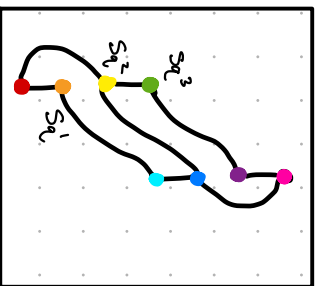


The  $E_2$ -page  $Ext_{A(n)}^{2,0}(H_2, H_2) \Rightarrow \pi_* kO_2$

$$(A_n \text{ A(1) - resolution } \cdots \rightarrow P_1 \xrightarrow{f_1} P_0 \xrightarrow{f_0} H_2)$$

KEY



$\mathcal{L}$  depicts the subalgebra  $\langle s_1, s_1^2 \rangle = A(1) \subseteq A$ ,  $A = \text{mod } 2 \text{ Spanned}$ .

Each element has a unique colored dot;

- $= 0$ ,
- $\mathbb{F}_2\{S_1^1\}$ ,
- $\mathbb{F}_2\{S_0^2\}$ , etc.

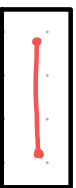
Copies of the diagram depict shifts of copies of  $A(i)$ 's  
e.g.  $P_1 = \Sigma A(i) \oplus \Sigma^2 A(i)$ .



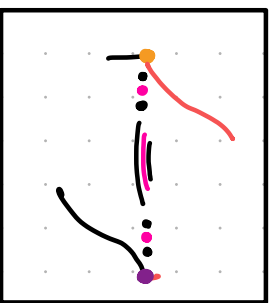
A hollow dot  $\circ$  means  $\bullet$  is in the kernel; e.g.  $f: (0, S_0^2 S_0^4) \rightarrow 0$



Adjacent smaller dots  
denote the image  
e.g.  $f_5: (0, 0, 1, 0) \mapsto (0, s_q^1, s_q^2, s_q^3)$

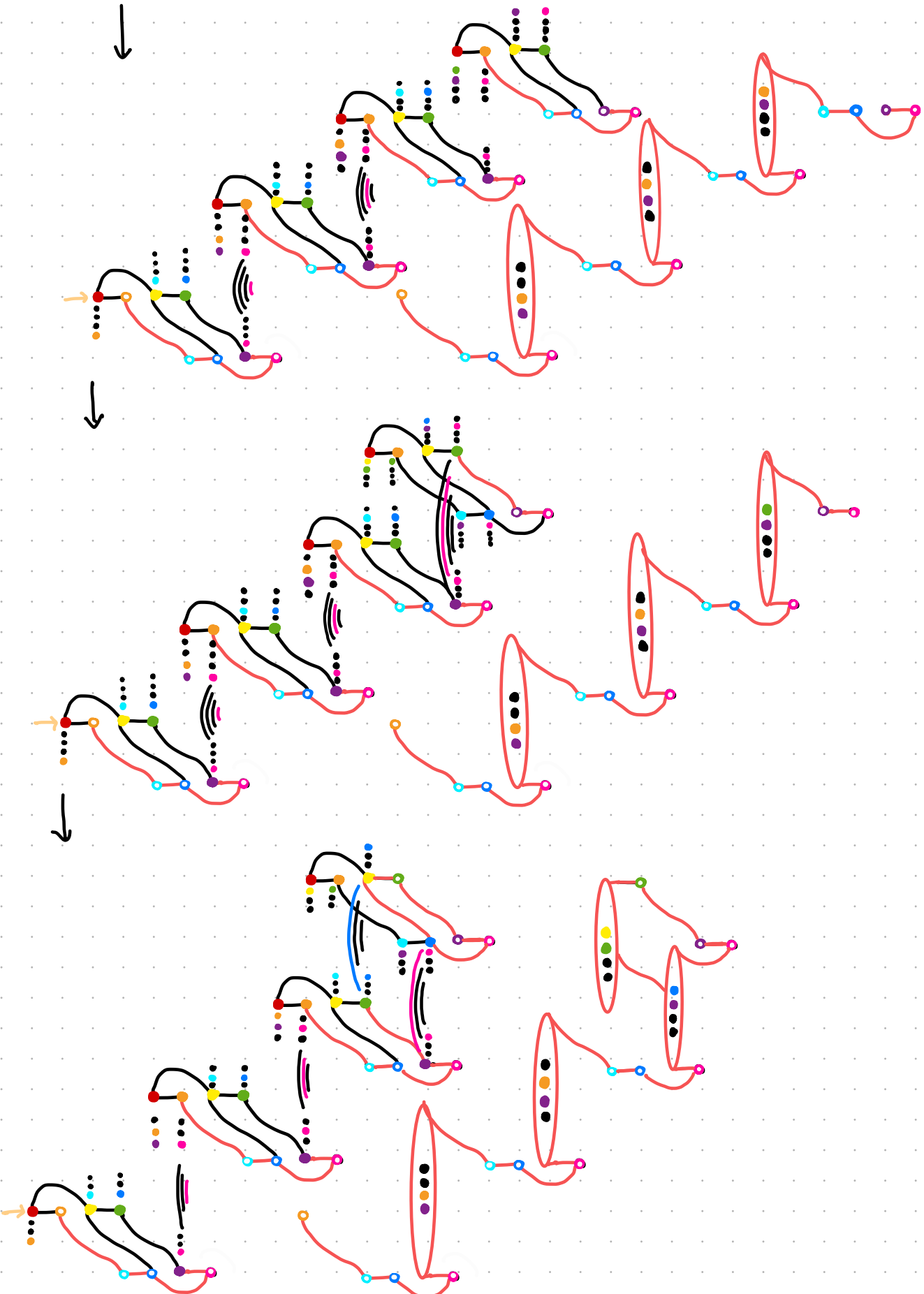


The kernel is also depicted by pink lines, and is redrawn above the resolution for clarity.



Lines linking 2 copies of  $A(i)$  indicate the sum is in the kernel

e.g.  $f_5 : (0, s_q^1, 0, 0) + (0, 0, s_q^2, s_q^3) \mapsto (0, s_q^3, s_q^3, 0) + (0, s_q^3, s_q^3, 0) = 0$



7

6

5

$$\text{Hom}(P_s, \Sigma^{t-s} \mathbb{F}_2)$$

