## Curtin University – Department of Computing

# **Assignment Cover Sheet / Declaration of Originality**

Complete this form if/as directed by your unit coordinator, lecturer or the assignment specification.

Last name:	Beardsmore	Student ID:	15504319
Other name(s):	Connor		
Unit name:	Fundamental Concepts of Cryptography	Unit ID:	ISEC2000
Lecturer / unit coordinator:	Wan-Quan Liu	Tutor:	Antoni Liang
Date of submission:	19/05/17	Which assignment?	2 (Leave blank if the unit has only one assignment.)

#### I declare that:

- The above information is complete and accurate.
- The work I am submitting is *entirely my own*, except where clearly indicated otherwise and correctly referenced.
- I have taken (and will continue to take) all reasonable steps to ensure my work is *not accessible* to any other students who may gain unfair advantage from it.
- I have *not previously submitted* this work for any other unit, whether at Curtin University or elsewhere, or for prior attempts at this unit, except where clearly indicated otherwise.

#### I understand that:

- Plagiarism and collusion are dishonest, and unfair to all other students.
- Detection of plagiarism and collusion may be done manually or by using tools (such as Turnitin).
- If I plagiarise or collude, I risk failing the unit with a grade of ANN ("Result Annulled due to Academic Misconduct"), which will remain permanently on my academic record. I also risk termination from my course and other penalties.
- Even with correct referencing, my submission will only be marked according to what I have done
  myself, specifically for this assessment. I cannot re-use the work of others, or my own previously
  submitted work, in order to fulfil the assessment requirements.
- It is my responsibility to ensure that my submission is complete, correct and not corrupted.

Signature:	A/L	Date of 19/05/17 signature:
- J.ga.ca. c.		

(By submitting this form, you indicate that you agree with all the above text.)

FCC200 Report
RSA Cryptosystem Implementation

Connor Beardsmore - 15504319

Curtin University Science and Engineering Perth, Australia May 2017

#### **RSA** Implementation

#### Modular Exponentiation

Modular exponentiation is used to calculate the remainder when a base b is raised to an exponent e and reduced by some modulus m. The simple right-to-left method provided by Schneier 1996 utilizes exponentiation by squaring. The full Java code for the implementation of this method is illustrated below. The running time of this algorithm is  $O(\log e)$  which provides a significant improvement over more simplistic methods of time complexity O(e) (Stallings 2011). This calculation is a core component of RSA and thus its efficiency is crucial to the speed of the RSA implementation.

```
2 //NAME: modularExpo()
  //IMPORT: base (int64_t), exponent (int64_t), modulus (int64_t)
  //EXPORT: result (int64_t)
5 //PURPOSE: Calculae the value base exponent mod modulus efficiently
  int 64\_t \ modular Expo (int 64\_t \ base \,, \ int 64\_t \ exponent \,, \ int 64\_t \ modulus)
8
       int64_t result = 1;
       base = base % modulus;
10
11
       //check upper limit, no number can be greater than this if ( ( base > LIMIT ) \mid\mid ( exponent > LIMIT ) \mid\mid ( modulus > LIMIT ) )
            return -1;
14
       //anything mod 1 results in 0
16
       if \pmod{modulus} = 1
            return 0;
19
       //loop until all exponents reviewed
20
       while (exponent > 0)
21
22
          //check least significant bit
23
          if (exponent & 1)
24
            result = ( result * base ) % modulus;
25
26
          //shift exponent to consider next bit
27
          exponent >>= 1;
28
          base = ( base * base ) % modulus;
29
31
       return result;
33
```

The code above was utilized to calculate the following example:

```
236^{239721} \ mod \ 2491 = 236
```

The running of this code provided the following output:

```
[Connors-MBP:rsa connors ./rsa
MODULAR EXPONENTIATION:
BASE: 236
EXPONENT: 239721
MODULUS: 2491
RESULT: 236
```

Figure 1: Modular Exponentiation Example

#### RSA Testing

The implemented RSA cipher works correctly with any key generated by the system. The recovered plaintext in Figure 4 is identical to the original plaintext of Figure 2, as confirmed by the Linux diff command. No major problems were encountered during the implementation phase. The bytes visible in the ciphertext are not readable as plaintext and as a result, standard text editors cannot appropriately display the information.

```
\subsection{AFS Algebras}
 1
 2
      ###&&&
 3
      The Iris dataset is used as an illustrative example for AFS algebras through
      this paper. It has 150 samples which are evenly distributed in three
 5
      classes and 4 features of sepal length($f_1$), sepal
 6
      width(f_2$), petal length(f_3$), and petal width(f_4$). Let a
 7
      pattern x=(x_{1},x_{2},x_{3},x_{4}), where x_{i} is the $i$th
 8
      feature value of $x$. The following three linguist fuzzy rules have been obtained for Class 1 to build the
 9
257
258
       \subsection{Shannon@s Entropy}
259
      Let $X$ be a discrete random variable with a finite set containing $N$ symbols
260
       x_{0}, x_{1}, \ldots, x_{N}. If an output x_{j} occurs with probability p(x_{j}), then the
261
      amount of information associated with the known occurrence of the output x_{j} is defined as
262
       \begin{equation}
263
       I(x_{j}) = -\log_{2} p(x_{j})
264
       \end{equation}
      Based on this, the concept of Shannon ses entropy is defined as follows:
265
266
      )))))
```

Figure 2: RSA Plaintext

```
00)000sC0Z0500}00]u0000F-0050*]00M}000m<<00NJ|0p00\0Z0t0000Ys0M0N0MÜfsWu050000(0)[0"0X]rA0
1
     \r@@LJHW-@@@@@@@@`X@@v@@@"@@t@@'@@@@6-#@@@{@mv!Y@k@\@`
2
3
     ) @fsJ@@l@\Z@+@; @@@@@@l@@@@l@@@1@Ŭ6-#@@@{@mv!Y@k@\@Y@
4
     ) 06-00Wu0$00Ųv00 '0M000k0□00
     ) @@@w#@M@@tMW@d@\`<@@w*@j@/@@
5
     008cei00G08c000G08ciK00G08c0=0a<06000;0vu.00
6
     008c0.000N0M000|0p*0jw00;x>2000d0\00-u.000y0"0u.00*0j},000000u.000eBa000de{003m;0"0u.00`|li
7
     @@rIy^?$6@Wu@@@e1@@@@F5@@t0@Y@@@B@m@@@@@|@p@[@6@(X@6z@@x@@r@@LJH@p@@ 1@@e{@M@q@h@@<|q@@`K=
8
9
     $$8c$$qaf0$t0,$$5$$J_'$M$ $'$$$$66-#$$$$$$0000*$j!V$$cJ$$F$t0,$$5$$J_$$d$$vr$$d$1$Ŭ6-#$$$$$$
      164
      @@[@@-@t0'@M;@1"@@No@@`\W@*@j@@!V@?@@{@>r:7@@@|@p(@;@%y@@@@RL<@M@@F@@}@v6@@<|q@@@LJH@@@x4`<WL
165
      00 [00-0"0
166
      `u.00000|0p
167
168
      00030000M00
      008c2jt00N0M00L00e{0Tjk000j0000Ek0`000}0z0000<|g*]000
169
170
      008c2jt000[0v00s0008c00010
      008c2jt00000{0m0000z0000<|g*]0(JD50Tjk
171
      00(0;N0M0f;u.0e*~
172
      `@@@M@@M@:E@S@V<|q)@@t0{@m~@@<J@@@N@M@@L@@e{@Tjk@@@t0@@eBa@@@d@NNx>2@@@@@@>@6@6@
173
```

Figure 3: RSA Ciphertext

```
1
      \subsection{AFS Algebras}
 2
 3
     The Iris dataset is used as an illustrative example for AFS algebras through
 4
     this paper. It has 150 samples which are evenly distributed in three
 5
      classes and 4 features of sepal length($f_1$), sepal
 6
      width(f_2$), petal length(f_3$), and petal width(f_4$). Let a
 7
      pattern x=(x_{1},x_{2},x_{3},x_{4}), where x_{i} is the $i$th
 8
      feature value of $x$. The following three linguist fuzzy rules have been obtained for Class 1 to build the
 9
257
258
      \subsection{Shannon@s Entropy}
259
      Let $X$ be a discrete random variable with a finite set containing $N$ symbols
      x_{0}, x_{1}, \ldots, x_{1}, \ldots, x_{1}, \ldots, x_{1}, \ldots
260
261
      amount of information associated with the known occurrence of the output x_{j} is defined as
262
      \begin{equation}
263
      I(x_{j}) = -log_{2} p(x_{j})
264
      \end{equation}
265
      Based on this, the concept of Shannon of sentropy is defined as follows:
266
      )))))~~~~
```

Figure 4: RSA Recovered Plaintext

#### **Additional Questions**

#### Signature Forgery

RSA can be utilized as a message signature scheme to provide authentication to messages. If Alice wants to send a signed message to Bob, she first produces a hash value of the message H(m), then raises this to the power  $d(modulo\ n)$  and attaches it to the message as a signature. When Bob receives the message, he utilizes the same hashing function, raises the result to the power of  $e(modulo\ n)$  and compares to the message signature H(m) = H(m'). If they are the same, Bob can be assured that the message was signed by Alice or someone with knowledge of Alice's private key.

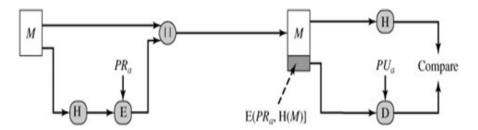


Figure 5: RSA Signature Scheme (Schneier 1996)

In this scheme, it is not possible to completely ensure the message was sent by Alice. If Bob has some alternate message m'' with a hash value H(m'') matching that of Alice's H(m) as discussed in Rivest, Shamir, and Adleman 1978, Bob can pretend to be Alice. He can simply resend Alice's signature he received onwards and the receiver of this message will believe that the message was sent by Alice. He can then perform malicious actions such as replay attacks depending on his intent. This can only occur if Bob finds a hash collision where H(m) = H(m'). It is however unlikely for Bob to create a meaningful message with a hash value matching Alice's (Schneier 1996). This is analogous to the idea of Birthday attacks mentioned in Liu 2017.

To prevent this situation from occurring, the hash function utilized for the digital signature must be strongly collision resistant (Rivest, Shamir, and Adleman 1978). Strong collision resistance asserts that there exists no m and m' where m! = m' so that H(m) = H(m'). Thus if the hash function adheres to this property, the above situation cannot occur.

#### Birthday Attack

In a group of 23 randomly selected people, the probability that two of them share the same birthday is larger than 50%

Firstly, the probability that two people have different birthdays is found:

$$1 - \frac{1}{365} = \frac{364}{365} = 0.99726$$

This can be extended to determine if three people have different birthdays:

$$1 - \frac{2}{365} = \frac{363}{365} = 0.99452$$

Utilizing conditional probability (Liu 2017) we can construct the probability that all 23 people have different birthdays. This is simply represented as a series of fractions with their product producing the resultant probability:

$$1 \times (1 - \frac{1}{365})(1 - \frac{2}{365})...(1 - \frac{22}{365}) = 0.493$$

To find the probability that two of the people have the same birthday, we inverse this number by subtracting from the total probability (1):

$$1 - 0.493 = 0.507 = 50.7\%$$

It is thus evident that the probability of two people in a set of 23 random selected sharing the same birthday is greater than 50%.

### **RSA Source Code**

#### makefile

```
1 # Makefile For RSA Implementation
2 # FCC200 Assignment
_3 # Last Modified: 03/05/17
_4\ \#\ Connor\ Beardsmore\ -\ 15504319
6 # MAKE VARIABLES
7 CC=gcc
9 EXEC=rsa
10 OBJ=main.o numberTheory.o
{\tt 11} \ \ {\tt TESTS}\!\!\!=\!\! {\tt output.txt} \ \ {\tt original.txt}
12
_{13} # RULES + DEPENDENCIES
14
15 $(EXEC): $(OBJ)
    $(CC) -o $(EXEC) $(OBJ)
16
17
18 main.o: main.c main.h
    (CC) (CFLAGS) -c -o main.o main.c
19
{\tt numberTheory.o:\ numberTheory.c\ numberTheory.h}
    $(CC) $(CFLAGS) -c -o numberTheory.o numberTheory.c
23
24 clean:
  rm -r  $(OBJ) $(EXEC) $(TESTS)
```

#### numberTheory.h

```
1 /***************************
* FILE: numberTheory.h
3 * AUTHOR: Connor Beardsmore - 15504319
4 * UNIT: FCC200
5 * PURPOSE: Header file for number theory functionality
     LAST MOD: 02/05/17
     REQUIRES: stdio.h, stdlib.h, stdint.h
                              ********************************
10 #include <stdio.h>
11 #include <stdlib.h>
12 #include <stdint.h>
14 //CONSTANTS
15 #define PRIME_TESTS 25
16 #define LOWER_PRIME 1000
17 #define UPPER_PRIME 10000
18 #define LIMIT 10000000000
20 //BOOLEANS
21 #define TRUE 1
22 #define FALSE 0
24 //PROTOTYPES
int primalityTest(int64_t,int);
26 int64_t generatePrime(int,int);
27 int64_t modularExpo(int64_t, int64_t, int64_t);
28 int64_t extendedEuclid(int64_t,int64_t);
29 int64_t findGCD(int64_t, int64_t);
31 //----
```

#### numberTheory.c

```
2 * FILE: numberTheory.c
_3 * AUTHOR: Connor Beardsmore - 15504319
4 * UNIT: FCC200
5 * PURPOSE: Functionality for basic number theory techniques
      LAST MOD: 02/05/17
6 *
      REQUIRES: numberTheory.h
                             ***********************************
10 #include "numberTheory.h"
11
13 //NAME: primalityTest
//IMPORT: prime (int64_t), tests (int)
15 //EXPORT: isPrime (int)
16 //PURPOSE: Check if a number is prime or not to some confidence level
int primalityTest( int64_t prime, int tests )
19 {
20
    int64_t a, r, exponent;
    int isPrime = TRUE;
21
22
    for (int ii = 0; ii < tests; ii++)
23
          //calculate r result
25
      a = (rand() \% prime) + 1;
26
      exponent = (prime - 1) >> 1;
27
      r = modularExpo(a, exponent, prime);
28
29
          // if r not 1 or -1 it is 100\% not prime
30
      if( ! ( (r == 1) || (r == (prime-1)) )
31
        return FALSE;
32
33
      //can't prove that it's not prime, so assume prime with 99% certainty
34
    return isPrime;
35
36 }
37
38 /
39 //NAME: generatePrime()
40 //IMPORT: lower (int), upper (int)
41 //EXPORT: newPrime (int64_t)
42 //PURPOSE: Generate a random prime number between the two bounds given
43
44 int64_t generatePrime( int lower, int upper)
45 {
    int64_t newPrime;
46
47
48
49
          //generate number between lower and upper bound
50
51
      newPrime = ( rand() \% ( upper - lower) ) + lower;
52
      //loop until we can be sure the number is a prime
53
    while( !primalityTest( newPrime, PRIME_TESTS ) );
54
55
    return newPrime;
56
57 }
59 //
60 //NAME: modularExpo()
_{\rm 61} //IMPORT: base (int64_t), exponent (int64_t), modulus (int64_t)
62 //EXPORT: result (int64_t)
63 //PURPOSE: Calculae the value base exponent mod modulus efficiently
```

```
65 int64_t modularExpo(int64_t base, int64_t exponent, int64_t modulus)
66
       int64_t result = 1;
67
       base = base % modulus;
68
69
       //{
m check} upper limit, no number can be greater than this
70
       if ( ( base > LIMIT ) || ( exponent > LIMIT ) || ( modulus > LIMIT ) )
71
72
           return -1;
73
       //anything mod 1 results in 0
74
       if (\text{modulus} = 1)
75
            return 0;
76
77
       //loop until all exponents reviewed
78
79
       while (exponent > 0)
80
          //check least significant bit
81
         if (exponent & 1)
82
           result = ( result * base ) % modulus;
83
84
         //shift exponent to consider next bit
85
         exponent >>= 1;
86
         base = ( base * base ) % modulus;
87
       }
88
89
       return result;
90
91 }
92
93 //
94 //NAME: extendedEuclid()
95 //IMPORT: a (int64_t), n (int64_t)
96 //EXPORT: t (int64_t)
97 //PURPOSE: Find the inverse modular a number via the extended euclidean algorithm
99 int64_t extended Euclid ( int64_t a, int64_t n )
100 {
101
       int64_t t t = 0, newt = 1;
       int64_t r = n, newr = a;
102
     int64_t q = 0, temp = 0;
103
104
       //only applicable if gcd is 1
105
106
       if ( findGCD(a, n) != 1 )
           return -1;
107
108
       //perform the actual eea
109
110
     while ( newr != 0 )
111
       q = r / newr;
112
113
       temp \ = \ t \ ;
       t = newt;
114
115
       newt = temp - (q * newt);
116
       temp = r;
       r = newr;
117
118
       newr = temp - (q * newr);
     }
119
120
       //ensure t is positive
121
     if(t < 0)
123
       t += n;
124
125
     return t;
126 }
127
```

```
129 //NAME: findGCD()
^{130} //IMPORT: a (int64_t), b (int64_t)
131 //EXPORT: gcd (int64_t)
132 //PURPOSE: Recursively find greatest common denominator of 2 numbers
133
int64_t findGCD( int64_t a, int64_t b)
135 {
      int64_t gcd, quotient, residue;
136
137
         //\mathrm{check} if either number is 0
138
         \begin{array}{ll} \text{if } (\ a == 0\ ) & \text{return } b; \\ \text{if } (\ b == 0\ ) & \text{return } a; \end{array}
139
140
141
         //satisfy the equation A = B * quotient + residue
142
         quotient = a / b;
143
         residue = a - (b * quotient);
144
145
         //recursively call gcd
146
         gcd = findGCD( b, residue );
147
148
      return gcd;
149
150 }
151
152 //--
```

#### main.h

```
1 /***************************
2 * FILE: main.h
_3 * AUTHOR: Connor Beardsmore - 15504319
4 * UNIT: FCC200
5 * PURPOSE: Header file for main RSA implementation
      LAST MOD: 02/05/17
      REQUIRES: time.h, string.h numberTheory.h
                                 ***************
10 #include <time.h>
11 #include <string.h>
#include "numberTheory.h"
_{14} //FUNCTION POINTER FOR MODE (ENCRYPT/DECRYPT)
typedef int(*FuncPtr)(FILE*,FILE*);
17 //CONSTANTS
18 #define PLAIN_BYTES 2
19 #define CIPHER_BYTES 4
21 //PROTOTYPES
22 int64_t generateE(int64_t);
void generateKeys(void);
void printvals(void);
55 FuncPtr readArgs(int, char**);
26 char* readLine(FILE*);
int encrypt(FILE*,FILE*);
28 int decrypt(FILE*,FILE*);
void printKeys(void);
31 //GLOBALS
{}_{32} \ int 64\_t \ p, \ q, \ n, \ tot N \, , \ e \, , \ d \, ;
33 char *inFile , *outFile;
34
35 //---
```

#### main.c

```
1 /**********************************
2 * FILE: main.c
3 * AUTHOR: Connor Beardsmore - 15504319
4 * UNIT: FCC200
* PURPOSE: Main RSA implementation
      LAST MOD: 03/05/17
6 *
      REQUIRES: main.h
10 #include "main.h"
11
13
14 int main( int argc, char **argv )
15 {
       if ( ( argc != 4 ) && ( argc != 6 ) )
16
17
           \begin{array}{lll} printf(\ "USAGE: \ ./\, rs\, a \ <infile> < outfile> < mode> < keys> \ "); \\ printf(\ "\tMODE: -e = encryption, -d = decryption \ "); \\ printf(\ "\tKEYS: if mode = -d, supply values for d and n \ n"); \\ \end{array}
18
19
20
           exit (1);
21
22
23
24
       FuncPtr modeFunc = NULL;
       FILE* \ input = NULL;
25
       FILE* output = NULL;
26
27
     //seed random
28
       srand(time(NULL));
29
30
       //generate keys on default
31
       if (argc = 4)
32
           generateKeys();
33
34
       //read command line arguments, ignoring the first
35
     modeFunc = readArgs( argc, argv);
36
37
       //open files
38
       printf("OPENING FILES...\n");
39
     input = fopen(inFile, "rb");
40
41
     if ( input == NULL )
     {
42
       printf("CANNOT OPEN %s FOR FILE READING\n\n", inFile);
43
           exit(1);
44
45
     output = fopen(outFile, "wb");
46
     if ( output == NULL )
47
48
       printf("Problem opening %s for writing\n\n", outFile);
49
           exit(1);
50
51
52
       printf("PERFORMING RSA ENCRYPTION/DECRYPTION...\n");
53
       //perform actual encryption or decryption
54
55
     while( (*modeFunc)(input,output) != EOF ) {}
       printf("\tCOMPLETE\n");
56
57
     return 0;
58
59 }
60
61 //-
62 //NAME: encrypt()
63 //IMPORT: input (FILE*), output (FILE*)
```

```
64 //EXPORT: retVal (int)
65 //PURPOSE: Reads in two bytes, encrypts, and write back out 4 bytes
66
67 int encrypt(FILE* input, FILE* output)
68 {
     int c;
69
       int retVal = 0;
70
     int64_t plaintext = 0;
71
     int64_t ciphertext;
73
       //read in two characters
74
     for( int ii = 0; ii < PLAIN_BYTES; ii++ )</pre>
75
76
77
       c = fgetc(input);
           //EOF reached
78
79
        if(c = EOF)
           {
80
                retVal = EOF;
81
82
                break;
           }
83
        else
84
          plaintext += c << ( (1 - ii ) << 3 );
85
86
87
        //skip over if there nothing read in
88
89
     if(plaintext != 0)
90
            //calculate the actual ciphertext
91
        ciphertext = modularExpo(plaintext, e, n);
92
93
            //write back out 4 characters
94
        for( int ii = 0; ii < CIPHER_BYTES; ii++)</pre>
95
96
        {
         c = ciphertext >> ( (3 - ii) << 3 );
97
          fputc(c, output);
98
       }
99
     }
100
101
     //close files when done
102
     if (retVal == EOF)
103
104
        fclose (input);
105
106
        fclose (output);
107
108
     return retVal;
109
110 }
111
112 /
113 //NAME: decrypt()
114 //IMPORT: input (FILE*), output (FILE*)
115 //EXPORT: retVal (int)
   //PURPOSE: Reads in 4 bytes, decrypts, and write back out 2 bytes
116
117
int decrypt(FILE* input, FILE* output)
119 {
120
     int c;
     int64_t plaintext;
121
     int64_t ciphertext = 0;
     int retVal = 0;
123
124
     for(int ii = 0; ii < CIPHER_BYTES; ii++ )</pre>
125
126
127
       c = fgetc(input);
     //EOF reached
128
```

```
if(c = EOF)
129
130
          retVal = EOF;
131
132
          break;
       }
133
134
          ciphertext += c << ((3 - ii) << 3);
135
     }
136
137
       //skip over if nothing read in
138
     if (ciphertext != 0)
139
140
            //calculate the actual plaintext
141
142
       plaintext = modularExpo(ciphertext, d, n);
143
            //write back out 2 bytes
144
       for ( int ii = 0; ii < PLAIN_BYTES; ii++)</pre>
145
146
         c = plaintext >> ((1 - ii) << 3);
147
          if(c!=0)
148
149
           fputc(c, output);
150
151
     }
152
     //close files when done
154
     if(retVal == EOF)
       fclose (input);
156
       fclose (output);
157
158
159
     return retVal;
160
161
162 }
163
164
   //NAME: readArgs()
165
    //IMPORT: argc (int), argv (char**)
   //PURPOSE: Read the command line arguments into global variables
167
168
169 FuncPtr readArgs( int argc, char **argv )
170 {
171
       FuncPtr modeFunc = NULL;
       //rename for readability
173
       inFile = argv[1];
       outFile = argv[2];
174
175
       char* mode = argv[3];
176
       //only if decryption is set
178
       if (argc > 4)
179
           d = atoi(argv[4]);
180
           n = atoi(argv[5]);
181
182
            //check validity of keys
183
            if ( ( d == 0 ) || ( n == 0 ) )
184
           {
185
                printf("INVALID KEYS FOR DECRYPTION");
186
187
                exit(1);
188
            }
       }
189
190
       //set the correct mode
191
192
       if (strcmp(mode, "-e") == 0)
           modeFunc = &encrypt;
```

```
else if (strcmp(mode, "-d") == 0)
194
195
            modeFunc = &decrypt;
196
197
       {
            printf( "INVALID MODE ARGUMENT\n" );
198
            exit (1);
199
200
201
202
       return modeFunc;
203 }
204
205
   //NAME: generateKeys()
206
   //PURPOSE: Generate key values for RSA, p, q, n, totN, e and d
208
209
   void generateKeys(void)
210 {
       //generate two different prime numbers
211
     p = generatePrime(LOWER_PRIME, UPPER_PRIME);
212
     do
213
214
     {
       q = generatePrime(LOWER_PRIME, UPPER_PRIME);
215
216
     while (p = q);
217
218
219
       //calculate n and totN
       n \,=\, p \ * \ q\,;
220
       totN = (p-1) * (q-1);
221
222
       //choose suitable e value
223
224
     e = generateE(totN);
       //determine\ modular\ inverse\ of\ e\ and\ totN\,,\ the\ d\ value
225
     d = extendedEuclid( e, totN );
226
227
       printKeys();
228
229 }
230
231
232 //NAME: generateE()
^{233} //IMPORT: totN (int64_t)
   //EXPORT: e (int64_t)
   //PURPOSE: Determine suitable e value so that e and totN are coprime
235
236
237 int64_t generateE( int64_t totN )
238 {
     int64_t e;
239
240
       //repeat until the values of coprime
241
     do
242
243
     {
       e = rand() \% totN;
244
245
     while (findGCD(e, totN)!= 1);
246
247
248
     return e;
249 }
250
251 /
   //NAME: printKeys()
252
   //PURPOSE: Print all keys and variables required in RSA
253
254
255
   void printKeys(void)
256 {
257
       printf("GENERATING NEW KEYSET:\n");
       printf("\tp = \%lld\n\tq = \%lld\n", p, q);
```

### References

Liu, Wan-Quan. 2017. Lecture 6: Number Theory. Curtin University.

Liu, Wan-Quan. 2017. Lecture 8: Birthday Attacks. Curtin University.

Liu, Wan-Quan. 2017. Lecture 5: Public Key Cryptosystem. Curtin University.

Rivest, R. L., A. Shamir, and L. Adleman. 1978. "A Method for Obtaining Digital Signatures and Public-key Cryptosystems". *Commun. ACM* (New York, NY, USA) 21 (2): 120–126.

Schneier, Bruce. 1996. Applied Cryptography. 5th ed. John Wiley & Sons Inc.

Stallings, William. 2011. Cryptography and Network Security: Principles and Practice. 5th ed. Prentice Hall.