Small Sensors - A Quantitative Study

The creation of small sensors has revolutionized the the refinement process of business. These sensors have allowed companies to gather massive amounts of data related to personnel activity. And for this specific company, they have placed sensors on six of their machinists clothes and body to determine the motions correlated with a successful product.

This study will help refine the current manufacturing process at this business, allowing the business to save time and money. Not to mention any other company that may benefit as a result of this study.

In essence, this is a binary outcome study. Either the machinists made the machine correct or incorrectly. Therefore, independent variables are compared with one another based on how they affect the dependent variable.

The dependent variable is classe, it is a factor variable that is either 1 or 0. There are a lot of independent variables, so I will not name them all here. The original data set given is train, the fully modified base dataset is dv, the model dataset is dv_var1 and the model is titled model. For the most part, every other object created is either an iteration or alteration to one those important objects.

A really big weakness is the lack of natural intuition to help guide the variable selection process. To create the ultimate dataset, every tiny little thing would have to be tested, meaning this dataset would take an enormous amount of time to fully deconstruct and build the "perfect" model. Plus, not much is given on who the company is, or who the workers are. There could be some unseen bias in the data because one machinist just happened to be significantly older than the rest, and we would never know.

The subjects in this experiment are the machinists who wore the sensors for the study. This leads back to the previous paragraph, all we really know about the subjects is that they are expert machinists, which is a pretty vague term. And there are not enough subjects to compensate for extreme abnormalities.

The independent variables in this study are the data from the accelerometers located on the machinists' belt and arm as well a bell on a manufacturing mechanism. The values are either numeric or integer though quite a few of them came up either NA or blank. The dependent variable is the binomial factor variable classe.

In the analysis I rely mainly on random forest for a few reasons. The main being the amount of time saved by using randomForest() instead of using the train funcion. It's not like randomForest() is the most accurate, especially because it has a tendency to overfit, but it will get you a good model in a short amount of time. I also use train(method='nb'), mainly because I had trouble getting train(method='rf') to work.

To start off, I needed to clean the data. The first step is simple enough, it's look at the data to see if there any abnormalities. After looking at the data, it became pretty obvious that I needed to get rid of the NA variables, which was a pretty simple process. This dramatically dropped the amount of observations in the data set. Now, looking at the data set again, I noticed that a number of the variables had missing values, though they were not considered NA values, so I missed them with my NA sweep. Getting rid of these variables proved to be somewhat of a challenge, so in the end, I used (<-NULL) on each individual variable that had a vast majority of the rows being missing. Next I removed the variables that were arbitrary.

Now that all of the variables left were useful, I needed to determine which to use. Top variables:

depth vimp.all vimp.0 vimp.1 pitch forearm 2.709 0.057 0.042 0.096 magnet dumbbell z 3.169 0.066 0.044 0.121 roll forearm 3.341 0.083 0.072 0.111 magnet dumbbell y 3.528 0.043 0.033 0.069 roll arm 3.934 0.035 0.034 0.039 magnet_arm x 4.088 0.031 0.017 0.065 total accel dumbbell 4.099 0.028 0.018 0.052 magnet dumbbell x 4.162 0.037 0.022 0.075 accel arm x 4.331 0.028 0.018 0.053 pitch arm 4.542 0.026 0.024 0.029 accel dumbbell z 4.542 0.021 0.016 0.032 accel forearm x 4.694 0.019 0.011 0.039 magnet forearm x 4.752 0.018 0.008 0.042 pitch belt 4.800 0.029 0.012 0.069 accel dumbbell y 4.980 0.017 0.012 0.029 5.020 0.020 0.013 0.036 yaw dumbbell magnet_arm_z 5.107 0.012 0.006 0.027 magnet_arm_y 5.141 0.018 0.013 0.030 magnet forearm z 5.156 0.014 0.010 0.024 accel_forearm_z 5.171 0.017 0.013 0.026 roll_belt 5.187 0.032 0.027 0.045 yaw arm 5.247 0.014 0.011 0.022 roll dumbbell 5.380 0.013 0.010 0.020 magnet_forearm_y 5.464 0.011 0.008 0.019 accel dumbbell x 5.555 0.012 0.008 0.022 accel belt z 5.589 0.014 0.008 0.028 yaw forearm 5.630 0.012 0.009 0.019 accel_arm_y 5.636 0.013 0.009 0.023 magnet belt z 5.758 0.010 0.005 0.023 gyros dumbbell y 5.849 0.007 0.003 0.016 magnet_belt_y 5.886 0.009 0.004 0.020 magnet_belt_x 5.916 0.012 0.008 0.022 5.944 0.009 0.003 0.023 gyros_arm_x accel arm z 5.968 0.009 0.005 0.019 accel_forearm_y 5.996 0.008 0.005 0.017 total_accel_belt 6.206 0.012 0.007 0.024 gyros_arm_y 6.270 0.006 0.002 0.014 total accel arm 6.299 0.007 0.003 0.015 accel_belt_x 6.385 0.008 0.004 0.018

```
6.403 0.006 0.005 0.011
pitch_dumbbell
                 6.448 0.005 0.002 0.012
gyros_forearm_y
gyros_dumbbell_x 6.784 0.003 0.002 0.006
gyros_belt_x
               6.828 0.005 0.002 0.011
gyros forearm x
                 6.869 0.003 0.002 0.005
gyros_forearm_z
                 6.907 0.002 0.001 0.005
gyros_arm_z
                6.947 0.003 0.002 0.007
gyros_belt_z
               7.007 0.006 0.002 0.015
accel_belt_y
               7.107 0.010 0.005 0.021
gyros_dumbbell_z 7.163 0.002 0.002 0.004
gyros_belt_y
               7.847 0.006 0.003 0.013
```

This is the table I used to determine what variables would go in my model. The problem with having so many variables is you lose the ability and time to check each variable. The higher up, the more impact the variable has.

The original sample 160 variables long and had 19622 observations. And through a long process, those numbers went down 52 variables and 13816 observations.

I would say my analysis was a success. I found a model with a success rate of 0.82 for finding if the machine was not built properly, and a 0.89 for predicting if the machine was built properly.

Based on these results, it is fairly conclusive that the way a machinists works affects productivity, which could potentially save the company a lot of money.