14 / July / 2017

Security Level: Open

Online distributed streaming machine learning

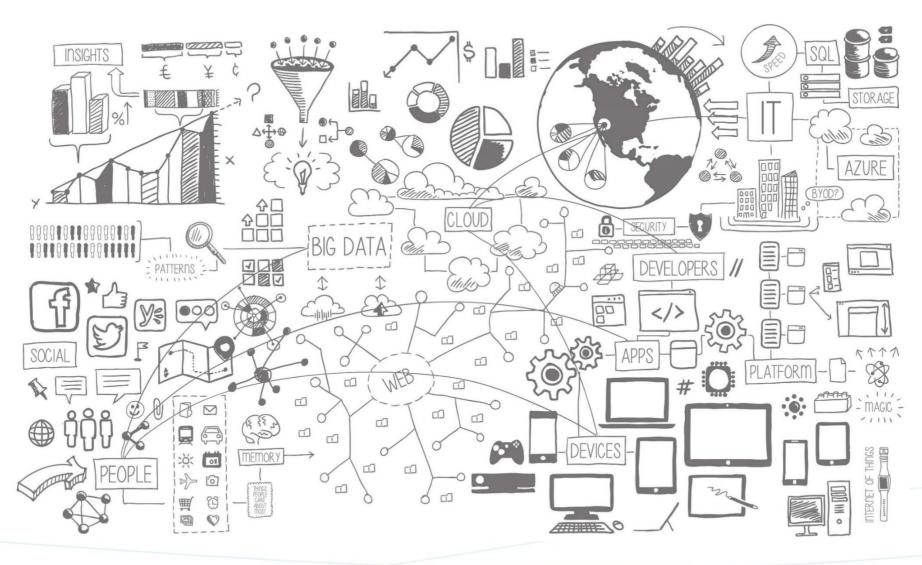
Big Data, Fast Data, All Data

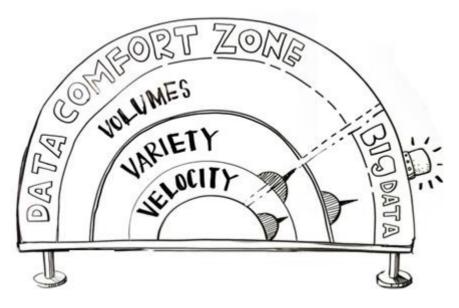
Dr. Cristian Axenie

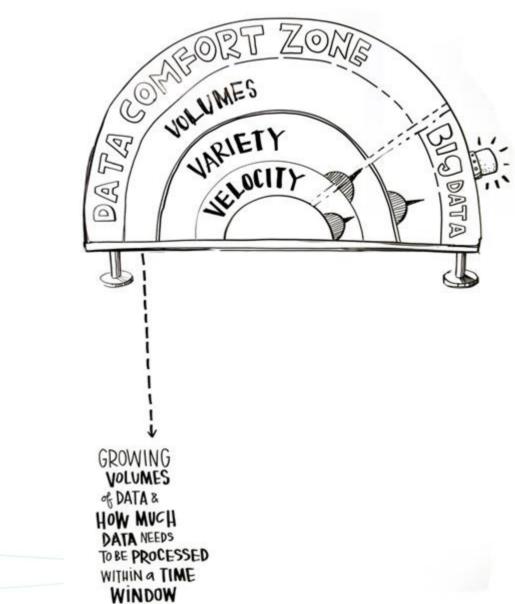
Senior Research Engineer
Big Data Streaming Technology Team

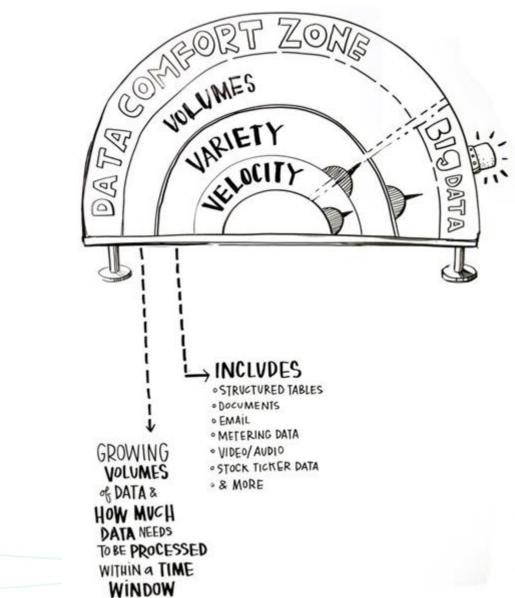


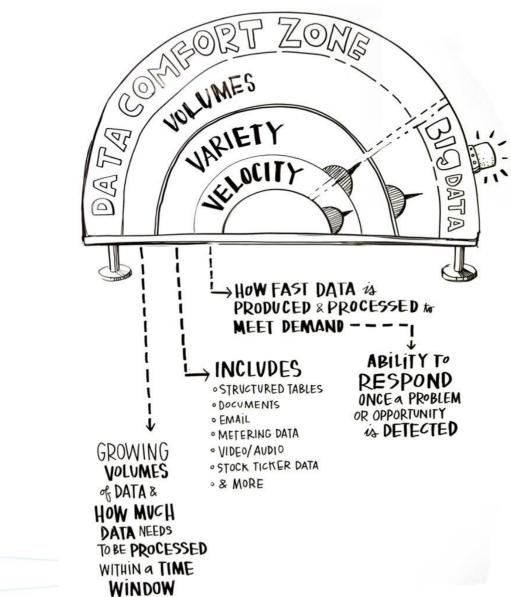
(Dis)ambiguating Big Data











Big Data Stream Processing: A gentle introduction

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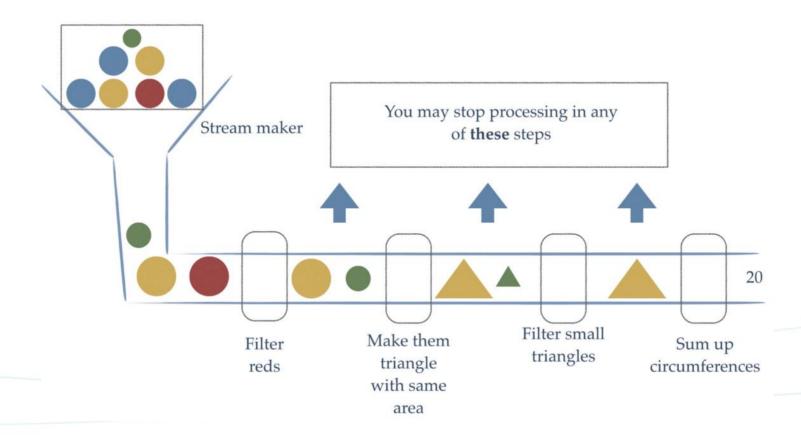
Stream processing paradigm simplifies parallel software and hardware by restricting the parallel computation that can be performed.

Given a sequence of data (a stream), a series of operations (functions) is applied to each element in the stream, in a declarative way, we specify **what** we want to achieve and **not how**.

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Big Data Stream Learning: Why is it different?

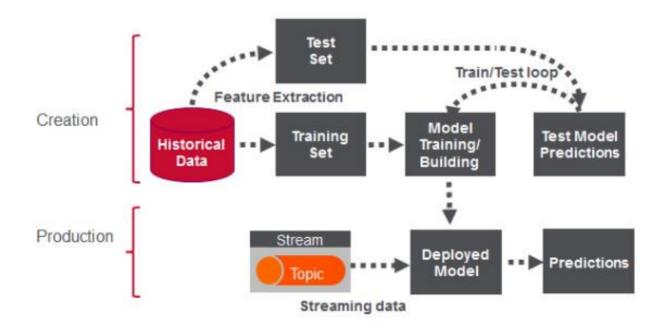
Big Data Stream Learning: Why is it different?

Big Data Stream Learning is more challenging than batch or offline learning, since the data may not preserve the same distribution over the lifetime of the stream. Moreover, each example coming in a stream can only be processed once, or needs to be summarized with a small memory footprint, and the learning algorithms must be efficient.

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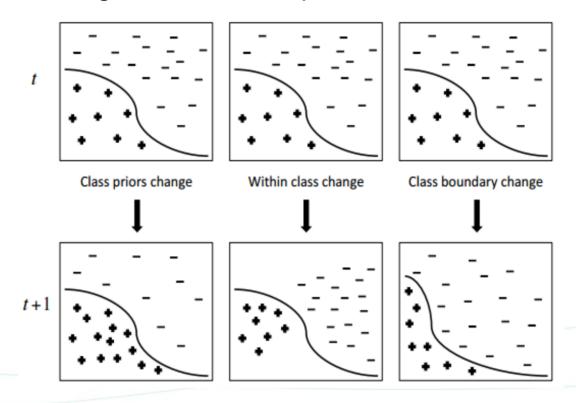
In order to deal with evolving data streams, the model learnt from the streaming data must capture up-to-date trends and transient patterns in the stream.

Updating the model by incorporating **new examples**, we must also **eliminate the effects of** outdated examples representing outdated concepts.

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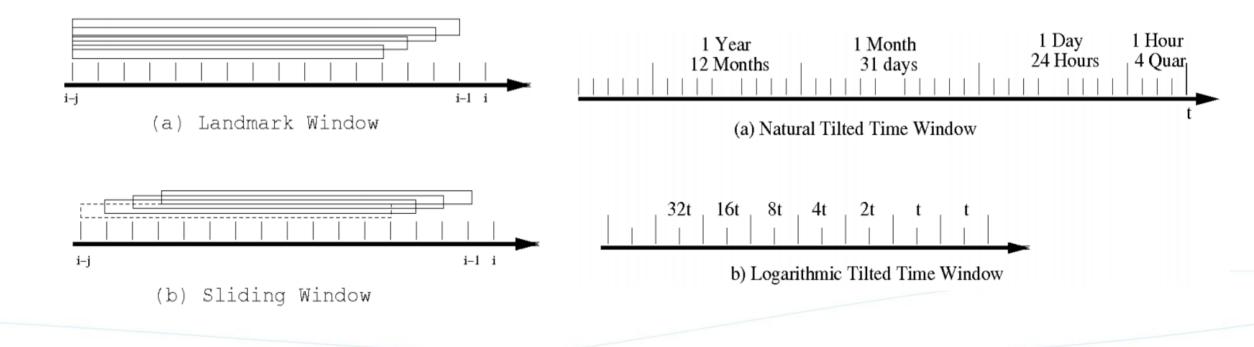
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How to maintain the k-most frequent items in a retail data warehouse with 3 TB of data, 100s of GB of new sales records updated daily with 1000000s different items?

What becomes of statistical computations when the learner can only afford one pass through each data sample because of time and memory constraints; when the learner has to decide **on-the-fly** what is **relevant** and **process** it and what is **redundant** and could be **discarded**?

Most strategies use variations of the **sliding window technique**: a window is maintained that keeps the most recently read examples, and from which older examples are dropped according to some set of rules.

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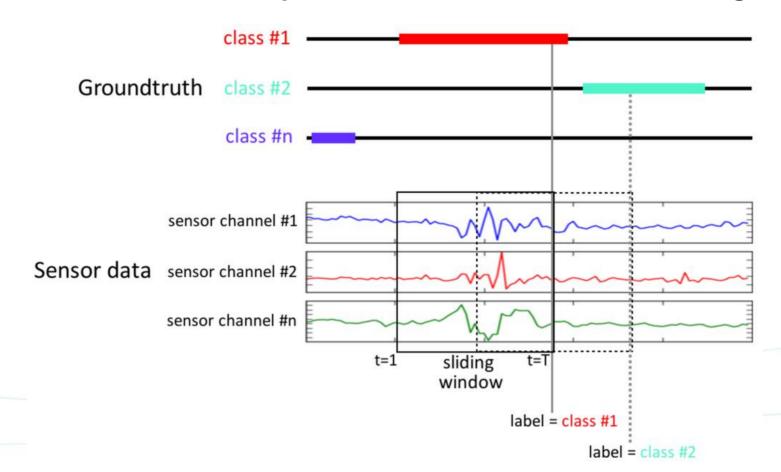


The contents of the **sliding window** can be used for the three tasks:

- to **detect change** (e.g., by using some statistical test on different sub-windows),
- to obtain updated statistics / criteria from the recent examples, and
- to have data to rebuild or update the model after data has changed.

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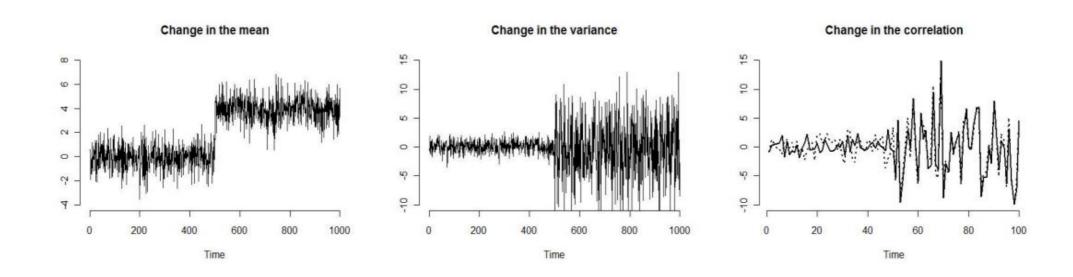


Normally, the user is caught in a **tradeoff without solution**:

- a **small size** (so that the **window reflects** accurately the current **distribution**)
- a large size (so that many examples are available to work on, increasing accuracy in periods of stability).

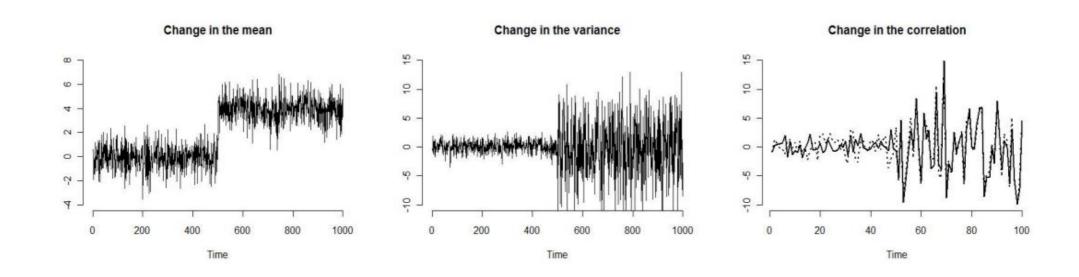
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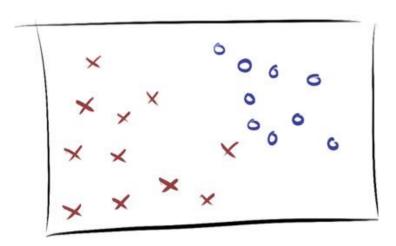
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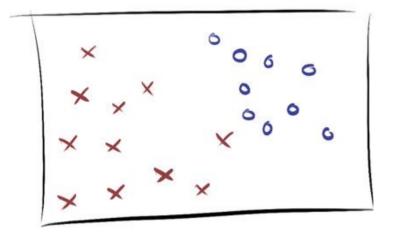


Currently, it has been proposed to use windows of variable size.

Given a set of training examples belonging to n different classes, a classifier algorithm builds a model that predicts for every unlabeled instance x the class C to which it belongs.



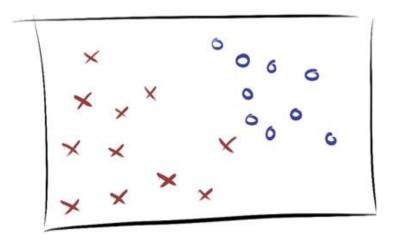
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Streaming constraints:

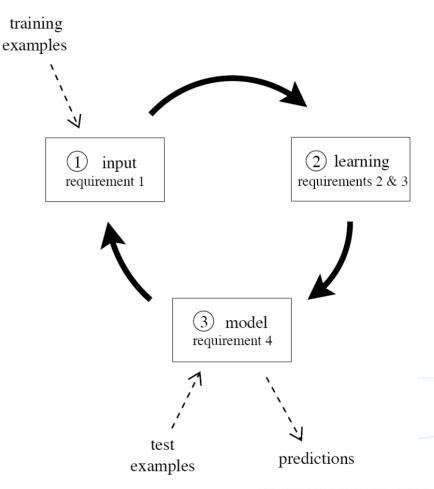
- 1. One example at a time, used at most once
- Limited memory
- Limited time
- Anytime prediction

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Perceptron

- Linear classifier
- Data stream: ⟨x̄_i,y_i⟩

•
$$\tilde{\mathbf{y}}_i = \mathbf{h}_{\vec{\mathbf{w}}}(\vec{\mathbf{x}}_i) = \sigma(\vec{\mathbf{w}}_i^T \vec{\mathbf{x}}_i)$$

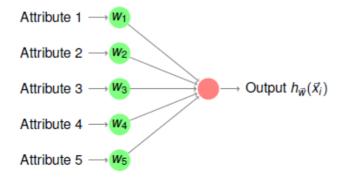
•
$$\sigma(x) = 1/(1+e^{-x}) \ \sigma' = \sigma(x)(1-\sigma(x))$$

- Minimize MSE J(vvv)=½∑(y_i-ỹ_i)²
- - $\nabla J = -(v_i \tilde{v}_i)\tilde{v}_i(1 \tilde{v}_i)$
 - $\vec{\mathbf{w}}_{i+1} = \vec{\mathbf{w}}_i + \eta(\mathbf{y}_i \tilde{\mathbf{y}}_i)\tilde{\mathbf{y}}_i(1 \tilde{\mathbf{y}}_i)\vec{\mathbf{x}}_i$



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Perceptron Learning

```
PERCEPTRON LEARNING (Stream, n)
```

- for each class
- **do** Perceptron Learning (Stream, class, η)

PERCEPTRON LEARNING (Stream, class, η)

- \triangleright Let w_0 and \vec{w} be randomly initialized
- for each example (\vec{x}, y) in Stream

do if
$$class = y$$

4 then
$$\delta = (1 - h_{\vec{w}}(\vec{x})) \cdot h_{\vec{w}}(\vec{x}) \cdot (1 - h_{\vec{w}}(\vec{x}))$$

5 **else**
$$\delta = (0 - h_{\vec{w}}(\vec{x})) \cdot h_{\vec{w}}(\vec{x}) \cdot (1 - h_{\vec{w}}(\vec{x}))$$

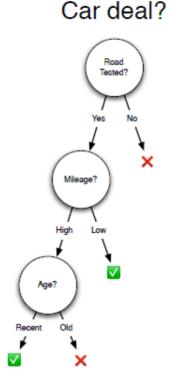
$$\vec{\mathbf{w}} = \vec{\mathbf{w}} + \eta \cdot \delta \cdot \vec{\mathbf{x}}$$

Perceptron Prediction(\vec{x})

return arg max_{class} $h_{\vec{W}_{class}}(\vec{x})$

Decision Tree

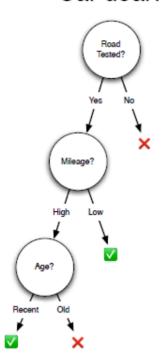
- Fach node tests a features
- · Each branch represents a value
- · Each leaf assigns a class
- Greedy recursive induction
 - Sort all examples through tree
 - x_i = most discriminative attribute
 - New node for x_i, new branch for each value, leaf assigns majority class
 - Stop if no error | limit on #instances



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Car deal?



- · AKA, Hoeffding Tree
- A small sample can often be enough to choose a near optimal decision

Very Fast Decision Tree

- Collect sufficient statistics from a small set of examples
- Estimate the merit of each alternative attribute
- Choose the sample size that allows to differentiate between the alternatives

Leaf Expansion

- When should we expand a leaf?
- Let x₁ be the most informative attribute. x₂ the second most informative one
- Is x₁ a stable option?
- Hoeffding bound
 - Split if $G(x_1)$ $G(x_2) > \varepsilon = \sqrt{\frac{R^2 \ln(1/\delta)}{2n}}$

Streaming Machine Learning: a view on classification

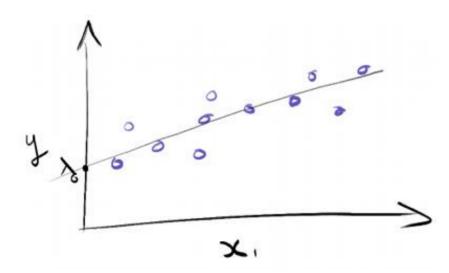
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HT Induction

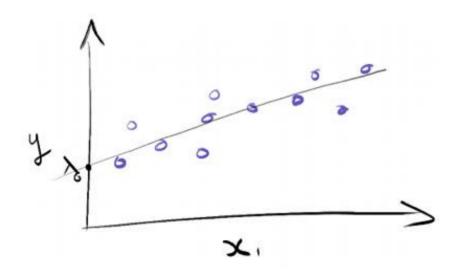
```
HT(Stream, \delta)
   \triangleright Init counts n_{iik} at root
   for each example (x, y) in Stream
         do HTGROW((x, y), HT, \delta)
\mathsf{HTGRow}((x,y),HT,\delta)
    \triangleright Sort (x, y) to leaf I using HT
    \triangleright Update counts n_{ijk} at leaf I
    if examples seen so far at / are not all of the same class
       then ⊳ Compute G for each attribute
             if G(\text{Best Attr.}) - G(\text{2nd best}) > \sqrt{\frac{R^2 \ln 1/\delta}{2n}}
               then ⊳ Split leaf on best attribute
                     for each branch
                          do ⊳ Start new leaf and initiliatize counts
```

Given a set of training examples with a numeric label, a regression algorithm builds a model that predicts for every unlabeled instance x the value y=f(x) with high accuracy.

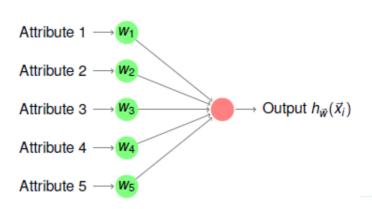


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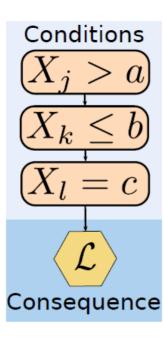


- Linear regressor
- $\tilde{\mathbf{v}}_i = \mathbf{h} \vec{\mathbf{w}} (\vec{\mathbf{x}}_i) = \vec{\mathbf{w}}^\mathsf{T} \vec{\mathbf{x}}_i$
- Minimize MSE J(vvv)=½∑(y_i-vv_i)²
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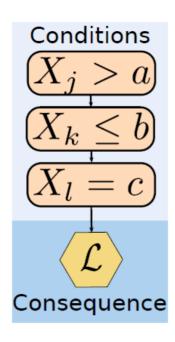
Rules

- Problem: very large decision trees have context that is complex and hard to understand
- · Rules: self-contained, modular, easier to interpret, no need to cover universe
- £ keeps sufficient statistics to:
 - · make predictions
 - · expand the rule
 - · detect changes and anomalies



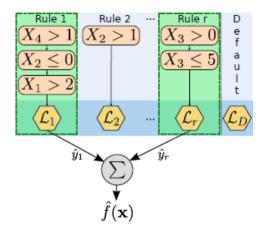
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Adaptive Model Rules

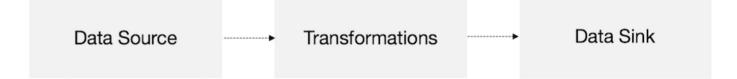
- Ruleset: ensemble of rules
- Rule prediction: mean, linear model
- Ruleset prediction
 - · Weighted avg. of predictions of rules covering instance x
 - Weights inversely proportional to error
 - Default rule covers uncovered instances



E.g:
$$\mathbf{x} = [4, -1, 1, 2]$$

$$\hat{f}(\mathbf{x}) = \sum_{R_l \in S(\mathbf{x}_i)} \theta_l \hat{y}_l,$$

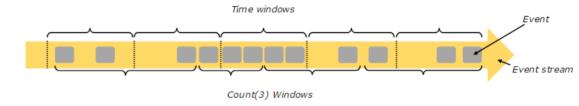






Data Source **Transformations** Data Sink

Aggregating events (e.g., counts, sums) works differently on streams because it is impossible to count all (unbounded).

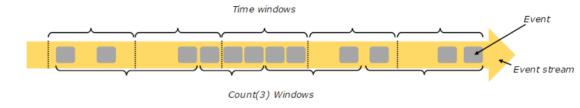


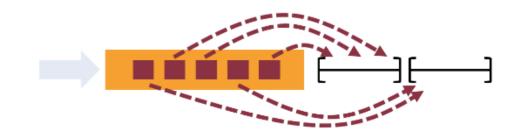


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Stream processing and windowing makes it easy to compute accurate results over streams where events arrive out of order and where events may arrive delayed.





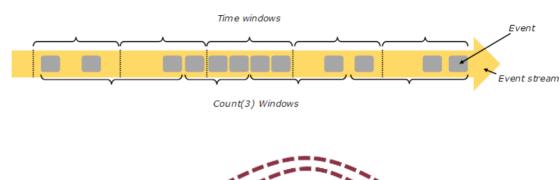


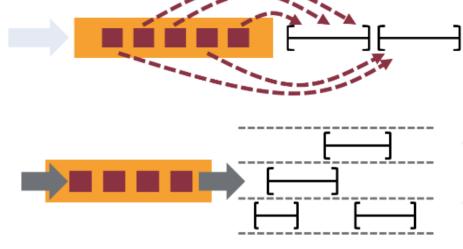
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Windowing based on time, count, and data-driven windows. Windows can be customized with **flexible** triggering conditions to support sophisticated streaming patterns.







When executed, Flink programs are mapped to streaming dataflows, consisting of streams and transformation operators.

Each dataflow starts with one or more **sources** and ends in one or more sinks.

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```
DataStream<Event> events = lines.map((line) -> parse(line));
DataStream<Statistics> stats = events
      .kevBv("id")
      .timeWindow(Time.seconds(10))
       .apply(new MyWindowAggregationFunction());
stats.addSink(new RollingSink(path));
```



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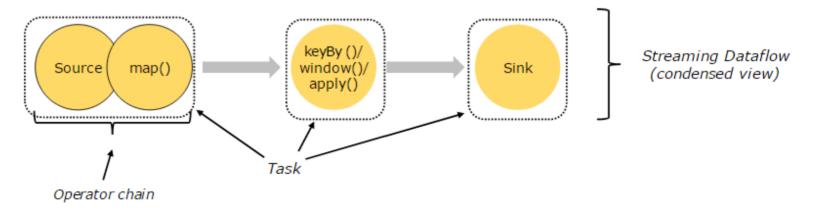
```
DataStream<String> lines = env.addSource(
                                   .addSource(
  new FlinkKafkaConsumer<> (...
DataStream<Event> events = lines.map((line) -> parse(line));
                                                                            Transformation
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                                  Transformation
                                                               Sink
               Source
              Operator
                                    Operators
                                                              Operator
        Source
                            map()
                                                                   Sink
                                               apply()
                                    Stream
                                Streaming Dataflow
```



For distributed execution, Flink chains operator subtasks together into tasks. Each task is executed by one thread.



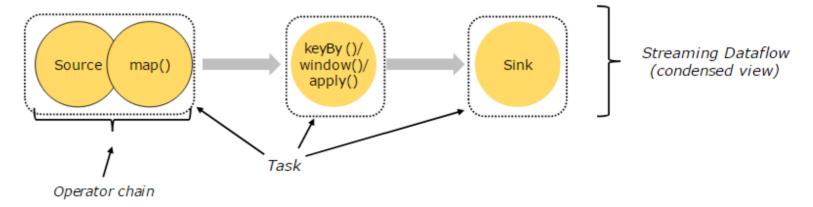
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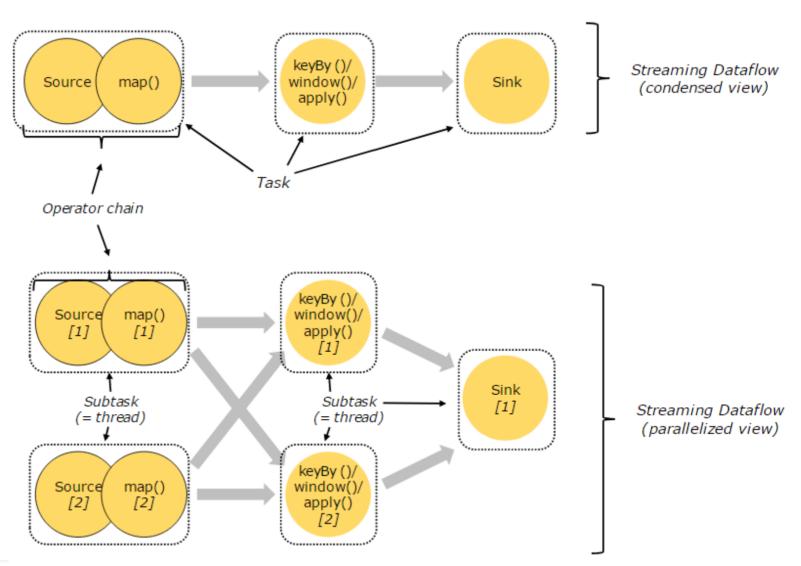
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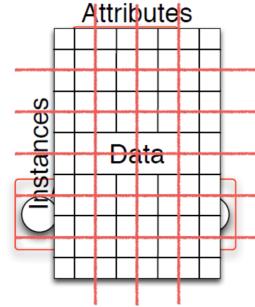
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Parallel Decision Trees

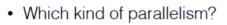
- Which kind of parallelism?
 - Task
 - Data
 - Horizontal
 - Vertical





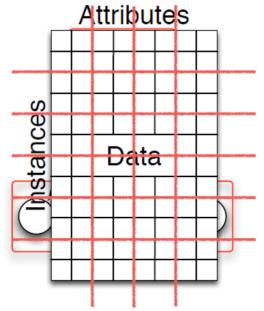
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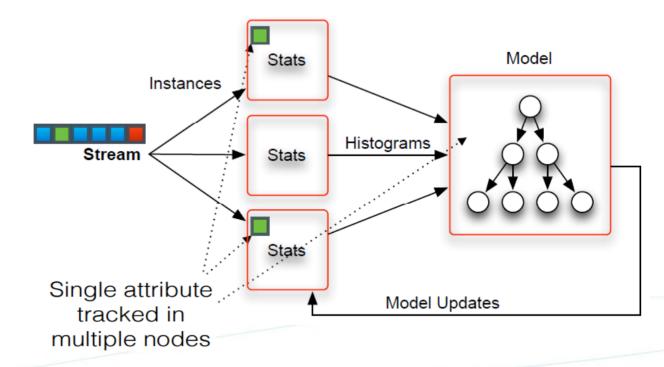
Horizontal Partitioning



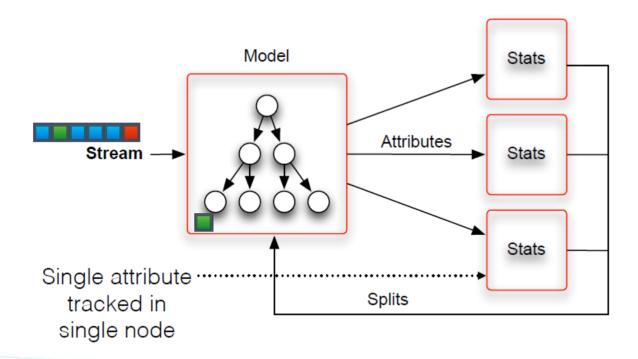
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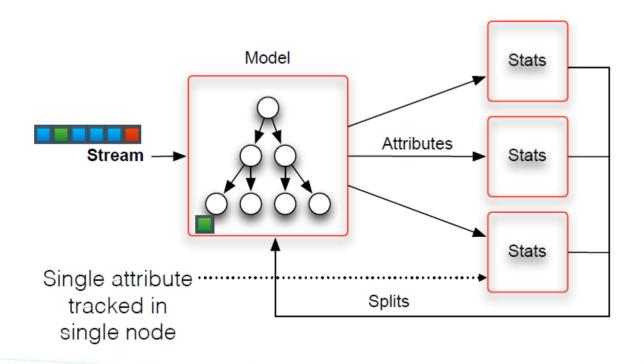




Vertical Partitioning



Vertical Partitioning



Advantages of Vertical Parallelism

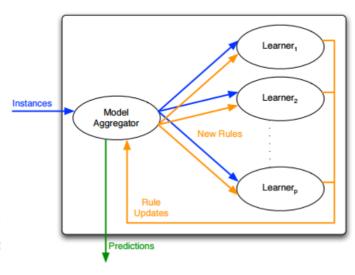
- High number of attributes => high level of parallelism (e.g., documents)
- vs. task parallelism
 - Parallelism observed immediately
- vs. horizontal parallelism
 - Reduced memory usage (no model replication)
 - Parallelized split computation

VAMR

- Vertical AMRules
- · Model: rule body + head
 - · Target mean updated continuously with covered instances for predictions
 - · Default rule (creates new rules)
- · Learner: statistics
 - Vertical: Learner tracks statistics of independent subset of rules
 - · One rule tracked by only one Learner
 - . Model -> Learner: key grouping on rule ID

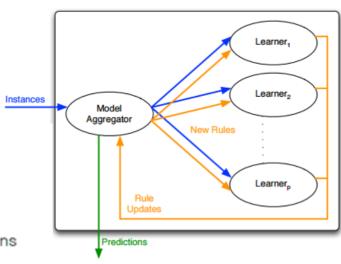
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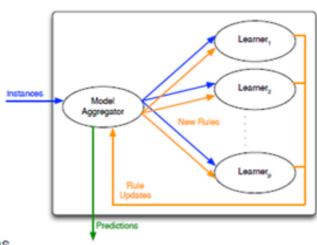


HAMR

- VAMR single model is bottleneck
- Hybrid AMRules (Vertical + Horizontal)
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- Problem distributed default rule decreases performance
 - Separate dedicate Learner for default rule

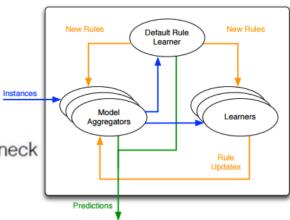
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The characteristics of the streaming data entail a new vision due to the fact that:

Data are made available through unlimited streams that continuously flow, eventually at high speed, over time;

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A new era of machine learning?

Thank You.

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