

23K0069

A2

Step 1 Initial Population

$$C_1 = [1, 2, 1, 3, 2, 1, 3] \quad C_4 = [1, 3, 2, 3, 1, 2, 1]$$

$$C_2 = [2, 1, 3, 1, 3, 2, 1] \quad C_5 = [2, 2, 1, 1, 3, 3, 2]$$

$$C_3 = [3, 1, 2, 2, 1, 3, 2] \quad C_6 = [3, 1, 3, 2, 2, 1, 1]$$

Step 2 Fitness Calculation

① F_1 : Tasks 1, 3, 6, Total time = 12 hours Cost = $5 \times 10 + 4 \times 8 + 3 \times 9 = 112 + 78 = 190$

F_2 : Tasks 2, 5, " = 14 hours Cost = $112 + 78 = 190$

F_3 : Tasks 4, 7, " = 16 hours Cost = $91 + 117 = 208$

Total cost = $(507) = f$

Constraint ① $12 \leq 24 \checkmark$ ② $14 \leq 30 \checkmark$ ③ $16 \leq 28 \checkmark$

② F_1 : Tasks 2, 4, 7, Total time = 24 hours, Cost = $120 + 84 + 99 = 303$

F_2 : Tasks 1, 6, Total time = 8 hours, Cost = $60 + 24 = 84$

F_3 : Tasks 3, 5, " = 10 hours, Cost = $28 + 72 = 100$

Total cost = $(487) = f$

Constraint ① \checkmark ② \checkmark ③ \checkmark

③ F_1 : Tasks 2, 5, " 14 hours, " Cost = $8 + 15 + 6 + 14 = 204$

F_2 : Tasks 3, 4, 7, 20 hours Cost = $36 + 70 + 108 = 214$

F_3 : Task 1, 6, 8 hours Cost = $45 + 30 = 75$

Total cost = $204 + 214 + 75 = (493)$

Constraint ① \checkmark ② \checkmark ③ \checkmark

④ F_1 : Tasks 1, 5, 7, Total time = 20 hours, Cost = $50 + 84 + 99 = 233$

F_2 : 3, 6, Total time = 7 hours, Cost = $36 + 24 = 60$

F_3 : 2, 4, 15 hours, Cost = (512)

Constraint ① \checkmark ② \checkmark ③ \checkmark

⑤ F_1 : Tasks 3, 4, Total time = 11 hours Cost = $32 + 84 = 116$

F_2 : 1, 2, 7, Total time = 22 hours, Cost = $60 + 112 + 108 = 280$

F_3 : 5, 6, 9 hours, Cost = $72 + 30 = 102$

Total cost = (498) Constraint ① \checkmark ② \checkmark ③ \checkmark

⑥

F₁: Tasks 2, 4, 7 Total time = 20 hours

F₂: 4, 5, 13 hours

F₃: 1, 3 9 hours

Constraint ① ✓ ② ✓ ③ ✓

$$\text{Cost} = 120 + 27 + 99 = 246$$

$$\text{Cost} = 70 + 78 = 148$$

$$\text{Cost} = 45 + 28 = 73$$

step 3 selection mode (Roulette Wheel)

$$\text{Total fitness} = 507 + 550 + 480 + 520 + 580 + 495 = 3132$$

$$C_1 = 507/3132 = 0.162 \quad C_2 = 0.176 \quad C_3 = 0.153 \quad C_4 = 0.166 \quad C_5 = 0.185$$

$$C_6 = 0.158$$

random selected based on probabilities

P₁: C₅ P₂: C₃ P₃: C₂ P₄: C₆ P₅: C₇ P₆: C₁

based on the 80% crossover rate

Pair 1 P₁ P₂ crossover point = 3

Pair 2 P₃ P₄ = 5

Pair 3 P₅ P₆ = 2

one point crossover

• Pair 1

P₁: [2, 2, 1, 1, 3, 3, 2]

P₂: [3, 1, 2, 2, 1, 3, 2]

O₁: [2, 2, 1, 2, 1, 3, 2]

O₂: [3, 1, 2, 1, 3, 3, 2]

• Pair 3

P₅: [1, 3, 2, 3, 1, 2, 1]

P₆: [1, 2, 1, 3, 2, 1, 3]

O₅: [1, 3, 1, 3, 2, 1, 3]

O₆: [1, 2, 2, 3, 1, 2, 1]

• Pair 2

P₃: [2, 1, 3, 1, 3, 2, 1]

P₄: [3, 1, 3, 2, 2, 1, 1]

O₃: [2, 1, 3, 1, 3, 1, 1]

O₄: [3, 1, 3, 2, 2, 2, 1]



mutation:

20% chance

02

Before: $[3, 1, 2, 1, 3, 3, 2]$ index 1, 6

after: $[3, 3, 2, 1, 3, 1, 2]$

05

Before: $[1, 3, 1, 3, 2, 1, 3]$ index 0, 4

after: $[2, 3, 1, 3, 1, 1, 3]$

~~2~~ new population

$C_1: [2, 2, 1, 2, 1, 3, 2]$ $C_2: [3, 3, 2, 1, 3, 1, 2]$

$C_3: [2, 1, 3, 1, 3, 1, 1]$ ~~$C_4: [2, 1, 3, 1, 3, 1, 1]$~~

$C_4: [3, 1, 3, 2, 2, 2, 1]$ $C_5: [2, 3, 1, 3, 1, 1, 3]$

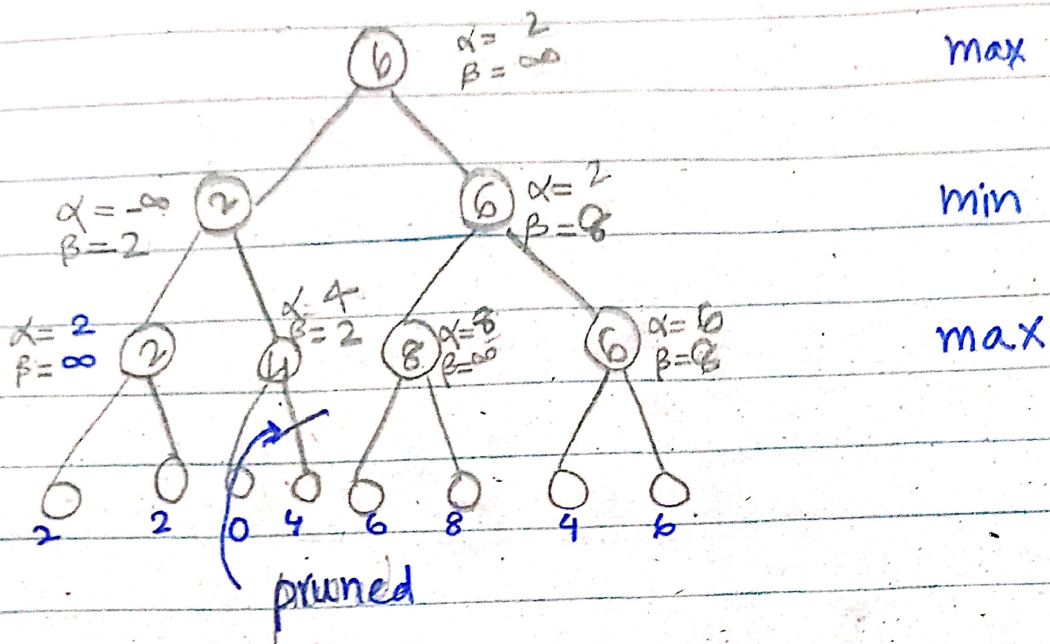
$C_6: [1, 2, 2, 3, 1, 2, 1]$

Repeat

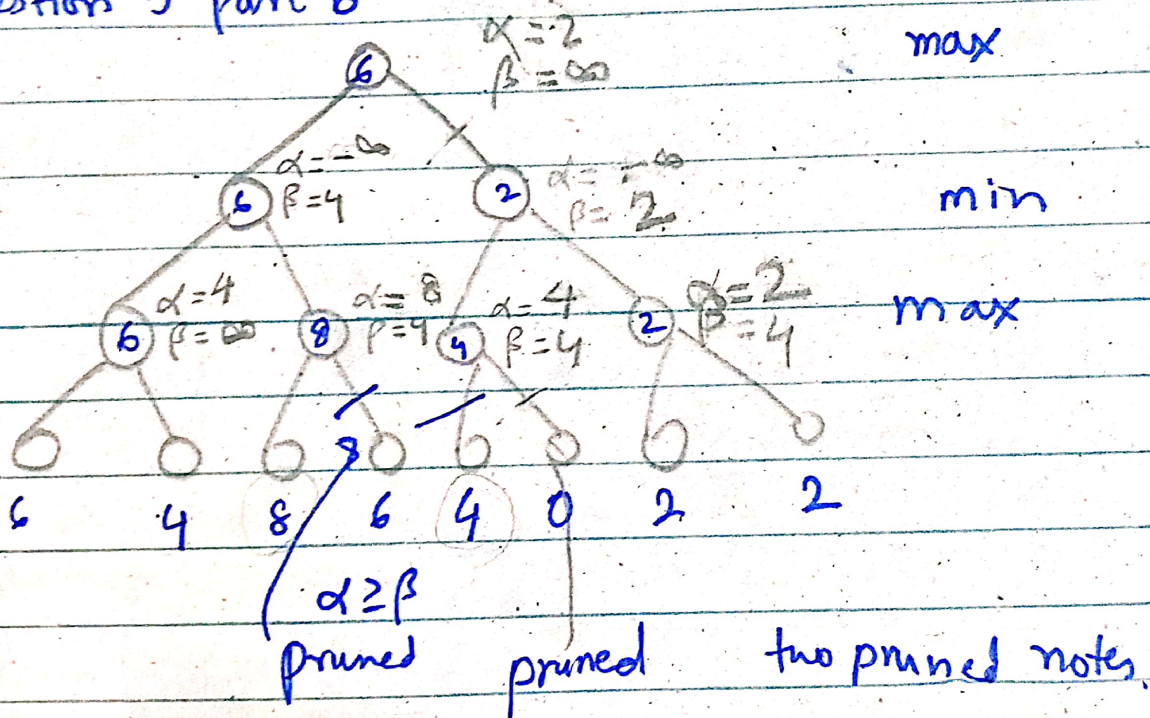
the algorithm should converge towards better solution

Global maximum.

Question 5 part a



Question 5 part b



part(a) Game Model

1. Players:

- (1) Max (Defender): The AI powered Intrusion Detection system: to minimize the damage caused by the attacker. Max aims to protect the network and maintain its integrity and availability, minimize damage (data loss, down time etc)
- (2) Min (Attacker): The cyber attacker: to maximize the damage caused to the defender. Min aims to breach the security of the network

Decision making

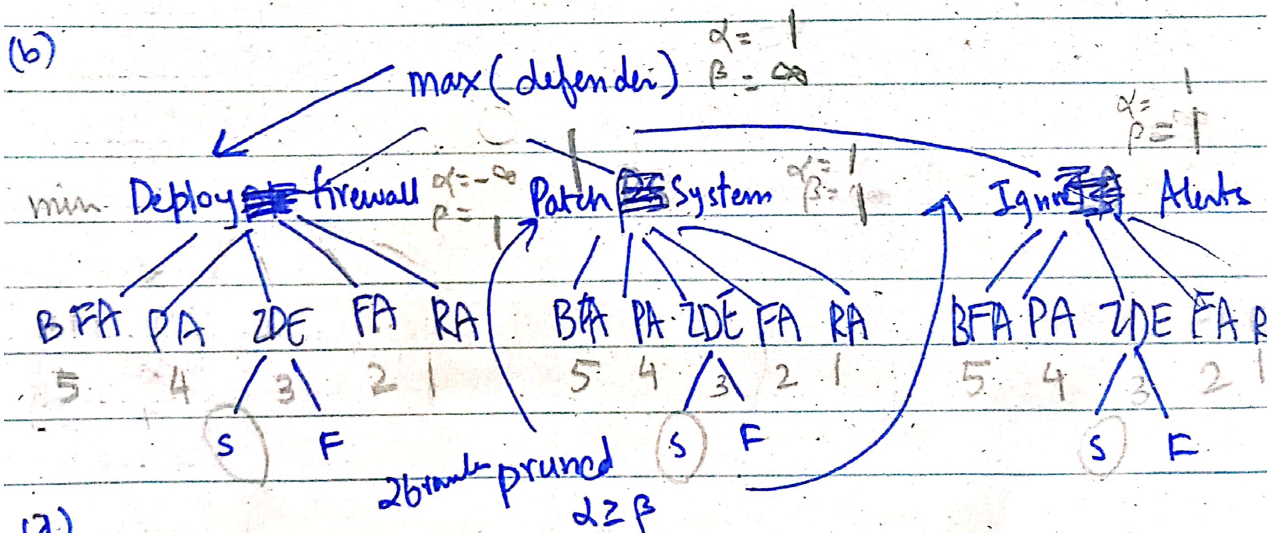
Max: Uses a strategy (Minimax or Expectimax) to choose the best defense.

May use ML AI Machine learning to learn attacker patterns

Min: chooses an attack strategy to maximize damage, considering Max's potential defenses.

Stochastic Elements:

- Probabilistic attacks (e.g. zero-day) introduce uncertainty
- Defender must consider the expected value of actions
- Strategy involves a mix of prevention and mitigation



(a)

$E(x) = (\text{prob of success} * \text{dmge if success}) + (\text{Prob of failure} * \text{dmge if failure})$

suppose

prob of success = 0.5 Dmge if success = 80
 prob of failure = 0.5 Dmge if failure = 10

$$E(x) = (0.5 * 80) + (0.5 * 10) = 40 + 5$$

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(A2)

- Max should evaluate Expected dmge for each action
- choose action with lowest Expected dmge
- Prob should be dynamically updated

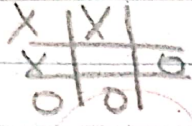
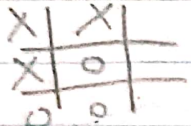
move 1

X best move is to play at ~~one~~ move

Question 4



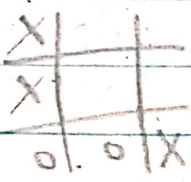
O has 6 possible moves



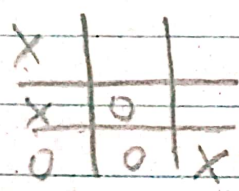
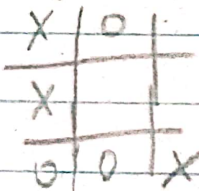
Total
 $100 - 10 - 100$
 $+ 100 + 0$
 $+ 0 + 0 + 0$
 $= 90$

$100 + 0 - 100$
 $+ 100 + 0 - 10$
 $+ 0 + 0 = 90$

move 5



O has 6 possible moves



$0 + 10 - 90 + 100$
 $- 100 + 10 + 0$
 $= -70$

$10 + 0 - 90 + 100$
 $+ 10 + 0 + 0 = -70$