

Control of DC Motors

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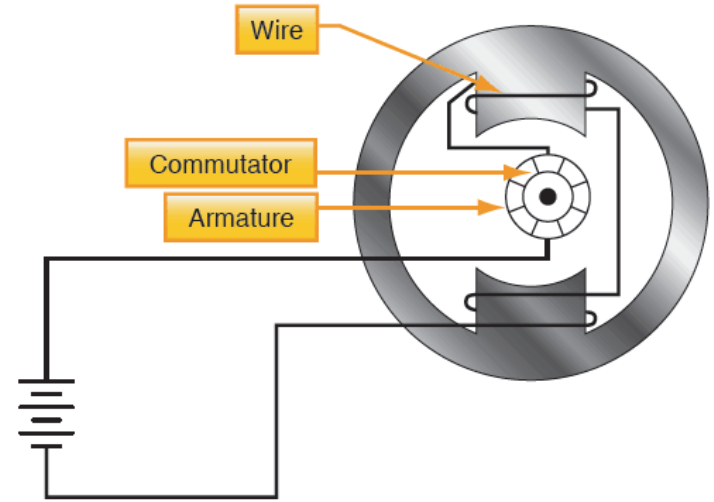
DC Machine

Would field

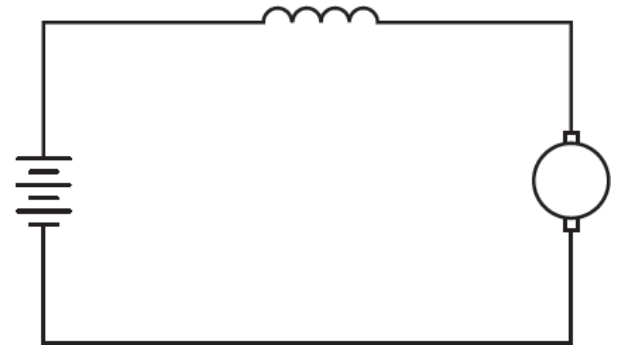
Series

Compound

Shunt

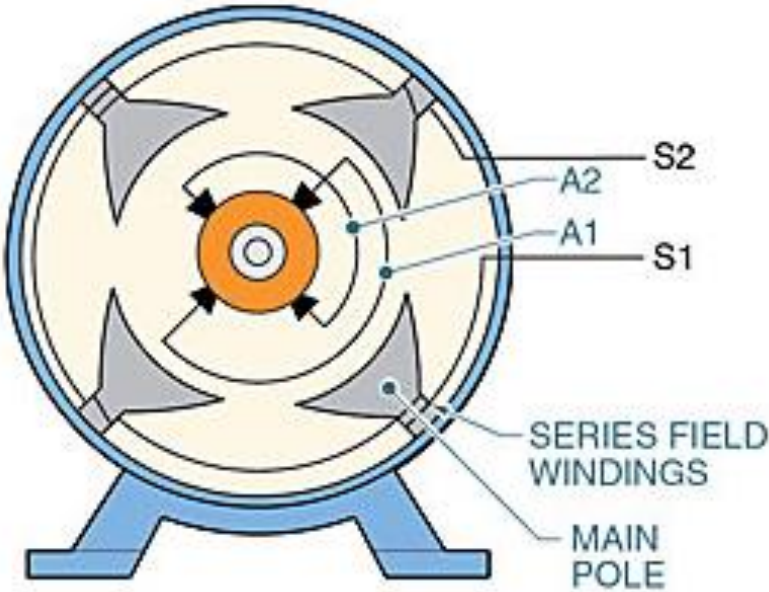


Pictorial drawing

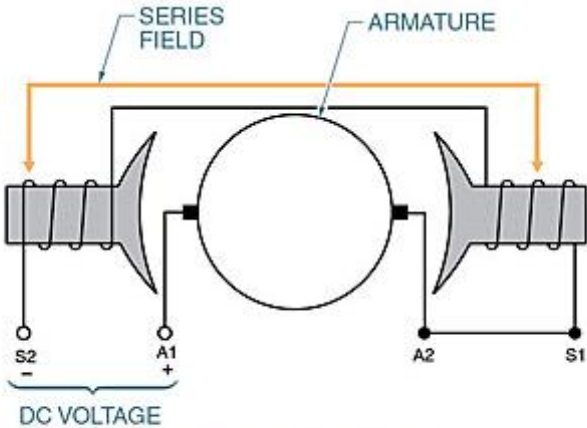


Schematic diagram

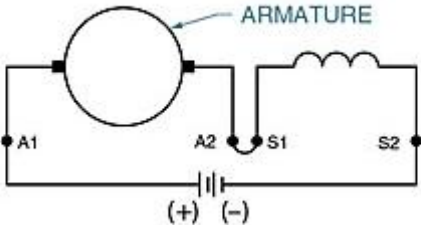
DC series motor



Pictorial drawing

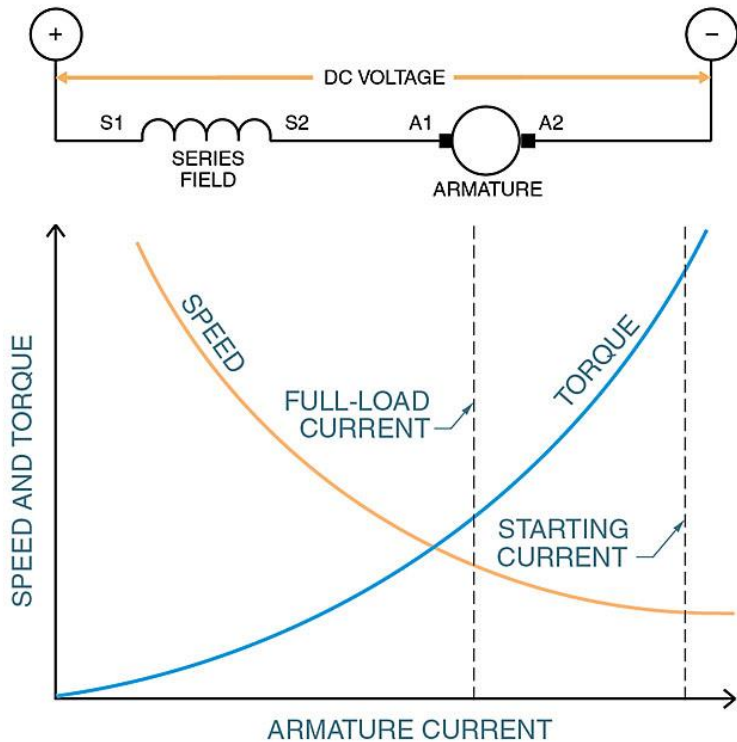


Wiring diagram



Schematic diagram

DC series motor



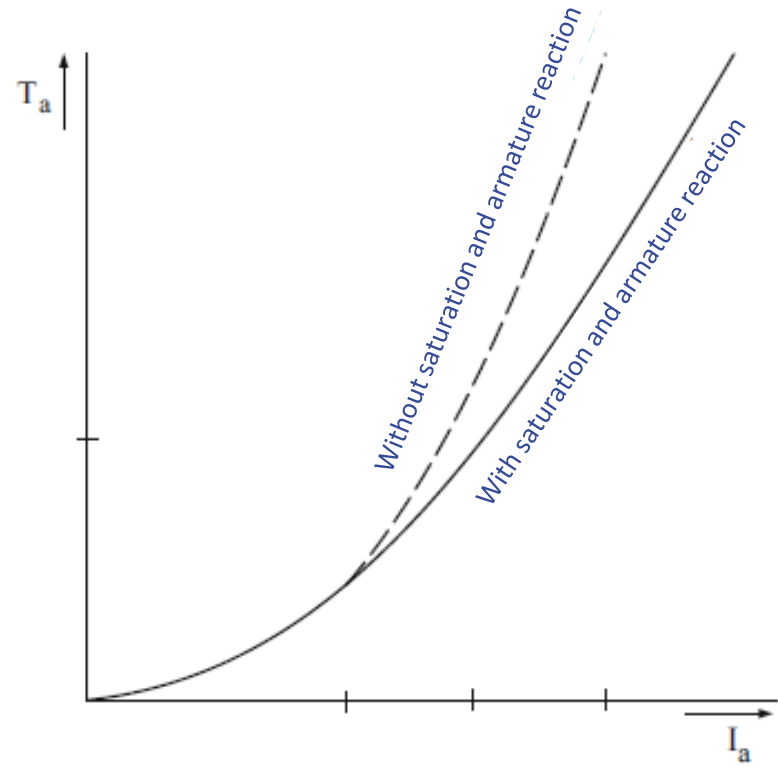
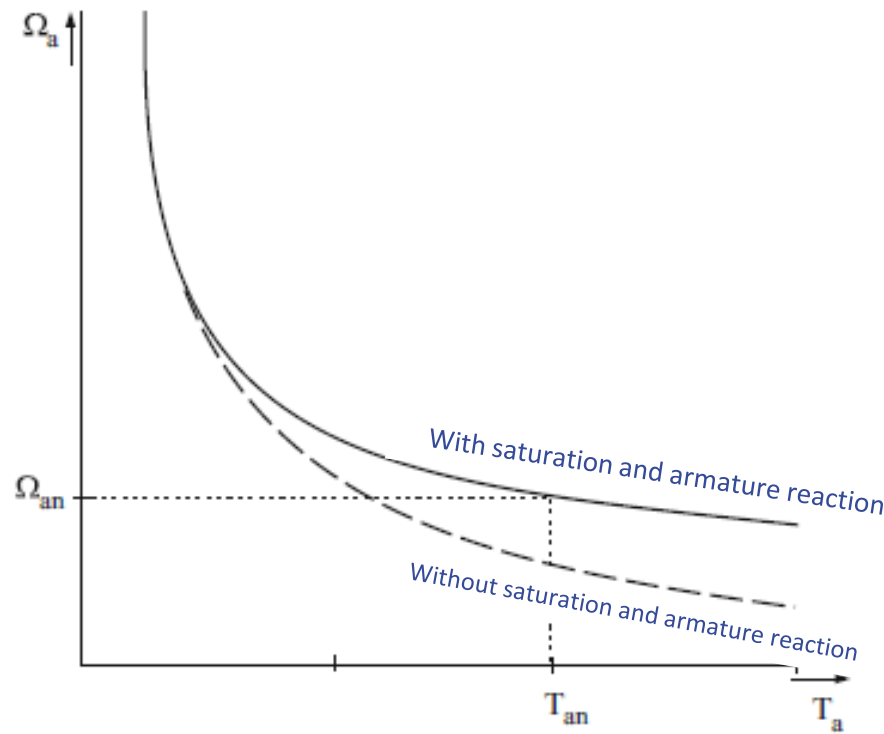
$$k \cdot \Phi_m(I_a) = k' \cdot I_a$$

$$I_a = V_a / (R_a + R_u + k' \Omega_a)$$

$$T_a = k' \cdot I_a^2$$

$$T_a = \frac{k' V_a^2}{(R_a + R_u + k' \Omega_a)^2}$$

DC series motor



DC shunt motor

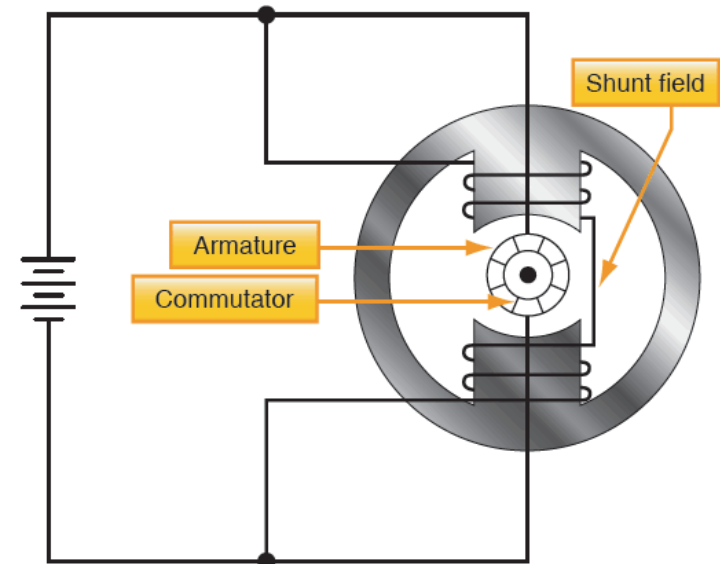
DC Machine

Wound field

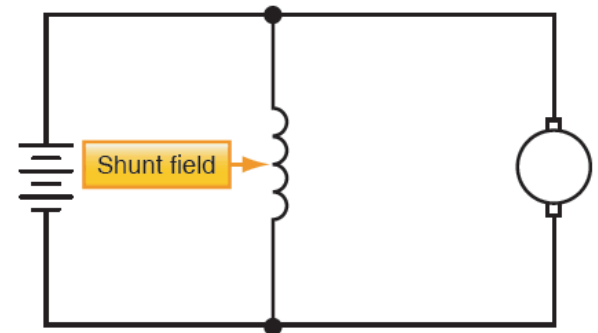
Series

Compound

Shunt

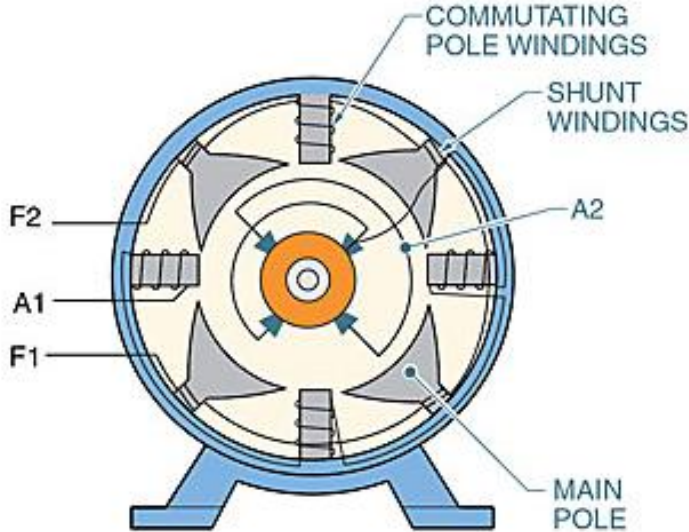


Pictorial drawing

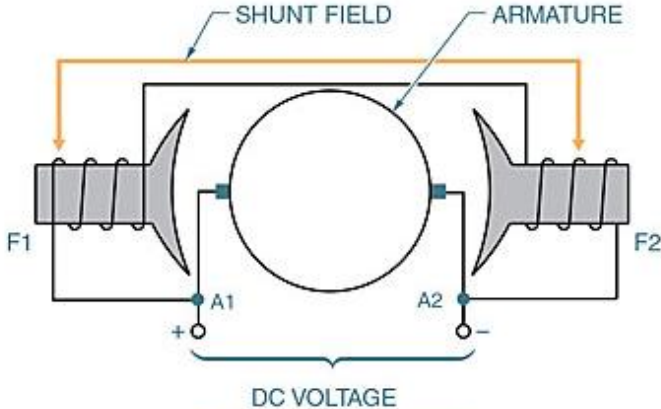


Schematic diagram

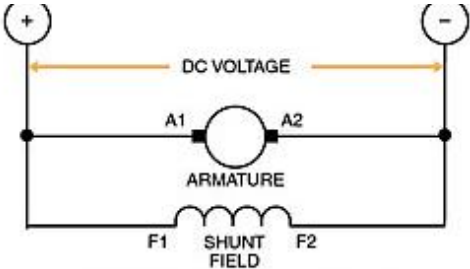
DC shunt motor



Pictorial drawing

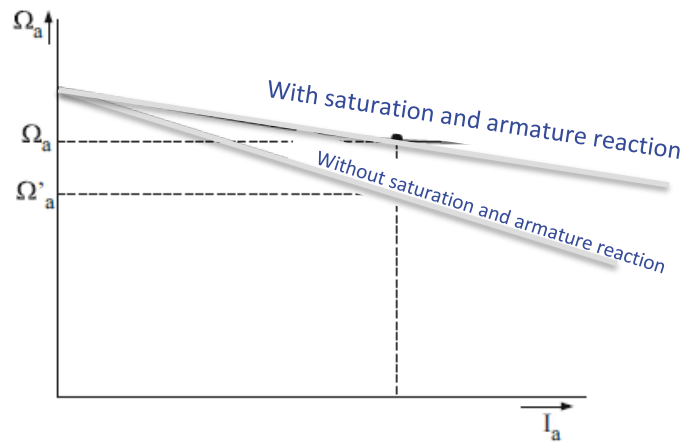
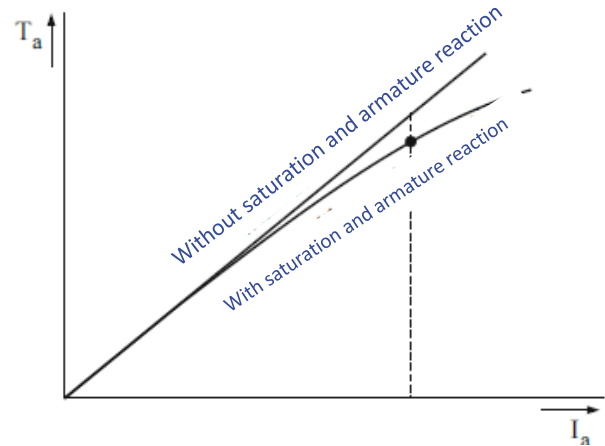
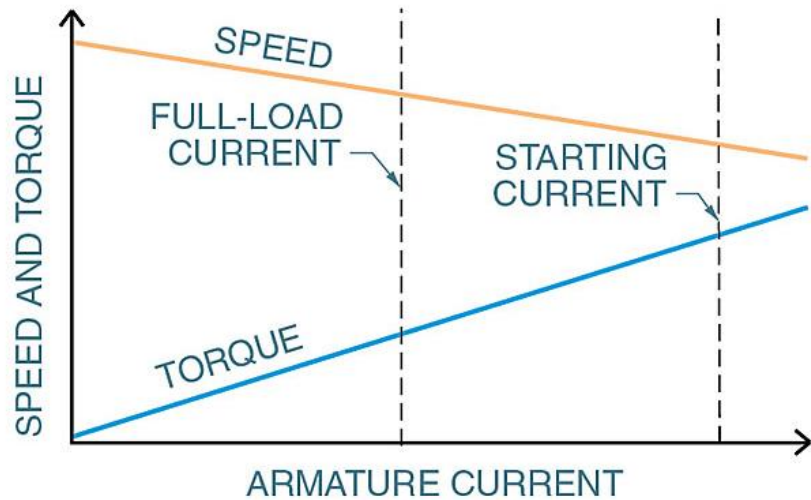
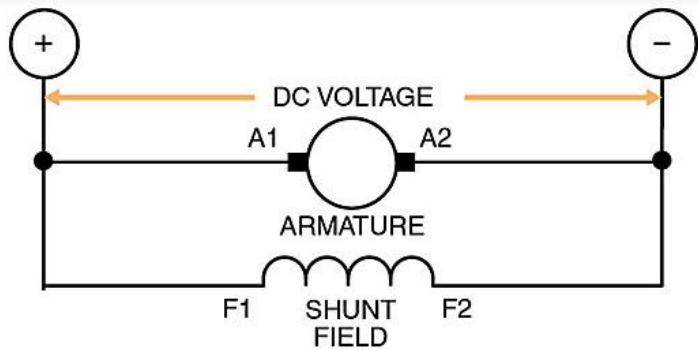


Wiring diagram



Schematic diagram

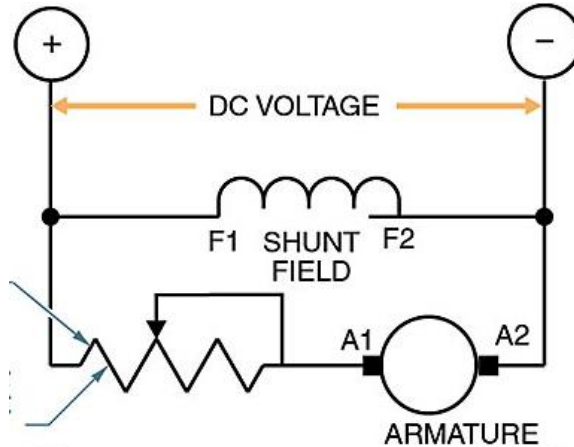
DC shunt motor



DC shunt motor

decreasing armature voltage
decreases motor speed
because of decreasing
magnetic repulsion between
armature and stator magnetic
fields

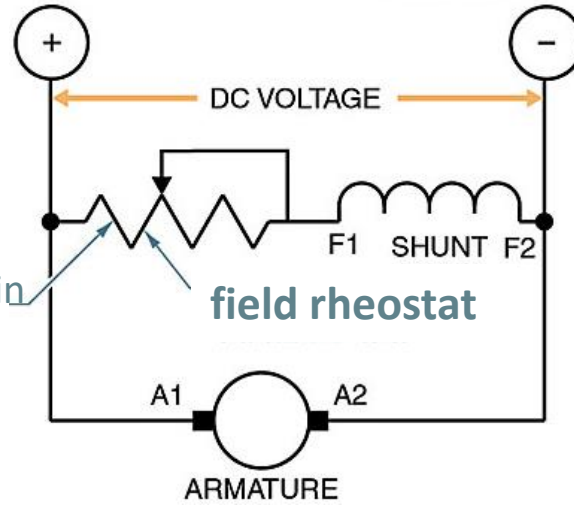
armature rheostat



A field rheostat or armature
rheostat is used to adjust the
speed of a DC shunt motor

decreasing field voltage
increases motor speed
because of decreasing EMF in
armature

field rheostat



DC separately motor

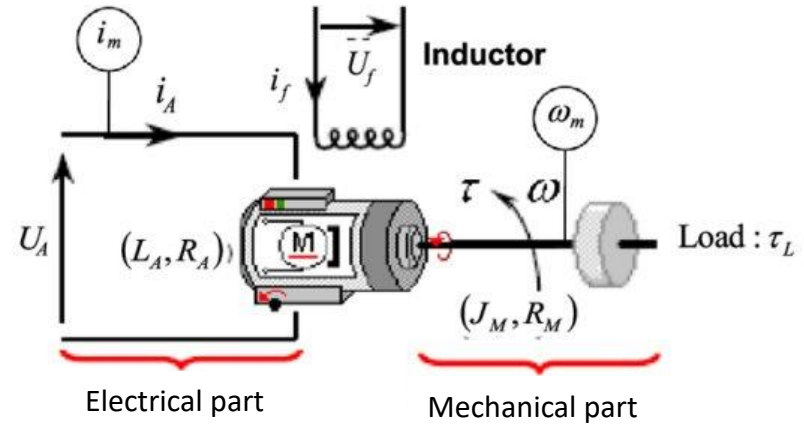
DC Machine

Wound field

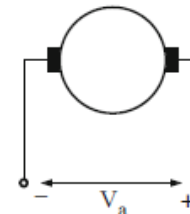
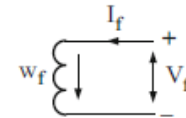
Series

Compound

Separately
Shunt



Pictorial drawing



Schematic diagram

$$\Omega_a = \frac{V_a}{k \cdot \Phi_m} - \frac{(R_a + R_u)}{(k \cdot \Phi_m)^2} T_a$$

$$\Omega_{a0} = \frac{V_a}{k \cdot \Phi_m} \quad \text{no-load speed}$$

DC compound motor

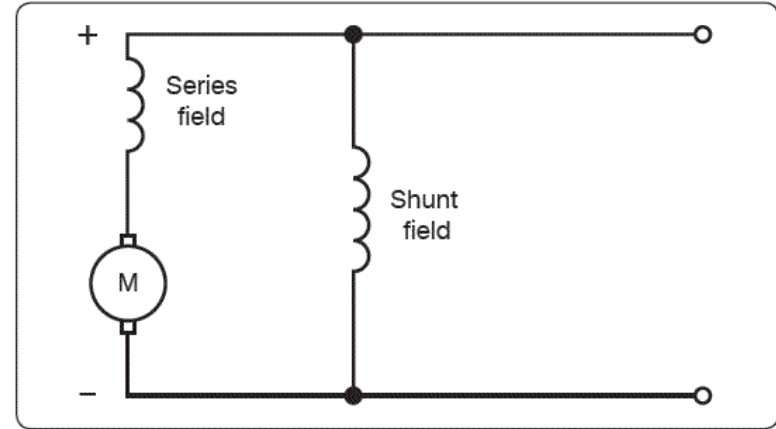
DC Machine

Wound field

Series

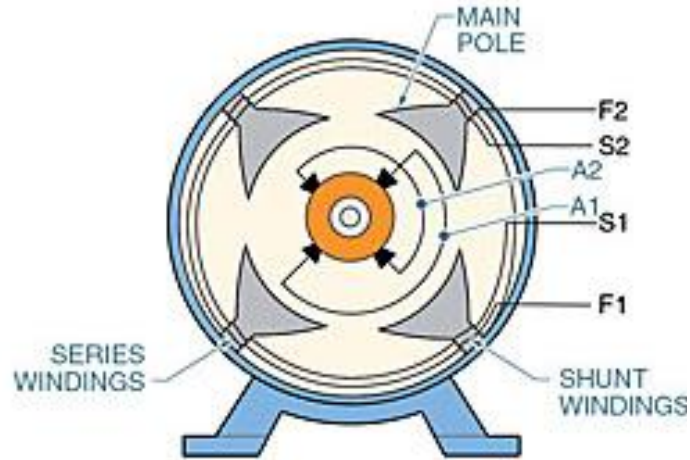
Compound

Shunt

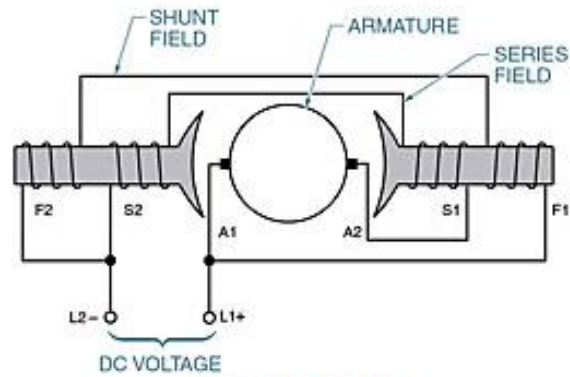


Schematic diagram

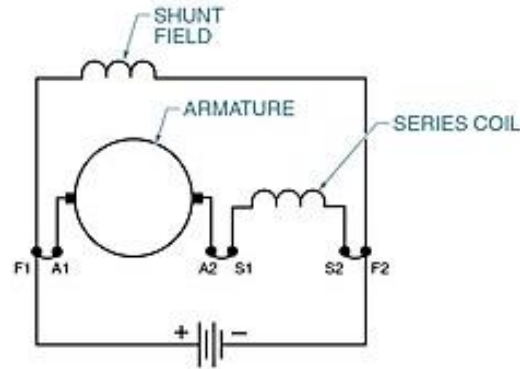
DC compound motor



Pictorial drawing



Wiring diagram



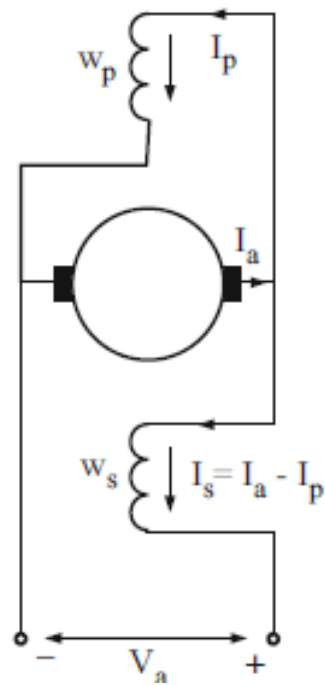
A1 TO F1 TO DC+

A2 TO S1

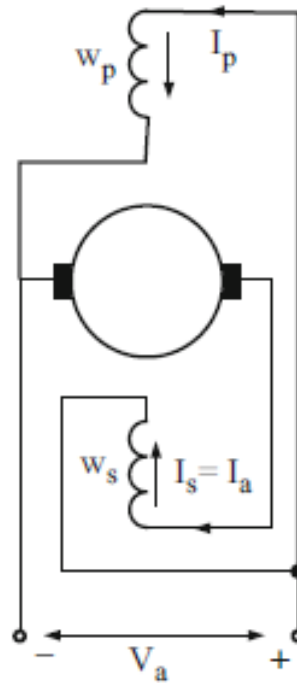
S2 TO F2 TO DC-

Schematic diagram

DC compound motor

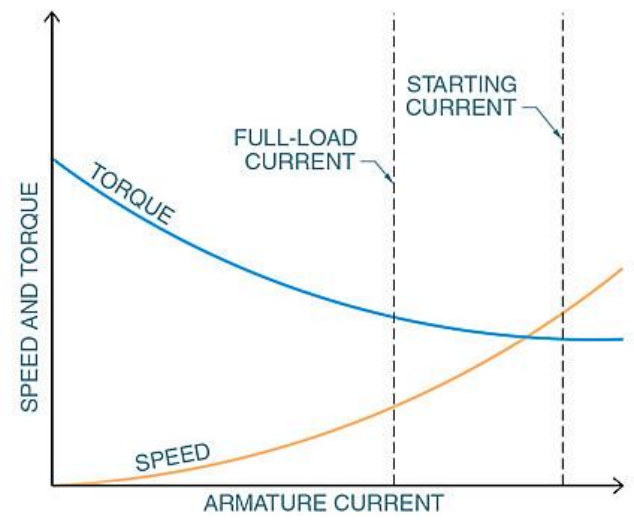
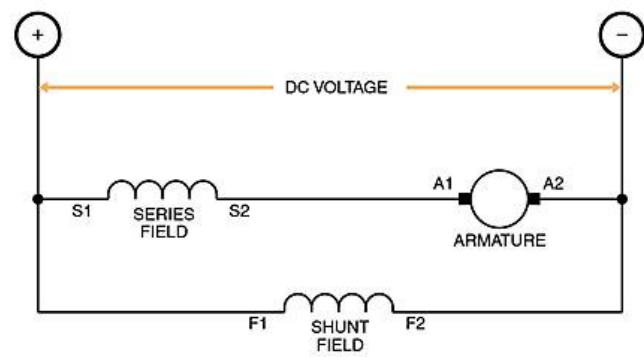


Cumulative
compound
motor

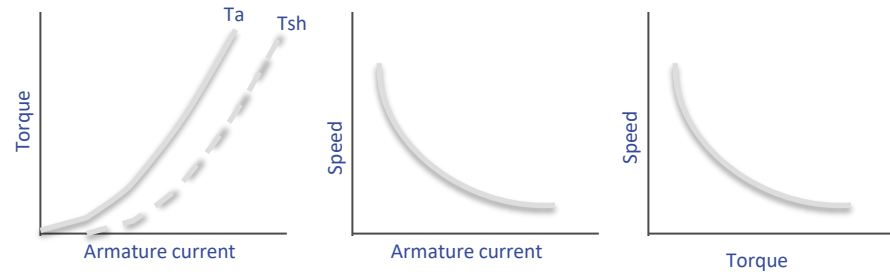


Differential
compound
motor

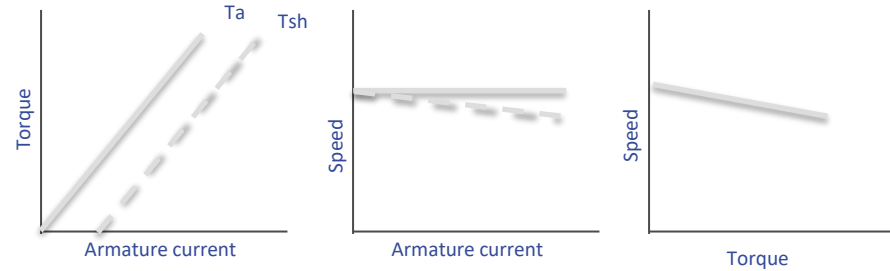
DC compound motor



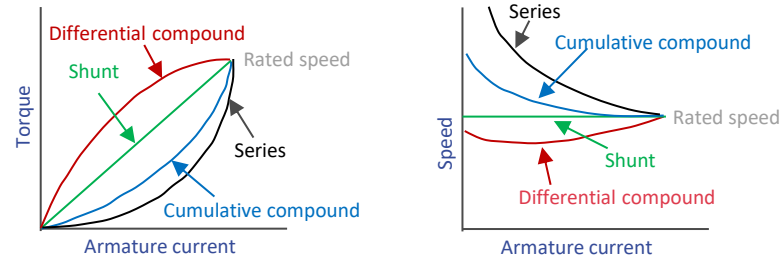
Series DC motor

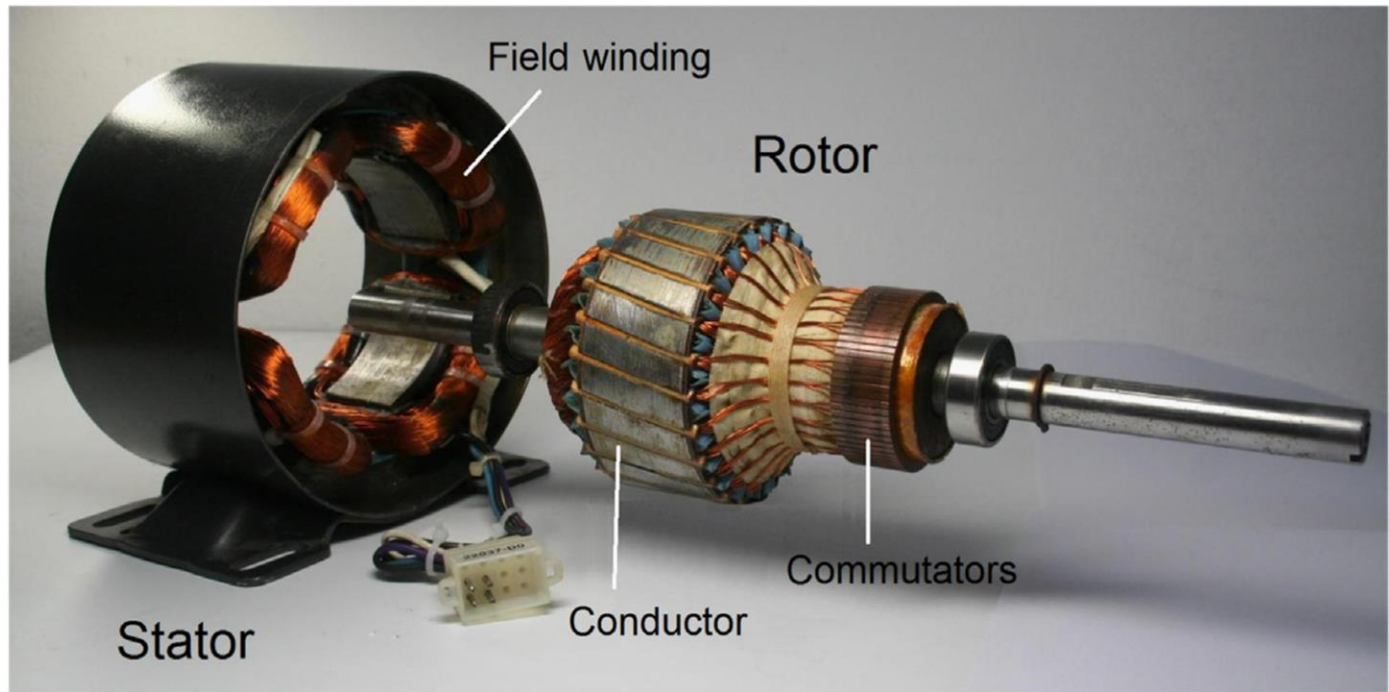


Shunt DC motor



Compound DC motor





$$V_a = R_a i_a + L_a \frac{di_a}{dt} + e_a$$

where i_a is winding current,

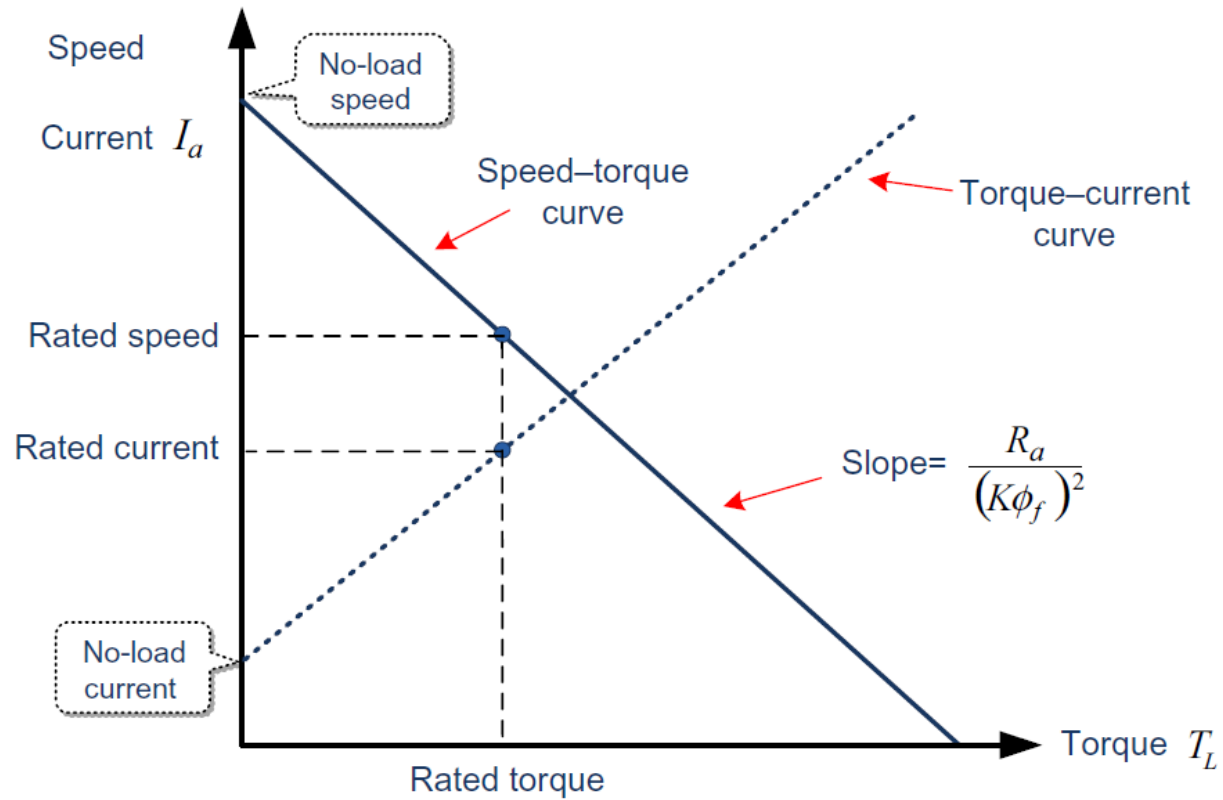
L_a is winding inductance,

R_a is winding resistance,

e_a is back-EMF induced by the rotation of the armature winding in a magnetic field.

$$di_a/dt = 0$$

$$\omega_m = \frac{V_a}{k\phi_f} - \frac{R_a}{(k\phi_f)^2} T_L \quad (k = k_T = k_e)$$

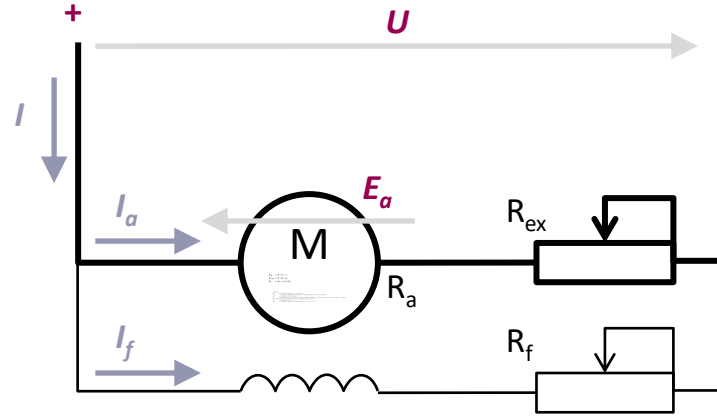


Steady-state characteristics of DC motor with shunt field coil

$$E_a = k \cdot \Phi \cdot \omega$$

$$T_{em} = k \cdot \Phi \cdot I_a$$

$$U = E_a + I_a \cdot \Sigma R$$



where:

E_a - EMF of anchor winding;

T_{em} - electromagnetic torque developed by the motor;

I_a - armature current;

k - design gain of the motor determined by the number of poles, anchor windings and the number of parallel tracks;

Φ - magnet flow;

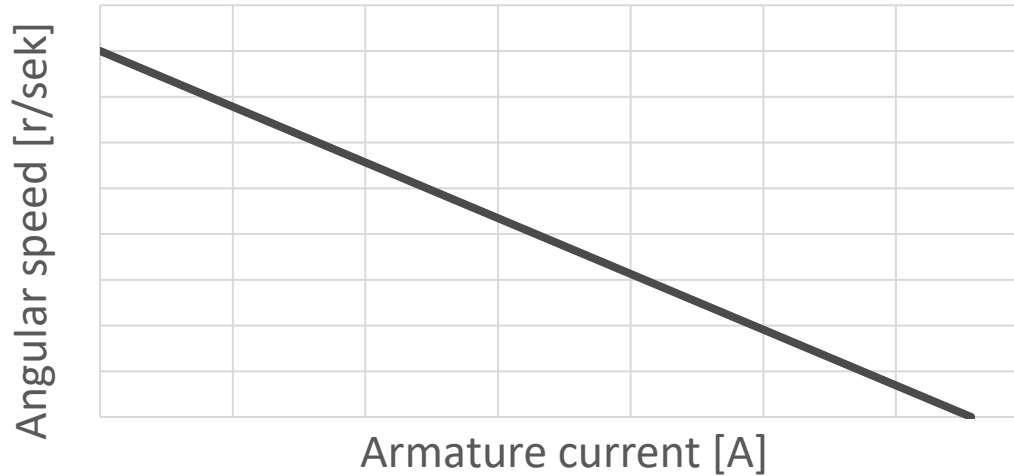
ΣR - anchor chain resistance $\Sigma R = R_a + R_{ex}$.

Steady-state characteristics of DC motor with shunt field coil

- DC motor current-speed characteristic:

$$\omega = \frac{U}{k \cdot \Phi} - \frac{I_a \cdot \Sigma R}{k \cdot \Phi}$$

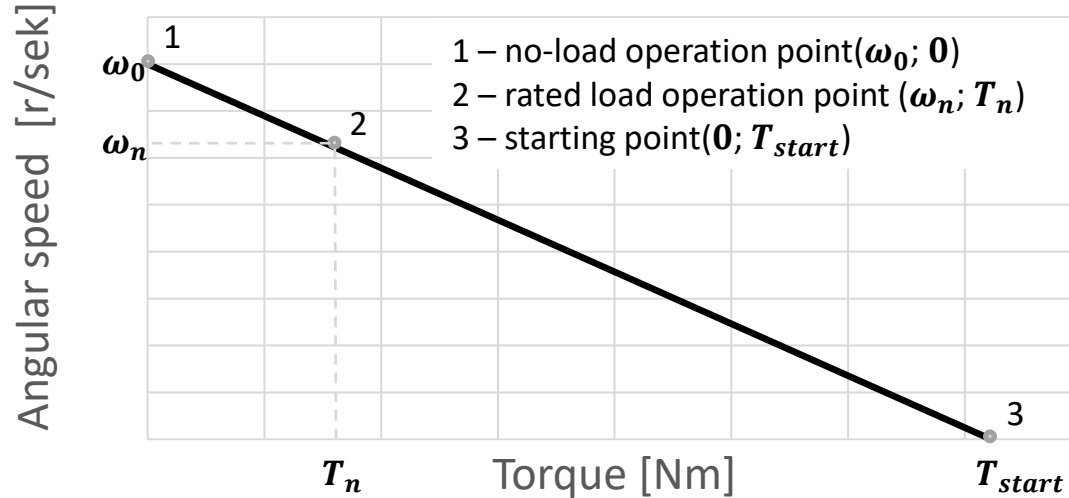
No load speed



Steady-state characteristics of DC motor with shunt field coil

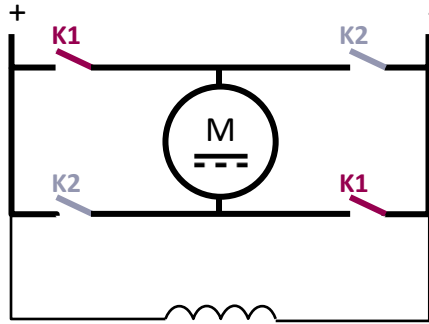
- DC motor torque-speed characteristic:

$$\omega = \frac{U}{k \cdot \Phi} - \frac{T_{em} \cdot \Sigma R}{(k \cdot \Phi)^2}$$



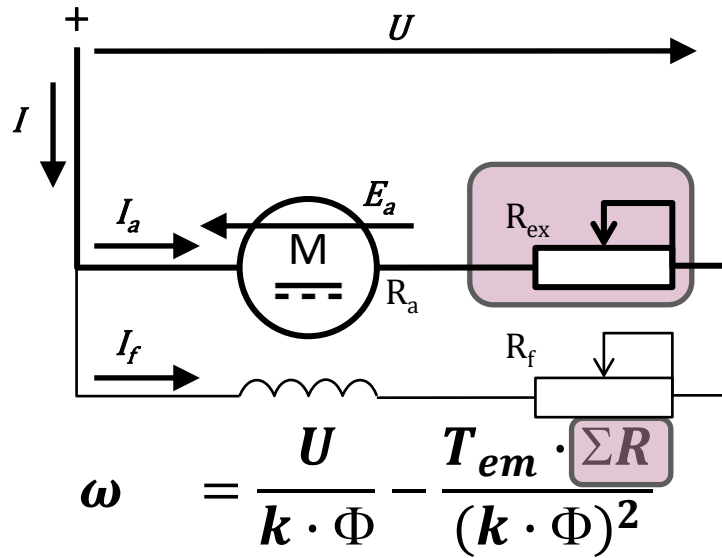
DC motor revers

- To **reverse** the DC motor, the direction of the armature or field current should be changed.
- Usually, the direction of the **armature current** is changed because the lower inductance of the armature winding ensures a shorter duration of the transient operation and avoids commutative overvoltage.
- To change the direction of the armature current, the **polarity** of the armature terminals should be changed.



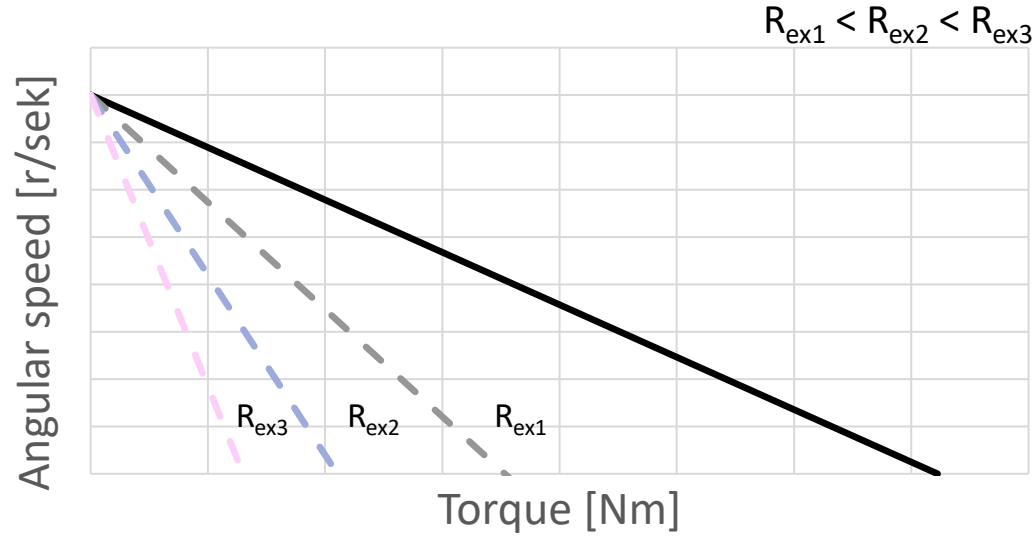
Speed control of DC motor with shunt field coil

- ❑ The external **resistance** in armature circuit

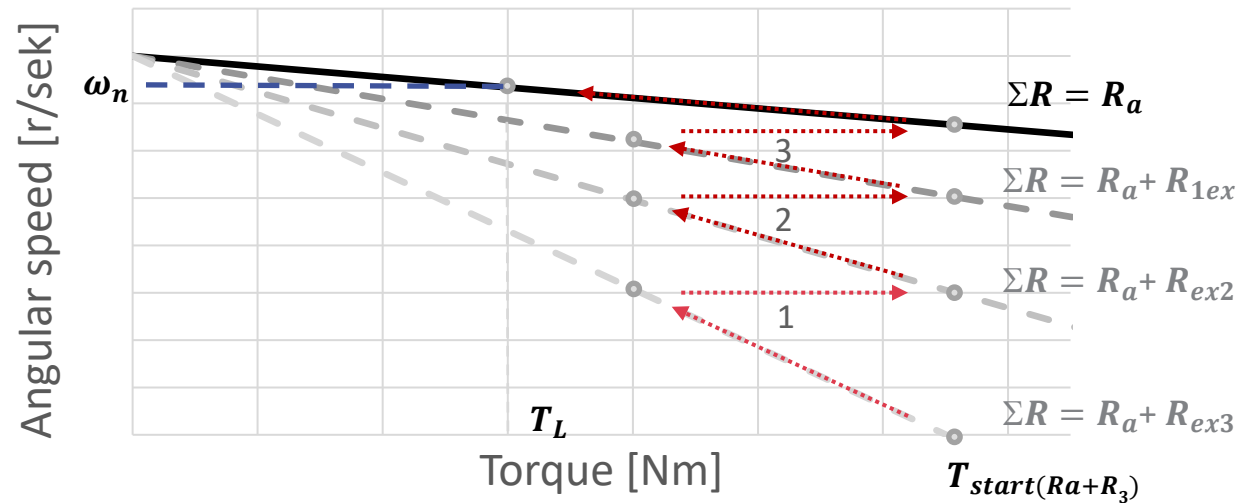


Speed control of DC motor with shunt field coil

- ❑ The external **resistance** in armature circuit



Starting of the DC motor with shunt field coil



Starting of DC motor

- At the moment a DC motor is started the armature is stationary and there is no counter EMF being generated.

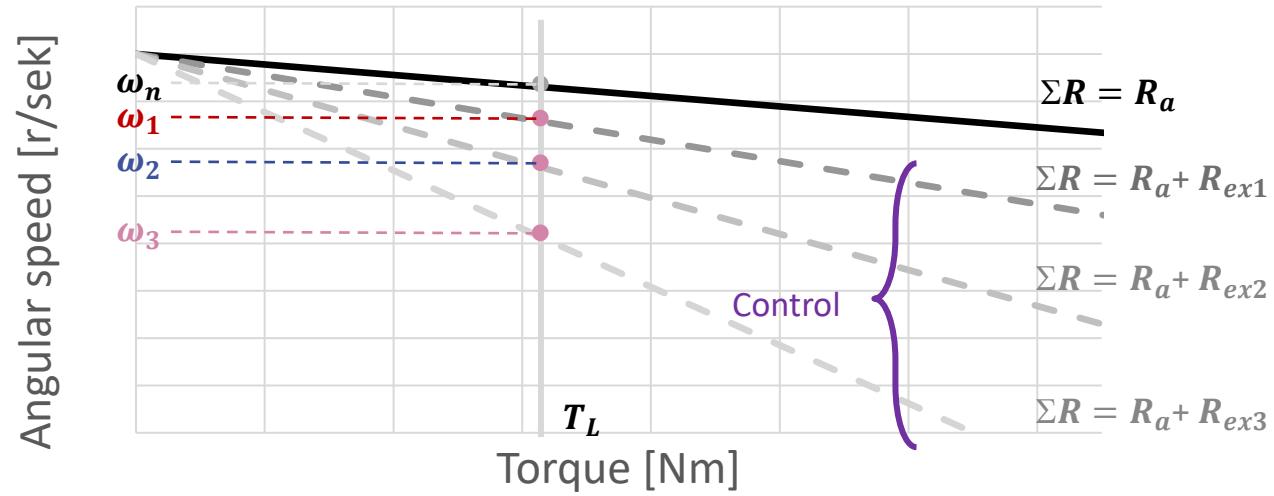
$$E_a = 0$$

- The only component to limit starting current is the armature resistance, which, in most DC motors is a very low value (approximately one ohm or less)

$$U = E_a + I_a \cdot R_a \Rightarrow I_a = \frac{U - 0}{R_a}$$

- Usually, **starting current** of the DC motor 10..20 times higher than rated current
- In order to reduce this very high starting current, an external resistance must be placed in series with the armature during the starting period.

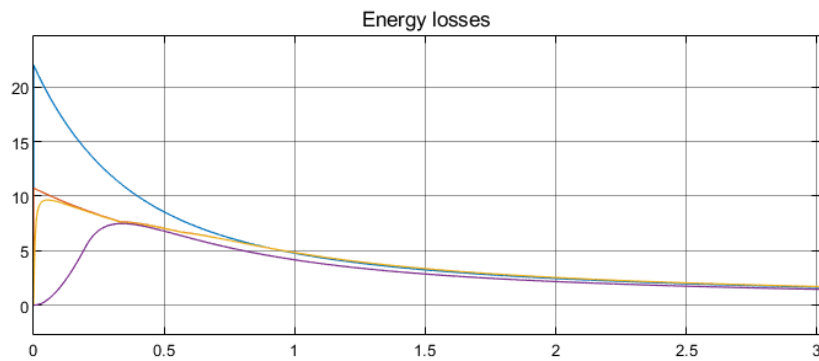
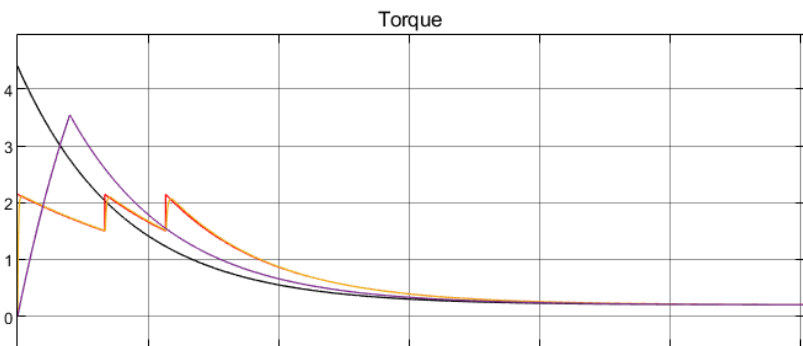
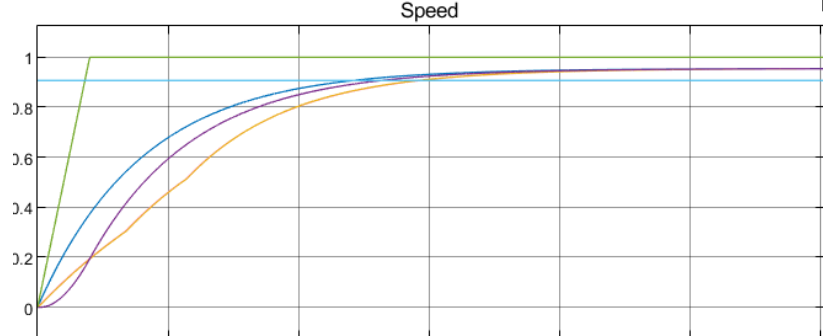
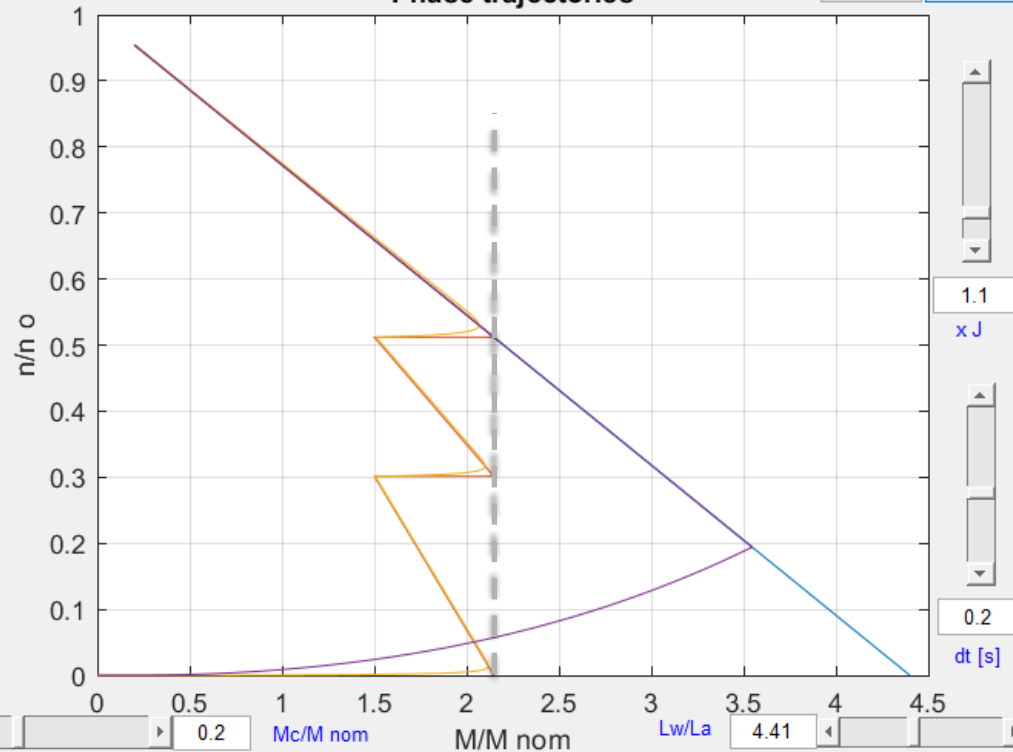
Speed control of DC motor



Speed control of DC motor

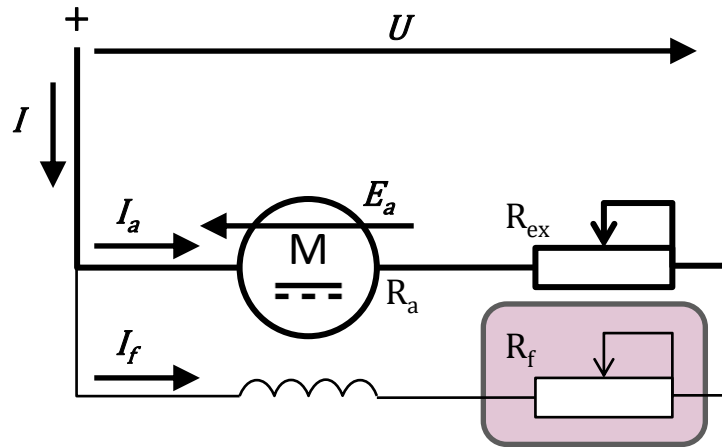
Acceleration models

Phase trajectories



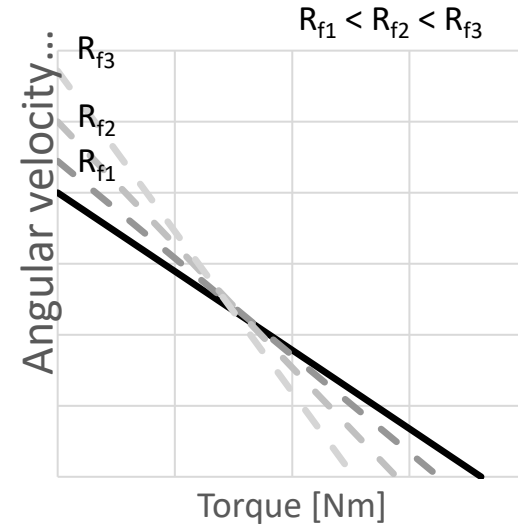
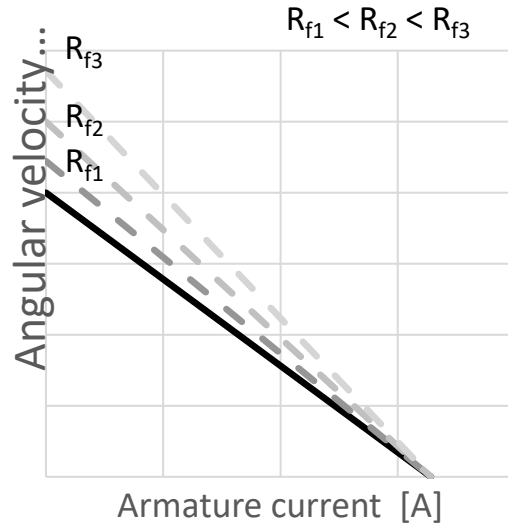
Speed control of DC motor

- The external resistance in **flux** circuit



$$\omega = \frac{U}{k \cdot \Phi} - \frac{T_{em} \cdot \Sigma R}{(k \cdot \Phi)^2}$$

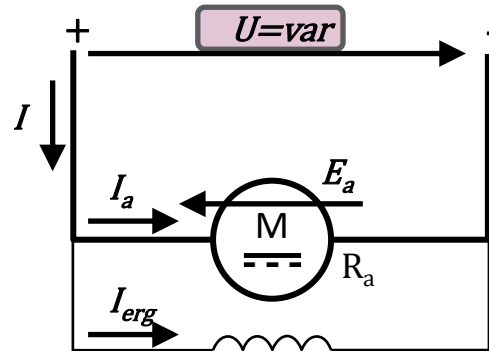
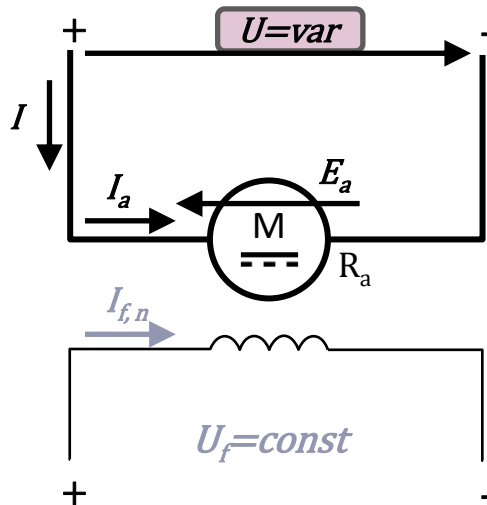
Speed control of DC motor



$$T_{em} = k \cdot \Phi \cdot I_a$$

Speed control of DC motor

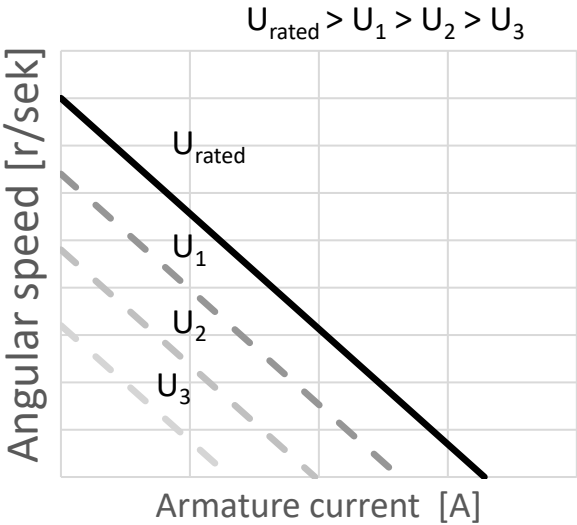
- The reduction of terminal **voltage**



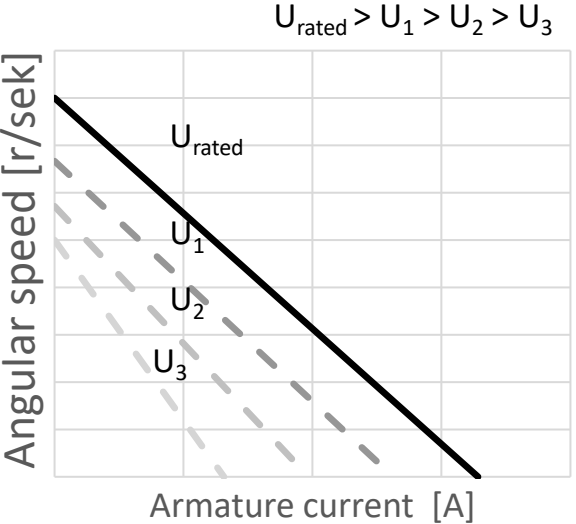
$$\omega = \frac{U}{k \cdot \Phi} - \frac{T_{em} \cdot \Sigma R}{(k \cdot \Phi)^2}$$

Speed control of DC motor

DC motor with independent field coil

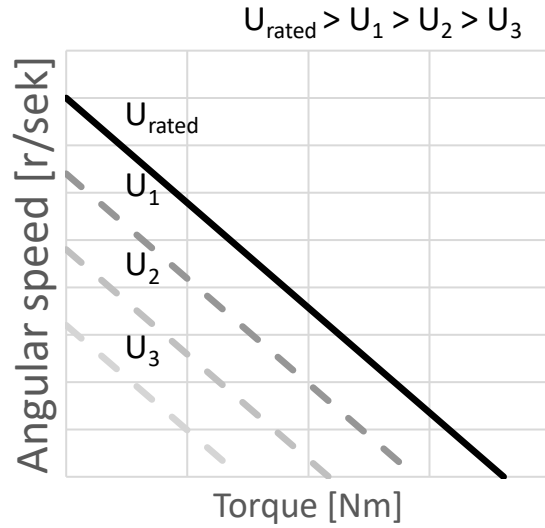


DC motor with shunt field coil

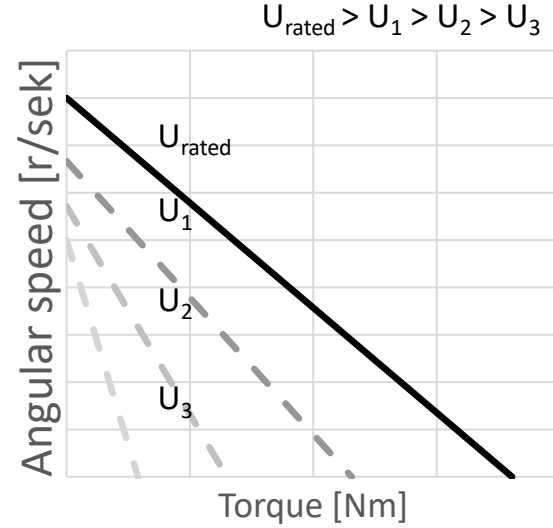


Speed control of DC motor

DC motor with independent field coil



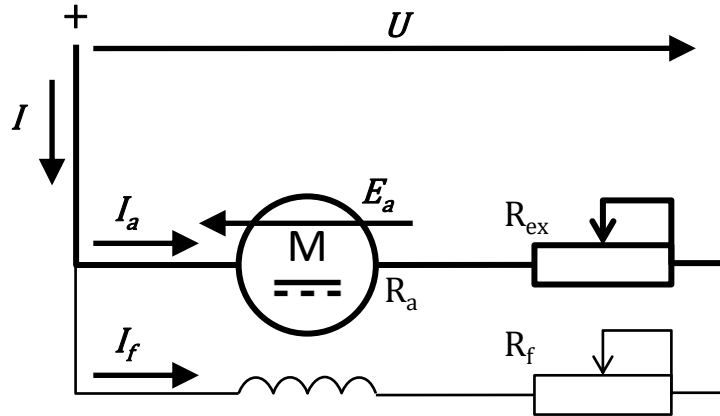
DC motor with shunt field coil



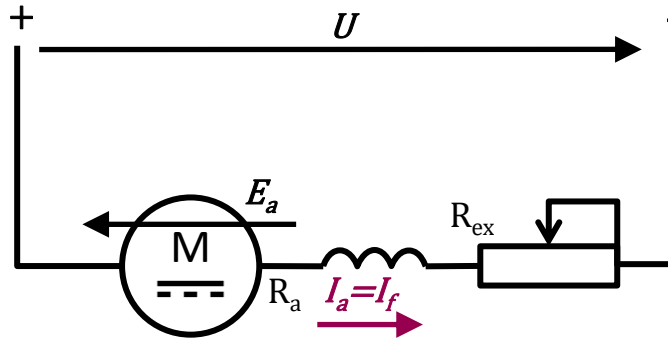
Speed control of DC motor

Ways to control DC motor speed:

- ☐ The external **resistance** in armature circuit
- ☐ The external resistance in **flux** coil circuit
- ☐ The reduction of terminal **voltage**

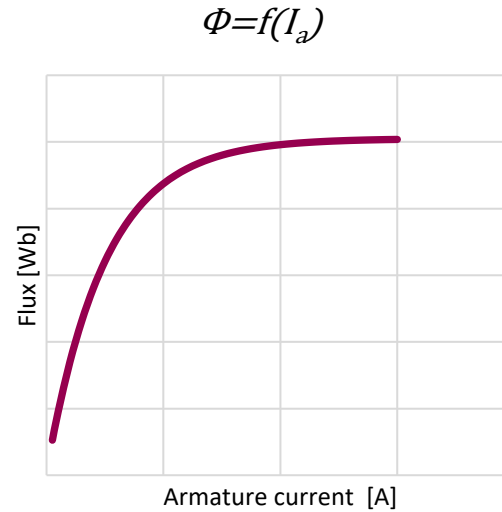


Series DC motor

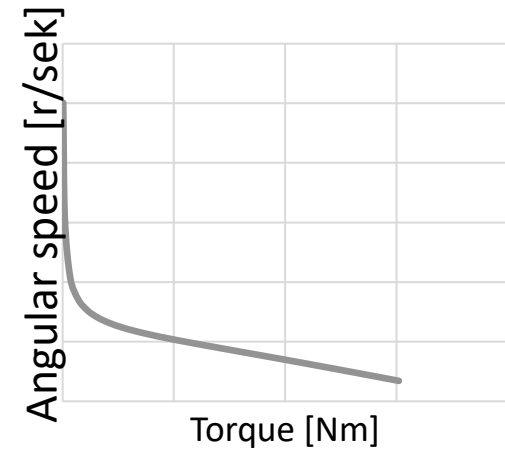
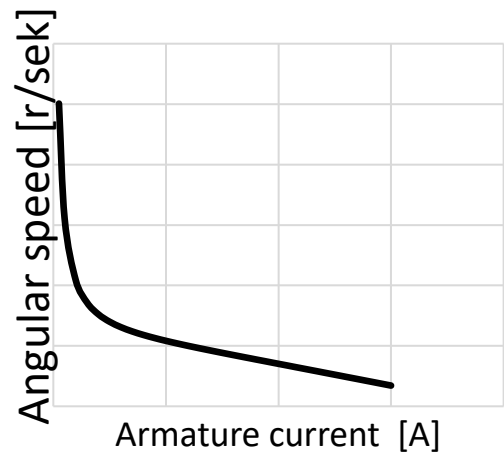


$$\omega = \frac{U}{k \cdot \Phi} - \frac{I_a \cdot \Sigma R}{k \cdot \Phi}$$

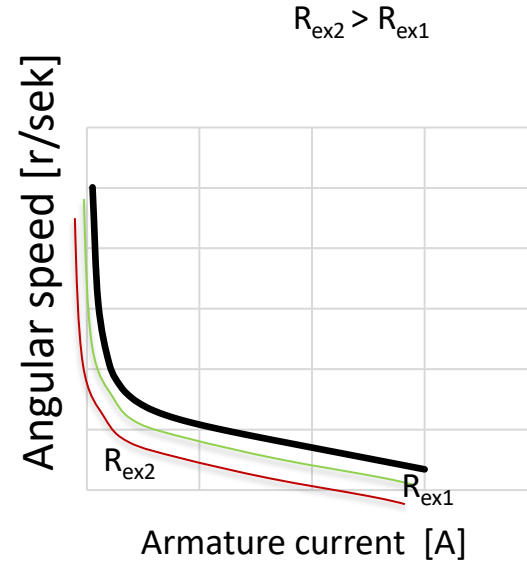
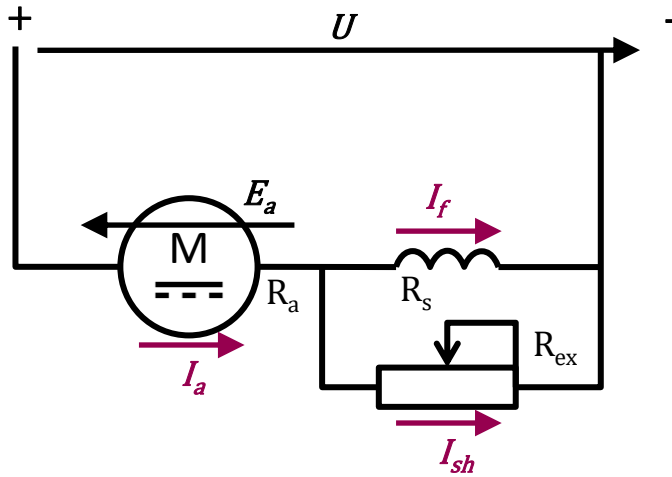
$$\omega = \frac{U}{k \cdot \Phi} - \frac{T_{em} \cdot \Sigma R}{(k \cdot \Phi)^2}$$



Series DC motor



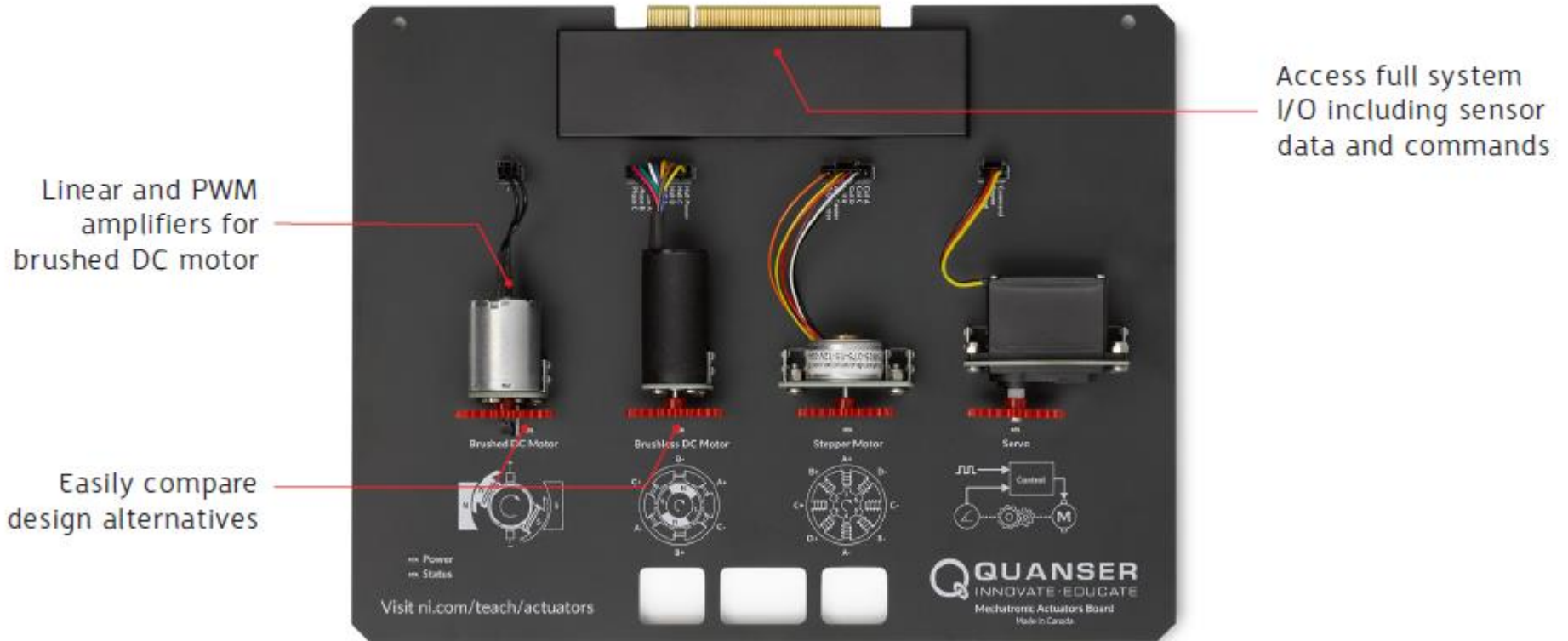
Speed control of series DC motor

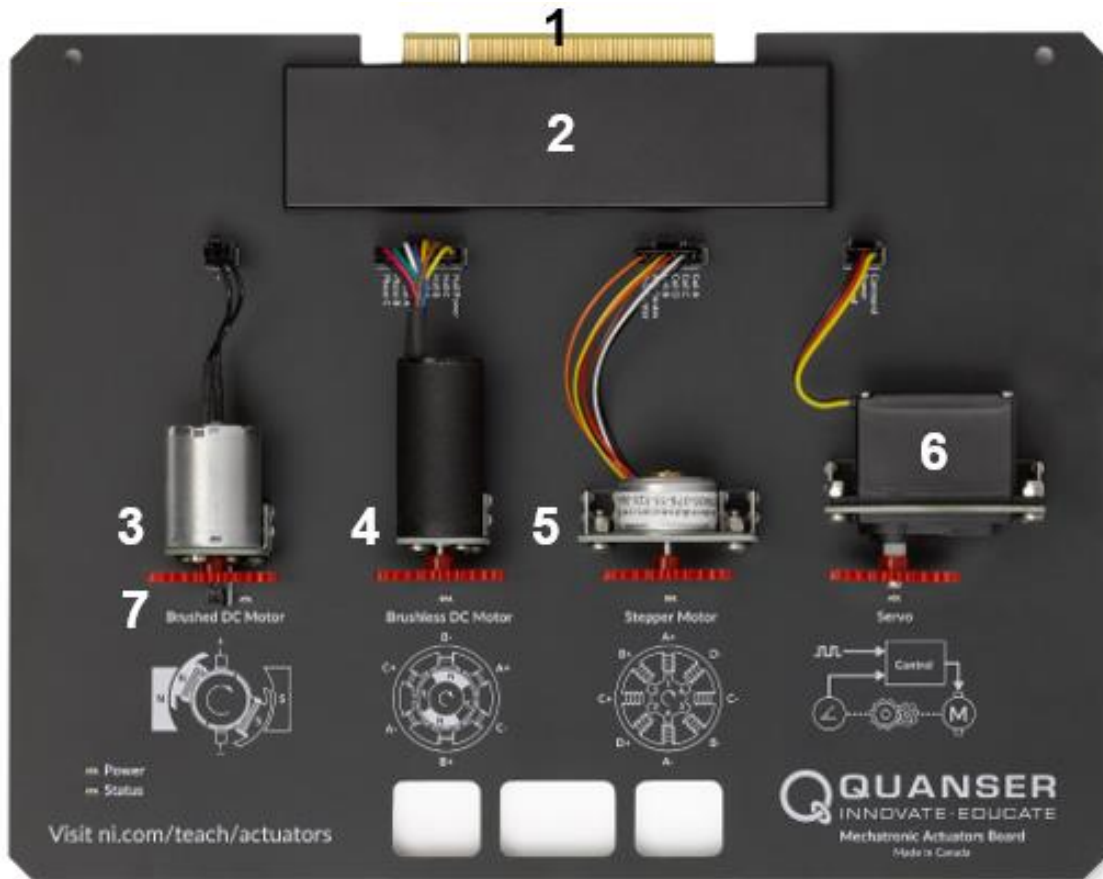


$$\omega = \frac{U}{\sqrt{k_a \cdot k_s \cdot T_{em}}} - (R_a + R_s + R_{ex}) \sqrt{T_{em} / k_a \cdot k_s}$$

Four Complete Actuator Systems

Brushed DC motor with linear and PWM amplifier, brushless DC motor, stepper motor, and servo motor



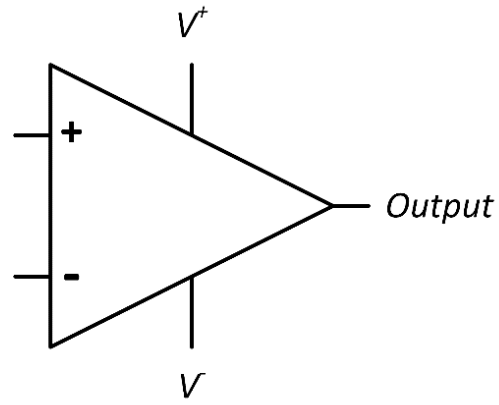


3 - Brushed DC Motor

The Mechatronic Actuators board features a direct drive 24 V DC motor. This motor can be driven either by a linear or PWM amplifier. The included motor is a Kinmore Motor RF-370CHV-13455.

7 - Photomicrosensor

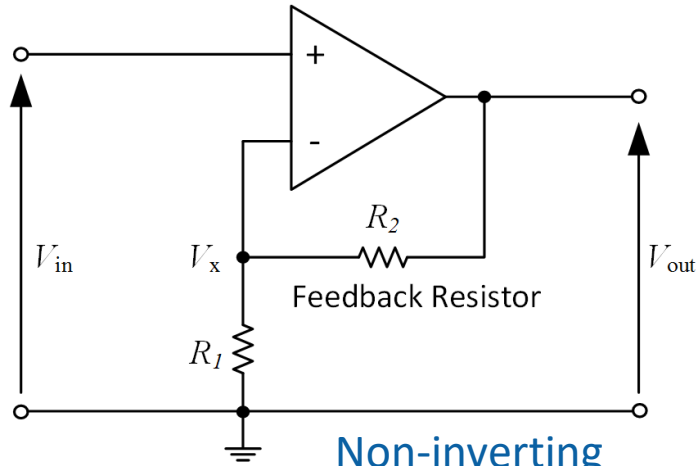
The speed of the brushed DC motor is measured using an onboard photomicrosensor which detects the teeth on the motor-mounted gear. The included sensor is a Omron EE-SX1081.



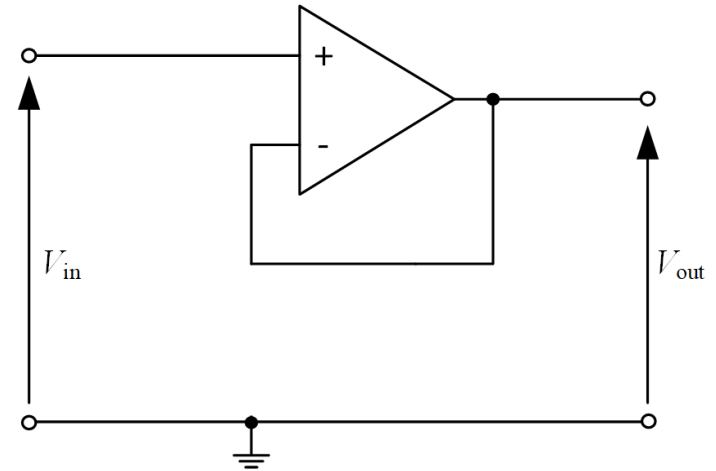
Operational amplifier
(op-amp) symbol

$$V_x = \frac{R_1}{R_1 + R_2} V_{\text{out}}$$

$$\text{Voltage Gain} = \frac{V_{\text{out}}}{V_{\text{in}}} = \frac{R_1 + R_2}{R_1} = 1 + \frac{R_2}{R_1}$$

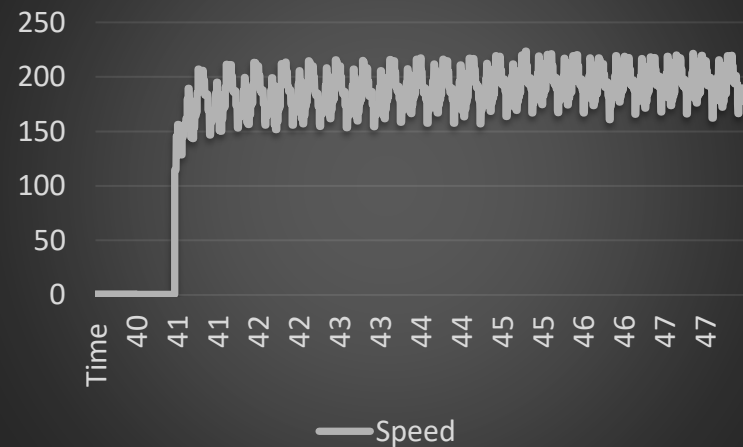


Non-inverting
amplifier



Voltage follower

Speed DC motor $V=0,8$

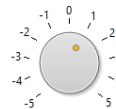


QUANSER
INNOVATE · EDUCATE

Brushed DC Motor

☒ STOP

Brushed DC Motor Voltage

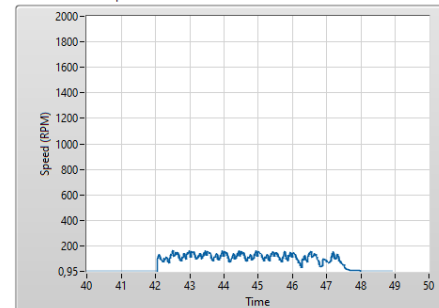


0,8

Brushed DC Motor Speed (RPM)

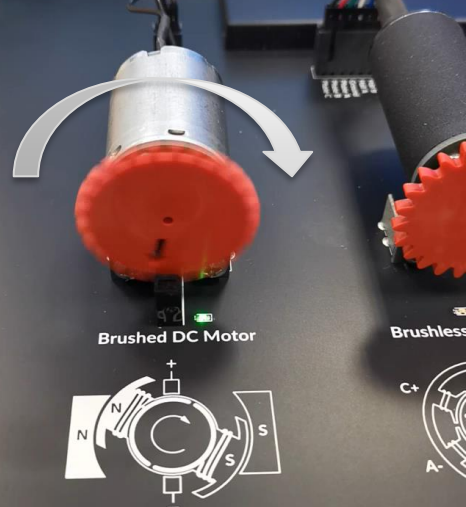
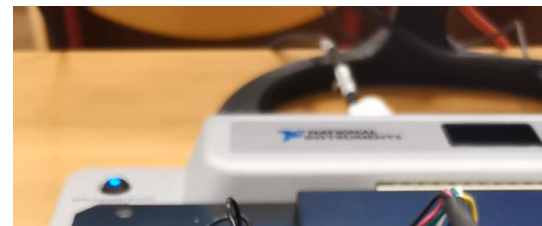
2

Brushed DC Motor Speed



Time
Speed (RPM)

Error Code



Power
Status

ni.com/teach/actuators

Speed DC motor V= - 0,8

