

Consider the following BGP announcements where each number on the path (separated by a vertical bar “|”) is the autonomous system number identifying the network.

The path is read from left to right with the last AS being the destination. Each path is accompanied by a routed prefix.

3356 | 6363 | 7262 1.2.3.0/24

1299 | 7777 | 7262 1.2.0.0/16

3356 | 1212 | 7262 1.0.0.0/8

2222 | 3333 | 3322 2.3.4.0/24

Q1. Which ASes will be traversed by a packet destined towards

1.1     **1.2.3.122** -> Take the first path ;  
traverses ASes 3356, 6363, 7262

1.2     1.2.4.200

1.3     1.200.0.0

1.4     2.3.4.250

Q2. How many IP addresses are routed towards AS 7262 in the above table?

*Only the first three paths reference prefixes that are destined towards AS7262*

1.2.3.0/24; 1.2.0.0/16; 1.0.0.0/8

256 ; 65,536 ; **16,777,216**

1.2.3.0/24 is a *subset* of the IP addresses routed by prefix 1.2.0.0/16, which is itself a *subset* of the IP addresses routed by prefix 1.0.0.0/8.

$2^{(32-\text{pfix\_length})}$

$2^8$

Q3. Given a randomly selected IP address destination in AS**7262**'s address space, determine the probability each of the following ASes will be traversed:

3356 (16,711,936/**16,777,216**) - **6363**

(256/16,777,216) - 7262 1.0

1299

7777

1212

**3333 0.0**

**2222 0.0**

**3322**

**0.0**

Probability: #routed IPs traversing that AS  
under longest-prefix matching

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#routed IPs towards AS7262  
(16,777,216)

AS3356 will not be traversed if an IP  
address falls in the second prefix but not  
the first prefix

We have to remove the IP address space  
referenced by the /16 from those that will  
traverse AS3356; and then re-add those in  
the /24 that will traverse AS3356.

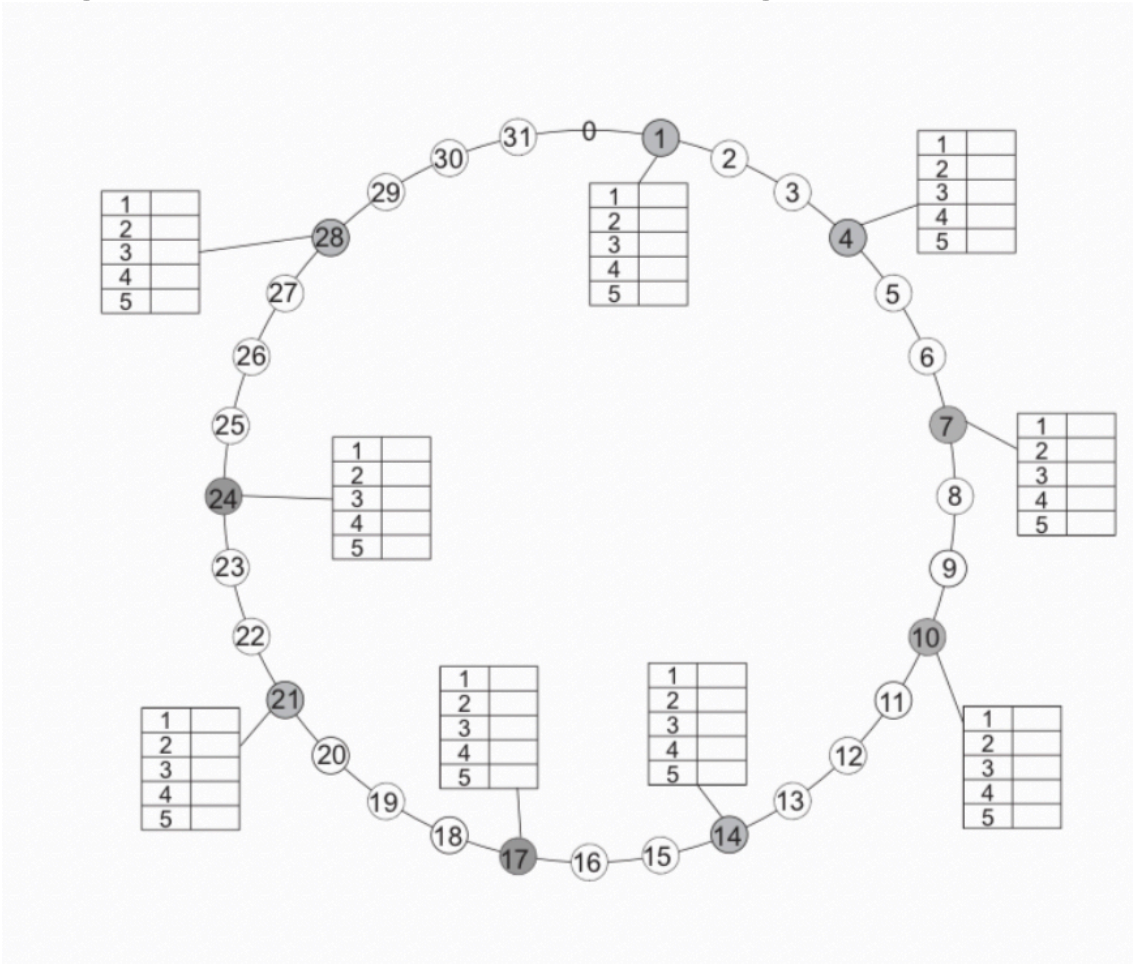
Numerator:  $2^{24} - 2^{16} + 2^8 =$

**16,711,936**

(the /8) (the /16) (the /24)

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Determine the queries sent on this Chord ring for each of the following operations:



**From node 4 to key 23**

*4 -> 21 -> 24*

$i_{\text{eth}}$  Finger table entry =  $\text{NODE\_ID} + 2^i$

1.  $4 + 2^0 = 4 + 1 = 5$
2.  $4 + 2^1 = 4 + 2 = 6$
3.  $4 + 4 = 8$
4.  $4 + 8 = 12$
5.  $4 + 16 = 20$

Finger table at node 4:

1. 7 [successor(5)]
2. 7 [successor(6)]
3. 10 [successor(8)]
4. 14 [successor(12)]
5. 21 [successor(20)]

Finger table at node 21:

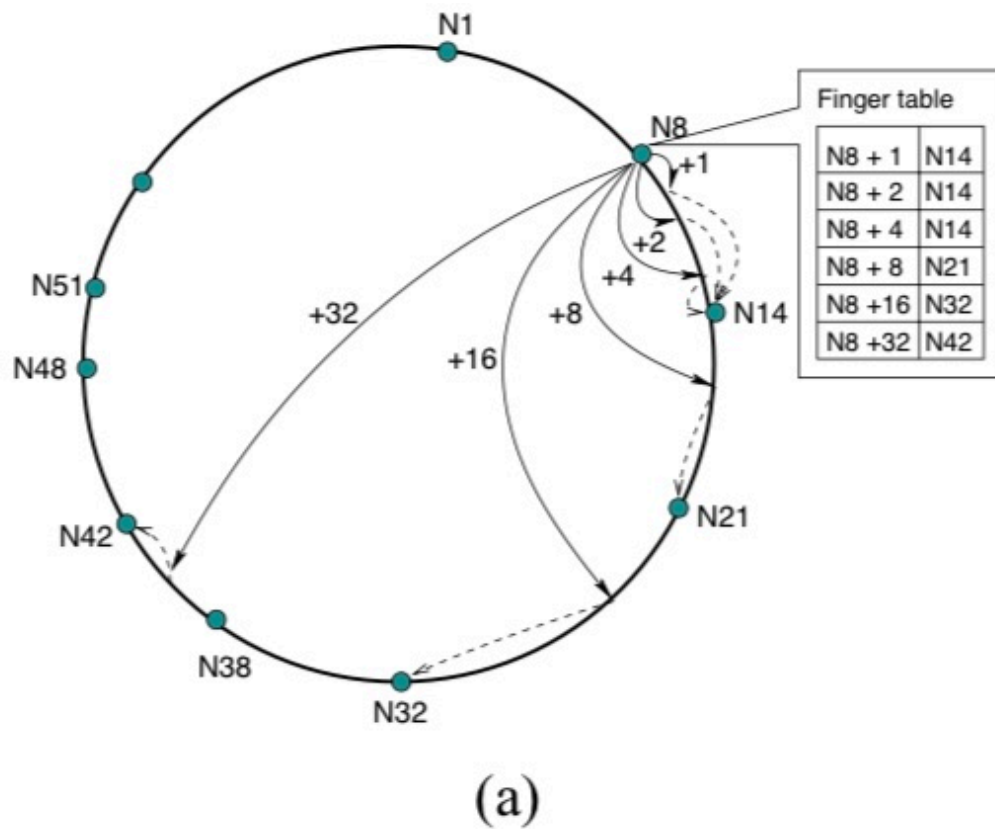
1. **24 [successor(22)]**
2. 24 [successor(23)]
3. 28 [successor(25)]
4. 1 [successor(29)]
5. 7 [successor(37 greater than 31 => 5)]

Further Qs

From node 4 to key 16

From node 17 to key 0  
 From node 17 to key 13  
 From node 21 to key 12  
 From node 21 to key 15

Chord finger table:



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Consider that a bank has two branch offices: Branch 1 is in Los Angeles (represented by  $P_1$ ), Branch 2 is in Seattle (represented by  $P_2$ ). **NOTE: the relative priority of concurrent transactions is based on the process ID!** The **non-symmetric** one-way propagation delay between these branches are defined in this table:

From ↓ To →	Los Angeles	Seattle
Los Angeles	0	25ms
Seattle	20ms	0

Imagine that each branch can issue a single type of transaction (e.g. a deposit into an account) represented as  $T_i$ . Consider this sequence of transactions:

1. Los Angeles ( $P_1$ ) issues  $T_1$  at  $t=0\text{ms}$
2. Seattle ( $P_2$ ) issues  $T_2$  at  $t=30\text{ms}$
3. Los Angeles ( $P_1$ ) issues  $T_3$  at  $t=35\text{ms}$

What is the first transaction to execute?  
**T1, T2, T3, The execution order is non-deterministic**

$t = 0$ ; LA[(T1,1.1)] SEA []

$t = 25$ ; LA[(T1,1.1)] SEA[(T1,1.1)]

SEA sends ACK\_T1 (arrives at  $t = 45$ )

$t = 30$  SEA sends T2, arrives to LA at time  $t=50$

LA[(T1,1.1)] SEA[(T2,2.2)]

$t = 35$  LA sends T3, (which will arrive in SEA at time  $t=60$ )

LA[(T1,1.1)] [(T3,2.1)] SEA[(T2,2.2)]

...

What is the second transaction to execute?  
(It's **T3**)

What is the third transaction to execute?

At what time does T1 execute in Los Angeles?

At what time does T2 execute in Seattle?