```
1 /***********************
2 *
   FILE: keyEligible.c
3 *
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4 *
   UNIT: FCC200
5 *
   PURPOSE: Check the eligibility of keys a and b
6 * LAST MOD: 28/03/17
7 *
   REQUIRES: keyEligible.h
9
10 #include "keyEligible.h"
11
13 // FUNCTION: keyEligible
14 // IMPORT: a (int), b (int)
15 // EXPORT: eligible (int)
16 // PURPOSE: Check that the two given keys are eligible via coprime check
17
18 int keyEligible ( int a, int b, int alphabet )
19 {
20
      int eligible = 1;
21
22
      // a must be positive and less than the alpabet (26)
23
     if ( ( a < 0 ) || ( b > ( alphabet - 1 ) ) )
24
         eligible = 0;
2.5
     // a must be coprime to the alphabet length (26)
26
     if ( gcdFunction( a, alphabet ) != 1 )
27
         eligible = 0;
     // b must be positive and less than the alphabet (26)
2.8
     if ( ( b < 0 ) || ( b > ( alphabet - 1 ) ) )
29
3.0
        eliqible = 0;
31
     return eligible;
32 }
33
34 //----
35 // FUNCTION: gcd
36 // IMPORT: a (int), b (int)
37 // PURPOSE: Find greatest common denominator of 2 numbers
38
39 int gcdFunction(int a, int b)
40 {
41
     int quotient, residue, temp, gcd = 1;
42
     // SWAP ELEMENTS TO GET THE MAX
43
     if ( a < b )
44
45
        temp = a;
46
        a = b;a
47
        b = temp;
48
49
     // CHECK IF EITHER NUMBER IS 0
50
     if ( a == 0 ) return b;
51
     if ( b == 0 )
                    return a;
     // SATISFY THE EQUATION: A = B * quotient + residue
52
     quotient = a / b;
53
    residue = a - ( b * quotient );
54
55
     // RECURSIVELY CALL GCD
56
    gcd = gcdFunction( b, residue );
57
     return gcd;
58 }
59
60 //----
61 // FUNCTION: extendEuclid
62 // IMPORT: a (int), n (int)
63 // PURPOSE: Extended Euclidean algorithm to find inverse modular
64
65 int extendEuclid( int a, int n )
66 {
67
     int t = 0, newt = 1;
68
     int r = n, newr = a;
     int q = 0, temp = 0;
69
70
71
      // IF GCD IS NOT 1 THEN NO COPRIME EXISTS
72
     if ( gcdFunction( a, n ) != 1 )
```

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73
        return -1;
74
75
     // PERFORM EXTENDED EUCLIDEAN
76
    while ( newr != 0 )
77
78
       q = r / newr;
79
        temp = t;
        t = newt;
newt = temp - ( q * newt );
temp = r;
80
81
82
       r = newr;
83
84
        newr = temp - (q * newr);
    }
85
86
   // MAKE SURE T IS NOT NEGATIVE
if ( t < 0 )</pre>
87
88
      t = t + n;
89
90
91
     return t;
92 }
93
94 //-----
95
```