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ML System Optimization
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Session 8

Distributed ML - Models and Platforms

- Implementation Issues
- The Parameter Server Model
- Stochastic Gradient Descent

Decision Trees

- Approach:
  - Construct a tree where each node denotes a binary decision
    - Nodes in the tree correspond to features and the order of features is chosen based on the notion of **information gain** (IG)
    - Information gain is the entropy
      - entropy of the whole set
      - minus the entropy when a particular feature is chosen

Decision Tree Construction

- Algorithm ID3 (input dataset S)
  - If all examples have the same label
    - Return a leaf with that label
  - Else if there are no features left to test
    - Return a leaf with the most common label
  - Else choose the feature F that maximizes IG of dataset S as the next node
    - Add a branch from the node for each possible value f in F
    - For each branch:
      - Calculate S_f by removing F from the set of features
      - ID3(S_f)

Parallel/Distributed Tree Construction?

- When you branch assign each branch (corresponding to one value of a feature)
  - To a different task (task parallelism)
  - At each level : number of parallel tasks = number of possible values of a feature

ML problem and Error

- Given input dataset – a vector of size n,
  - Each training example $\mathbf{x}_i$ of **d** features (or dimensions) is associated
    - with a label $\mathbf{y}_i$ and
    - model parameters (likely corresponding to the features)
  - The problem is to predict **y** corresponding to an unseen example **x**
- Training error
  - Difference between the predicted y the actual label y' for an x

Model complexity

- Relation between model size (number of parameters) and data size (for training):
  - If there is too little data,
    - then a highly detailed model may overfit
  - If the model is too small,
    - then it may fail to capture relevant attributes
- Regularization addresses this issue

ML as regularized error minimization

- Training an ML model is minimizing the function F :
  - $F(w) = \Sigma_i L(x_i, y_i, w) + \Omega(w)$
    - where w denotes the set of parameters and
      - L is the loss function (i.e. prediction error) and
      - Ω is the regularizer that penalizes the model for complexity

Distributed ML

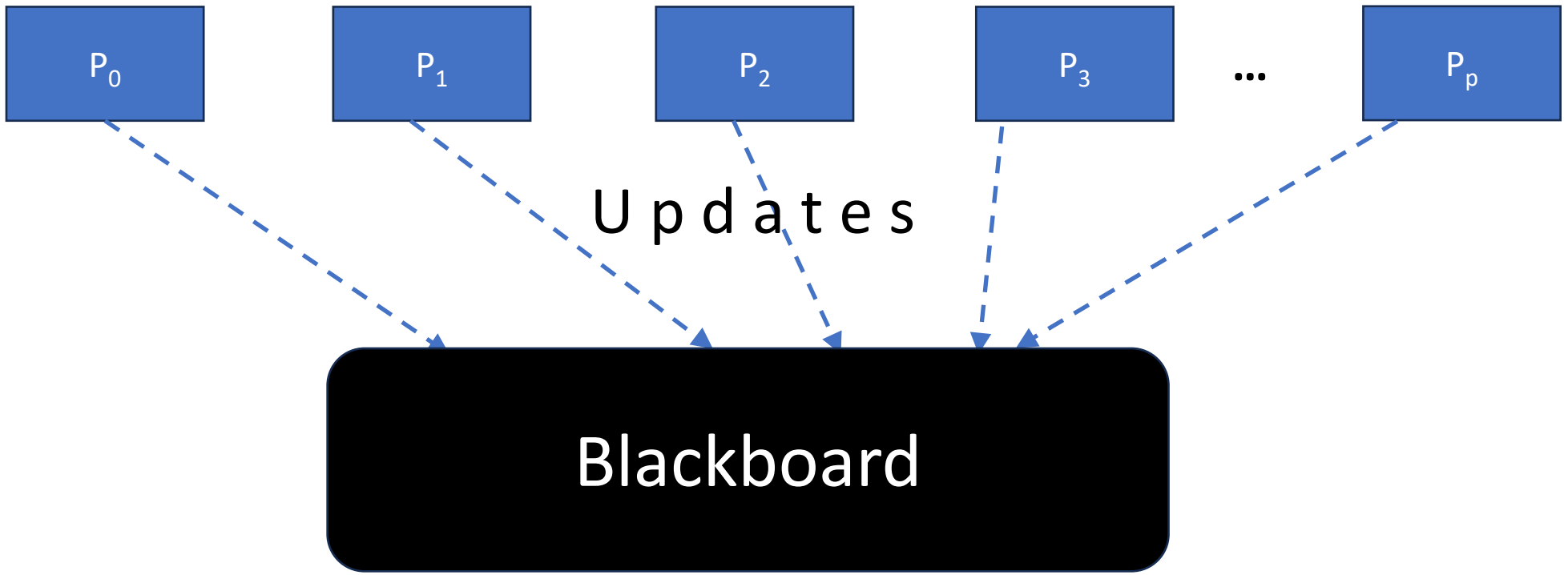
- Complexity:
  - Training Data size: from 1TB to 1PB
  - Model Size: 10^9 to 10^{12} parameters
- Examples:
  - Online Recommender System
    - millions of user profiles
  - Ad click predictor
    - each training example is a feature vector of high dimensions

Distributed ML – System Requirements

- In a distributed system,
  - the training data is partitioned among multiple nodes
    - and the nodes together learn the parameter vector w.
- The algorithm operates iteratively:
  - In each iteration,
    - every node independently uses its own training data to
      - Compute the changes to be made to **w** in order to move closer to an optimal value
    - Each node computes changes to **w** based only on its local data,
      - a central place is needed to aggregate these changes

Distributed Systems – Blackboard architecture

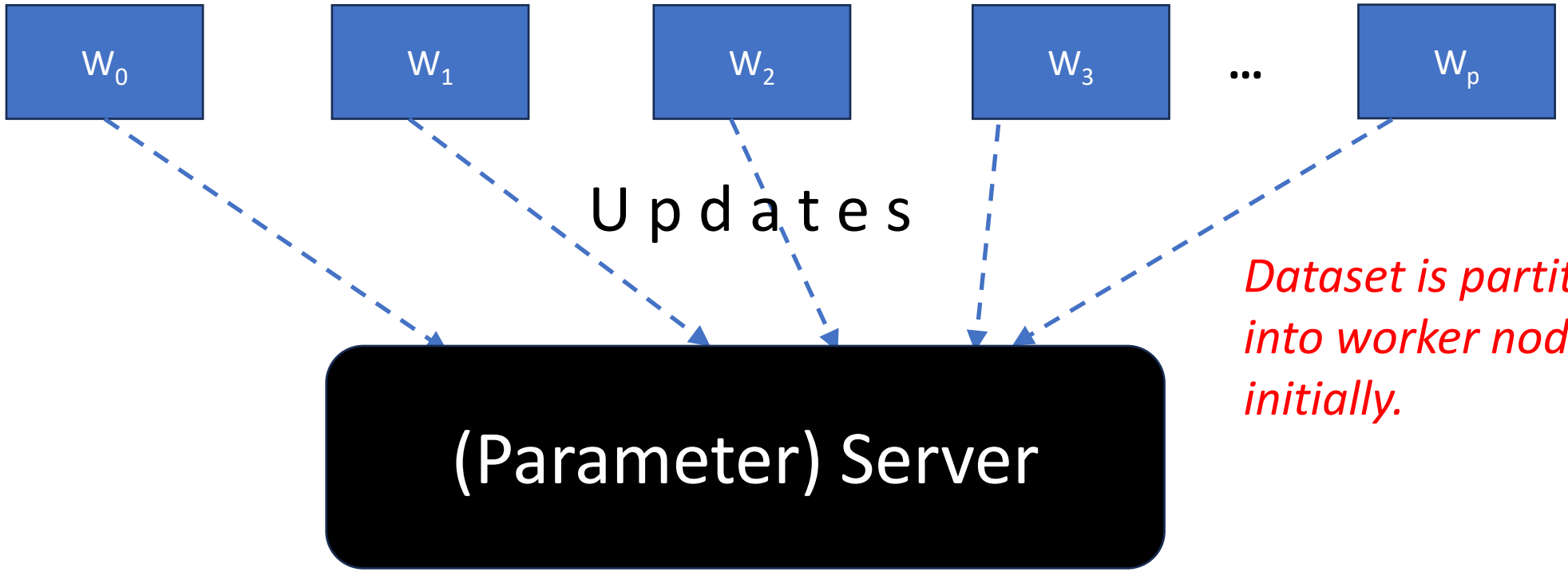
- Blackboard architecture is a pattern for distributed computation
  - where multiple nodes have to combine results
    - *computed locally, in parallel - see processes P_i below*



Regularized Error Minimization : A Distributed Architecture

In each iteration:

- Each worker node W_i pulls (current) parameters w from the server, computes F(w), and posts it back.
- Server updates and minimizes F(w)



Dataset is partitioned into worker nodes initially.

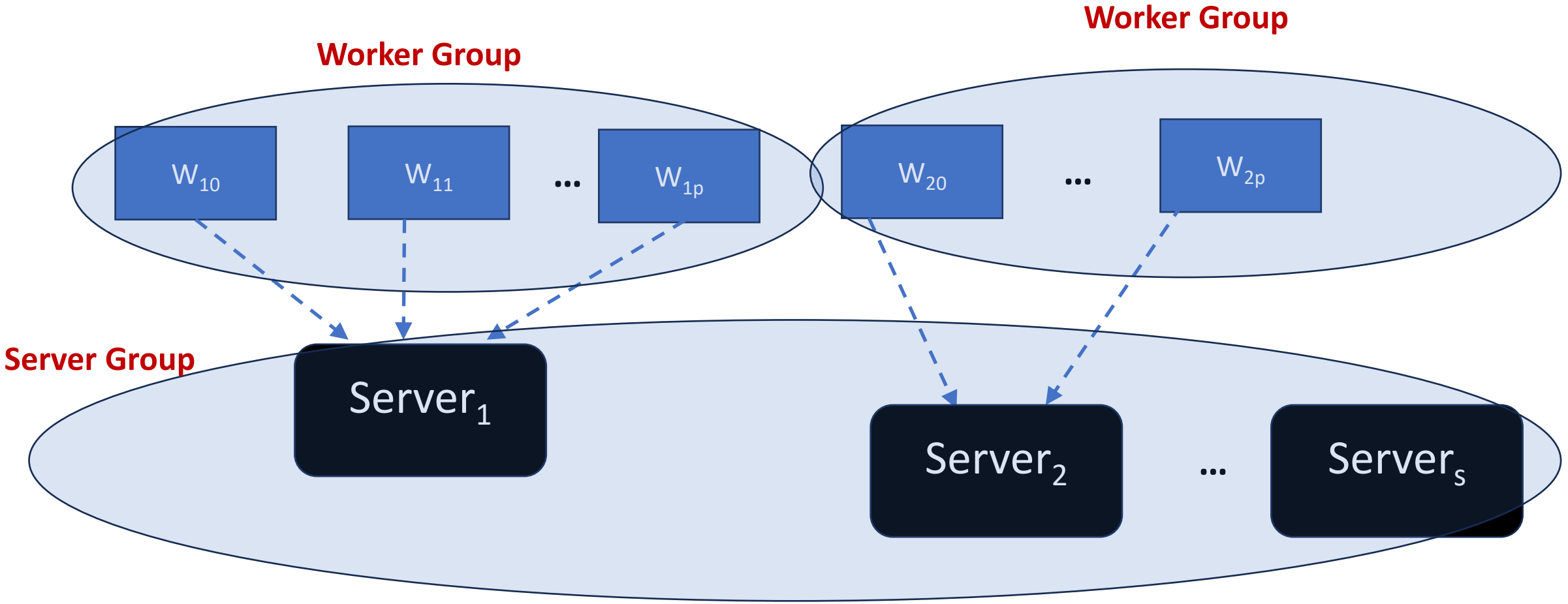
Distributed Systems and Failures

- Individual Nodes may fail frequently in distributed systems:
  - This is particularly so in commodity clusters
- Rate of node failure increases with the size of the system (*i.e., more nodes and more processes*)
  - **Cloud data centers** are made out of commodity clusters!
- Distributed Systems have to function (i.e. be available) despite node failures
  - This is referred to as fault tolerance and is achieved via
    - redundancy and failure recovery

Scalable and Dependable (*reliable and available*) architecture for ML

Each Worker Group includes a task scheduler.

Server Group must be fault tolerant!



Scalable and Dependable (*reliable and available*) architecture for ML

- This architecture is referred to as the ***parameter server*** model:
  - Different servers may handle different problems
  - Multiple servers may work on the same problem to improve performance
    - This will require additional combination/minimization processes and servers.
  - Multiple servers may work on the same problem for redundancy.

Parameter Server Model

- This model was popular for a few years
  - Google built an internal platform named DistBelief based on this model
    - DistBelief was optimized primarily for large clusters of multi-core nodes
    - GPU clusters were enabled later
  - Later, Google's TensorFlow provided programming flexibilities not available in DistBelief:
    - Adding new layers
    - Adding new ML training workflows
    - Optimizing or tuning ML algorithms

TensorFlow

- GPU acceleration has become a common tool for ML algorithms.
  - Building and testing on GPU workstations before scaling it to a GPU cluster is a common scenario as well.
- TensorFlow provides a unified programming interface and a common runtime on all these hardware platforms
  - while also supporting heterogeneous accelerators.
- e.g. Google's TPUs are special purpose accelerators for ML
  - that enable increased performance-per-watt compared to other state-of-the-art hardware.
- TensorFlow supports a common device abstraction for heterogeneous accelerators.

Gradient Descent

- One approach to error minimization is known as Gradient Descent:
  - Use the slope (i.e., gradient) of the loss function to update the parameters.
- This is particularly useful in Neural Networks in the back-propagation phase

Gradient Descent

- The gradient descent approach to minimize the error requires the following update to the parameters
  - $w = w - \eta * g(L, D, w)$
    - where g is the gradient function, L the loss function, and D, the dataset.
    - η denotes the learning rate – controls the amount by which the parameters are updated.
- The updates are done iteratively.

Gradient Descent

for i = 1 to num_iter :

1. grad = eval_gradient (loss_function , D , w)
2. w = w - learning_rate * grad

- This is Batch GD!
  - i.e., update is done after all the points in the dataset are considered.
- Batch Gradient Descent is slow to converge, particularly if same data (or similar) data is repeated within the dataset.:

Stochastic Gradient Descent (SGD)

1. for i = 1 to num_iter :
    1.1 shuffle (data)
    1.2 for example in data :
        1.2.1 grad = eval_gradient (loss_function , example , w)
        1.2.2. w = w - learning_rate * grad

This may converge faster but is completely sequential i.e., not easy to parallelize!

Mini-batch SGD

for i = 1 to num_iter:

1. shuffle (data)
2. for batch in get_batches (data , batch_size):
    1. grad = eval_gradient (loss_function , batch , w)
    2. w = w - learning_rate * grad

- Batches in the inner loop can be executed independently (locally)!
  - If necessary, batches can be obtained and stored locally at the start.
- Update has to be done in the parameter server