

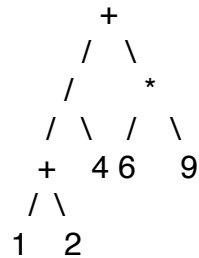
IMPORTANT FIRST STEPS:

1. Close your laptops and put them away.
2. Form a group of 2-3 students.
3. Clearly put your names and IDs on 1 copy of this worksheet.
4. Be sure to turn this exercise in at the end of class.

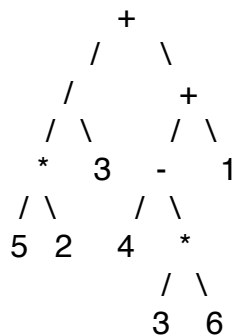
Trees

Translate the following mathematical expressions into binary expression trees:

$$(1+2) / 4 + 6 * 9$$



$$5 * 2 / 3 + (4 - 3 * 6 + 1)$$



Print the results of navigating each tree by a prefix, postfix and infix traversal:

Tree 1

Prefix: + / + 1 2 4 * 6 9

Postfix: 1 2 + 4 / 6 9 * +

Infix: 1 + 2 / 4 + 6 * 9

Tree 2

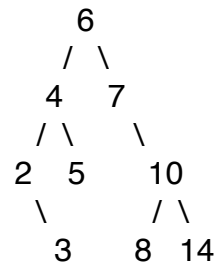
Prefix: + / * 5 2 3 + - 4 * 3 6 1

Postfix: 5 2 * 3 / 4 3 6 * - 1 + +

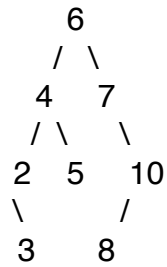
Infix: 5 * 2 / 3 + 4 - 3 * 6 + 1

Insert the following elements into a binary search tree:

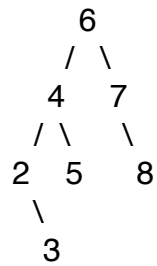
6 4 7 10 5 2 3 14 8



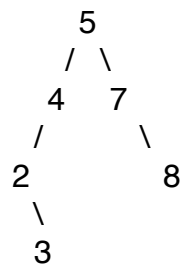
Delete 14 and draw the resulting tree:



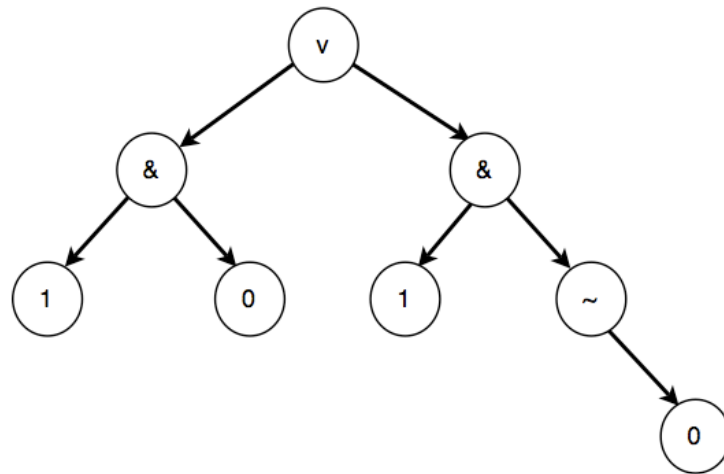
Delete 10 and draw the resulting tree:



Delete 6 and draw the resulting tree:



As you know, computers are collections of logical circuits that take a set of boolean input values and produce a boolean output. You can represent this mapping from input to output with a logic expression consisting of the boolean logic operators AND (&), OR (v), and NOT (~), and the boolean values true (1) and false (0). Just as you can construct an arithmetic expression tree from an arithmetic expression, you can also construct a logic expression tree from a logic expression. Given the following logic expression tree, determine the baseline expression and whether it is true or false:



$(1 \wedge 0) \vee (1 \wedge \sim 0)$
 $0 \vee (1 \wedge 1)$
 $0 \vee 1$
 1