

$\sum_{y=0}^{2L-1} s(x,y) \cos \frac{\pi^{2}}{2} \left(\frac{\pi}{2} x + \frac{\pi}{2} \right)$

Ω mega

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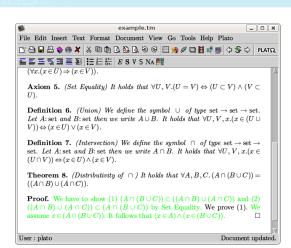
Sydney, Australia, 10 August 2008

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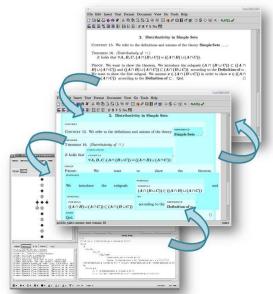
Motivation

- Support user in authoring documents
- Definition of concepts and notations
- Verification of partial proofs
- Completion (filling gaps in the document)
- Detection of missing subgoals





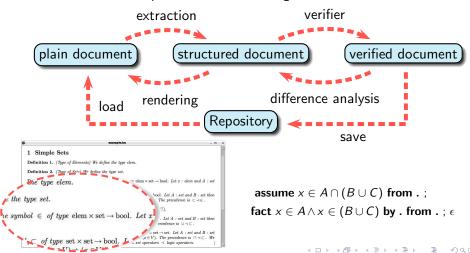
Three Processing Phases





The Global Picture

Document is processed in three stages:





Incremental Proof Step Verification

Goal: Verifiable document

- Resolve underspecification
- Resolve ambiguities
- Completion

Proof Checking

- Proof checking under complete information is simple and fast
- If information is missing proof search is necessary

proof $\forall A, B, C.A \cap (B \cup C) = (A \cap B) \cup (A \cap C)$

```
assume x \in A \cap (B \cup C)
from ;
fact x \in A \wedge x \in (B \cup C) by
from . ; \epsilon}
```



Incremental Proof Step Verification

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```
proof \forall A, B, C.A \cap (B \cup C) =
(A \cap B) \cup (A \cap C)
subgoals
A \cap (B \cup C) \subset (A \cap B) \cup (A \cap C)
assume x \in A \cap (B \cup C)
from Subset:
fact x \in A \land x \in (B \cup C) by Set
Intersection from . ; \epsilon}
(A \cap B) \cup (A \cap C) \subset A \cap (B \cup C)
: \{ \epsilon \}
by Set Equality from .
```



Further Information on Ω mega

- Logic: Church's simple type theory
- Polymorphism: limited (Prefix-Polymorphism)
- Semantics: Henkin semantics
- Calculus: directly mechanizes assertion level reasoning
- Automation: new proof planner under development
- Declarative language for specifying strategies and heuristics
- Relatively small problem library, growing
- ▶ Supports THF input (THF output forthcoming) via OmDoc