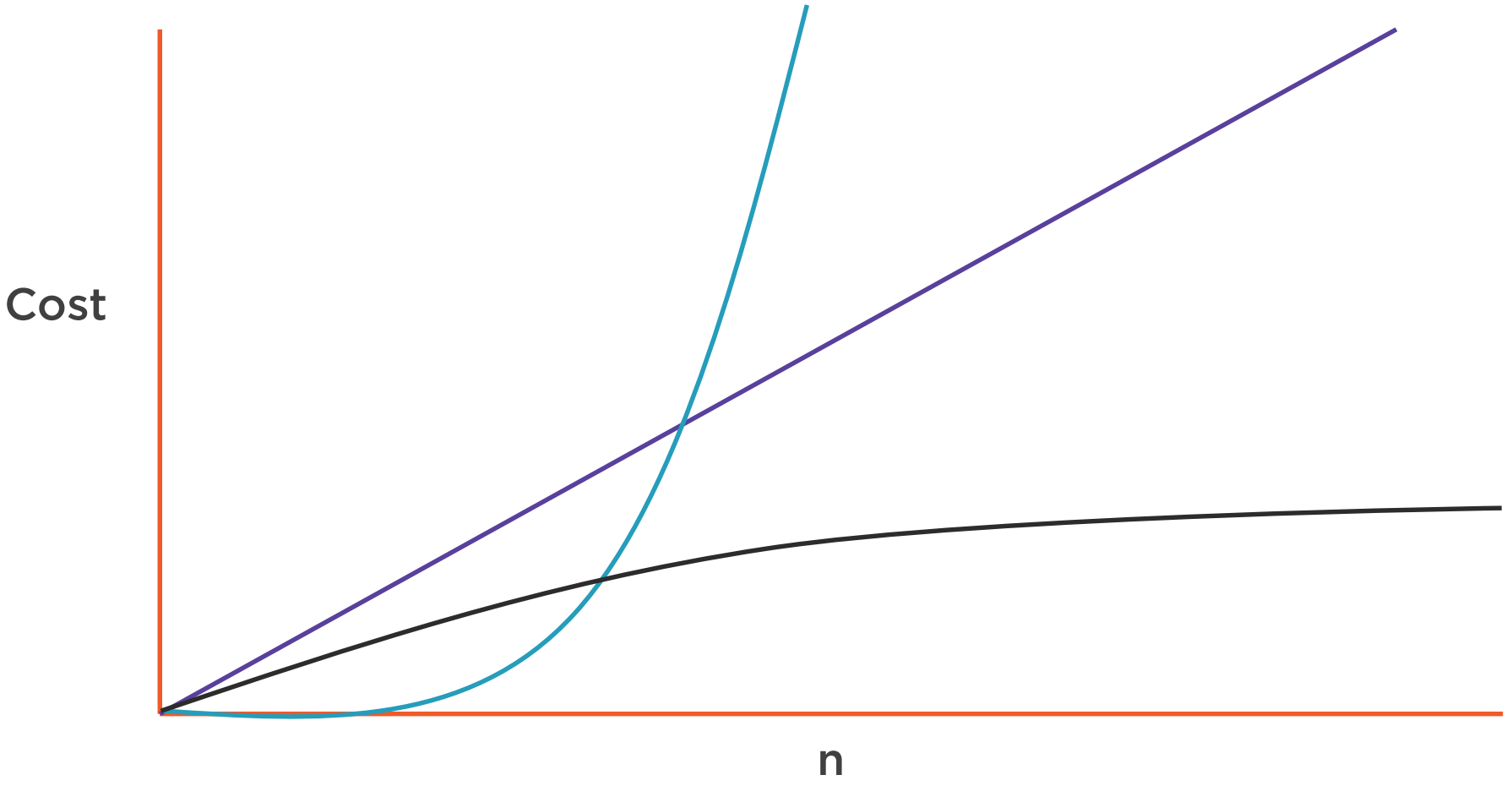
```
char[] letters = ”ABCDEFGHIJKLMNOPQRSTUVWXYZ";

int index = 0;
while(letters[index] != 'G')
    index++;
```



# Big-O Notation

O(n)

# How Does the Algorithm Scale?

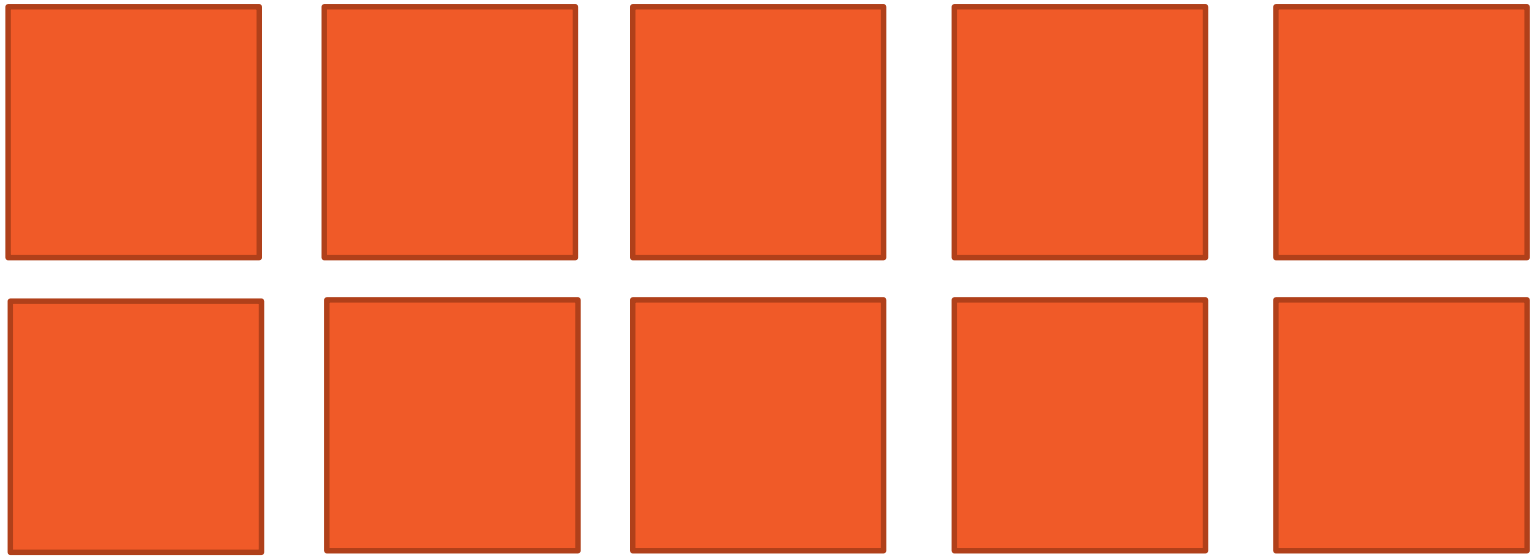


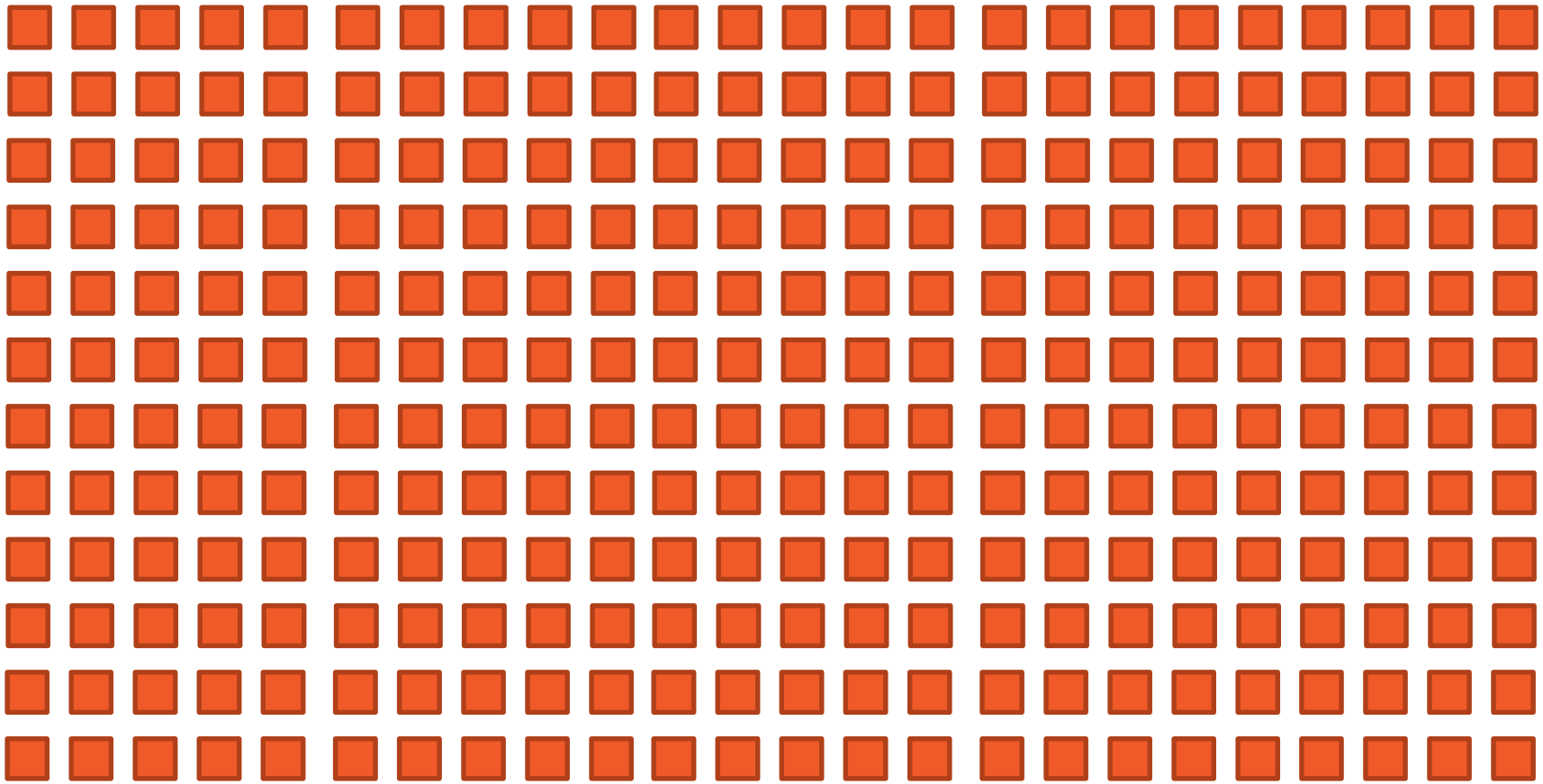
# Asymptotic Analysis

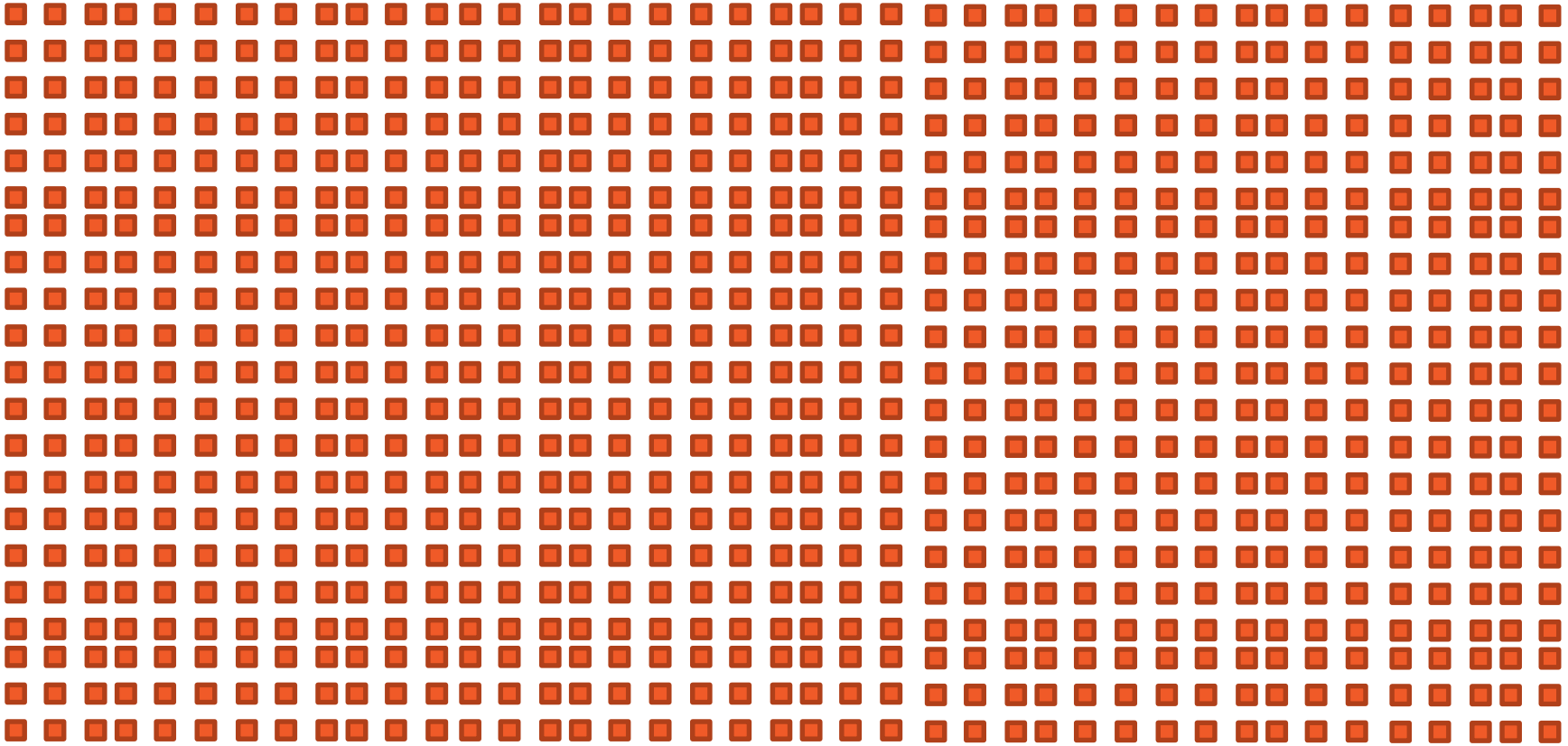
# Asymptote

The asymptote of a curve is a line where the distance between the curve and the line approach zero as they tend towards infinity.

# Big numbers are more interesting







# What is the upper limit?

It depends
(Hint: look at your domain)

# O(n+1) is O(n)

# O(2n) is O(n)

# Big-O Examples

# O(1)

The cost of the algorithm is unchanged by the input size.

# O(1) Growth

| Input Size | Cost |
| --- | --- |
| 1 | 1 |
| 100 | 1 |
| 1000 | 1 |
| 1000000 | 1 |

# O(n)

A function whose cost scales linearly with the size of the input.

```
char[] letters = "abcdefghijklmnopqrstuvwxyz";

for(int i = 0; i < letters.Length; i++) {
    Console.WriteLine(letters[i]);
}
```

# O(n)

**Iterating over a collection of data once often indicates an O(n) algorithm.**

# O(n) Growth

| Input Size | Cost |
| --- | --- |
| 1 | 1 |
| 100 | 100 |
| 1000 | 1000 |
| 1000000 | 1000000 |

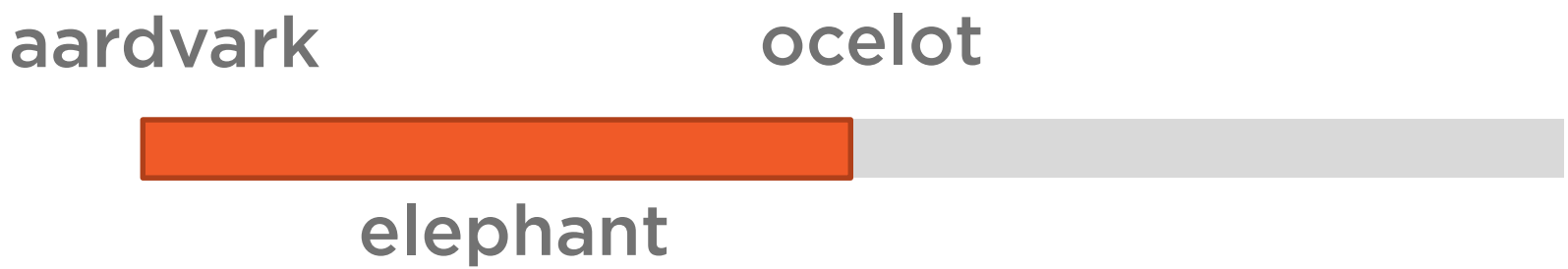
# O(log n)

A function whose cost scales logarithmically with the input size

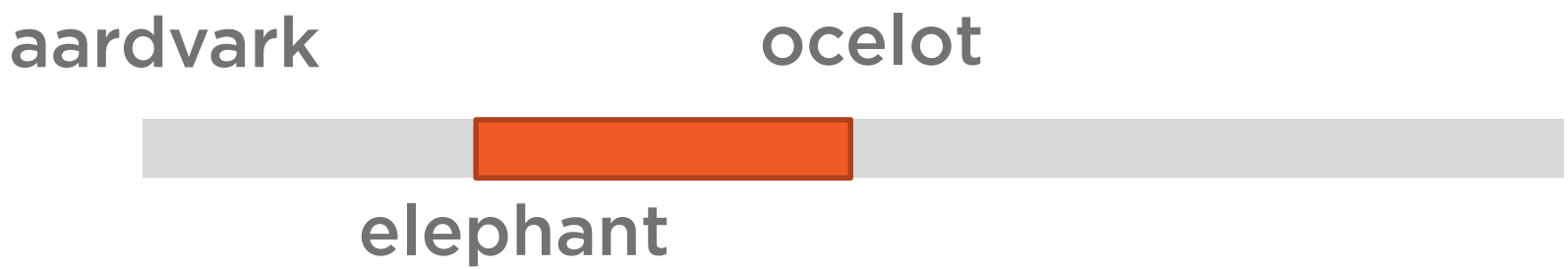
# O(log n)

# O(log n)

# O(log n)



# O(log n)



# O(log n)

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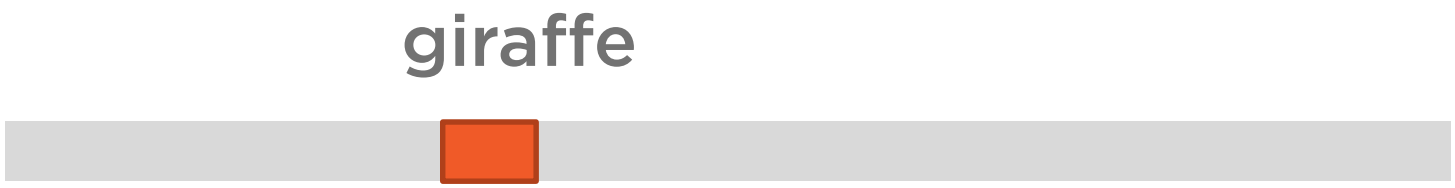


# O(log n) Growth

| Input Size | Cost |
| --- | --- |
| 1 | 1 |
| 10 | 1 |
| 1000 | 3 |
| 1000000 | 6 |

# $O(n^2)$

A function that exhibits quadratic growth relative to the input size.

```
void quad(char[] input, int count) {
    for (int i = 0; i < count; i++)
        for (int x = 0; x < count; x++)
            process(input, i, x);
}
```

# $O(n^2)$

**A doubly-nested loop is an indication that you might have an $O(n^2)$ algorithm.**

# $O(n^2)$ Growth

| Input Size | Cost |
| --- | --- |
| 1 | 1 |
| 10 | 100 |
| 1000 | 1000000 |
| 1000000 | 1e+12 |

# O(nm)

A function which has two inputs that contribute to the growth

```
void nm(char[] n, int nc, char[] m, int mc) {
   for (int i = 0; i < nc; i++)
      for (int x = 0; x < mc; x++)
         process(n[i], m[x]);
}
```

# O(nm)

**A nested loop that iterates over two distinct collections of data might indicate an O(nm) algorithm.**

Predicting behavior means understanding your domain.

# Relative Timing

| Big-O | Elapsed Time |
| --- | --- |
| O(1) | 1 ms |
| O(log n) | 6 ms |
| O(n) | 16.67 minutes |
| O(nm) | (16.67 * m) minutes |
| $O(n^2)$ | 11.57 days |
| $O(n^3)$ | 3.16888e7 years |

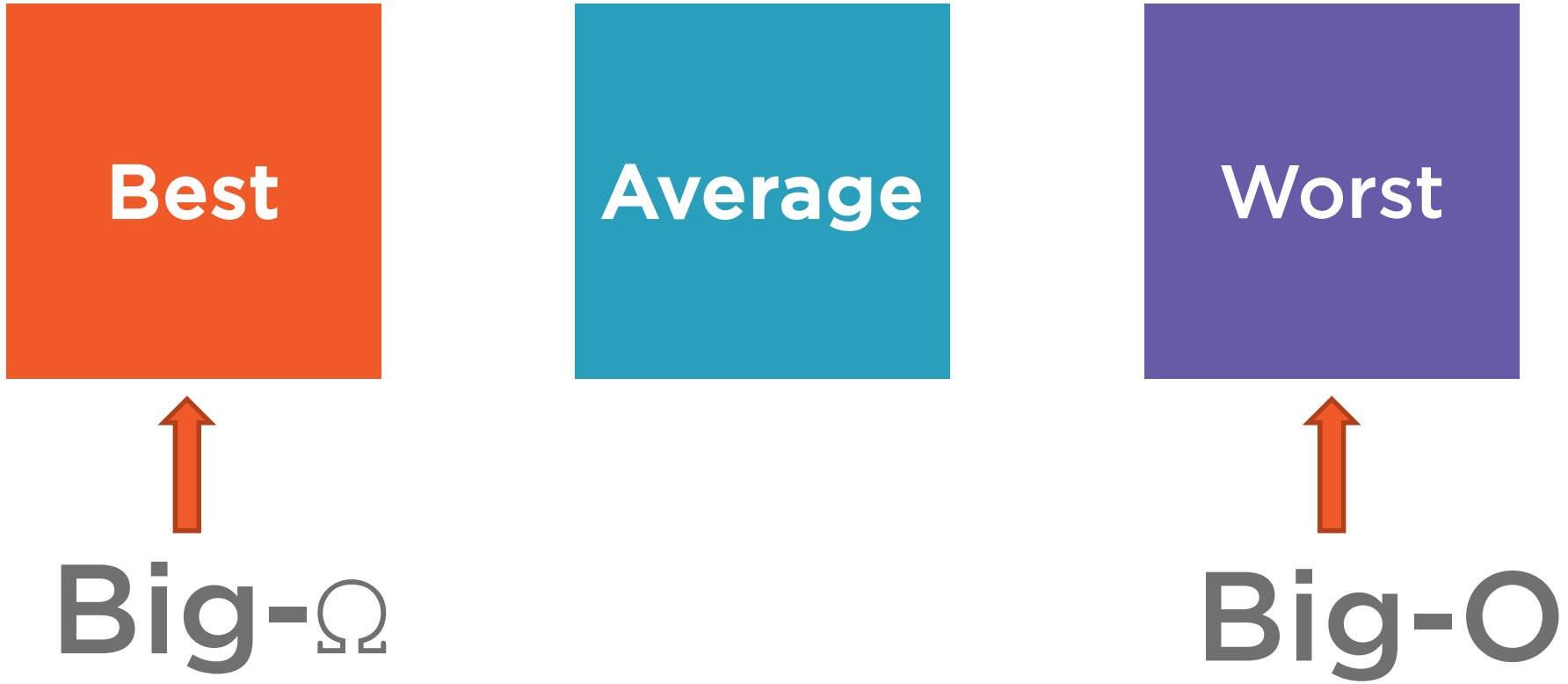
This seems bad!

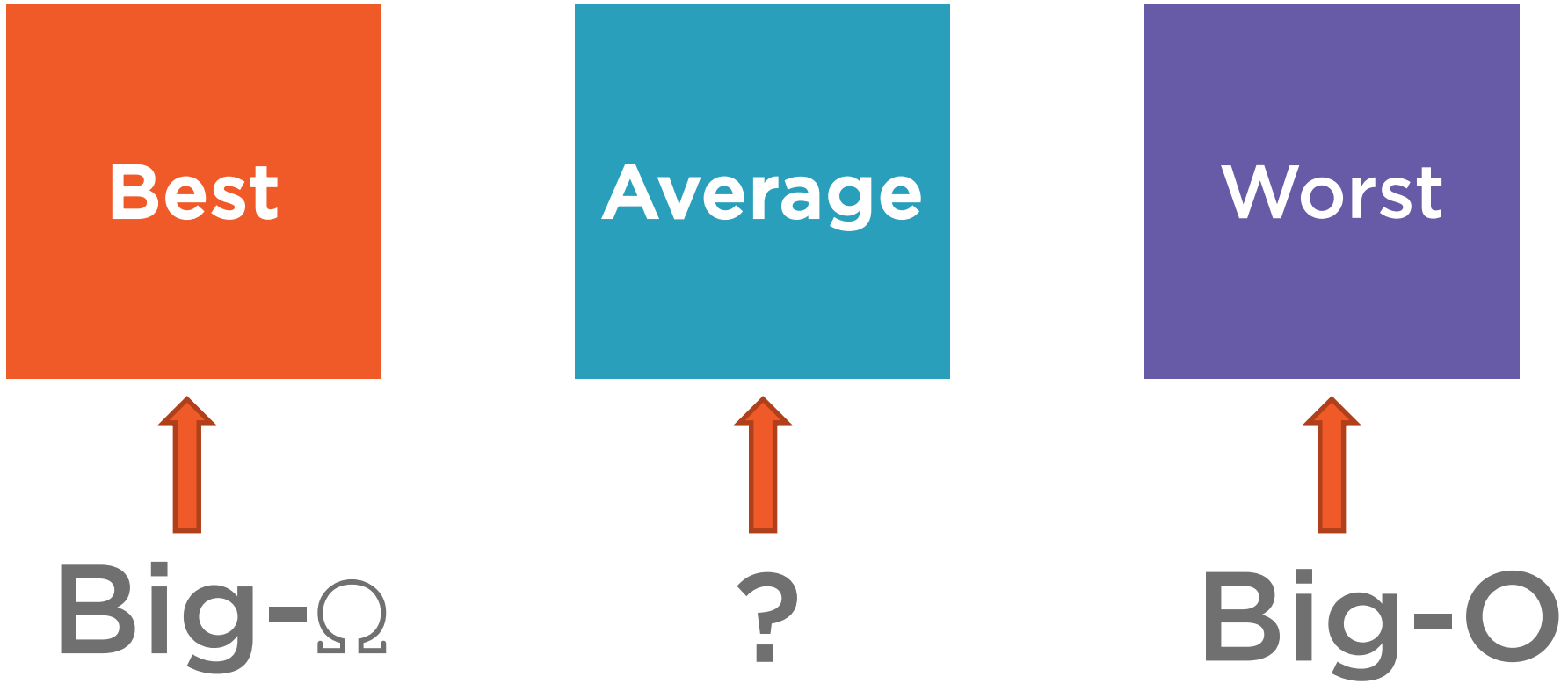
Best

Average

Worst

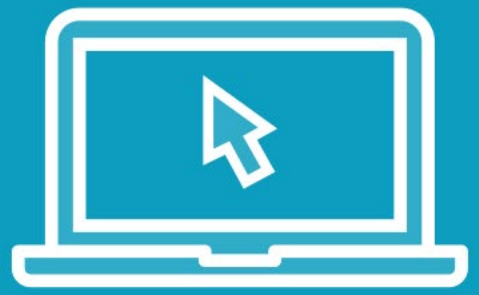
Big-O


Best
Average
Worst
Big-Ω
Big-O


Best
Average
Worst
Big-Ω
?
Big-O

So we just use Big-O

# Demo



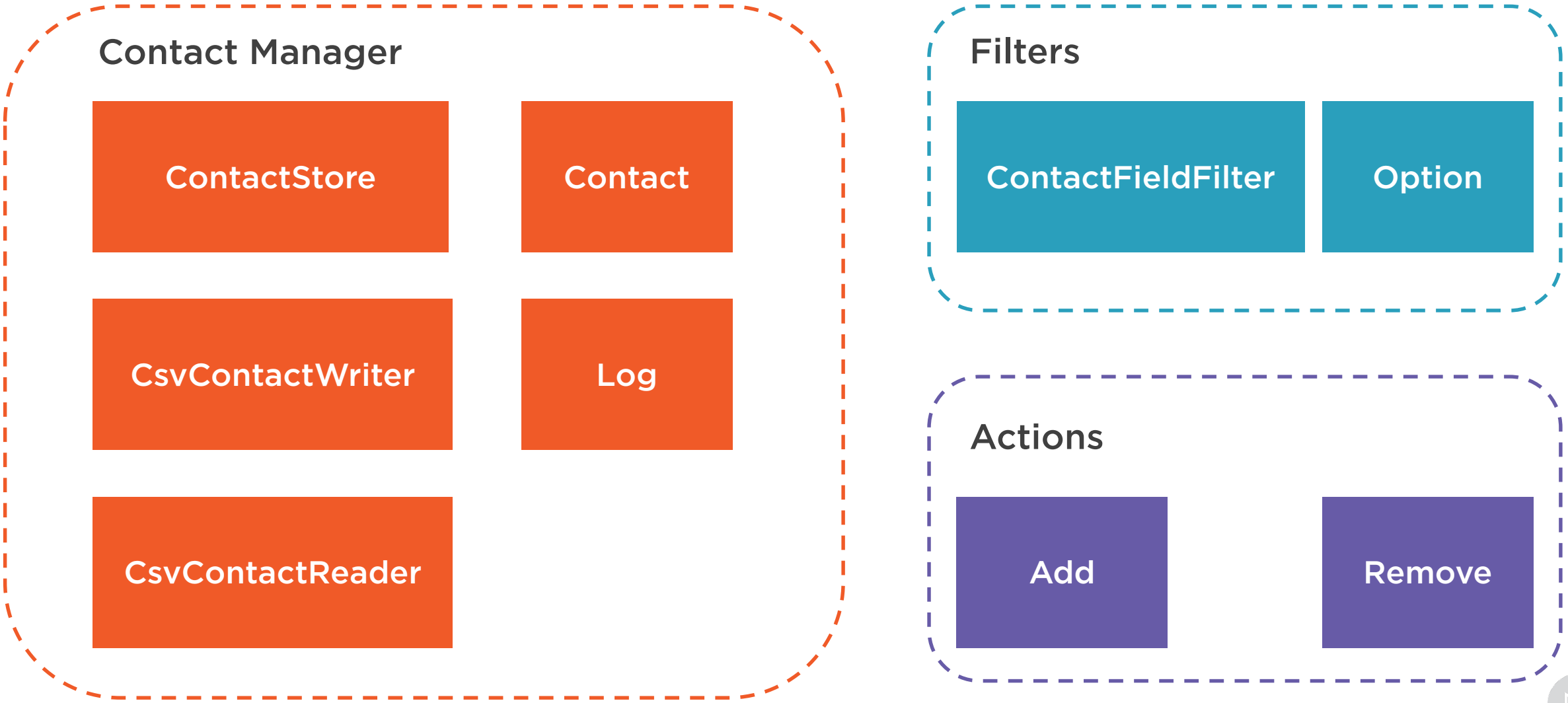
## Contact Manager

- Command line application
- Written in C#

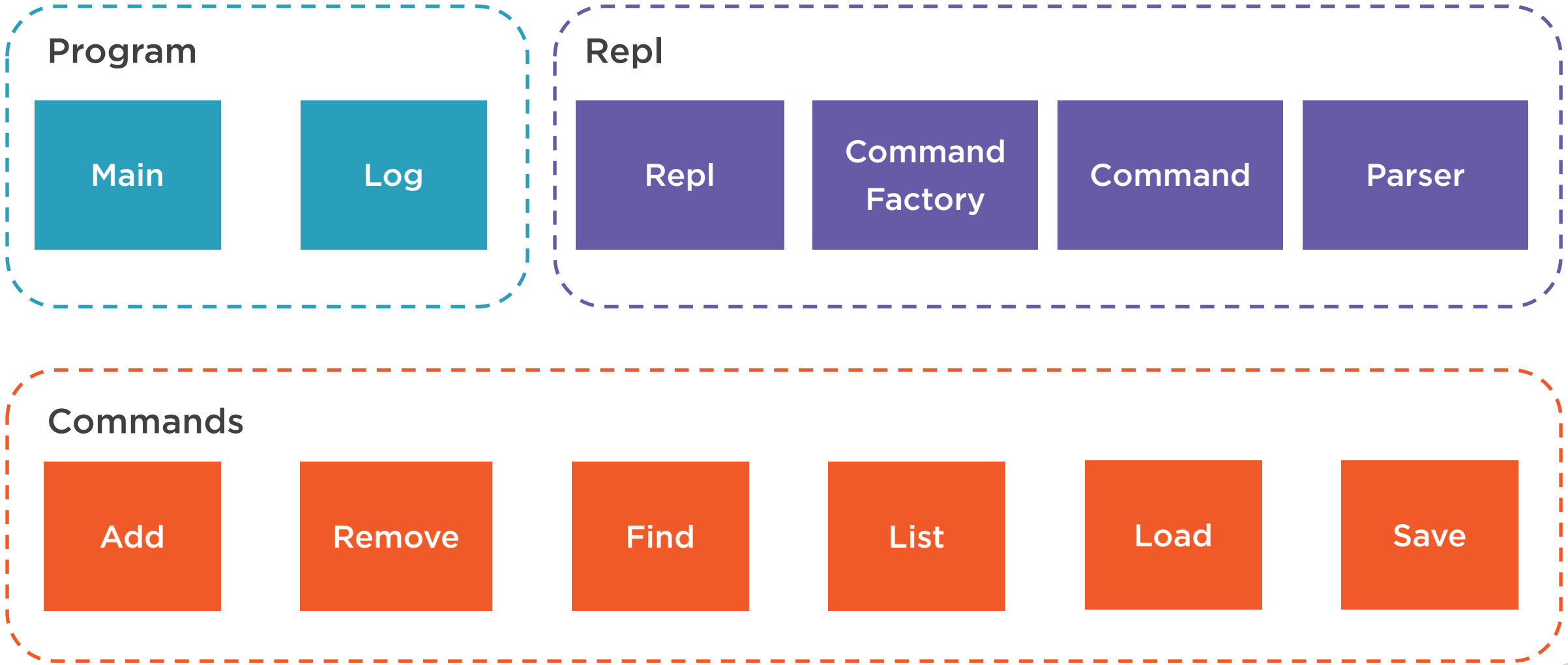
## Operations

- Adding and removing contacts
- Searching by various criteria
- Loading and saving to disk

# Contact Manager (Library)



# Contact Manager (Application)



# Contact Manager (Library)