

Name Resolution in Flat Name Spaces

Distributed Hash Tables (DHTs)

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Resolution of Unstructured Names

Problem

- ▶ Assume you want to develop a "peer-to-peer" version of the backup service on the Internet.
- ▶ How do you locate the peers storing a given chunk of a file?
 - ▶ Each file has a 256-bit id
 - ▶ This id is **unstructured**

No solution Broadcasting/multicasting

- ▶ It just does not scale beyond a LAN

Issue How do we **resolve** efficiently an unstructured name on the Internet?

Solution Use a distributed hash table (DHT)

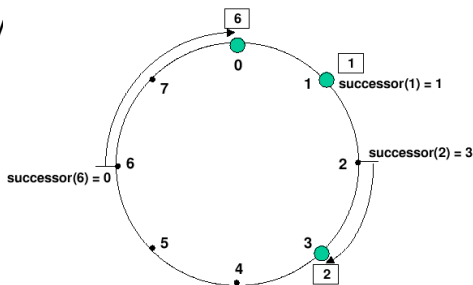
- ▶ Answer provided by academia to the problem of locating an entity in P2P system

Distributed Hash Table (DHT)

- ▶ A DHT is similar to a **hash-table**
 - ▶ It maps a **key** to **value**
 - ▶ The **key** is an object identifier
 - ▶ The **value** is the address of the node **responsible** for the key
- ▶ A DHT provides a single operation:
lookup(key) returns the address of the node responsible for the key
 - ▶ The address can be used to insert an object, to access to an object ...
- ▶ In a DHT-based system, node identifiers and key values are drawn from the same domain, e.g. a number with m bits
- ▶ The node responsible for a key value is the one whose identifier is **closer** to that key
 - ▶ Depending on the definition of **distance** we get different DHTs

DHT Example: Chord

- ▶ Chord uses identifiers with m -bits ordered in a ring ($\text{mod } 2^m$)
- ▶ Each "object" has an m -bit random identifier: the key of DHT entries ($m = 128$ in the original paper - used MD5)
- ▶ Each node has an m -bit random identifier: the value of DHT entries
- ▶ The node **responsible** for key k is the **successor** of key k , $\text{succ}(k)$:
 $\text{succ}(k)$ is the node with the **smallest** id that is larger or equal to k ($\text{succ}(k) \geq k$)
 - ▶ Given a key k the node responsible for it will have an id **higher or equal** to k .



src: Stoica et. al. 2001

Key Resolution in Chord (1/2)

Problem Given a key k , how do you find $\text{succ}(k)$?

No Solution 1 Each node n keeps information about the next node in the ring ($\text{succ}(n + 1)$)

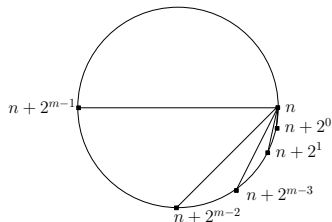
- ▶ Can use any resolution strategy (iterative, transitive or recursive)
- ▶ ... but it does not scale. Why?

No Solution 2 Each node n keeps information about all nodes in the ring

- ▶ Constant time name resolution
- ▶ ... but it does not scale. Why?

Key Resolution in Chord (2/2)

Solution In addition to a pointer to the next node in the ring each node keeps pointer that allow it to reduce at least in half the **distance** to the key



► Because nodes that are 2^i apart may not be active, each node n keeps a pointer to the $\text{succ}(n + 2^i)$ for $i = 0 \dots m - 1$

- This scheme has 3 important properties:
1. Each node keeps information on only m nodes
 2. Each node knows more about nodes closer to it than nodes farer away
 3. The table in a node may not have information on the $\text{succ}(k)$, for some k – i.e. a node may be unable to resolve a key by itself
 4. But key resolution requires $O(\log(n))$ steps

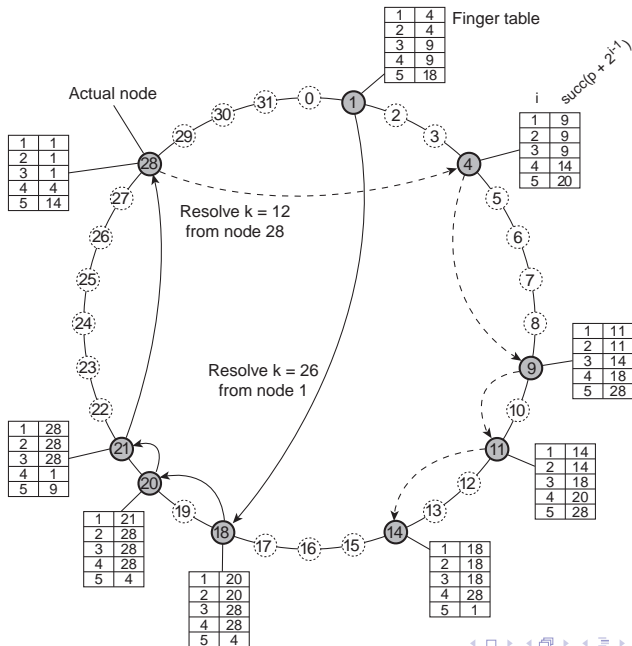
Chord: *Finger Table* (1/2)

- ▶ The ***Finger table***, $FT_n[]$, is an array with m pointers:

$$FT_n[i] = \text{succ}(n + 2^{i-1}) \bmod 2^m \text{ where } i = 1 \dots m$$

- ▶ $FT_n[1]$ is the node that follows n in the ring
- ▶ To resolve (*lookup*) a key k , node n forwards the request to:
 - ▶ The next node, i.e. $FT_n[1]$, if $n < k < FT_n[1]$
 - ▶ To node n' st $n' = FT_n[j] \leq k < FT_n[j+1]$
(All arithmetic in modulo 2^m)
- ▶ Chord works correctly iff $FT_n[1]$ is correct
 - ▶ Chord tolerates transient inconsistencies in other elements of $FT_n[]$, by trying the resolution again (may not be necessary even)
- ▶ The original Chord paper describes an iterative resolution scheme
 - ▶ Allows to update the *Finger Table*.

Chord: *Finger Table* (2/2)



Chord: Other Issues

Node Joining Node n can ask any node to locate $\text{succ}(n)$

- ▶ The crux is to get the $FT_x[1]$ correct
- ▶ This process can be simplified if each node keeps a pointer to its predecessor
- ▶ Periodically, a node sends a message to the next node in the ring and updates its finger table

Node Failure Rather than keep a single successor, a node keeps a list of r successors

- ▶ If the successor fails, a node can replace it with another one from that list

Identifiers Generation To achieve some tolerance to denial-of-service (DoS) attacks, identifiers should be used using a cryptographic hash function, e.g. SHA256

Virtual Topology Issues (1/2)

Problem Chord, and other P2P systems, use an overlay network

- ▶ If the topology of the overlay network is oblivious to the underlying physical network, routing of messages along the overlay network may be inefficient
 - ▶ Messages may follow an erratic route, e.g. bouncing between hosts in different continents

Sol. 1: Assign identifiers according to the underlying topology

- ▶ I.e. assign identifiers so that the overlay topology is close to that of the underlying physical topology.
- ▶ This is not always possible. E.g. it is **not** possible in Chord.

Virtual Topology Issues (2/2)

Sol. 2: Route messages according to the underlying topology

- ▶ For example, Chord could keep several nodes per interval $[n + 2^{i-1}, n + 2^i]$ rather than a single one, and when resolving a key, might use the closest node

Sol. 3: Pick neighbors according to the underlying topology

- ▶ In some algorithms, nodes can pick their neighbors, i.e. establish the links of the overlay network.
- ▶ This is not always possible. E.g. it is **not** possible in Chord.

Further Reading

- ▶ Subsection 5.2.3, Tanenbaum and van Steen, *Distributed Systems*, 2nd Ed.
- ▶ I. Stoica et al., "Chord: A scalable peer-to-peer lookup protocol for Internet applications", *IEEE/ACM Transactions on Networks*, (11)1:17-32, Feb 2003 (acessível via biblioteca digital da ACM “dentro da FEUP”)