1. (taylorerror:expatapoint)

Find a bound on the error of the approximation of  $e^{\frac{1}{3}}$  by  $1 + \frac{1}{3} + \frac{1}{3^2 2!} + \frac{1}{3^2 2!}$  $\frac{1}{3^3(3!)}$ .

2. (taylorerror:sinconvergence)

Find a bound for  $R_n^0 \sin(x)$  and use this to show that  $T_n^0 \sin(x) \rightarrow$  $\sin(x)$  for all x as  $n \to \infty$ .

3. (taylorerror:sin3convergence)

Find a bound for  $R_n^0 \sin(3x)$  and use this to show that  $T_n^0 \sin(3x) \rightarrow$  $\sin(3x)$  for all x as  $n \to \infty$ .

4. (taylorerror:exp2convergence) Find a bound on  $R_n^0e^{2x}$  and use this to show that for every  $x,\,T_n^0e^{2x}\to$  $e^{2x}$  as  $n \to \infty$ .

5. (taylorerror:sincosconvergence)

Find a bound on  $R_n^0(\sin(x) + \cos(x))$  and use this to show that  $T_n^0(\sin(x) + \cos(x))$ converges to  $\sin(x) + \cos(x)$  as  $n \to \infty$ .

6. (taylorerror:cosgoodenough)

Find a bound on  $|R_n \cos(x)|_{x=1}$  and use this information to find a decimal approximation of  $\cos(1)$  with an error of at most .1.