

Excel Analysis Tools

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Analysis Tools

Analysis Toolpak Add-in

Tools that can be useful for problems of:

- Descriptive statistics
- Statistical inference
- Correlation
- Regression

Analysing:

- Variance
- Correlation
- Covariance
- Descriptive Statistics
- Exponential Smoothing
- F-Test
- Fourier Analysis
- Histogram
- Moving Average
- Random number generation
- Rank and Percentile
- Regression
- Sampling
- T-Test
- Z-Test

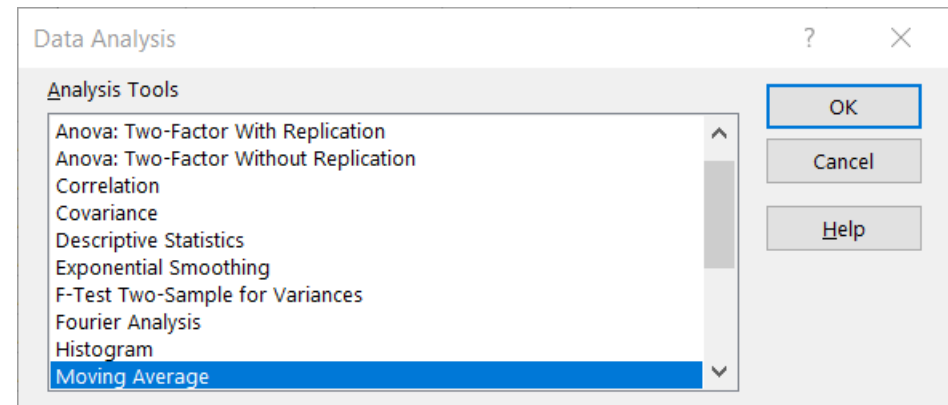
Installing and using the *Analysis Toolpak* Add-in

Installing:

1. Tab “File” > Command “Options”
2. On the Dialog “Excel Options”
 1. Select “Add-ins”
 2. On the “Manage” select box, choose “Excel Add-ins” and click “Go”
3. On the Add-ins dialog
 1. Select *Analysis Toolpak*

Using:

1. Tab “Data” > Group “Analysis” > Command “Data Analysis”
2. On the dialog “Data Analysis”
 1. Select the tool
 2. Ok
 3. Fill the tool’s dialog



Variance Analysis (ANOVA)

Objective: compare average of different samples

Allows: verify relation between the samples

H0: the samples' averages are equal

Three tools (depending on the number of samples and factors):

- **ANOVA – Single Factor:** performs a simple analysis of variance on data from one or more samples
- **ANOVA – Two Factor with Replication:** is used when data can be classified or have two different dimensions.
- **ANOVA – Two Factor without Replication :** similar to the previous one, but with the difference that there is only one observation for each pair of dimensions

Variance Analysis (ANOVA)

Production	Defects
922	11
1189	10
1109	5
1152	8
893	11
846	12
802	9
1110	14
1044	6
1117	14
1000	5
1065	0

Anova: Single Factor						
SUMMARY						
Groups	Count	Sum	Average	Variance		
Production	12	12249	1020,75	16176,56818		
Defects	12	105	8,75	17,29545455		
ANOVA						
Source of Variation	SS	df	MS	F	P-value	F crit
Between Groups	6144864	1	6144864	758,9126521	1,51182E-18	4,300949502
Within Groups	178132,5	22	8096,931818			
Total	6322996,5	23				

H0: the samples have equal averages

$F > F_{crit} \rightarrow$ reject $H_0 \rightarrow$ The averages are different

A	B
922	1065
1189	1000
1109	1117
1152	1044
893	1110
846	802
802	846
1110	893
1044	1152
1117	1109
1000	1189
1065	922

Anova: Single Factor						
SUMMARY						
Groups	Count	Sum	Average	Variance		
A	12	12249	1020,75	16176,56818		
B	12	12249	1020,75	16176,56818		
ANOVA						
Source of Variation	SS	df	MS	F	P-value	F crit
Between Groups	0	1	0	0	1	4,300949502
Within Groups	355884,5	22	16176,56818			
Total	355884,5	23				

H0: the samples have equal averages

$F < F_{crit} \rightarrow$ do not reject $H_0 \rightarrow$ The averages are equal

Correlation

Allows:

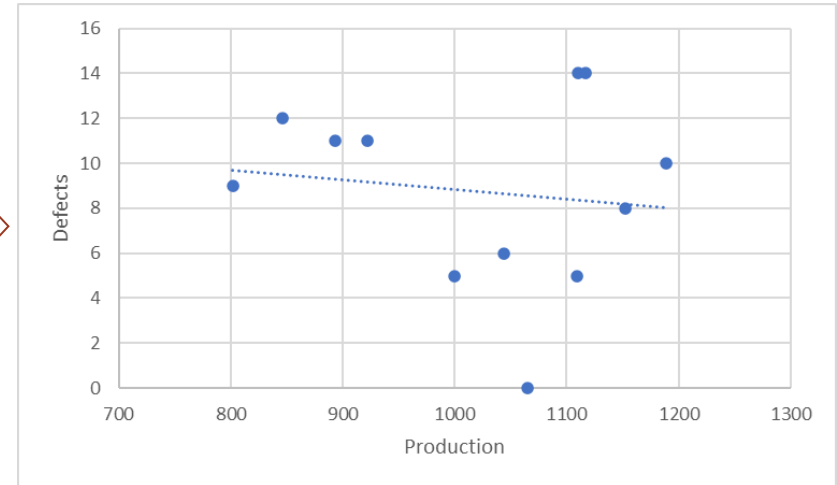
- Analyze and assess the magnitude and direction of the association or correlation between two variables without any type of assumption of functionality (ie: none of the variables is considered dependent on the other variable)
- Determining whether the two measurement variables tend to move together
 - **Positive correlation:** if large values of one variable tend to be associated with large values of the other
 - **Negative correlation:** if small values of one variable tend to be associated with large values of the other
 - **Correlation near zero:** if the values of both variables tend not to be related

Correlação

Production	Defects
922	11
1189	10
1109	5
1152	8
893	11
846	12
802	9
1110	14
1044	6
1117	14
1000	5
1065	0



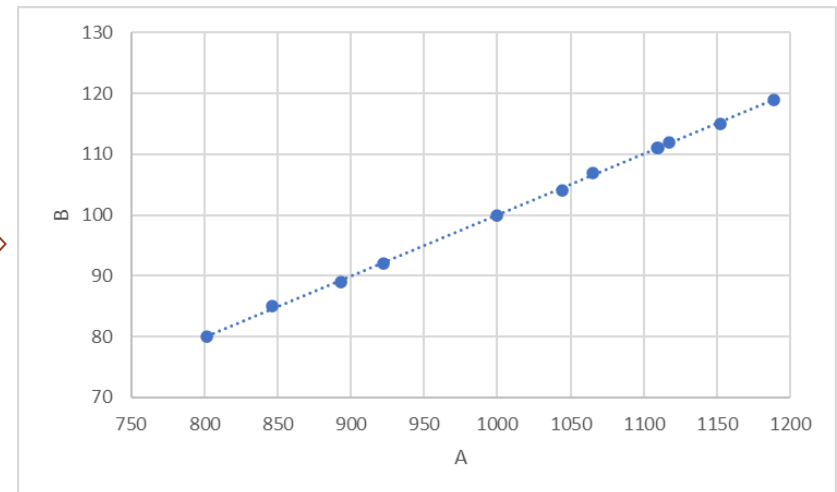
	Production	Defects
Production	1	
Defects	-0,12903	1



A	B
922	92
1189	119
1109	111
1152	115
893	89
846	85
802	80
1110	111
1044	104
1117	112
1000	100
1065	107



	A	B
A	1	
B	0,999761	1



Covariance

Allows:

- Analyze two variables to determine whether the two variables tend to move together
 - **Positive covariance:** if large values of one variable tend to be associated with large values of the other
 - **Negative covariance:** if small values of one variable tend to be associated with large values of the other
 - **Near-zero covariance:** if the values of both variables tend not to be related

Descriptive statistics

- Allows you to automatically generate an invariant statistics report for data defined as the input range, providing a set of information about the central trend and variability of the data

A	B	C
144	128	132
139	123	134
137	112	131
131	129	111
109	110	126
138	128	128
126	146	107
132	134	105
128	120	126
128	109	117



A		B		C	
Mean	131,2	Mean	123,9	Mean	121,7
Standard Error	3,065217049	Standard Error	3,686160303	Standard Error	3,419064199
Median	131,5	Median	125,5	Median	126
Mode	128	Mode	128	Mode	126
Standard Deviation	9,693067397	Standard Deviation	11,65666238	Standard Deviation	10,81203034
Sample Variance	93,95555556	Sample Variance	135,8777778	Sample Variance	116,9
Kurtosis	2,525244444	Kurtosis	-0,117946666	Kurtosis	-1,433295139
Skewness	-1,230019145	Skewness	0,381962526	Skewness	-0,548977137
Range	35	Range	37	Range	29
Minimum	109	Minimum	109	Minimum	105
Maximum	144	Maximum	146	Maximum	134
Sum	1312	Sum	1239	Sum	1217
Count	10	Count	10	Count	10
Largest(1)	144	Largest(1)	146	Largest(1)	134
Smallest(1)	109	Smallest(1)	109	Smallest(1)	105
Confidence Level(95,0%)	6,934002702	Confidence Level(95,0%)	8,338673932	Confidence Level(95,0%)	7,734460569

Exponential Smoothing

- Helps to predict a value based on a prior period forecast, adjusted for the error in that previous forecast.
- Uses an adjustment constant, whose magnitude determines the degree of smoothing of forecasts in relation to errors in the previous forecast

F-test

- Performs a two-sample F test to compare the variances of two populations.
- Used to verify the significance of the regression model and analyze the fit caused by the model

Fourier Analysis

- Allows you to solve problems in linear systems and analyze periodic data, using the Fast Fourier Transform (FFT) method to transform the data.
- Supports inverse transformations, in which the inverse of the transformed data returns the original data

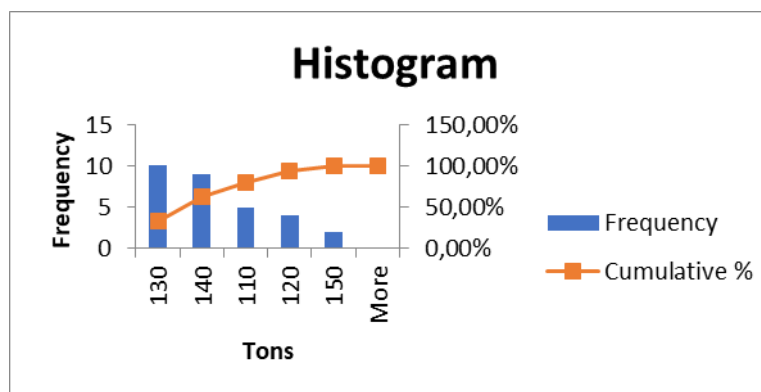
Histogram

- Calculates individual and cumulative frequencies for a range of data cells and data blocks
- Generates data for the number of occurrences of a value in a dataset

A	B	C
144	128	132
139	123	134
137	112	131
131	129	111
109	110	126
138	128	128
126	146	107
132	134	105
128	120	126
128	109	117



Tons	Frequency	Cumulative %	Tons	Frequency	Cumulative %
110	5	16,67%	130	10	33,33%
120	4	30,00%	140	9	63,33%
130	10	63,33%	110	5	80,00%
140	9	93,33%	120	4	93,33%
150	2	100,00%	150	2	100,00%
More	0	100,00%	More	0	100,00%



Moving Average

- Projects forecast period values based on the average value of the variable over a specified number of preceding periods
- Provides trending information that a simple average of all historical data does not directly show

Random number generation

- Fills a range of cells with a set of independent random numbers taken from one of several distributions

Rank and Percentile

- Produces a table containing the ordinal and percentage position of each value in a dataset.
- It is possible to analyze the relative position of values in a dataset

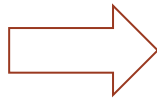
Regression

- Performs a linear regression analysis using the least squares method to fit a line across a set of observations
- Makes it possible to analyze how a single dependent variable is affected by the values of one or more independent variables

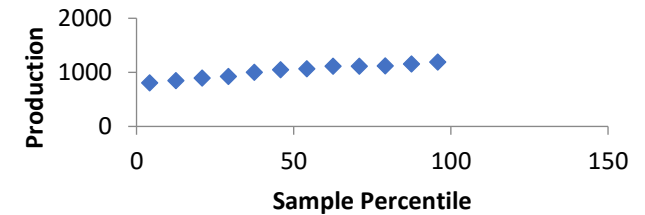
Regression

Normal Probability Plot

Production	Defects
922	11
1189	10
1109	5
1152	8
893	11
846	12
802	9
1110	14
1044	6
1117	14
1000	5
1065	0



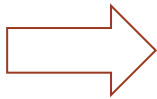
SUMMARY OUTPUT								
Regression Statistics								
Multiple R	0,129030824							
R Square	0,016648953							
Adjusted R Square	-0,081686151							
Standard Error	132,2798918							
Observations	12							
ANOVA								
	df	SS	MS	F	Significance F			
Regression	1	2962,552234	2962,552234	0,169308341	0,689407295			
Residual	10	174979,6978	17497,96978					
Total	11	177942,25						
	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%	Lower 95,0%	Upper 95,0%
Intercept	1055,278581	92,19484709	11,44617746	4,55009E-07	849,8556601	1260,701502	849,8556601	1260,701502
Defects	-3,946123522	9,590284664	-0,411470948	0,689407295	-25,31460938	17,42236234	-25,31460938	17,42236234
RESIDUAL OUTPUT					PROBABILITY OUTPUT			
Observation	Predicted Production	Residuals	Standard Residuals		Percentile	Production		
1	1011,871222	-89,87122208	-0,712562821		4,166666667	802		
2	1015,817346	173,1826544	1,373114975		12,5	846		
3	1035,547963	73,45203679	0,582379869		20,83333333	893		
4	1023,709593	128,2904074	1,017177385		29,16666667	922		
5	1011,871222	-118,8712221	-0,9424954		37,5	1000		
6	1007,925099	-161,9250986	-1,283857084		45,83333333	1044		
7	1019,763469	-217,7634691	-1,726583308		54,16666667	1065		
8	1000,032852	109,9671485	0,871897586		62,5	1109		
9	1031,60184	12,39816032	0,098301413		70,83333333	1110		
10	1000,032852	116,9671485	0,927398553		79,16666667	1117		
11	1035,547963	-35,54796321	-0,281849477		87,5	1152		
12	1055,278581	9,721419185	0,07707831		95,83333333	1189		



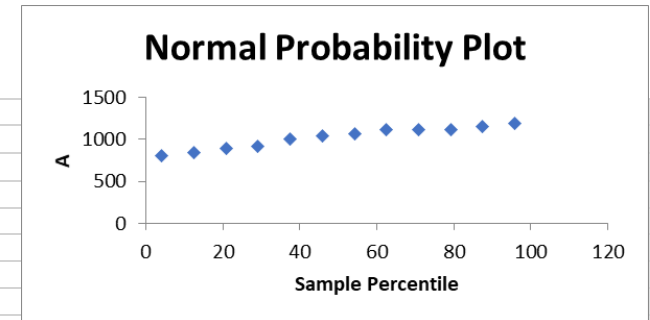
Only 1% of the variation on Defects is explained by the variation in **Production**

Regression

A	B
922	92
1189	119
1109	111
1152	115
893	89
846	85
802	80
1110	111
1044	104
1117	112
1000	100
1065	107



SUMMARY OUTPUT								
Regression Statistics								
Multiple R	0,999760629							
R Square	0,999521316							
Adjusted R Square	0,999473447							
Standard Error	2,918529458							
Observations	12							
ANOVA								
	df	SS	MS	F	Significance F			
Regression	1	177857,0719	177857,0719	20880,60009	6,18632E-18			
Residual	10	85,17814198	8,517814198					
Total	11	177942,25						
	Coefficients	Standard Error	t Stat	P-value	Lower 95%	Upper 95%	Lower 95,0%	Upper 95,0%
Intercept	4,575560611	7,082578769	0,646030317	0,532803987	-11,20540832	20,35652954	-11,20540832	20,35652954
B	9,954361855	0,06888774	144,5012114	6,18632E-18	9,800870406	10,1078533	9,800870406	10,1078533
RESIDUAL OUTPUT					PROBABILITY OUTPUT			
Observation	Predicted A	Residuals	Standard Residuals	Percentile	A			
1	920,3768513	1,623148707	0,583298113	4,166666667	802			
2	1189,144621	-0,144621384	-0,051971443	12,5	846			
3	1109,509727	-0,509726543	-0,183176396	20,83333333	893			
4	1149,327174	2,672826036	0,960512353	29,16666667	922			
5	890,5137657	2,486234273	0,893458347	37,5	1000			
6	850,6963183	-4,696318306	-1,687678766	45,83333333	1044			
7	800,924509	1,07549097	0,386490684	54,16666667	1065			
8	1109,509727	0,490273457	0,176185695	62,5	1109			
9	1039,829194	4,170806444	1,498829724	70,83333333	1110			
10	1119,464088	-2,464088398	-0,885499959	79,16666667	1117			
11	1000,011746	-0,011746135	-0,004221116	87,5	1152			
12	1069,692279	-4,692279122	-1,686227236	95,83333333	1189			



99,9% of the variation in **B** is explained by the variation in **A**

Sampling

- Allows you to create a sample of a population, treating the input range as the study population
- Sampling is very useful when a study population is too large to be processed and analyzed
- Allows you to create random and periodic samples

T-Test

Two Paired Samples for Averages

- Used when there is a natural pairing of observations in the samples, such as when a group of samples is tested twice, before and after an experiment.
- Performs a Student's t-test to determine whether observations made before and after a treatment are likely to result from distributions with equal population means.
- Does not assume that the variances of both populations are equal

Two Samples with Equal Variances

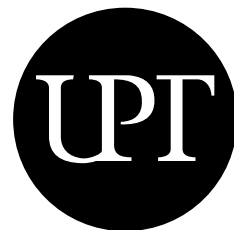
- Performs a two-sample Student's t-test
- It assumes that the two data sets come from distributions with the same variances.
- It can be used to determine whether the two samples are likely to have resulted from distributions with equal population means

Two Samples with Unequal Variances

- Performs a two-sample Student's t-test
- It assumes that the two data sets come from distributions with unequal variances
- It can be used to determine whether the two samples are likely to have resulted from distributions with equal population means

Z-Test

- Performs a two-sample Z test for means with known variances
- Used to test the null hypothesis that there is no difference between the two population means, against the unilateral or bilateral alternative hypotheses
- If the variances are not known, the ZTEST function should be used instead.



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