Assignment - 5 Gaussian minture models clustering. PROBLEM STATEMENT: Peroblem clustering of the win dataset based on all variables using Gaussian minture models. Use PCA to visualise clusters. OBJECTIVES:
To learn data processing techniques required to get applied on machine learning algorithm. Formulate suitable statistical method required or pre-processing technique for finding the solution of machine learning algorithm. PRFRE QUISITES: -> Concept of clustering The goal is clustering is to find groups that share similar properties. The data in each group should be similar, but each cluster should be sufficiently different. 1) Gaussian Minture Model (GMM)

The GMM is a simple but powerful model that
performs clustering via density of estimation.

The features histogram is modelled as the world of multiple multi-variate Gaussian distributions.

In one dimensions the probability density function of a Goussian Ristribution is given $G(X|u,\sigma) = \frac{1}{\sigma \sqrt{2\pi}} e^{-(n-u)^2/2\sigma^2}$ Where u and o² are respectively mean and variance of distribution.

For multivariate Gaussian Distribution, the perobability density function is given by: G(X|u, Z) = 1 enp $\left(-\frac{1}{2}(u-u)^T Z^{-1}(X-u)\right)$ Here u is a dimensional vector and Σ is the dx d covariance materia. 2) Expectation - Manimisation (EM) Algorithm

It is an iterative way to find manimum—
dikelihood estimates for model parameters
when the data is incomplete or has some
missing data points.

These new values are then respectively
used to estimate a better data, by filling
inp missing points, until the values get
fined.

Setimation step: Estimation step: · Maximisation step-

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	ALGORITHM:0
1)	Initialize the mean Ux, the covariance materine Ex used and the mining coeff. It k by some random values.
	Compute the 7/2 values for all k.
3)	Again estimate all the parameters using current Yx values.
4)	Complete log-likelihood function.
5)	Put some convergence viiterion.
6)	If the dog-likelihood value converges to some value then stop, else return to step 2.
	CONCLUSTON:
	Gaussian Minture Model (GMM) Clustering handles ellipsoidal distributions and makes 'self soft' assignments to clusters.
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