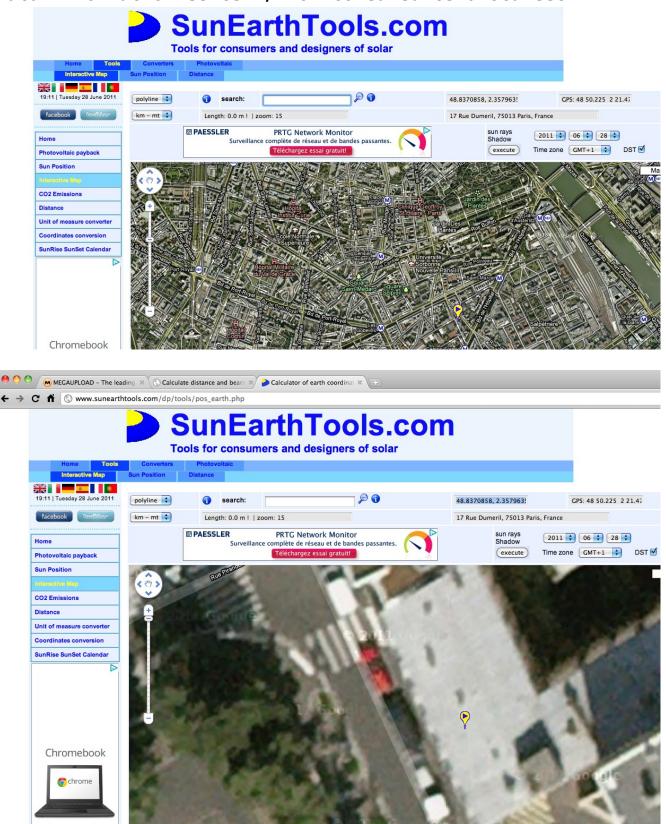
Data information center / How to calculte distances





This uses just one trig and one sqrt function – as against half-a-dozen trig functions for cos law, and 7 trigs + 2 sqrts for haversine. Accuracy is somewhat complex: along meridians there are no errors, otherwise they depend on distance, bearing, and latitude, but are small enough for many purposes* (and often trivial compared with the spherical approximation itself).

Bearing

In general, your current heading will vary as you follow a great circle path (orthodrome); the final heading will differ from the initial heading by varying degrees according to distance and latitude (if you were to go from say 35°N,45°E (Baghdad) to 35°N,135°E (Osaka), you would start on a heading of 60° and end up on a heading of 120°1).

This formula is for the initial bearing (sometimes referred to as forward azimuth) which if followed in a straight line along a great-circle arc will take you from the start point to the end point: 1

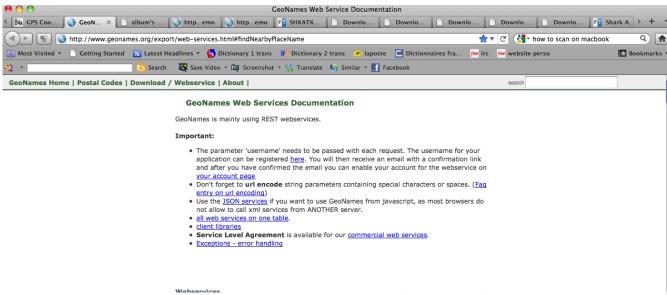


+360) % 360, where % is modulo. For final bearing, simply take the *initial* bearing from the *end* point to the *start* point and reverse it (using $\theta = (\theta+180)$)

% 360). Midpoint

This is the half-way point along a great circle path between the two points.1

Formula: $Bx = cos(lat_2).cos(\Delta long)$ $By = cos(lat_2).sin(\Delta long)$



http://www.geonames.org/export/webservices.html#findNearbyPlaceName