Chapter 7 Presentation

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Chapter 7

7H1 (2 points)

The question

Return to the data (tulips) example in the chapter. Now include the bed variable as a predictor in the interaction model. Don't interact bed with the other predictors; just include it as a main effect. Note that bed is categorical. So to use it properly, you will need to either construct dummy variables or rather an index variable, as explained in Chapter 6.

The solution

First, load in the data:

```
library(rethinking)
library(knitr)
data(tulips)
d <- tulips
kable(head(tulips))</pre>
```

bed	water	shade	blooms
а	1	1	0.00
а	1	2	0.00
а	1	3	111.04
а	2	1	183.47
а	2	2	59.16
а	2	3	76.75

We can see that the *bed* variable is a factor variable, so let's see how many different factors it has:

d\$bed

```
## [1] aaaaaaaabbbbbbbbbcccccccc
## Levels: a b C
```

It has 3 levels. The question tells us we can either create dummy variables, or use an index variable. Let's create 2 dummy variables: one for b and one for c.

```
d$bedb <- rep(0, length(d$blooms))
d$bedc <- rep(0, length(d$blooms))
for (i in 1:length(d$bed)) {
   if (d$bed[i] == "b") {
      d$bedb[i] <- 1
   }
   if (d$bed[i] == "c") {
      d$bedc[i] <- 1</pre>
```

```
}
}
```

We should also centre the non-factor variables, as in the chapter. These variables are *water* and *shade*. Note: even though it might not LOOK like these variables aren't factor variables, looking at the structure of the data frame reveals that the only factor variable the author of the dataset put in was *bed*:

str(d)

So now we centre water and shade:

```
d$water <- d$water - mean(d$water)
d$shade <- d$shade - mean(d$shade)
```

Let's take a look at how the blooms variable is distributed, so we can figure out what priors to use later

mean(d\$blooms)

[1] 128.9937

sd(d\$blooms)

```
## [1] 92.68392
```

Now we can fit the model using **map**. Remember, the question tells us to model all the variables, but to ignore the the interaction between *bed* and the other variables. Thus the model will be as follows:

```
\begin{split} \operatorname{Blooms} &\sim \operatorname{Normal}(\mu,\sigma) \\ &\mu = \alpha + \beta_w \operatorname{water} + \beta_s \operatorname{shade} + \beta_w \operatorname{water}, \operatorname{shade} + \beta_b \operatorname{bed}_b + \beta_c \operatorname{bed}_c \\ &\alpha \sim \operatorname{Normal}(129,20) \\ &\beta_w \sim \operatorname{Normal}(0,100) \\ &\beta_s \sim \operatorname{Normal}(0,100) \\ &\beta_{ws} \sim \operatorname{Normal}(0,100) \\ &\beta_b \sim \operatorname{Normal}(0,100) \\ &\beta_c \sim \operatorname{Normal}(0,100) \\ &\beta_c \sim \operatorname{Normal}(0,100) \\ &\sigma \sim \operatorname{Uniform}(0,100) \end{split}
```

```
Mean StdDev
                         5.5% 94.5%
## alpha
          107.83 11.09 90.11 125.55
## beta_W
          75.18
                 9.31 60.30 90.06
## beta_S -41.26
                 9.31 -56.14 -26.38
## beta WS -52.17 11.38 -70.36 -33.98
## beta_B
           34.13 17.07
                         6.85 61.40
## beta C
           38.71 17.07 11.43 65.99
## sigma
           39.67 5.49 30.89 48.46
```

7H2 (2 points)

The Question

Use WAIC to compare the model from 7H1 to a model that omits bed. What do you infer from this comparison?

```
# The model from the textbook (changed the variable names though)
m3 <- map(
    alist(
        blooms ~ dnorm(mu,sigma),
        mu <- alpha + beta_W*water + beta_S*shade + beta_WS*water*shade,
        alpha ~ dnorm(130, 100),
        c(beta_W,beta_S,beta_WS) ~ dnorm(0, 100),
        sigma ~ dunif(0, 100)
    ),
    start = list(alpha = 130, beta_W = 0, beta_S = 0, beta_WS = 0, sigma = 90),
    data = d)

compare(lmod7H1, m3)</pre>
```

```
## WAIC pWAIC dWAIC weight SE dSE
## lmod7H1 294.7 9.3 0 0.63 10.12 NA
## m3 295.7 6.4 1 0.37 10.30 6.11
```

We can see that the model from question 1 has a slightly better value of WAIC, but not by much. Thus, we can conclude that including the variable *bed* in the model helps, but not enough for it to really matter – the treatments (*water* and *shade*) mattered much more.