Hone work 3 Kameron Eves 9/28/18 ECEN 483 1/4 See video & code D. 4 (A)  $\dot{x} = 0 = f(x_e u_e)$  where  $x = \begin{bmatrix} z \\ z \end{bmatrix} = \dot{x} = \begin{bmatrix} \frac{1}{2} \\ \frac{1}{2} \end{bmatrix} =$ Known given  $f(x,u) = x \rightarrow \begin{bmatrix} \frac{2}{2} \\ \frac{2}{2} \end{bmatrix} = \begin{bmatrix} \frac{2}{(F-b2-kz)/m} \end{bmatrix}$ @ equilibrium [0] = [2 (F-62-KZ)/m]  $\begin{bmatrix} 0 \\ F \end{bmatrix} = \begin{bmatrix} \frac{1}{2} \\ \frac{1}{6} + KZ \end{bmatrix}$  $\begin{bmatrix} \sigma \\ F \end{bmatrix} = \begin{bmatrix} Z \\ KZ \end{bmatrix}$ Z = Z O - KZ B) Taylor Series  $f(x,y) = f(x,y) + \frac{\partial f}{\partial x} \Big|_{x_e u_e} (x-x_e) + \frac{\partial f}{\partial u} \Big|_{x_e u_e} (u-u_e)$ f(x=, ye) = [6] Ze) + 0(1 = Fe)  $\frac{\partial f}{\partial x}\Big|_{x_e u_e} = \begin{bmatrix} 0 + 1 + 1 \\ -\frac{1}{m} - \frac{1}{n} \end{bmatrix} = \begin{bmatrix} \frac{1}{m} \\ -\frac{1}{m} \end{bmatrix}$ × 2 [ x + [ ] ~ ~ 之光克 ◆ ご ≈ - 芸 ご - 貴 ご + 青 デ ▲

$$O Let F = \widetilde{F}$$

$$\dot{Z} = \dot{Z}$$

$$\ddot{Z} = -\frac{\kappa}{3}Z - \frac{1}{3}\dot{Z} + \frac{1}{3}\widetilde{F}$$

Not that this system is alread linearized

0.5

