

Solver Class:

- Instance Variables:
 - Board
- Methods:
 - solveCurrentBoard

Board Class:

- Instance Variables:
 - 2D-Array of Pebbles
- Methods:
 - addPebble - add pebble to specified location on board

Pebble Class:

- Instance Variables:
 - Color
 - Iteration Value
 - Left Pebble
 - Right Pebble
 - Up Pebble
 - Down Pebble
- Methods:
 - flipColor - if black, set Color to white, else set Color to black

Algorithm 1 Solve Current Board: Belongs to Solver Class

```
1: procedure SOLVECURRENTBOARD
2:   Input: A board representation that contains a 2 dimensional array of
   pebble representations.
3:   Output: Number of iterations that pebble representations are replaced
   and whether or not there are any black pebble representations remaining.
4:    $Q \leftarrow \emptyset$  (Queue)
5:    $blackPebbles \leftarrow 0$ 
6:   for each pebble on board do
7:     if pebble is white then
8:       add pebble to  $Q$ 
9:       set pebble iteration level to 0
10:    else
11:       $blackPebbles \leftarrow blackPebbles + 1$ 
12:     $currentIteration \leftarrow 0$ 
13:    while  $Q$  is not empty do
14:       $currentPebble \leftarrow$  pebble dequeued from  $Q$ 
15:       $currentIteration \leftarrow currentPebble's\ iterationLevel$ 
16:      Change color of  $currentPebble$ 's black neighbors to white and enqueue
      them to  $Q$  with iteration level of one greater than  $currentPebble$ 's iteration
      level.
17:      Decrement  $blackPebbles$  by 1 for each black neighbor flipped
18:    return  $currentPebble$ 's iteration level and True if  $blackPebbles > 0$ ,
    False otherwise
```

Runtime:

- First loop iterates through each pebble at most once, this $O(n)$
- Second loop goes through entirety of queue, which holds at most all the pieces on the board since pieces cannot be added to the queue more than once, this is $O(n)$
- $O(n) + O(n) = O(n)$, where n is the number of pieces on the board