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In[ ]:= (* C3.AI COVID CHALLENGE *)

In[ ]:= (* Sweden *)

In[1059]:= Clear["Global`*"]

type = "Cases_per_Million";
policy = "H6_Policy";

In[1062]:= pD0 = 0.9640;
pD1 = 0.0046;
pD2 = 0.0268;
pD3 = 0.0046;
pD0 + pD1 + pD2 + pD3

Out[ ]:= 1.

In[ ]:= (* C0nditional Prob *)

In[1068]:= pD0C6l1 = 0.578469;
pD1C6l1 = 0.9;
pD2C6l1 = 0.9828;
pD3C6l1 = 0.9;

In[1072]:= pD0C6l0 = 1 - pD0C6l1;
pD1C6l0 = 1 - pD1C6l1;
pD2C6l0 = 1 - pD2C6l1;
pD3C6l0 = 1 - pD3C6l1;

In[ ]:= (* C6 - 1 *)

In[1077]:= prC6l0 = pD0 pD0C6l0 + pD1 pD1C6l0 + pD2 pD2C6l0 + pD3 pD3C6l0

Out[ ]:= 0.407737

In[1078]:= prC6l1 = pD0 pD0C6l1 + pD1 pD1C6l1 + pD2 pD2C6l1 + pD3 pD3C6l1

Out[ ]:= 0.592263

In[ ]:= (* Quantum Prob *)

In[1080]:= interfC6l0 = Sqrt[pD0 pD0C6l0 pD1 pD1C6l0] Cos[θ00 - θ10] +
Sqrt[pD0 pD0C6l0 pD2 pD2C6l0] Cos[θ00 - θ20] +
Sqrt[pD0 pD0C6l0 pD3 pD3C6l0] Cos[θ00 - θ30] +
Sqrt[pD1 pD1C6l0 pD2 pD2C6l0] Cos[θ10 - θ20] +
Sqrt[pD1 pD1C6l0 pD3 pD3C6l0] Cos[θ10 - θ30] +
Sqrt[pD2 pD2C6l0 pD3 pD3C6l0] Cos[θ20 - θ30];

In[1081]:= interfC6l1 = Sqrt[pD0 pD0C6l1 pD1 pD1C6l1] Cos[θ01 - θ11] +
Sqrt[pD0 pD0C6l1 pD2 pD2C6l1] Cos[θ01 - θ21] +
Sqrt[pD0 pD0C6l1 pD3 pD3C6l1] Cos[θ01 - θ31] +
Sqrt[pD1 pD1C6l1 pD2 pD2C6l1] Cos[θ11 - θ21] +
Sqrt[pD1 pD1C6l1 pD3 pD3C6l1] Cos[θ11 - θ31] +
Sqrt[pD2 pD2C6l1 pD3 pD3C6l1] Cos[θ21 - θ31];

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In[1082]:= qprC6l0 = prC6l0 + 2 interfC6l0;

In[1083]:= qprC6l1 = prC6l1 + 2 interfC6l1;

In[1084]:=

In[1085]:= qprC6l0Norm = FullSimplify[ $\frac{\text{qprC6l0}}{\text{qprC6l0} + \text{qprC6l1}}$ ];

In[1086]:= qprC6l1Norm = 1 - qprC6l0Norm;
(*FullSimplify[ $\frac{\text{qprC6l1}}{\text{qprC6l0} + \text{qprC6l1}}$ ]; *)

In[1087]:= res = Minimize[{qprC6l0Norm, qprC6l0Norm + qprC6l1Norm == 1},
{ $\theta_{00}$ ,  $\theta_{01}$ ,  $\theta_{10}$ ,  $\theta_{20}$ ,  $\theta_{30}$ ,  $\theta_{11}$ ,  $\theta_{21}$ ,  $\theta_{31}$ }]

Out[8]:= {0.233709, { $\theta_{00} \rightarrow 3.01037$ ,  $\theta_{01} \rightarrow -0.551924$ ,  $\theta_{10} \rightarrow -0.131226$ ,  $\theta_{20} \rightarrow -0.131226$ ,
 $\theta_{30} \rightarrow -0.131226$ ,  $\theta_{11} \rightarrow -0.551924$ ,  $\theta_{21} \rightarrow -0.551924$ ,  $\theta_{31} \rightarrow -0.551924$ }}

In[9]:= (* Params *)

In[1089]:=  $\theta_{10}$  = res[[2]][[3]][[2]];
 $\theta_{20}$  = res[[2]][[4]][[2]];
 $\theta_{30}$  = res[[2]][[5]][[2]];
 $\theta_{11}$  = res[[2]][[6]][[2]];
 $\theta_{21}$  = res[[2]][[7]][[2]];
 $\theta_{31}$  = res[[2]][[8]][[2]];

In[10]:=

In[10]:= qprC6l0Norm = FullSimplify[ $\frac{\text{qprC6l0}}{\text{qprC6l0} + \text{qprC6l1}}$ ];

In[10]:= qprC6l1Norm = 1 - qprC6l0Norm;

In[10]:= (* Updated probabilities *)

In[10]:= {qprC6l0Norm, qprC6l1Norm}

Out[10]:=  $\left\{ \frac{15.0124 + 2.97524 \cos[\theta_{00}] - 0.392686 \sin[\theta_{00}]}{38.5025 + 2.97524 \cos[\theta_{00}] + 13.5332 \cos[\theta_{01}] - 0.392686 \sin[\theta_{00}] - 8.33316 \sin[\theta_{01}]} \right.$ ,
 $1 - \left( \frac{15.0124 + 2.97524 \cos[\theta_{00}] - 0.392686 \sin[\theta_{00}]}{38.5025 + 2.97524 \cos[\theta_{00}] + 13.5332 \cos[\theta_{01}] - 0.392686 \sin[\theta_{00}] - 8.33316 \sin[\theta_{01}]} \right) \}$ 

In[1100]:= p0 = Plot3D[qprC6l0Norm, { $\theta_{00}$ , 0,  $2\pi$ },
{ $\theta_{01}$ , 0,  $2\pi$ }, ColorFunction -> (ColorData["DarkRainbow"][#3] &),
AxesLabel -> {Style[type, 16], Style[policy, 16], Style["Prob", 16]},
BoundaryStyle -> Thick, Boxed -> False,
Ticks -> {{0,  $\pi/2$ ,  $\pi$ ,  $3\pi/2$ ,  $2\pi$ }, {0,  $\pi/2$ ,  $\pi$ ,  $3\pi/2$ ,  $2\pi$ }, Automatic},
TicksStyle -> Directive[Black, 12]];

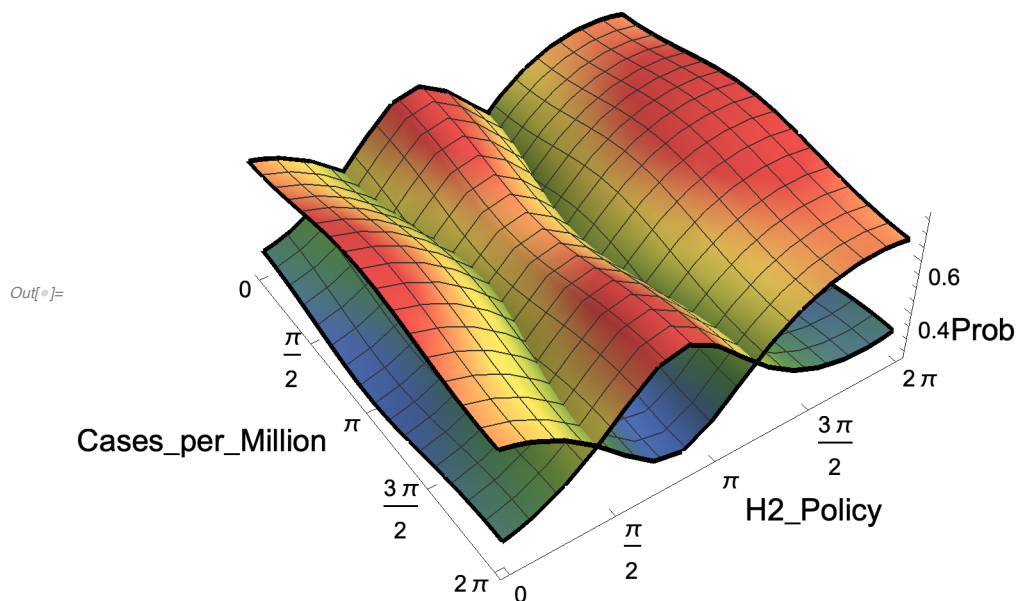
```

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In[1101]:= p1 = Plot3D[qprC6l1Norm, {000, 0, 2  $\pi$ },
  {001, 0, 2  $\pi$ }, ColorFunction -> (ColorData["DarkRainbow"][#3] &),
  AxesLabel -> {Style[type, 16], Style[policy, 16], Style["Prob", 16]},
  BoundaryStyle -> Thick, Boxed -> False,
  Ticks -> {{0,  $\pi/2$ ,  $\pi$ ,  $3\pi/2$ ,  $2\pi$ }, {0,  $\pi/2$ ,  $\pi$ ,  $3\pi/2$ ,  $2\pi$ }, Automatic},
  TicksStyle -> Directive[Black, 12]];

In[1102]:= Show[p0, p1]

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fig = StreamDensityPlot[{qprC6l0Norm, qprC6l1Norm},
  {000, -2  $\pi$ , 2  $\pi$ }, {001, -2  $\pi$ , 2  $\pi$ }, ColorFunction -> "BlueGreenYellow",
  PlotLegends -> BarLegend[{"BlueGreenYellow", {0, 1}}, 10],
  AxesLabel -> Automatic, StreamStyle -> {White, Thick}]

In[ ]:= Clear[010, 020, 030, 011, 021, 031]

In[ ]:= res = Maximize[{qprC6l0Norm, qprC6l0Norm + qprC6l1Norm == 1},
  {000, 001, 010, 020, 030, 011, 021, 031}]

Out[ ]:= {0.703363, {000 -> -0.131226, 001 -> 2.58967, 010 -> 1.00509, 020 -> 1.62333,
  030 -> -0.879434, 011 -> 1.21861, 021 -> 1.51541, 031 -> 0.774528}}

In[ ]:= 010 = res[[2]][[3]][[2]];
  020 = res[[2]][[4]][[2]];
  030 = res[[2]][[5]][[2]];
  011 = res[[2]][[6]][[2]];
  021 = res[[2]][[7]][[2]];
  031 = res[[2]][[8]][[2]];

In[ ]:= qprC6l0Norm = FullSimplify[ $\frac{\text{qprC6l0}}{\text{qprC6l0} + \text{qprC6l1}}$ ];

In[ ]:= qprC6l1Norm = 1 - qprC6l0Norm;

In[ ]:= (* Updated probabilities *)

```

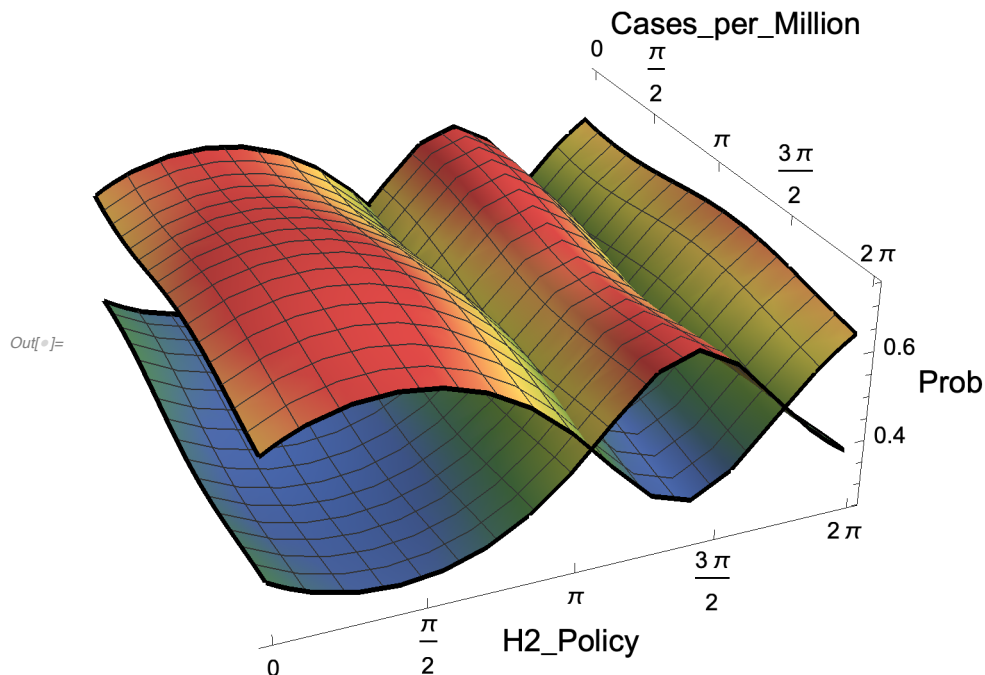
```
In[ ]:= {qprC6l0Norm, qprC6l1Norm}
```

```
Out[ ]:= { 
$$\frac{14.9014 + 1.12104 \cos[\theta_{00}] + 1.07349 \sin[\theta_{00}]}{38.1285 + 1.12104 \cos[\theta_{00}] + 4.21488 \cos[\theta_{01}] + 1.07349 \sin[\theta_{00}] + 14.6073 \sin[\theta_{01}]},$$
 
$$1 - \frac{14.9014 + 1.12104 \cos[\theta_{00}] + 1.07349 \sin[\theta_{00}]}{38.1285 + 1.12104 \cos[\theta_{00}] + 4.21488 \cos[\theta_{01}] + 1.07349 \sin[\theta_{00}] + 14.6073 \sin[\theta_{01}]}$$
 }
```

```
In[ ]:= p0 = Plot3D[qprC6l0Norm, {θ00, 0, 2 π},
  {θ01, 0, 2 π}, ColorFunction → (ColorData["DarkRainbow"][#3] &),
  AxesLabel → {Style[type, 16], Style[policy, 16], Style["Prob", 16]},
  BoundaryStyle → Thick, Boxed → False,
  Ticks → {{0, Pi/2, Pi, 3 Pi/2, 2 Pi}, {0, Pi/2, Pi, 3 Pi/2, 2 Pi}, Automatic},
  TicksStyle → Directive[Black, 12]];
```

```
In[ ]:= p1 = Plot3D[qprC6l1Norm, {θ00, 0, 2 π},
  {θ01, 0, 2 π}, ColorFunction → (ColorData["DarkRainbow"][#3] &),
  AxesLabel → {Style[type, 16], Style[policy, 16], Style["Prob", 16]},
  BoundaryStyle → Thick, Boxed → False,
  Ticks → {{0, Pi/2, Pi, 3 Pi/2, 2 Pi}, {0, Pi/2, Pi, 3 Pi/2, 2 Pi}, Automatic},
  TicksStyle → Directive[Black, 12]];
```

```
In[ ]:= Show[p0, p1]
```



```
fig = StreamDensityPlot[{qprC6l0Norm, qprC6l1Norm},
  {θ00, -2 π, 2 π}, {θ01, -2 π, 2 π}, ColorFunction → "BlueGreenYellow",
  PlotLegends → BarLegend[{"BlueGreenYellow", {0, 1}}, 10],
  AxesLabel → Automatic, StreamStyle → {White, Thick}]
```

