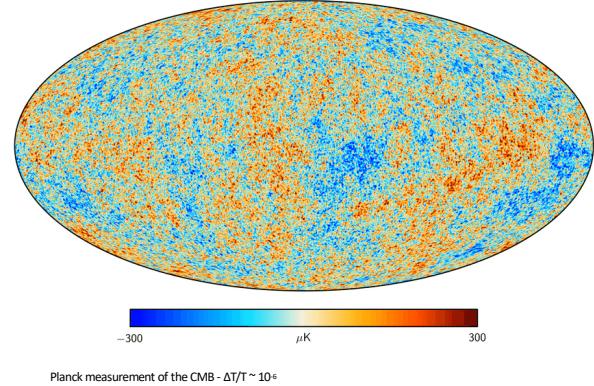
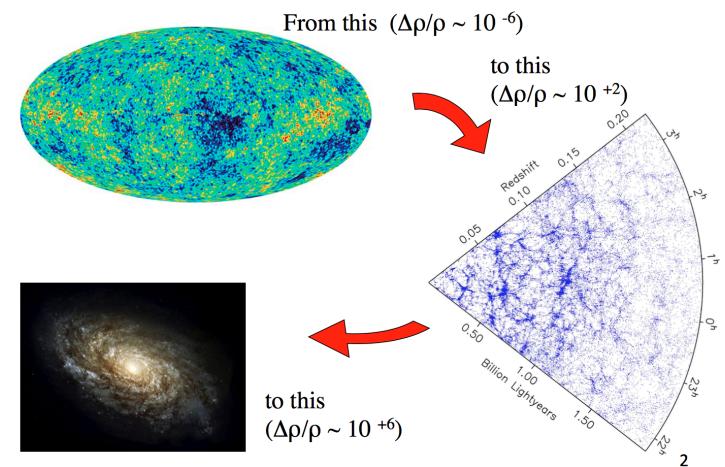


Start with fluctuations in density after the Big Bang...



Structure Formation and Evolution



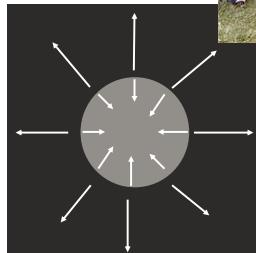
2

Formation of Structure: LCDM

Cosmological expansion

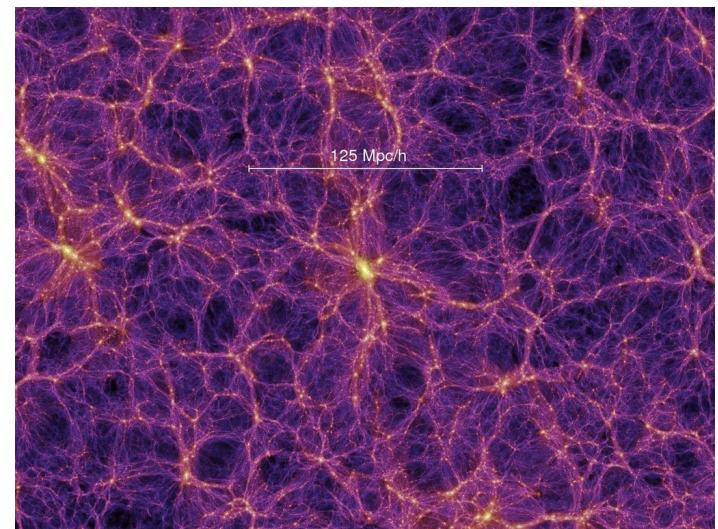


Gravity/dark matter

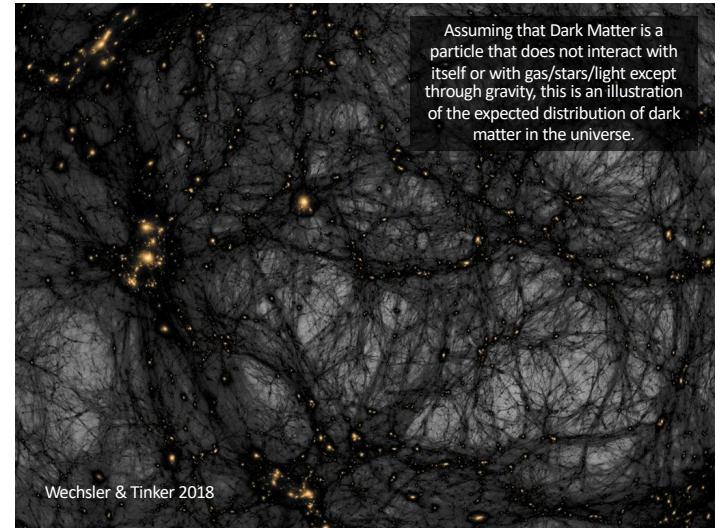


Overdensities grow into gravitationally bound structures once they overcome the expansion.

Space between bound overdensities expands.

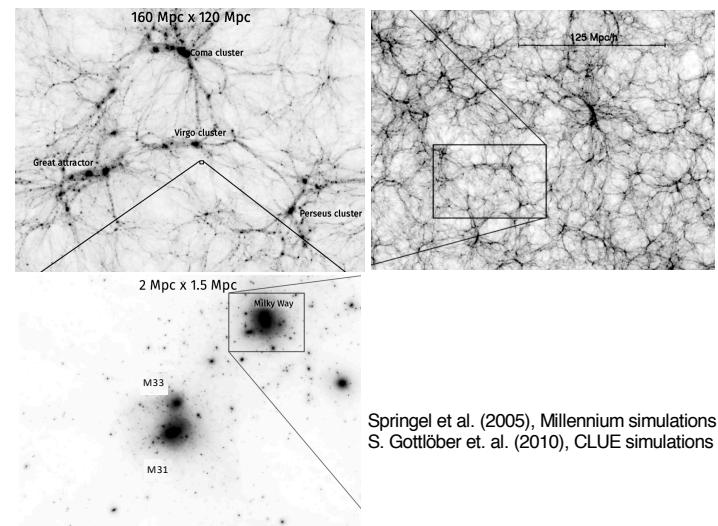
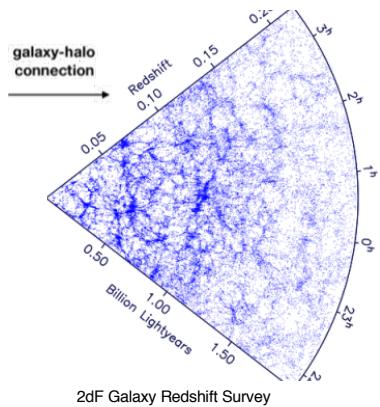
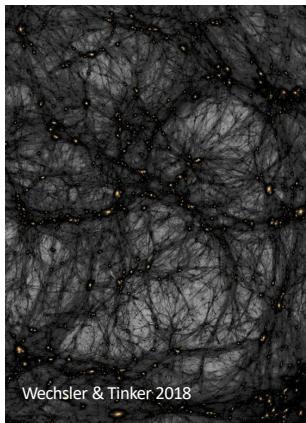


4

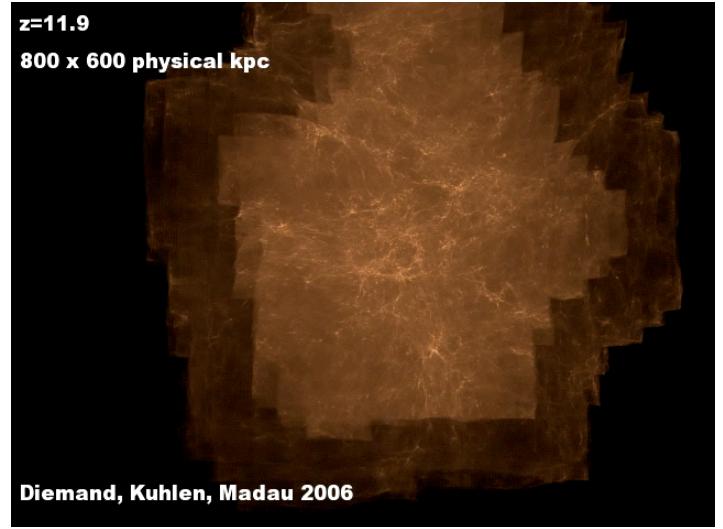
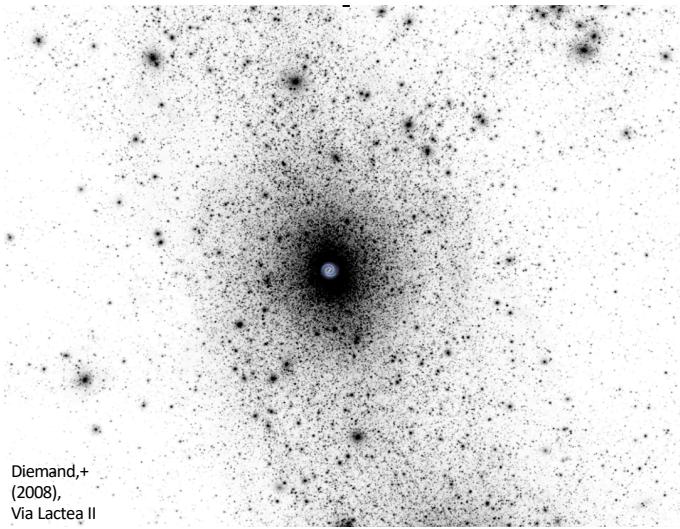


6

Simulated “web” matches the observed distribution of galaxies



8



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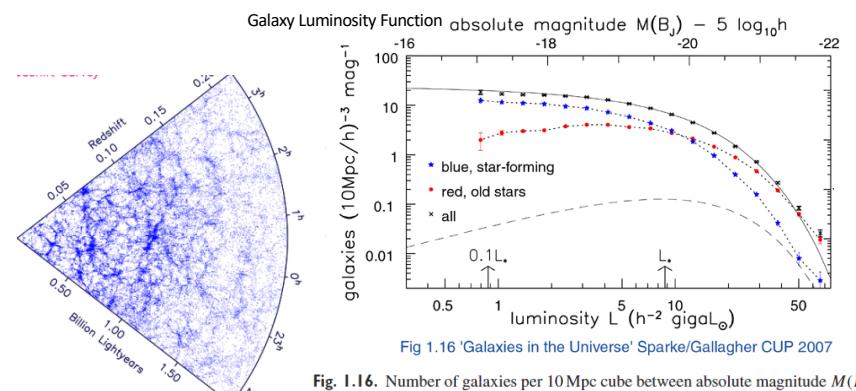
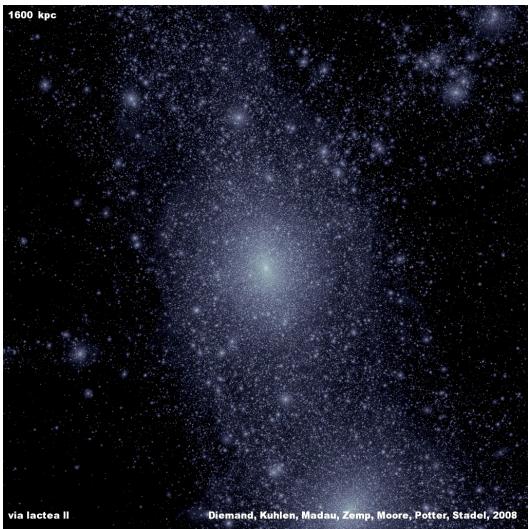


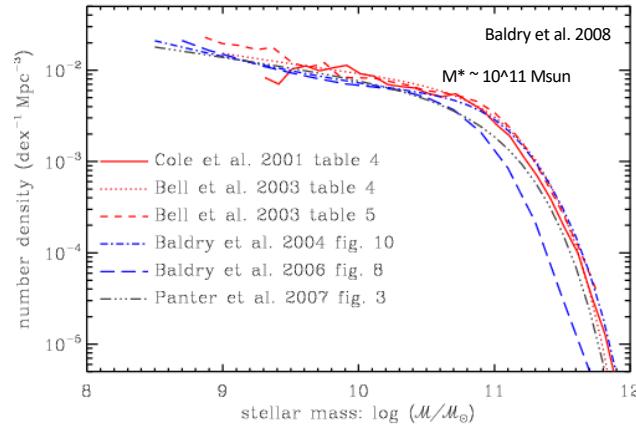
Fig. 1.16 'Galaxies in the Universe' Sparke/Gallagher CUP 2007

Fig. 1.16. Number of galaxies per 10 Mpc cube between absolute magnitude $M(B_J)$ and $M(B_J) + 1$ (crosses). Dotted lines show numbers of blue (stars) and red (filled dots) galaxies making up this total; vertical bars indicate errors. The solid line shows the luminosity function of Equation 1.24; the dashed line gives $\Phi(M) \times L/L_*$, the light from galaxies in each interval of absolute magnitude. The blue bandpass B_J is matched to the photographic plates used to select the galaxies – 2dF survey, D. Croton.

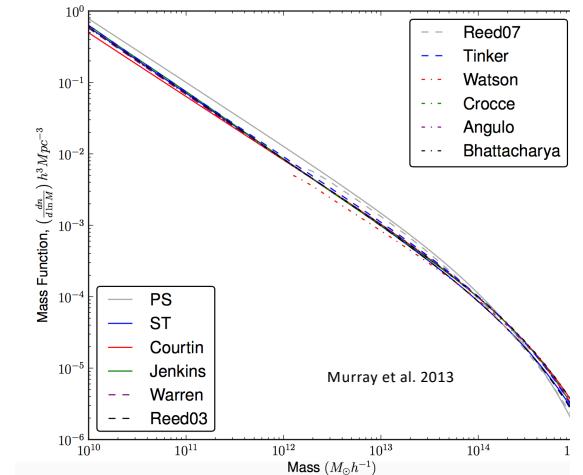
Sparke & Gallagher Cl

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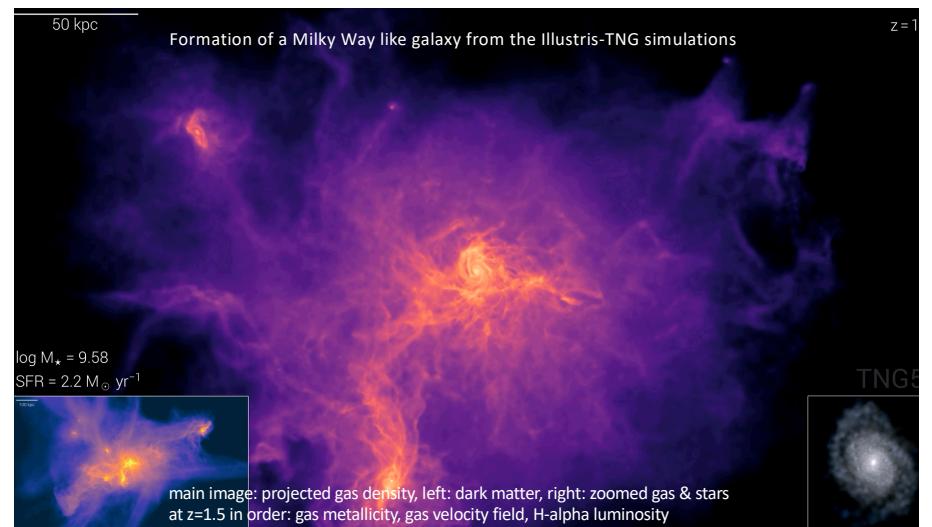
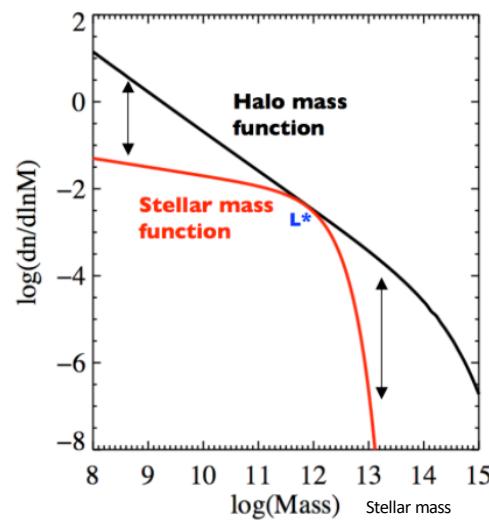
If we can determine each galaxy's mass-to-light ratio (M/L) we can construct a **galaxy stellar mass function**



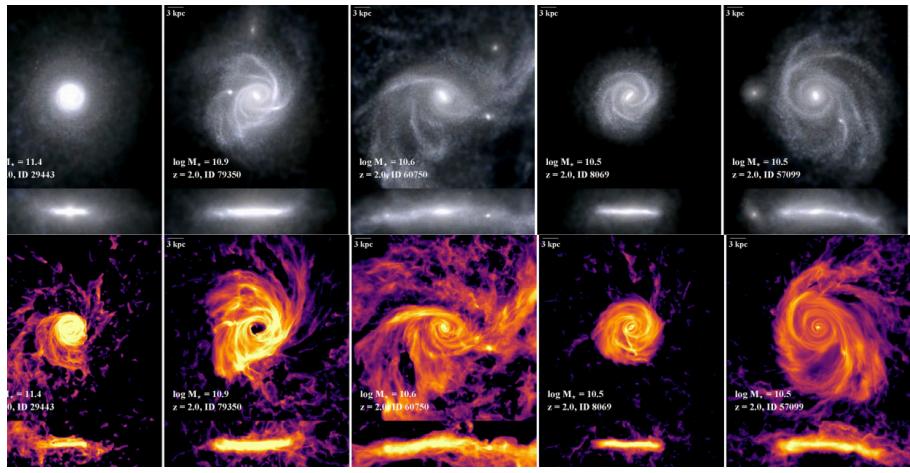
From dark matter-only simulations, we can find the mass function of dark matter halos.



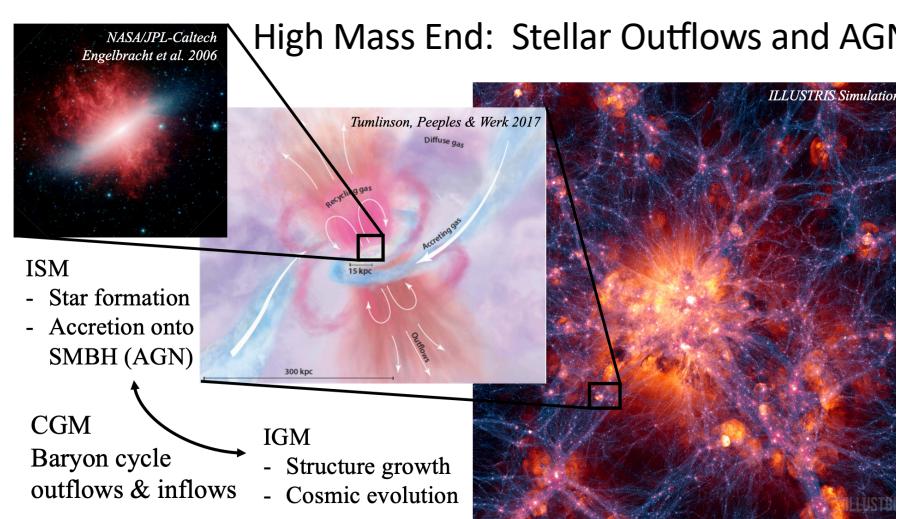
14



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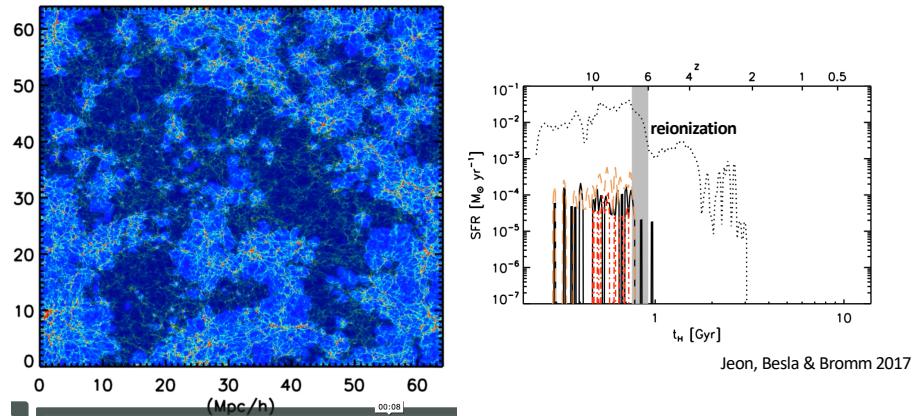
Illustris Collaboration: Pillepich+MNRAS 490 2019



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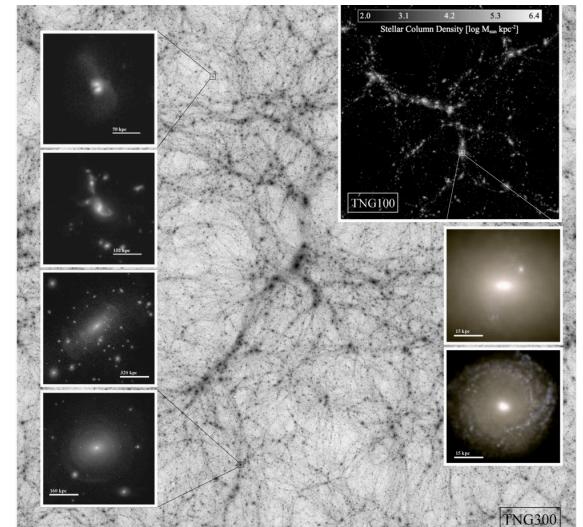
Low Mass End: Stellar Feedback & Reionization

<https://www.olcf.ornl.gov/2016/03/08/illuminating-the-universes-ignition/>

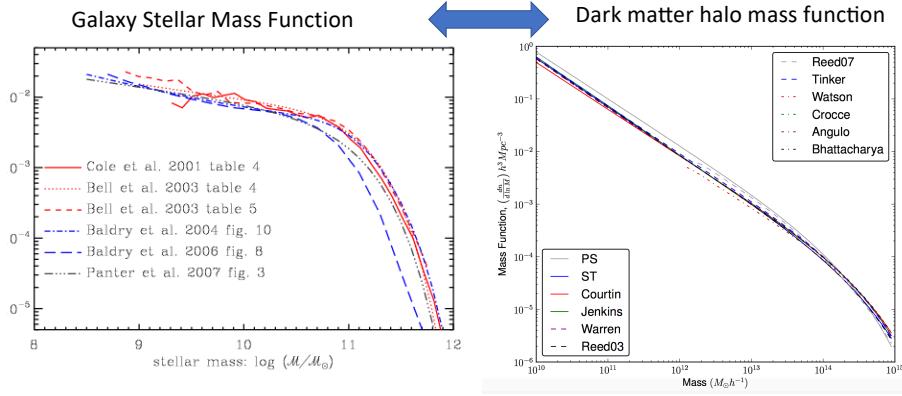


How do we put the right stellar mass galaxy into the right halo ?

Pillepich+
MNRAS 475, 2018



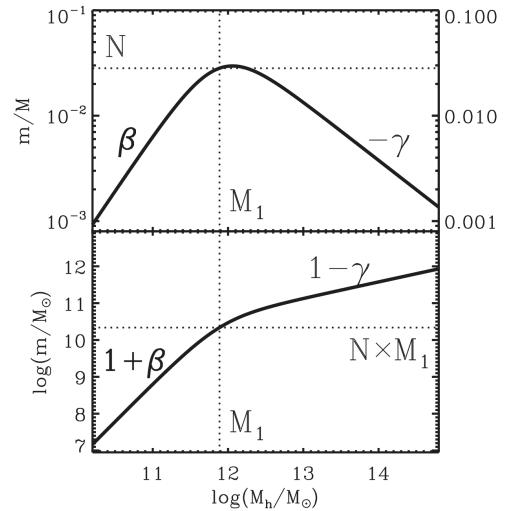
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Halo Mass to Stellar Mass Relation

$$\frac{m}{M} = 2N \left[\left(\frac{M}{M_1} \right)^{-\beta} + \left(\frac{M}{M_1} \right)^\gamma \right]^{-1}.$$

Moster + 2013 MNRAS 428, 3121



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Moster+2013 eqns 11-14, Table 1

$$\log M_1(z) = M_{10} + M_{11}(1-a) = M_{10} + M_{11} \frac{z}{z+1}$$

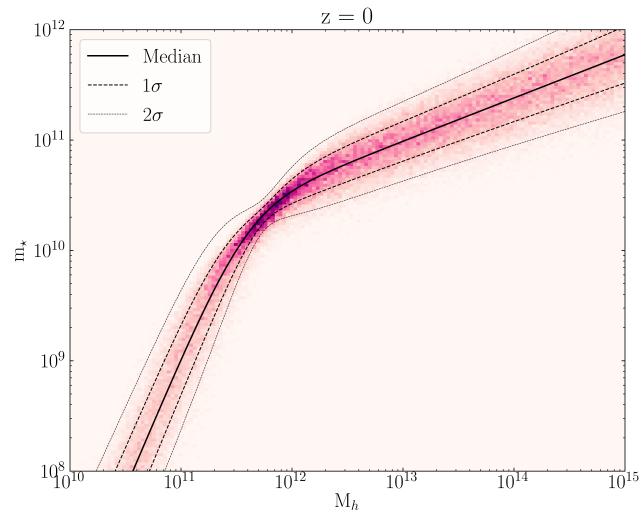
$$N(z) = N_{10} + N_{11}(1-a) = N_{10} + N_{11} \frac{z}{z+1}, \quad \gamma(z) = \gamma_{10} + \gamma_{11}(1-a) = \gamma_{10} + \gamma_{11} \frac{z}{z+1}.$$

$$\beta(z) = \beta_{10} + \beta_{11}(1-a) = \beta_{10} + \beta_{11} \frac{z}{z+1},$$

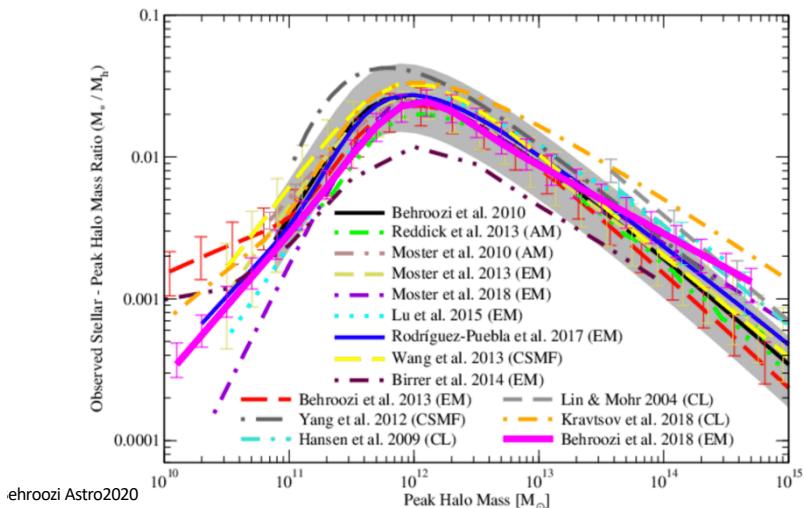
Table 1. Fitting results for the redshift-dependent SHM relationship.

	M_{10}	M_{11}	N_{10}	N_{11}	β_{10}	β_{11}	γ_{10}	γ_{11}
Best fit	11.590	1.195	0.0351	-0.0247	1.376	-0.826	0.608	0.329
Range \pm	0.236	0.353	0.0058	0.0069	0.153	0.225	0.059	0.173

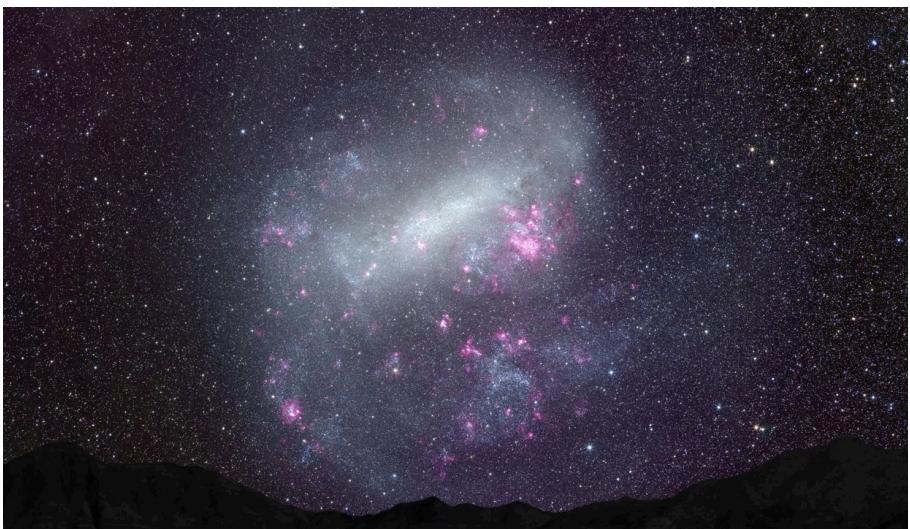
Notes. All masses are in units of M_\odot .



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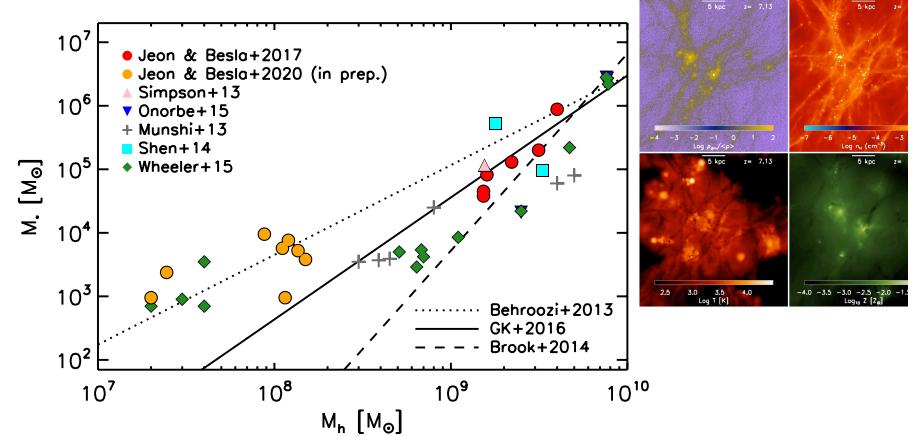


1



1

Testing the halo mass – stellar mass relation



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$M_{\text{Dynamical}} / L$ Ratios at the Faint End

McConnachie 2012

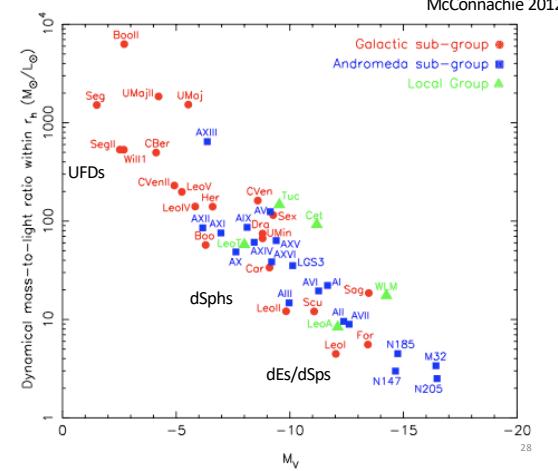
Wolf et al. 2010

$$M(< r_{1/2}) = 3 G^{-1} \sigma_{\text{los}}^2 r_{1/2}$$

$$= 4 G^{-1} \sigma_{\text{los}}^2 R_e .$$

$$r_{1/2} \approx 4R_e/3,$$

$R_e = 2D$ radius that contains half the stellar mass



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