Assignment - 4

TITLE:

Statistical Processing.

PROBLEM STATEMENT:

load Apply Basic PCA on the iris dataset.

Describe the data set.

Describe the structured of correlation among variables.

· Compute a PCA with maximum number of

components.

· Compute commutative enplained variance ration Determine number of component K by your

computed values.

· Print K principle components and correlations of K principle component with original

· Plat the samples projected into the K first PCs.
· Color sample by the species.

OBJECTIVES:

To be able to appropriately apply computational methodologies to real world statistical problems.

OUTCOMES:

Model and solve computing peroblem using correlation, and resempling using appropriate statistics algorithm.

PREREGUISITE:

Concept of data pre-processing.

THEORY: PCA finds the principle components of data. It is often useful to measure data in terms of its principle components reather than on normal n-y anis. They are the directions where there is most various and Principle component Analysis (PCA) is unsuper-vised reduction algorithm. It identifies hypeoplane that lies closest to the data and then it projects the data onto it PCA finds a new set of dimensions such that all dimensions are orthogonal and ranked according to variance of data along them. It means more important principle axis occurs first: How does PCA works? - Calculate covariance materin X of data points
- Calculate eigen vectors and coversponding eigen values. -> select eigen vector according to decreasing eigen values.

- Choose first k eigen vectors and that will be new k dimensions.

- Transform the original n dimensional data points into k dimensions.

() Date: / /20

Implementing PCA on a 2-D dataset - Step-1: Normalise the data First step is to normalise the date the we have so that PCA works properly. -> step-2: Calculate the covariance matrin Since the dataset we took is 2-dimensions this will result in a 2×2 covariance matrix Materin (Covariance) = [Var [X,] (ov [X, X2]] (ov [X, X2]] eigen vectors. $\det(\lambda I - A) = 0$ $(\lambda I - A)v = 0$ Jeature vector.

We do not lose out some information in the process, but if eigen values are small, we do not lose much. CONCLUSION: Hence we conclude that , Principal can compress it down to 2- dimensions.















