

Exploratory Data Analysis and Data Visualization

Assignment: Read Chapter 2 in Doing Data Science
-> Read the code examples discussed in the book

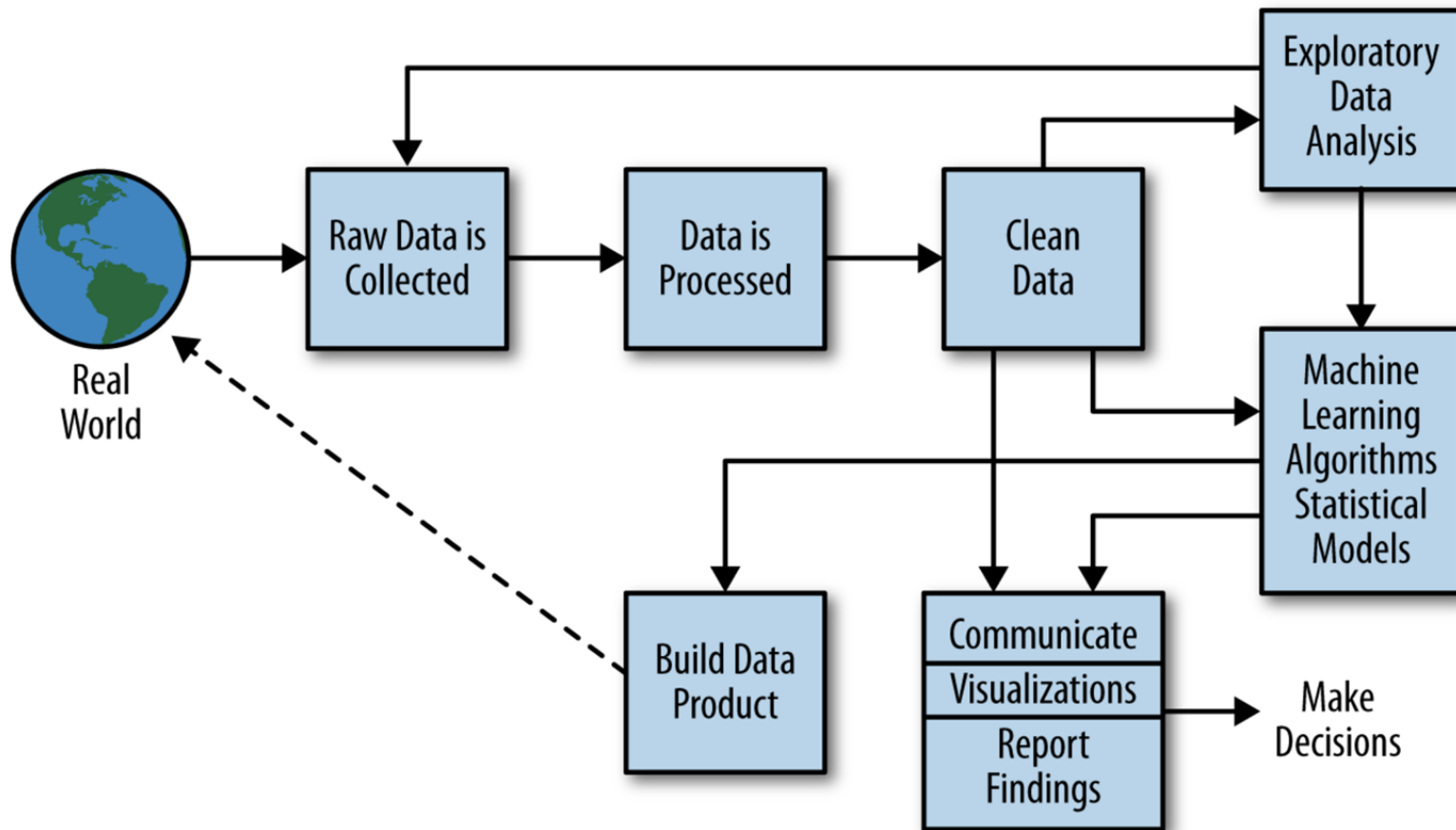
Outline

- Data Science Cycle

- EDA

- Intro to Data Storage

Data Science Cycle



EDA and Visualization

Exploratory Data Analysis (EDA) and Visualization are very important steps in any analysis task.

get to know your data!

- distributions (symmetric, normal, skewed)

- data quality problems

- outliers

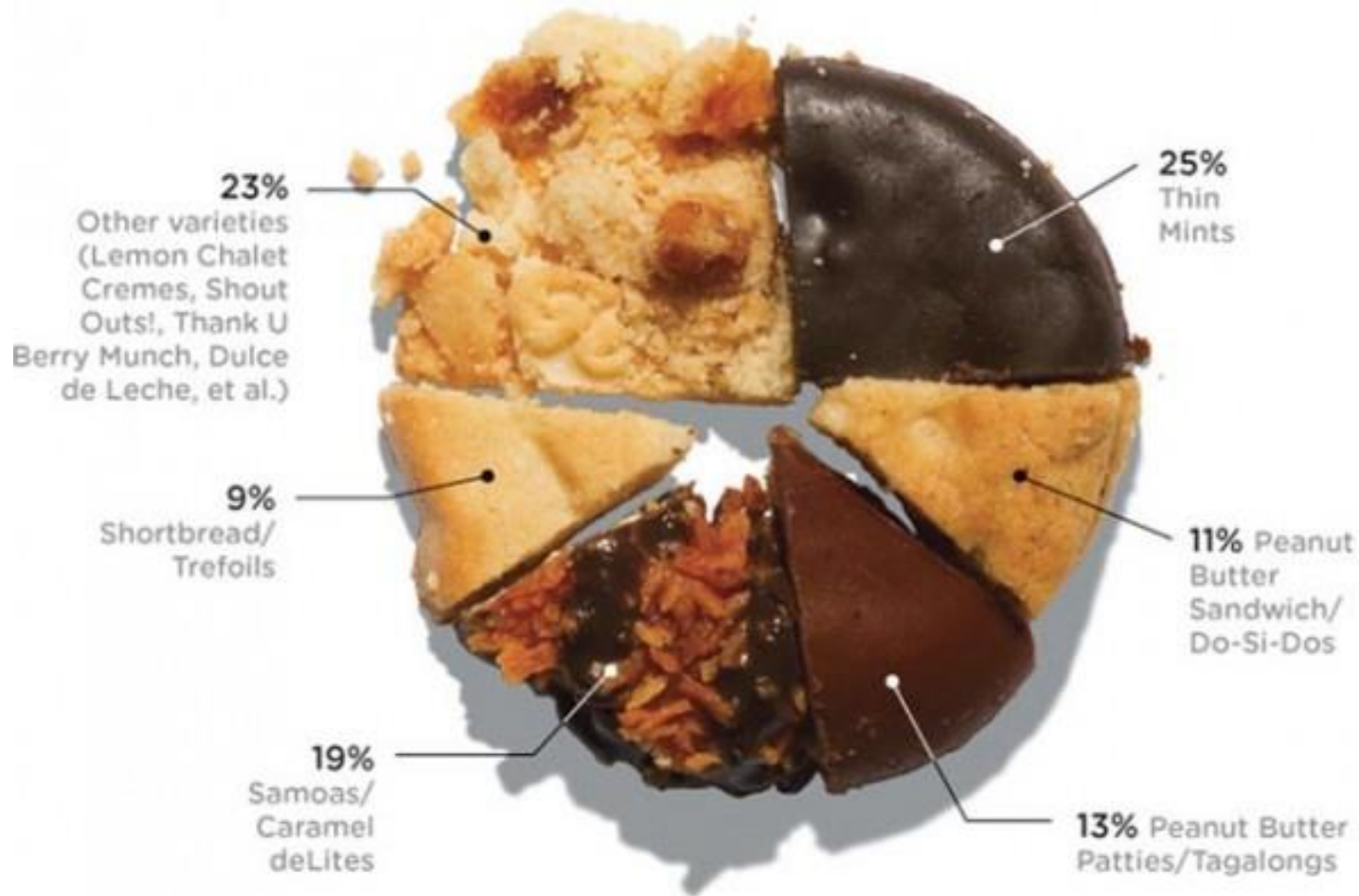
- correlations and inter-relationships

- subsets of interest

- suggest functional relationships

Sometimes EDA or viz might be the goal!

Data Visualization – cake bakery



Exploratory Data Analysis (EDA)

Goal: get a general sense of the data

means, medians, quantiles, histograms, boxplots

You should always look at every variable - you will learn something!

Think interactive and visual

Humans are the best pattern recognizers

You can use more than 2 dimensions!

x,y,z, space, color, time....

Especially useful in early stages of data mining

detect outliers (e.g. assess data quality)

test assumptions (e.g. normal distributions or skewed?)

identify useful raw data & transforms (e.g. $\log(x)$)

Bottom line: it is always well worth looking at your data!

Summary Statistics

not visual

sample statistics of data X

mean: $\mu = \sum_i X_i / n$

mode: most common value in X

median: $\mathbf{X} = \text{sort}(X)$, median = $\mathbf{X}_{n/2}$ (half below, half above)

quartiles of sorted \mathbf{X} : Q1 value = $\mathbf{X}_{0.25n}$, Q3 value = $\mathbf{X}_{0.75n}$

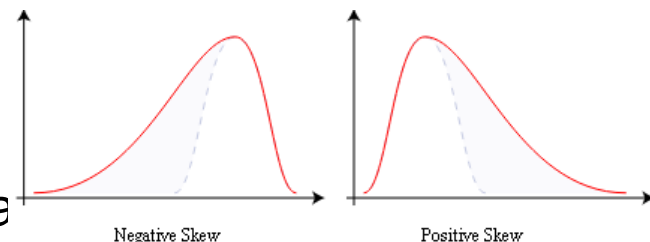
interquartile range: value(Q3) - value(Q1)

range: $\max(X) - \min(X) = \mathbf{X}_n - \mathbf{X}_1$

variance: $\sigma^2 = \sum_i (X_i - \mu)^2 / n$

skewness: $\sum_i (X_i - \mu)^3 / [(\sum_i (X_i - \mu)^2)^{3/2}]$

zero if symmetric; right-skewed more common (what kind of data is right skewed?)



number of distinct values for a variable

Don't need to report all of these: bottom line...do these numbers make sense???

Single Variable Visualization

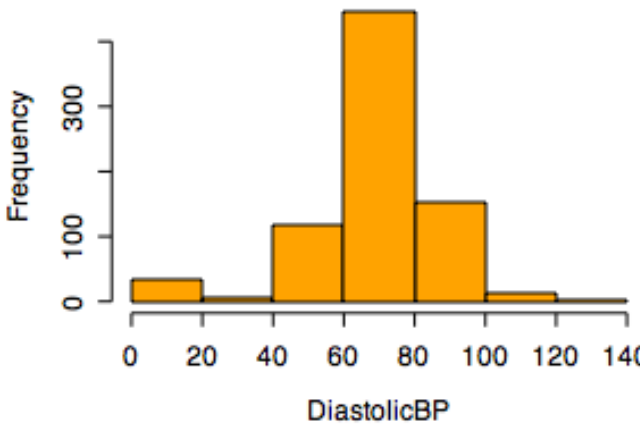
Histogram:

Shows center, variability, skewness, modality, outliers, or strange patterns.

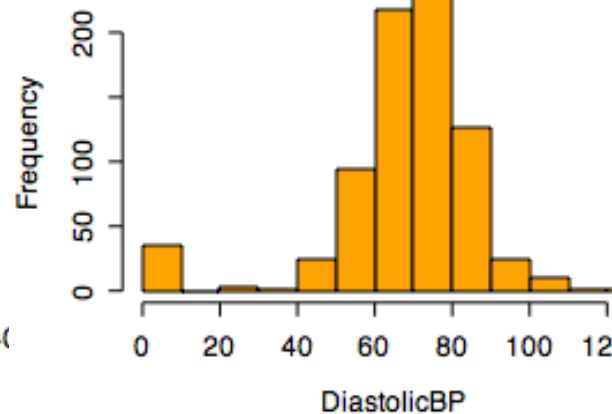
Bin width and position matter

Beware of real zeros

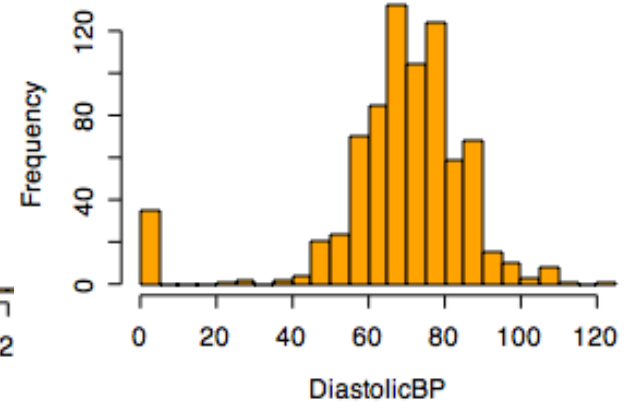
Histogram of DiastolicBP



Histogram of DiastolicBP



Histogram of DiastolicBP



Issues with Histograms

For small data sets, histograms can be misleading.

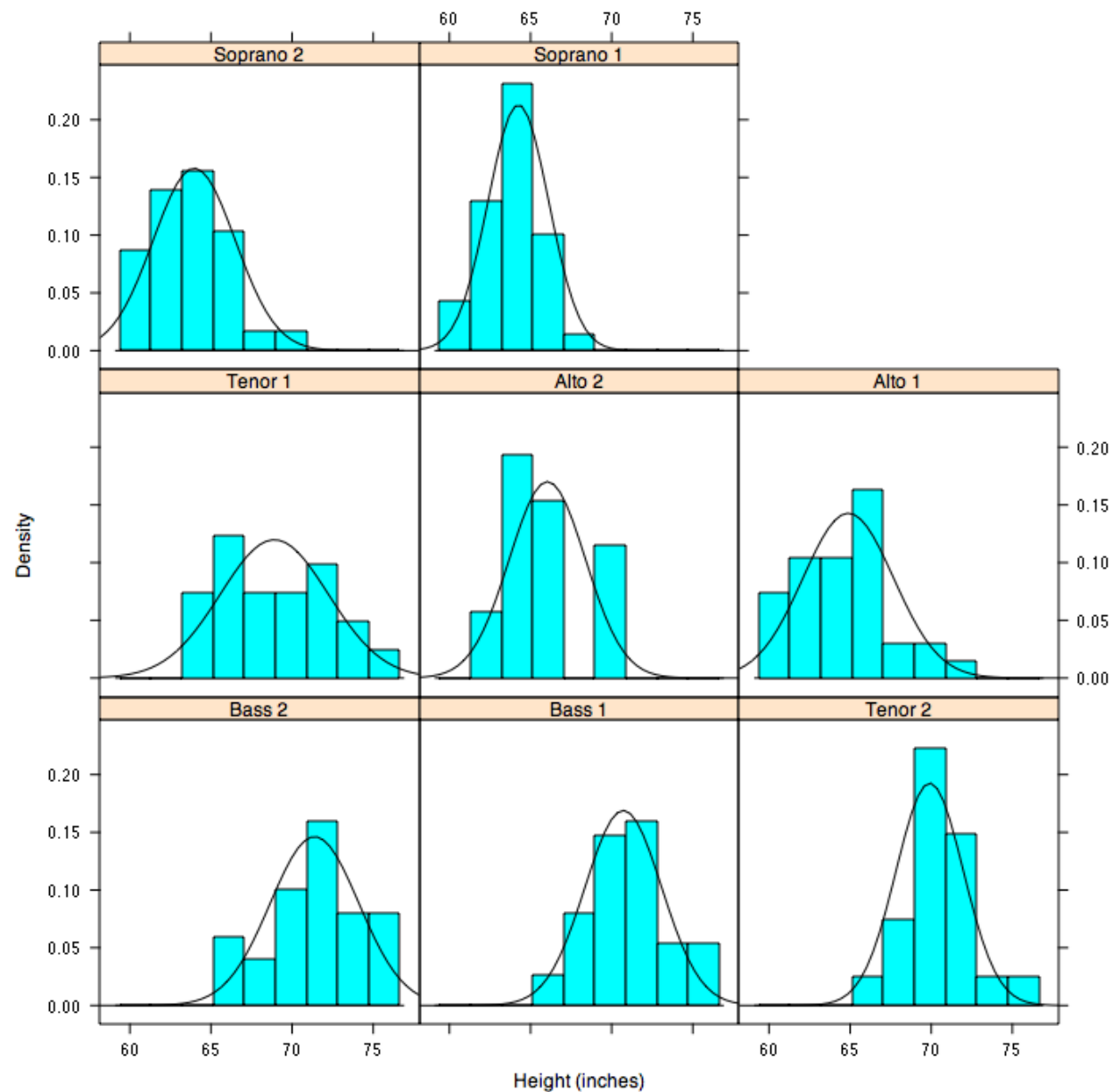
Small changes in the data, bins, or anchor can deceive

For large data sets, histograms can be quite effective at illustrating general properties of the distribution.

Histograms effectively only work with 1 variable at a time

But 'small multiples' can be effective

But be careful with
axes and scales!



Smoothed Histograms - Density Estimates

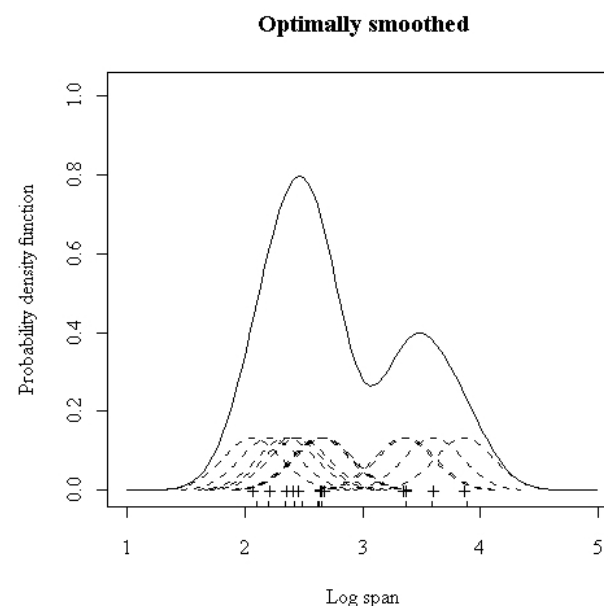
- Kernel estimates smooth out the contribution of each datapoint over a local neighborhood of that point.

$$\hat{f}(x) = \frac{1}{nh} \sum_{i=1}^n K\left(\frac{x - x_i}{h}\right)$$

h is the kernel width

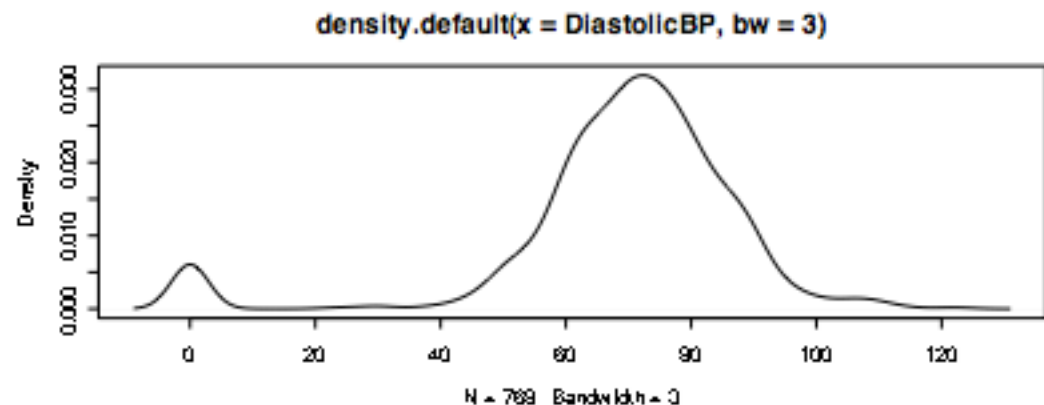
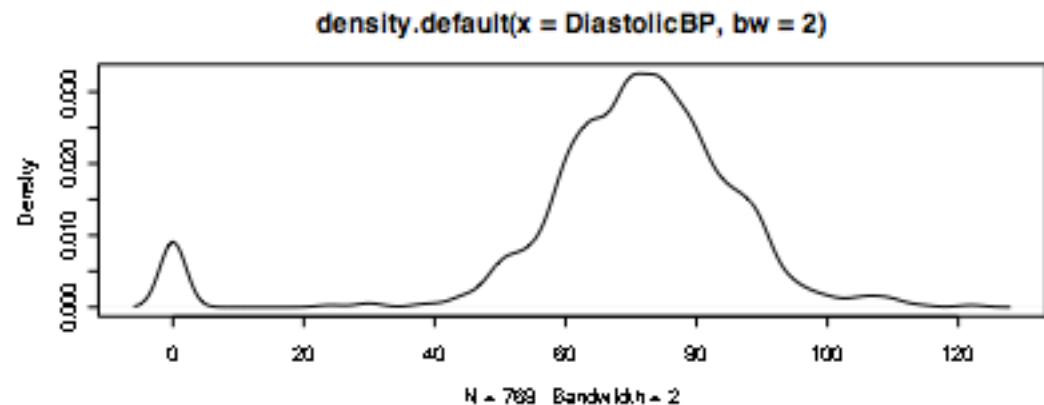
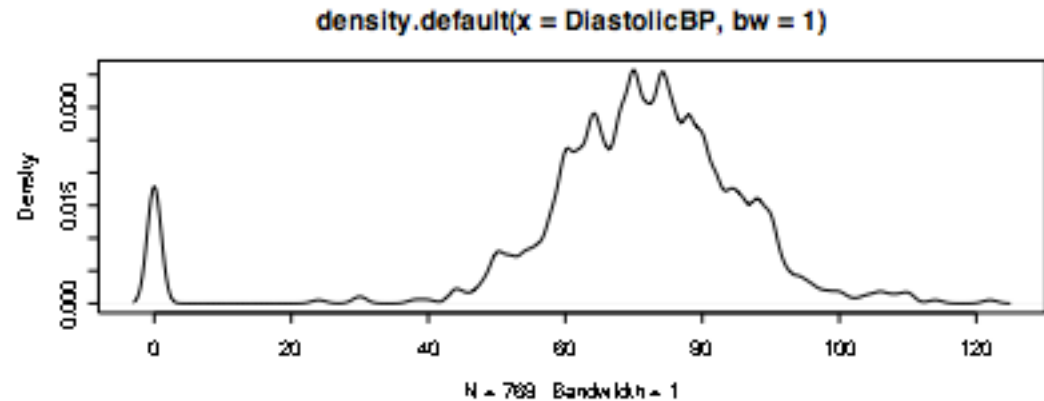
- Gaussian kernel is common:

$$Ce^{-\frac{1}{2}\left(\frac{x-x(i)}{h}\right)^2}$$



Bandwidth
choice is an art

Usually want to
try several



Boxplots

Shows a lot of information about a variable in one plot

- Median

- IQR

- Outliers

- Range

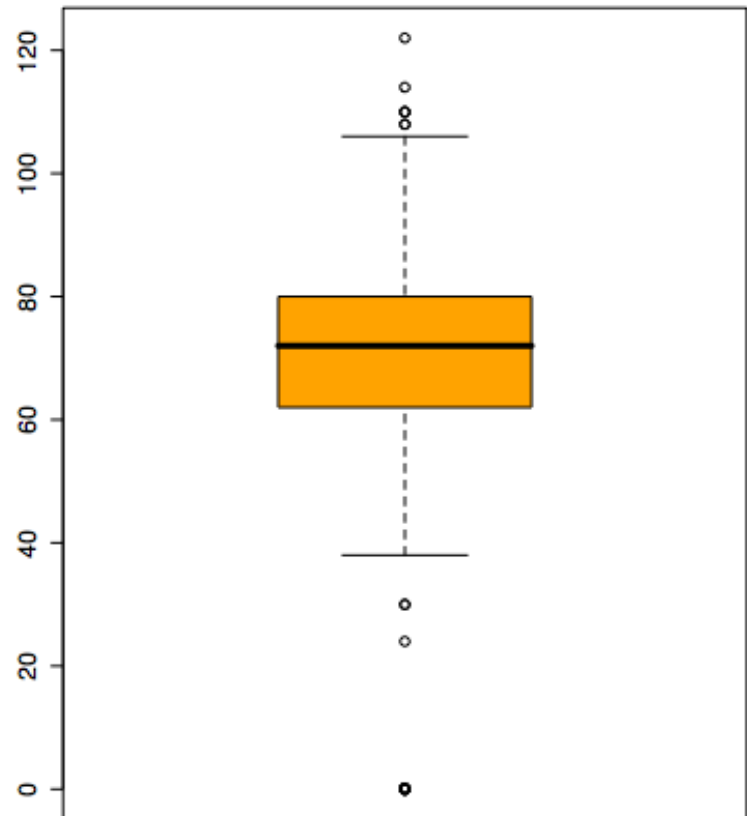
- Skewness

Negatives

- Overplotting

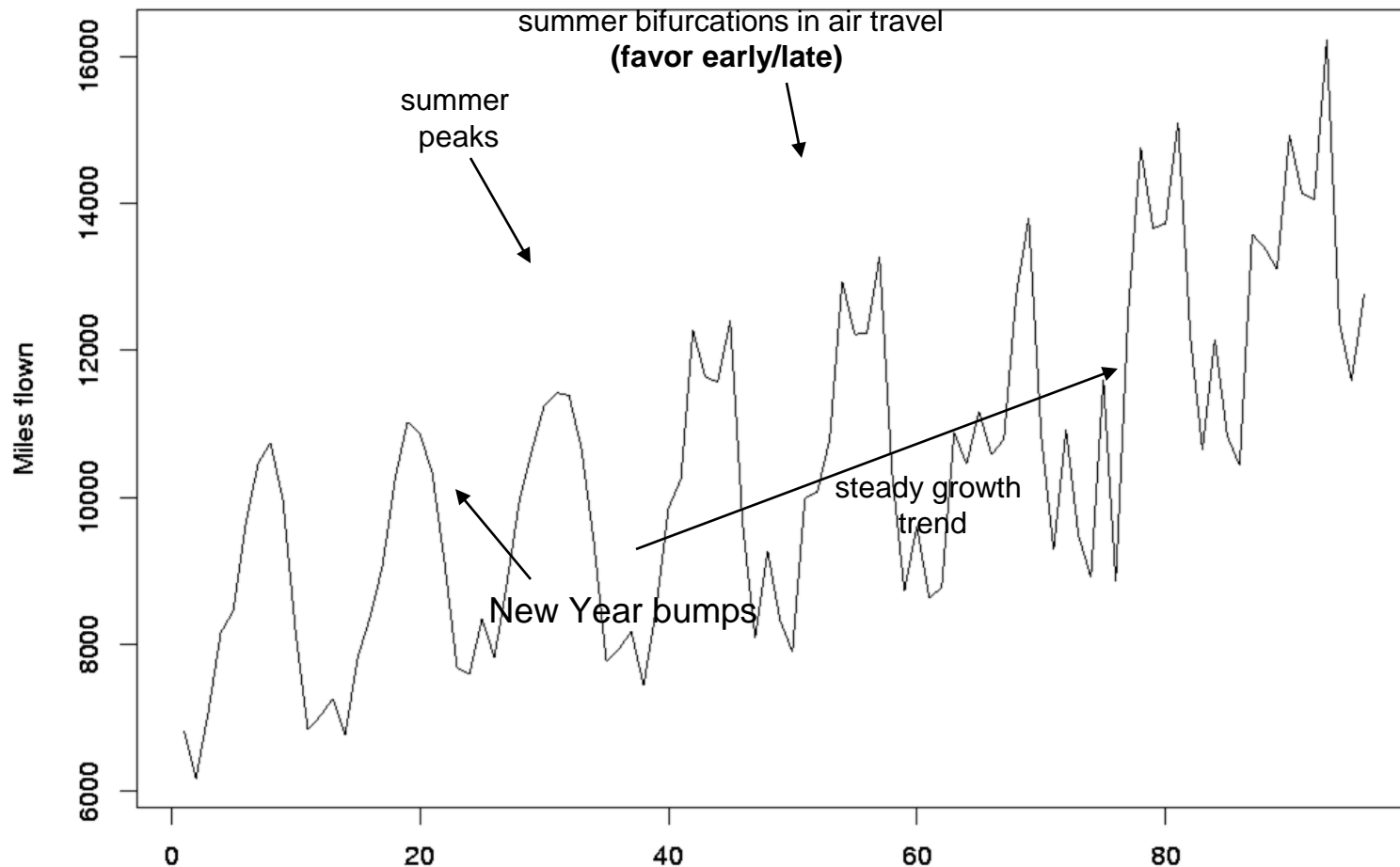
- Hard to tell distributional shape

- no standard implementation in software (many options for whiskers, outliers)

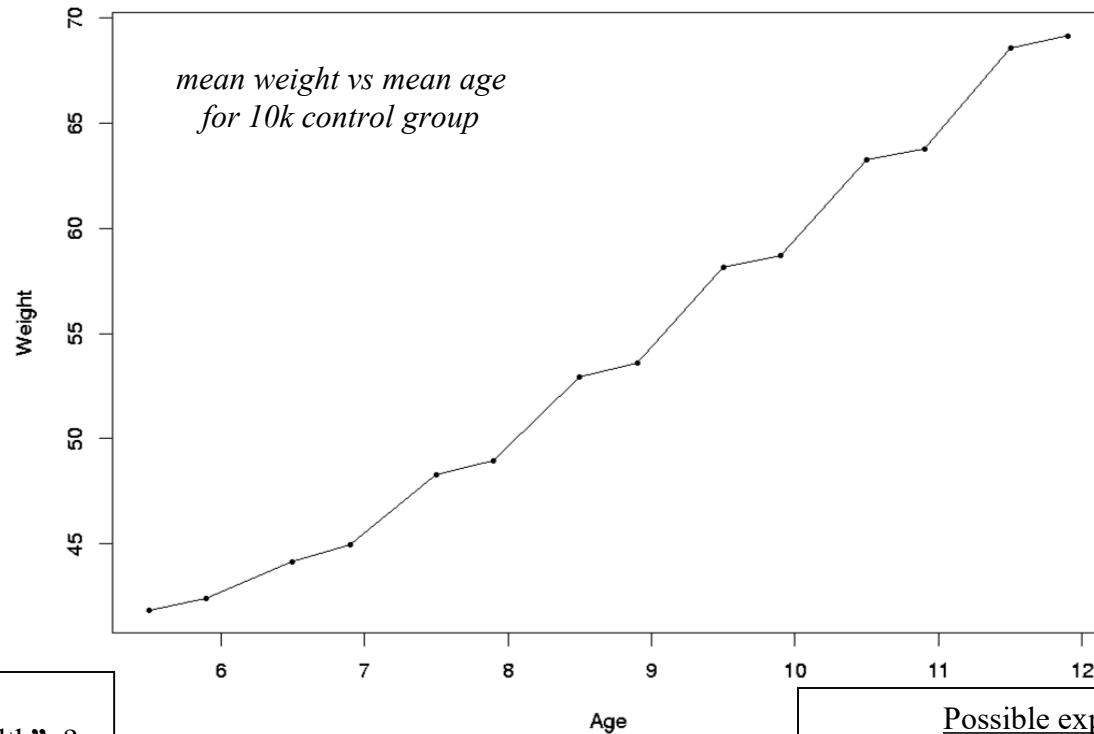


Time Series

If your data has a temporal component, be sure to exploit it



Time-Series Example 3



Scotland experiment:
“↑ milk in kid diet → better health” ?

20,000 kids:
5k raw, 5k pasteurize,
10k control (no supplement)

Would expect smooth weight growth plot.

**Visually reveals
unexpected pattern (steps),
not apparent from raw data table.**

Possible explanations:

Grow less early in year than later?

No steps in height plots; so why
height ↑ uniformly, weight ↑ spurts?

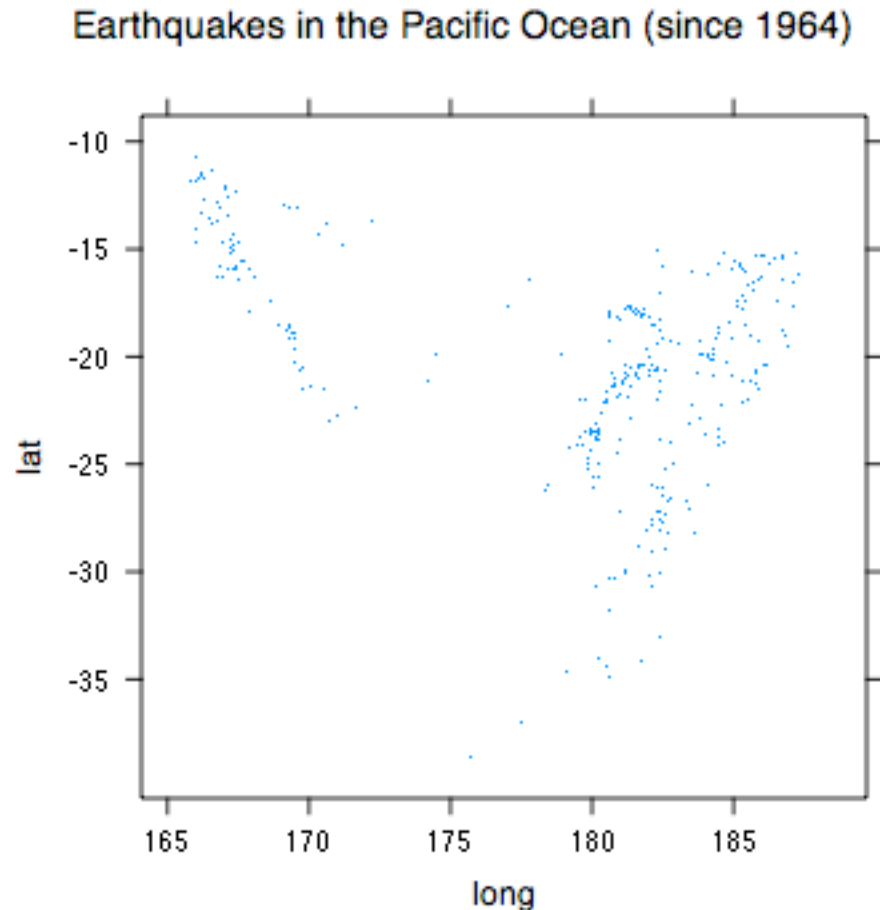
Kids weighed in clothes: summer garb
lighter than winter?

Spatial Data

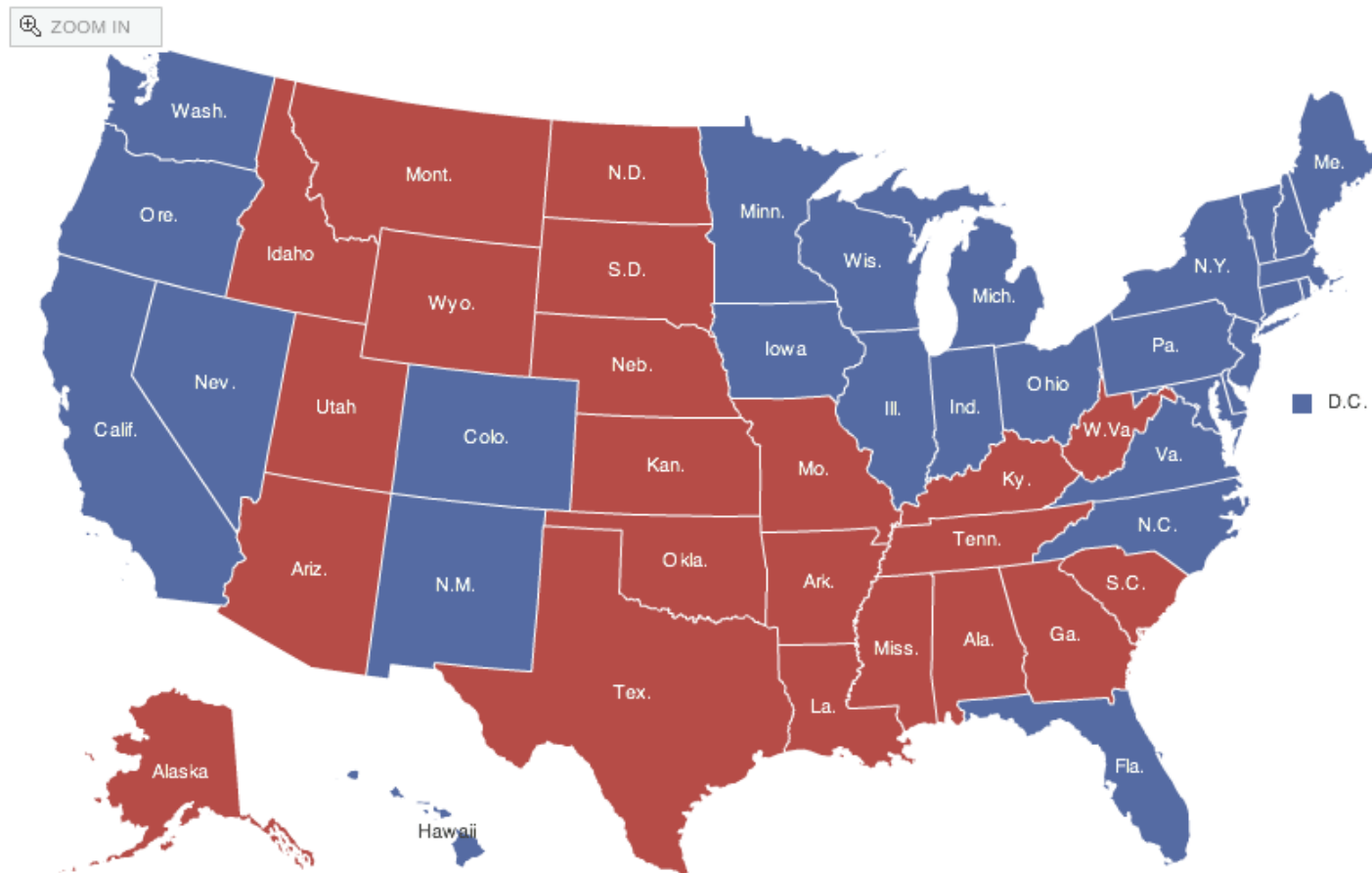
If your data has a geographic component, be sure to exploit it

Data from cities/states/zip cods – easy to get lat/long

Can plot as scatterplot



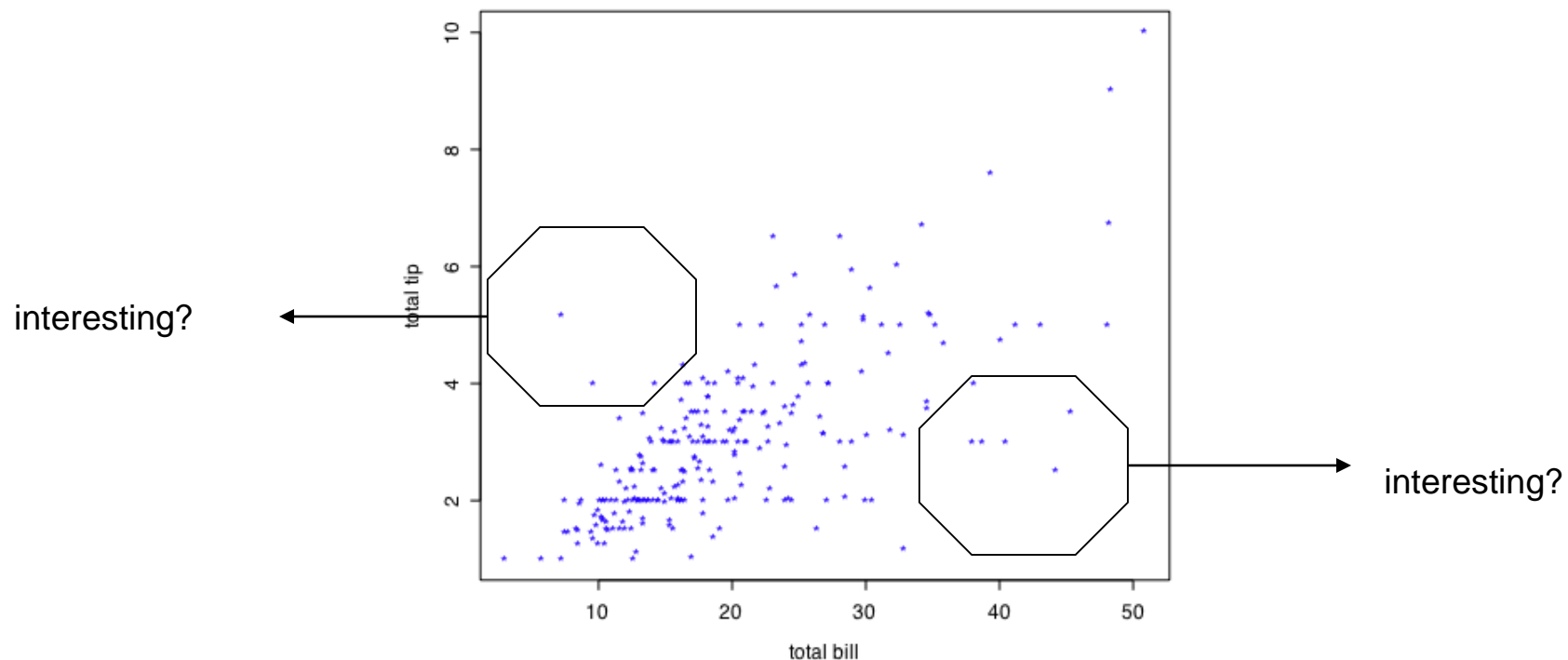
Spatial data: choropleth Maps



Maps using color shadings to represent numerical values are called choropleth maps
<http://elections.nytimes.com/2008/results/president/map.html>

Two Continuous Variables

For two numeric variables, the scatterplot is the obvious choice



2D Scatterplots

standard tool to display
relation between 2 variables
e.g. y-axis = response, x-axis =
suspected indicator

useful to answer:

x,y related?

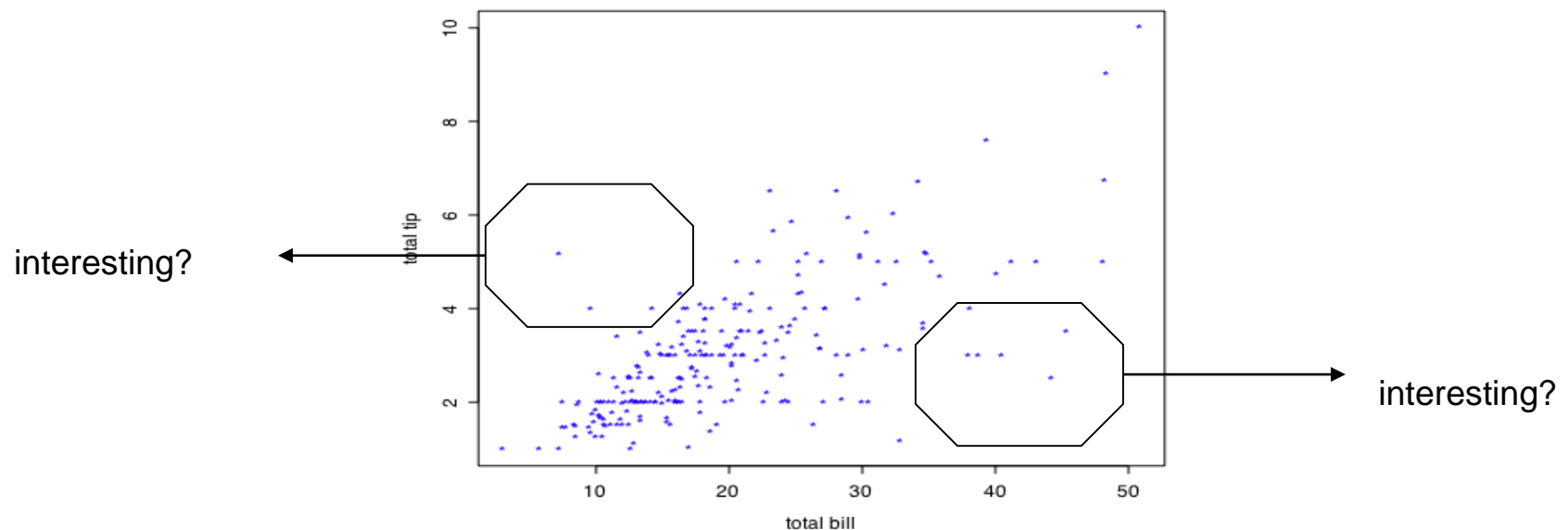
linear

quadratic

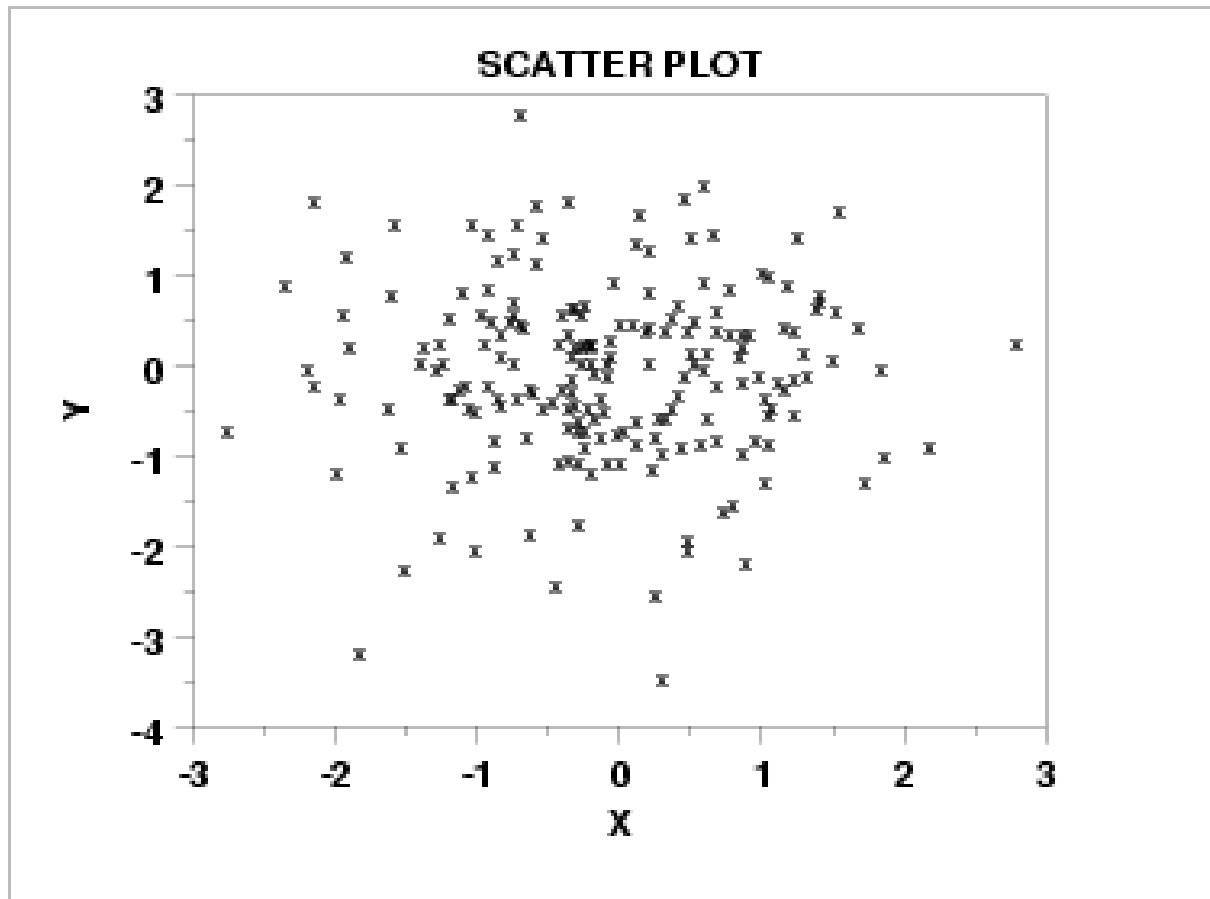
other

variance(y) depend on x?

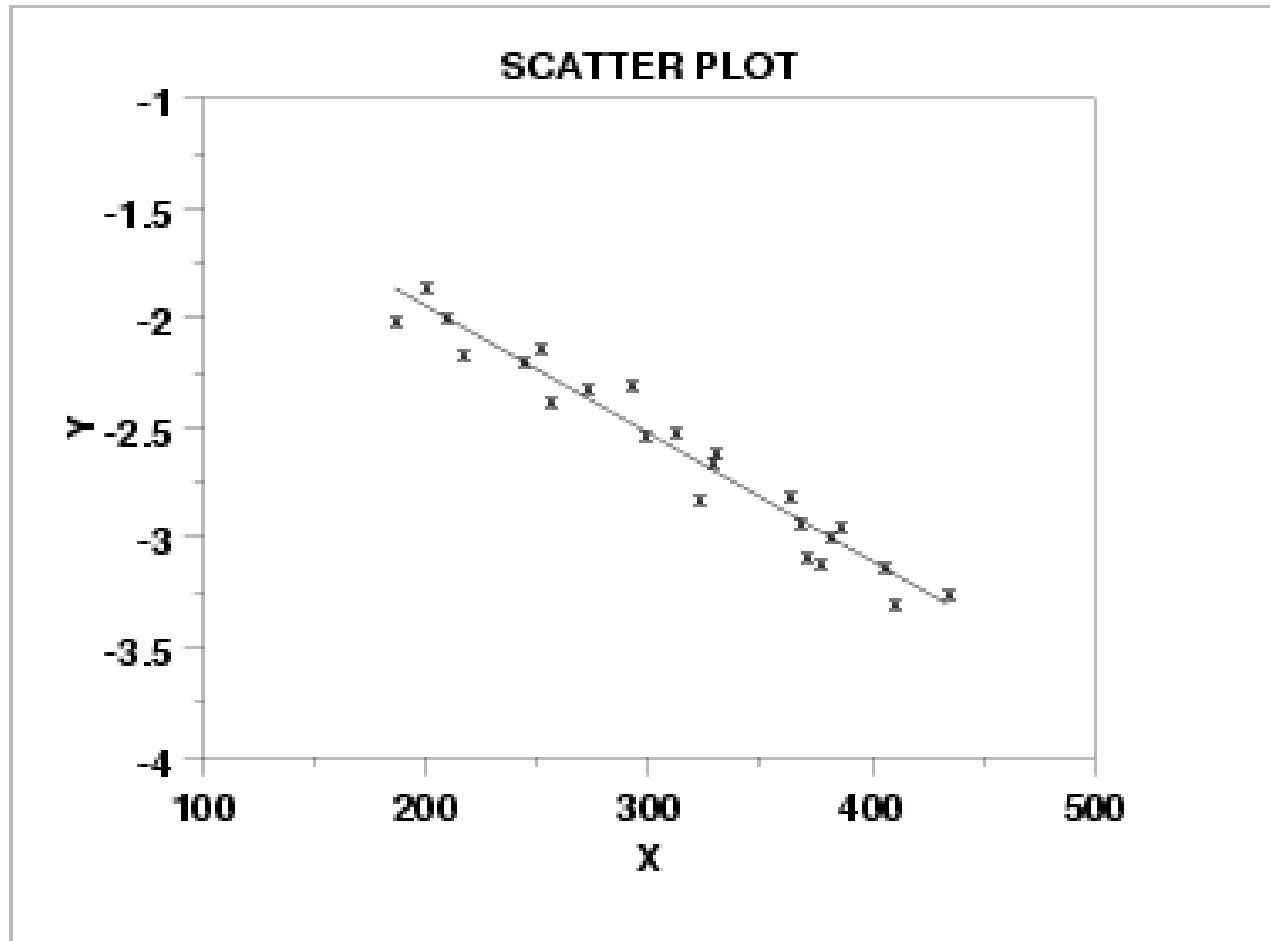
outliers present?



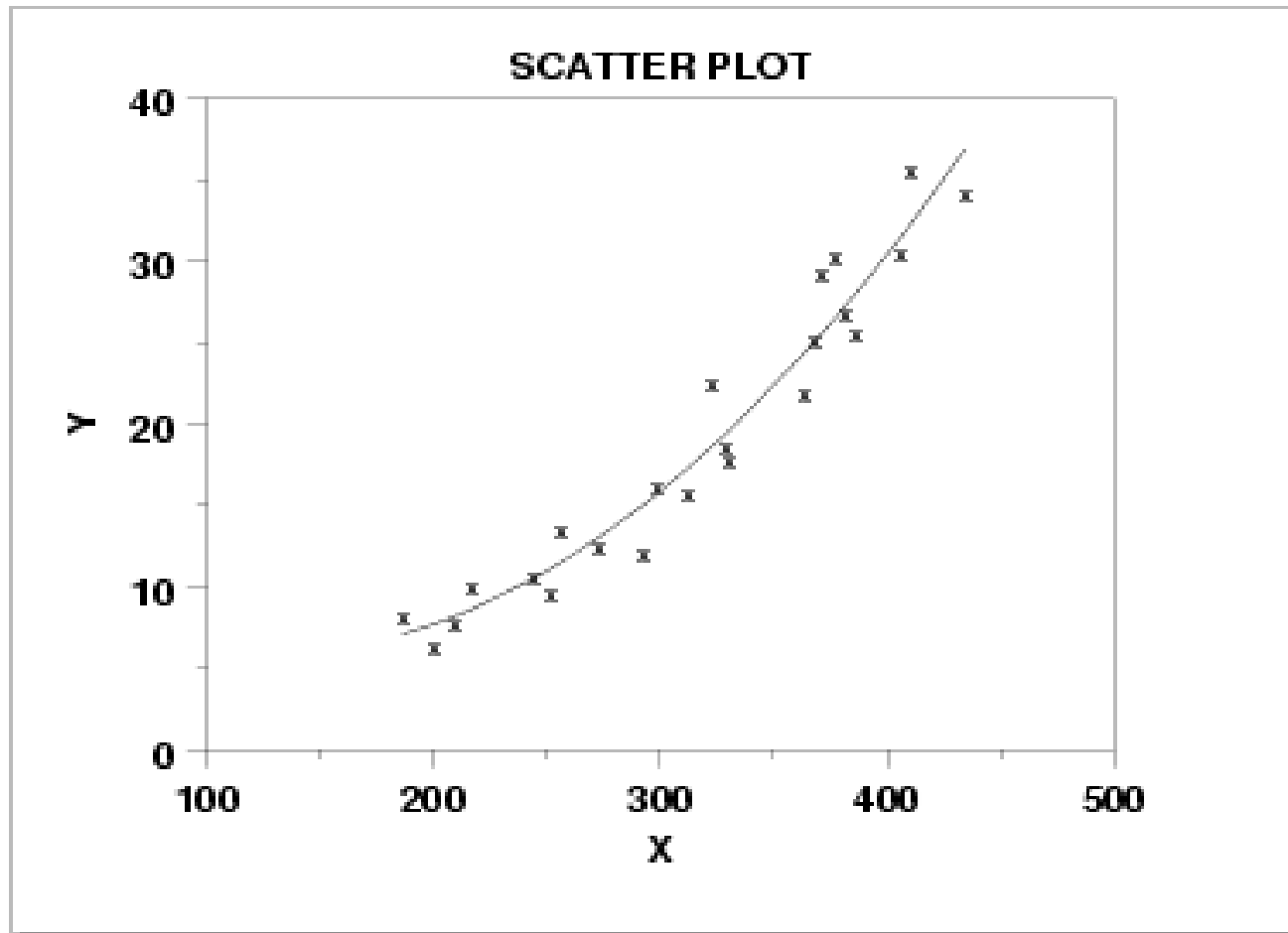
Scatter Plot: No apparent relationship



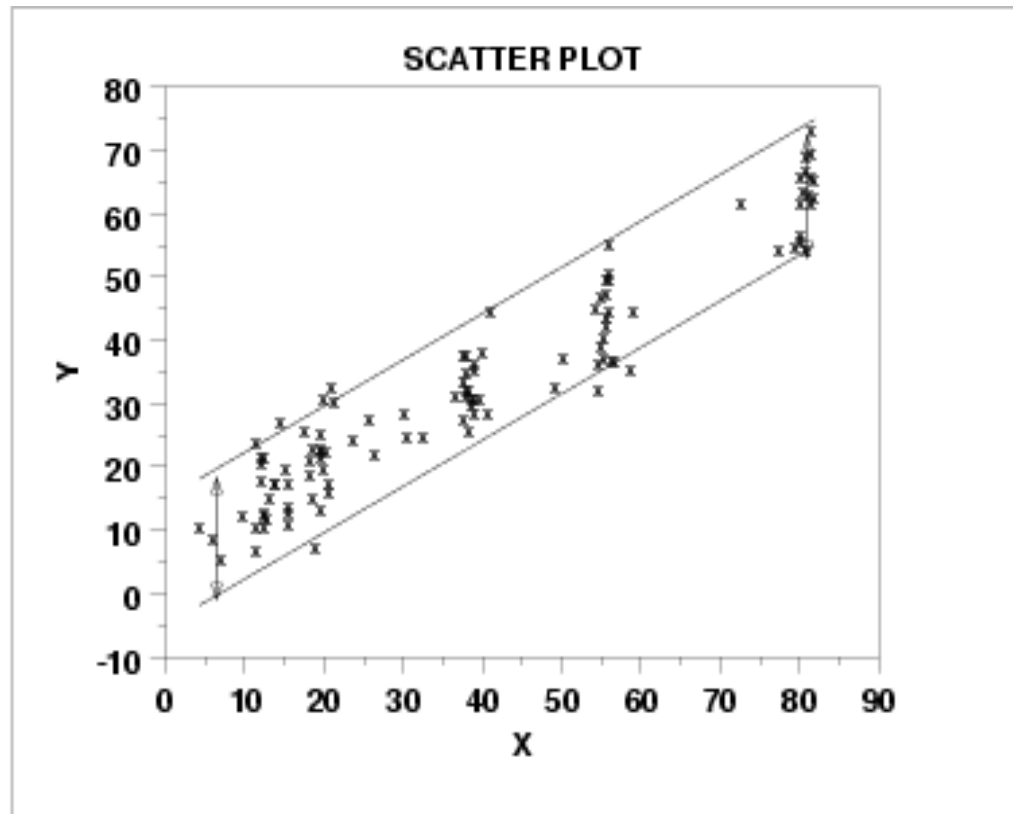
Scatter Plot: Linear relationship



Scatter Plot: Quadratic relationship

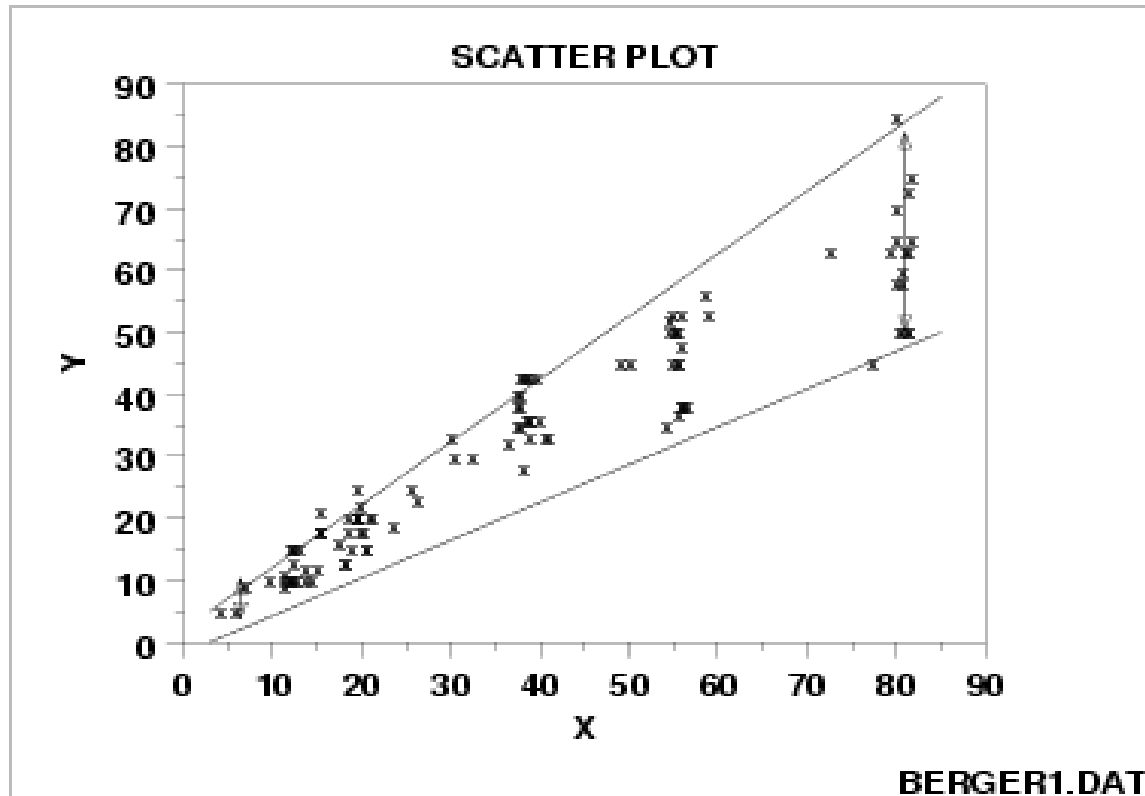


Scatter plot: Homoscedastic



Why is this important in classical statistical modelling?

Scatter plot: Heteroscedastic



variation in Y differs depending on the value of X
e.g., $Y = \text{annual tax paid}$, $X = \text{income}$

Two variables - continuous

Scatterplots

But can be bad with lots of data

|

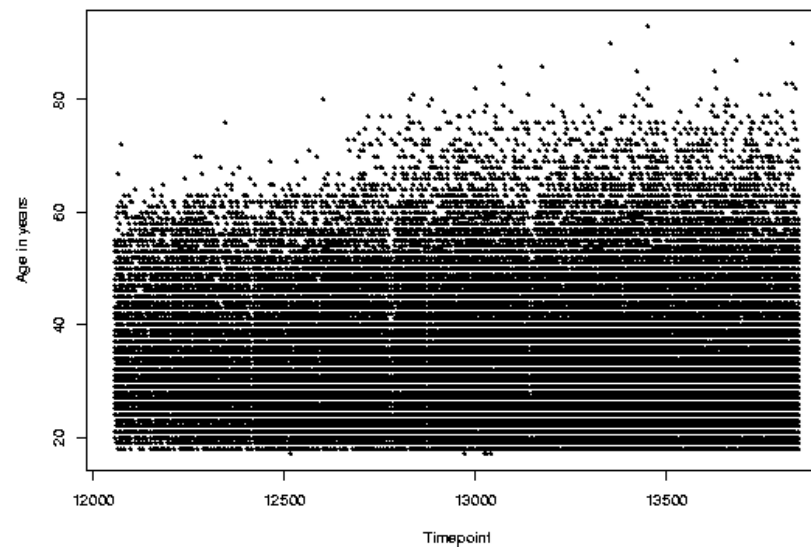
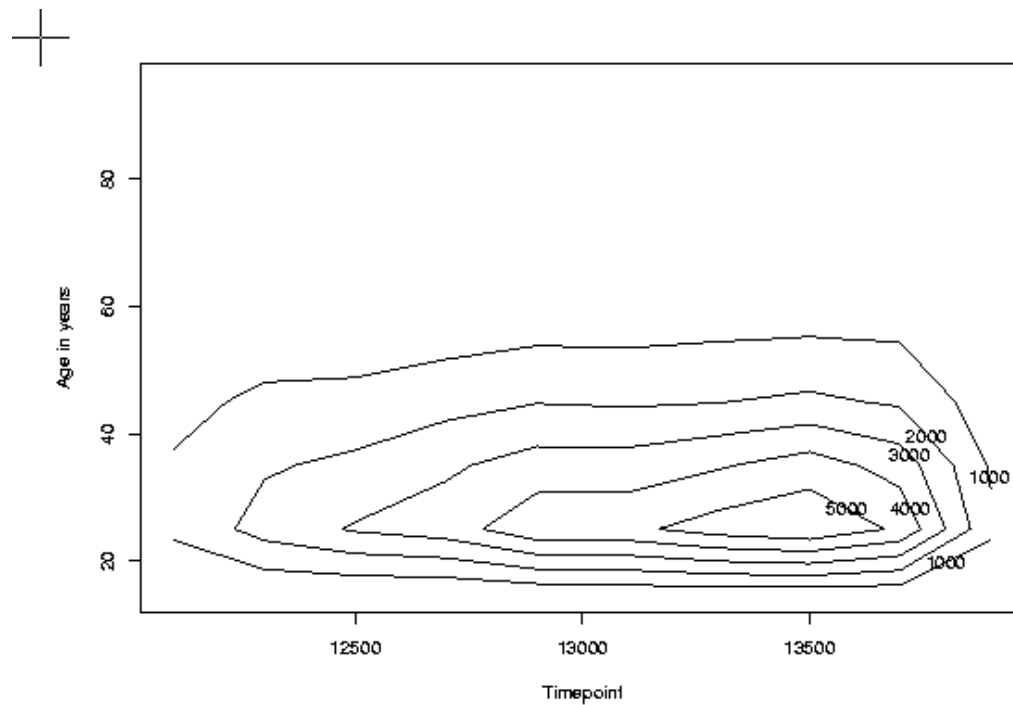


Figure 3.7: A scatterplot of 96,000 cases, with much overprinting. Each data point represents an individual applicant for a loan. The vertical axis shows the age of the applicant, and the horizontal axis indicates the day on which the application was made.

Two variables - continuous

What to do for large data sets

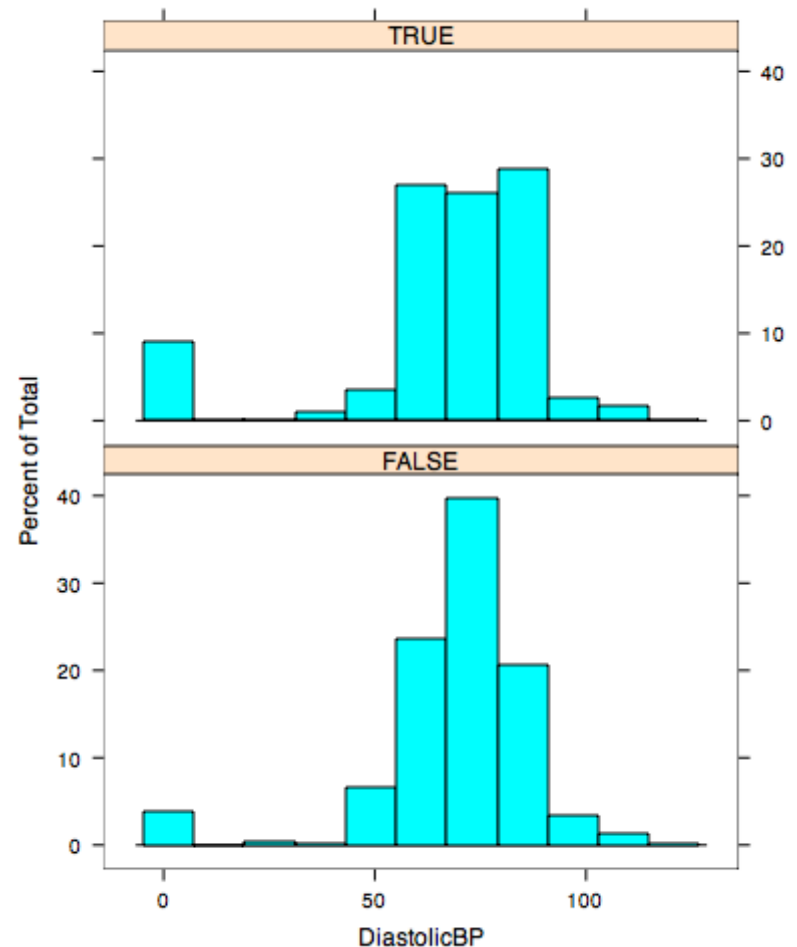
Contour plots



Displaying Two Variables

If one variable is categorical, use small multiples

Many software packages have this implemented as 'lattice' or 'trellis' packages



```
library('lattice')  
histogram(~DiastolicBP | TimesPregnant==0)
```

Two Variables - one categorical

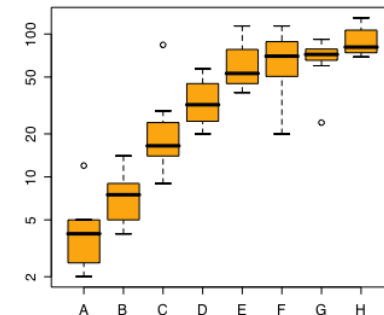
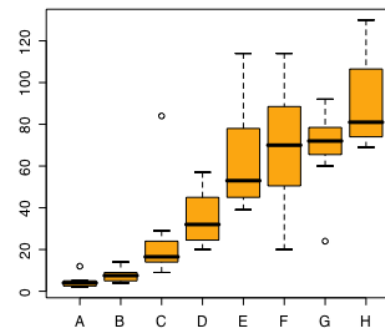
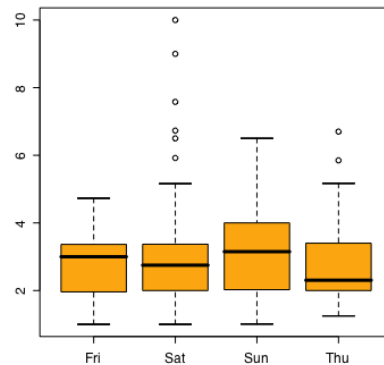
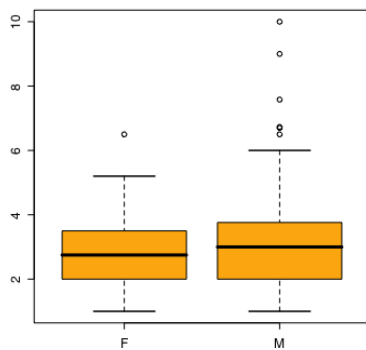
Side by side boxplots are very effective in showing differences in a quantitative variable across factor levels

tips data

do men or women tip better

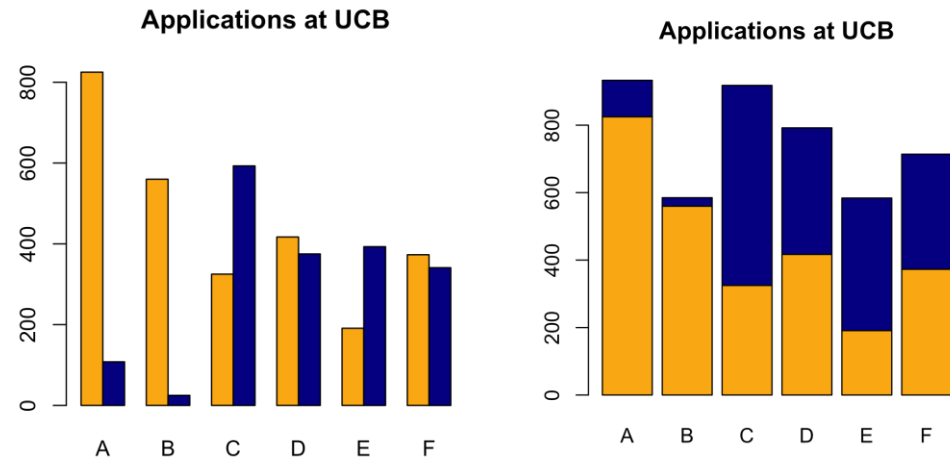
orchard sprays

measuring potency of various orchard sprays in repelling honeybees



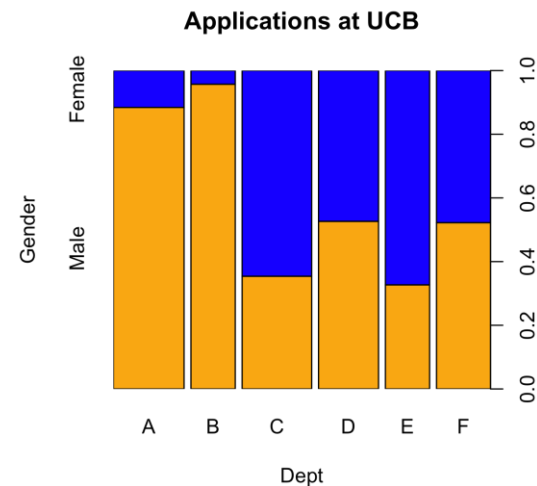
Barcharts and Spineplots

stacked barcharts can be used to compare continuous values across two or more categorical ones.



orange=M
blue=F

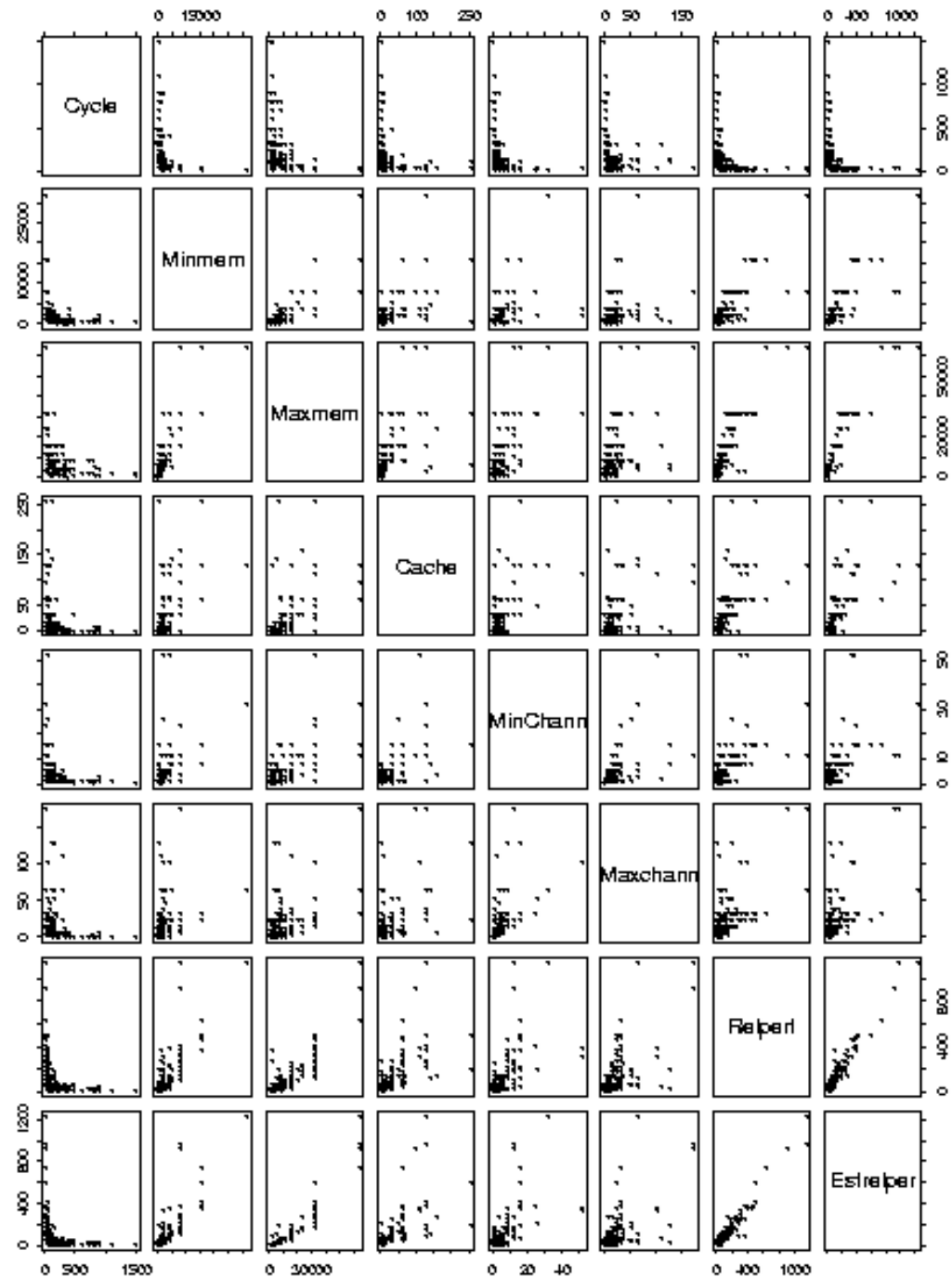
spineplots show proportions well, but can be hard to interpret

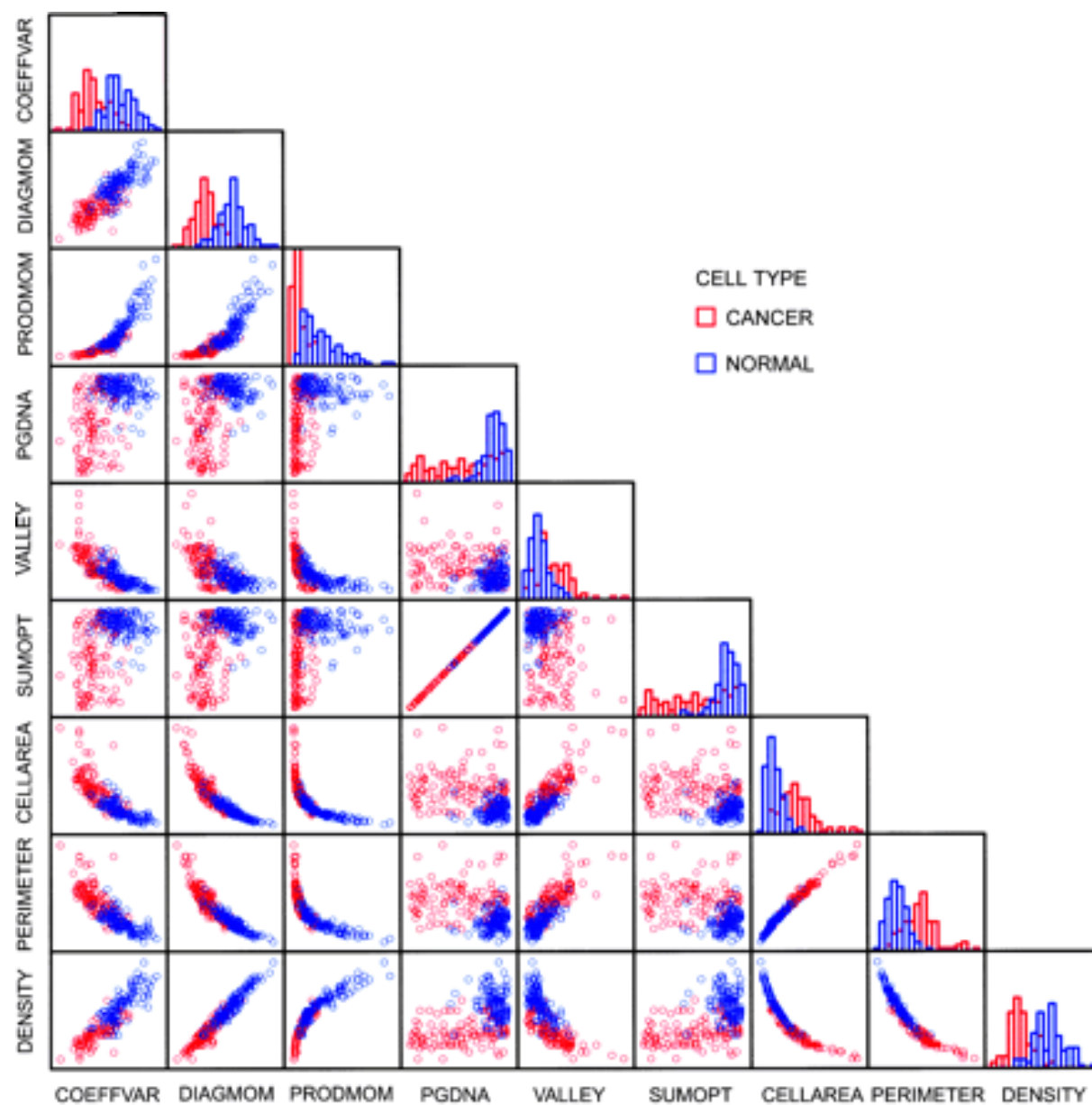


More than two variables

Pairwise scatterplots

Can be somewhat ineffective for categorical data





Multivariate: More than two variables

Get creative!

Conditioning on variables

- trellis or lattice plots

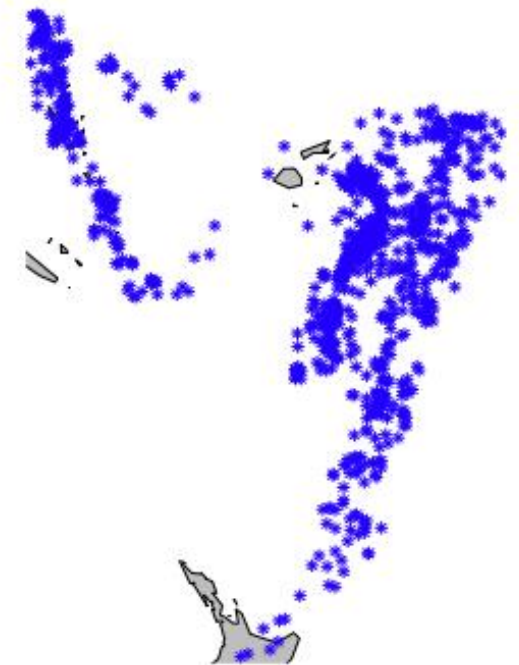
- Cleveland models on human perception, all based on conditioning

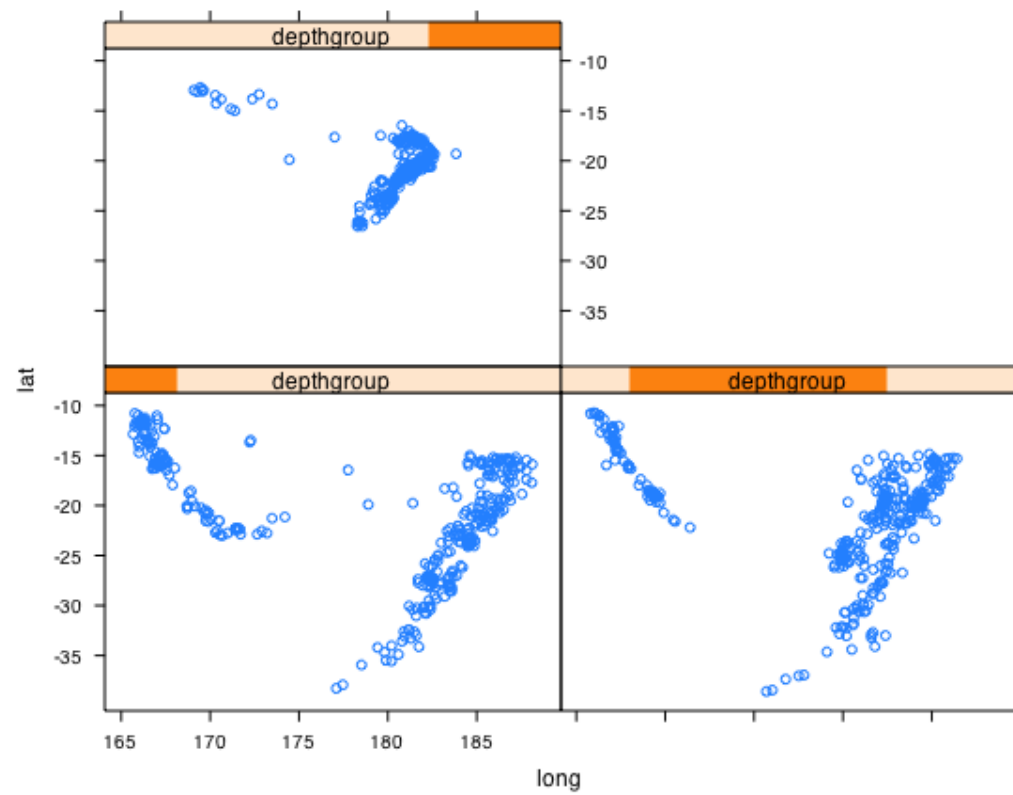
- Infinite possibilities

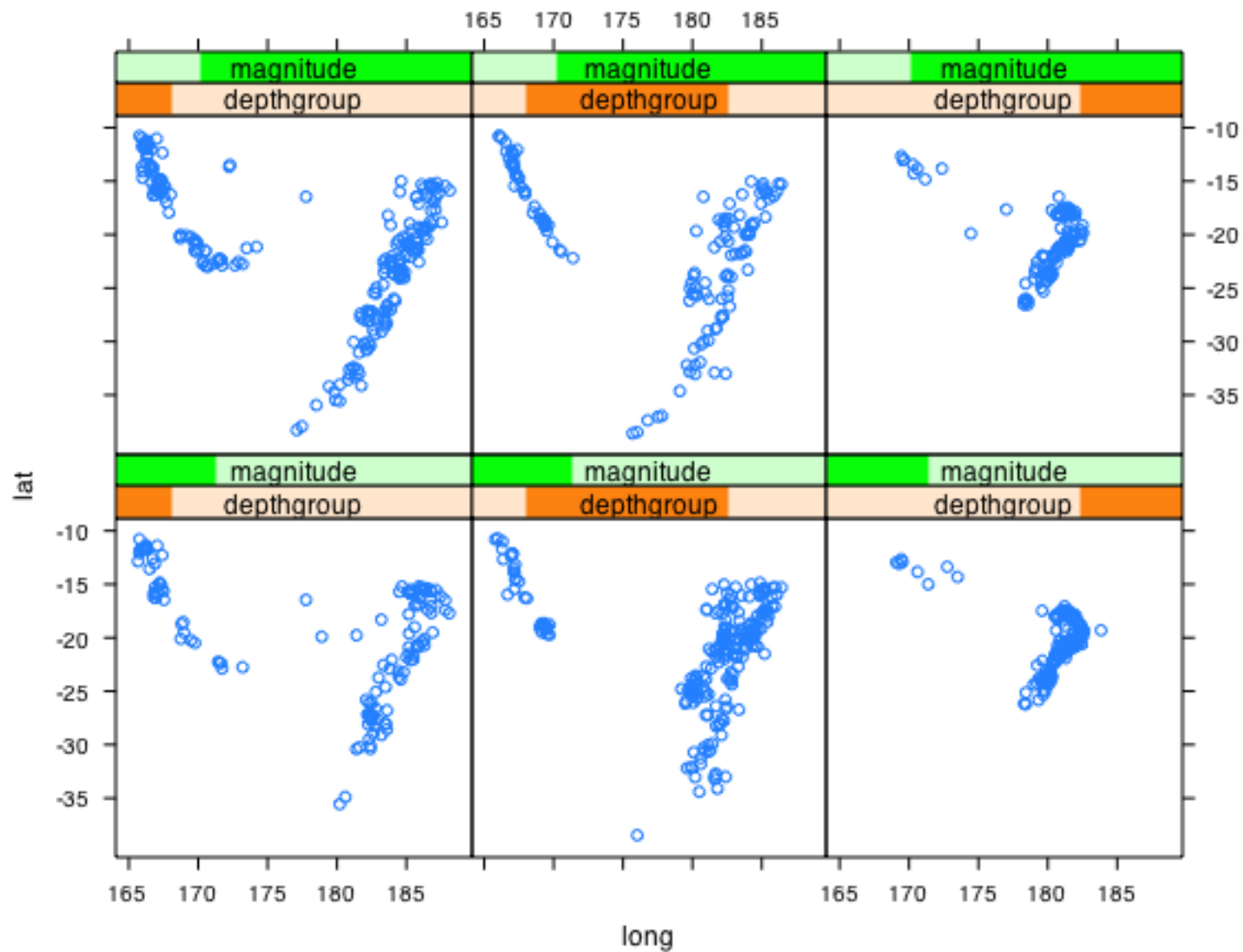
Earthquake data:

- locations of 1000 seismic events of MB > 4.0. The events occurred in a cube near Fiji since 1964

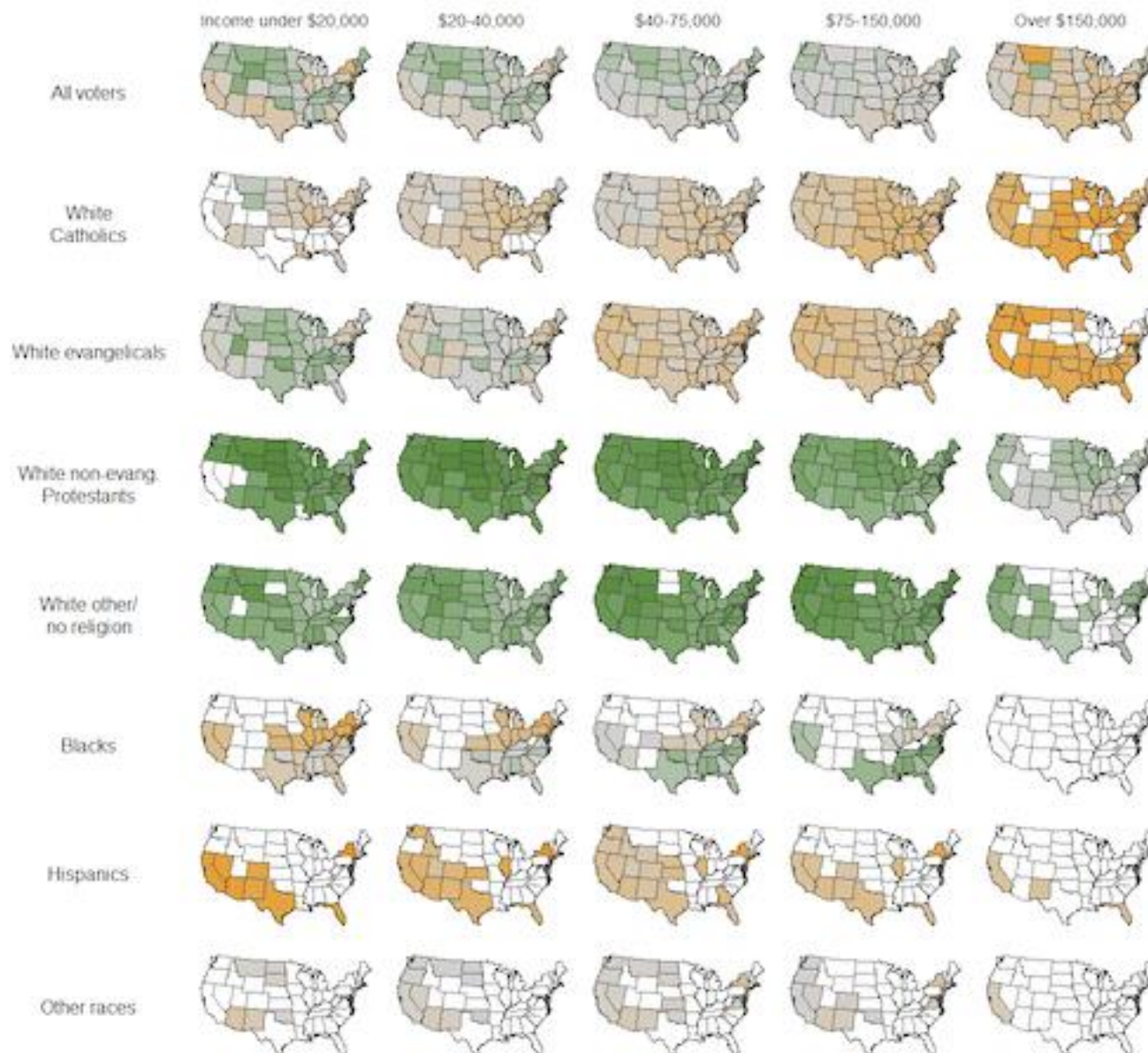
- Data collected on the severity of the earthquake





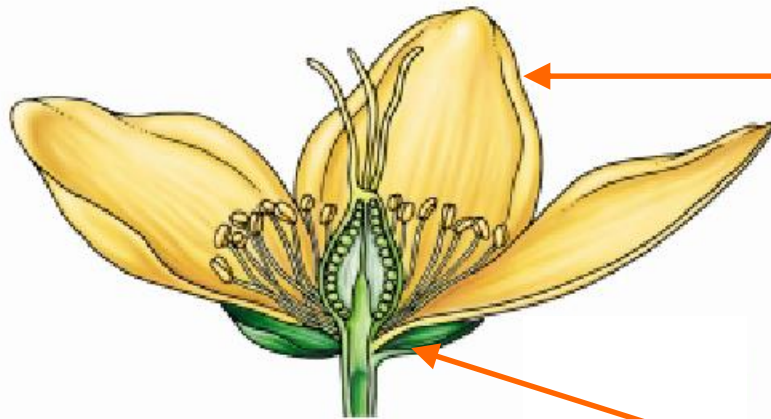


How many dimensions are represented here?



Orange and green colors correspond to states where support for vouchers was greater or less than the national average. The seven ethnic/religious categories are mutually exclusive. "Evangelicals" includes Mormons as well as born-again Protestants. Where a category represents less than 1% of the voters of a state, the state is left blank.

Multivariate Vis: Parallel Coordinates



Petal, a non-reproductive part of the flower


Sepal, a non-reproductive part of the flower

The famous iris data!

Parallel Coordinates

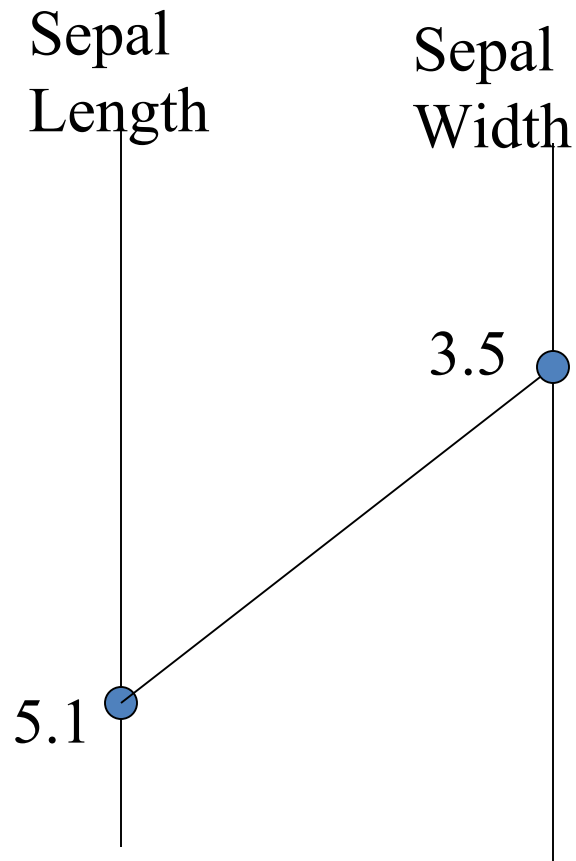
Sepal
Length

5.1



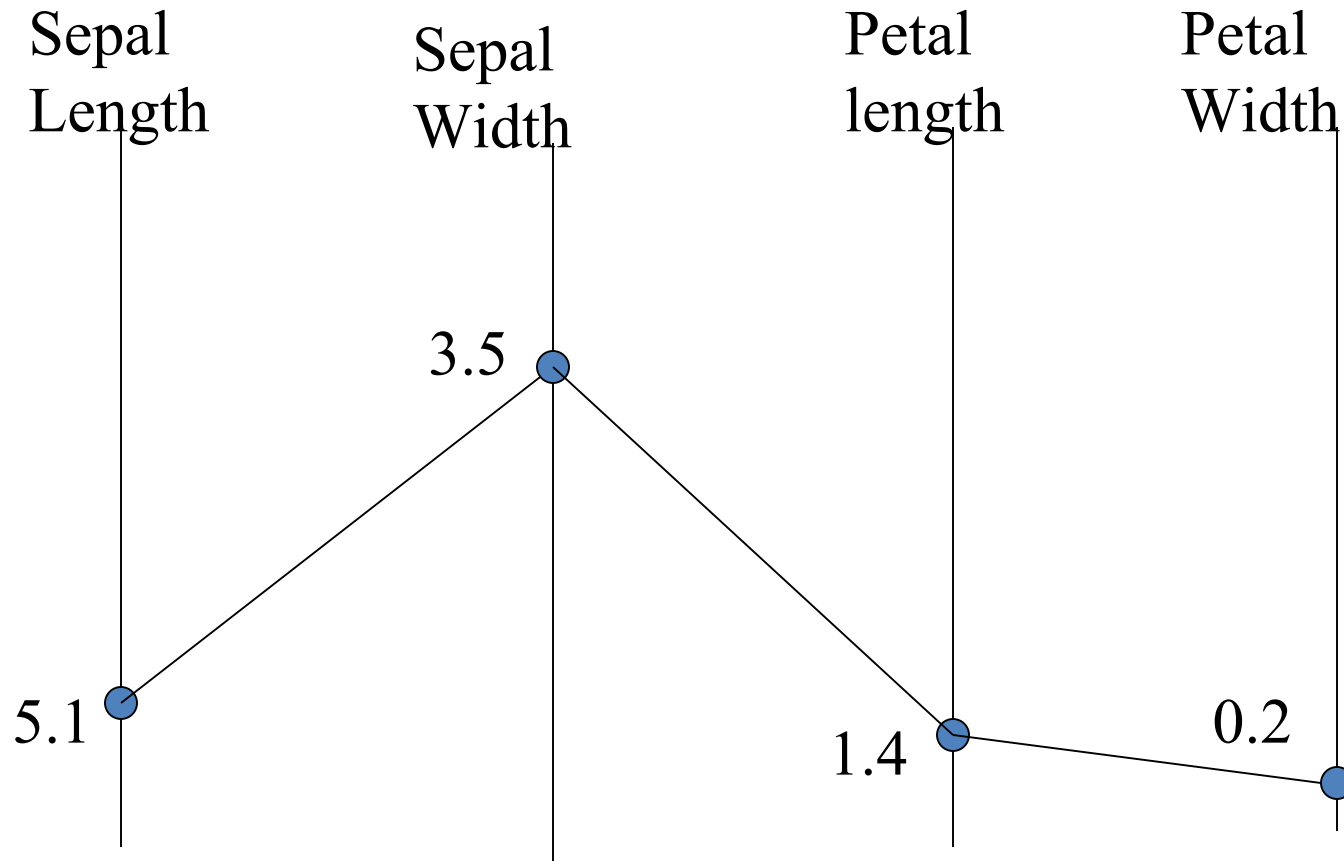
sepal length	sepal width	petal length	petal width
5.1	3.5	1.4	0.2

Parallel Coordinates: 2 D



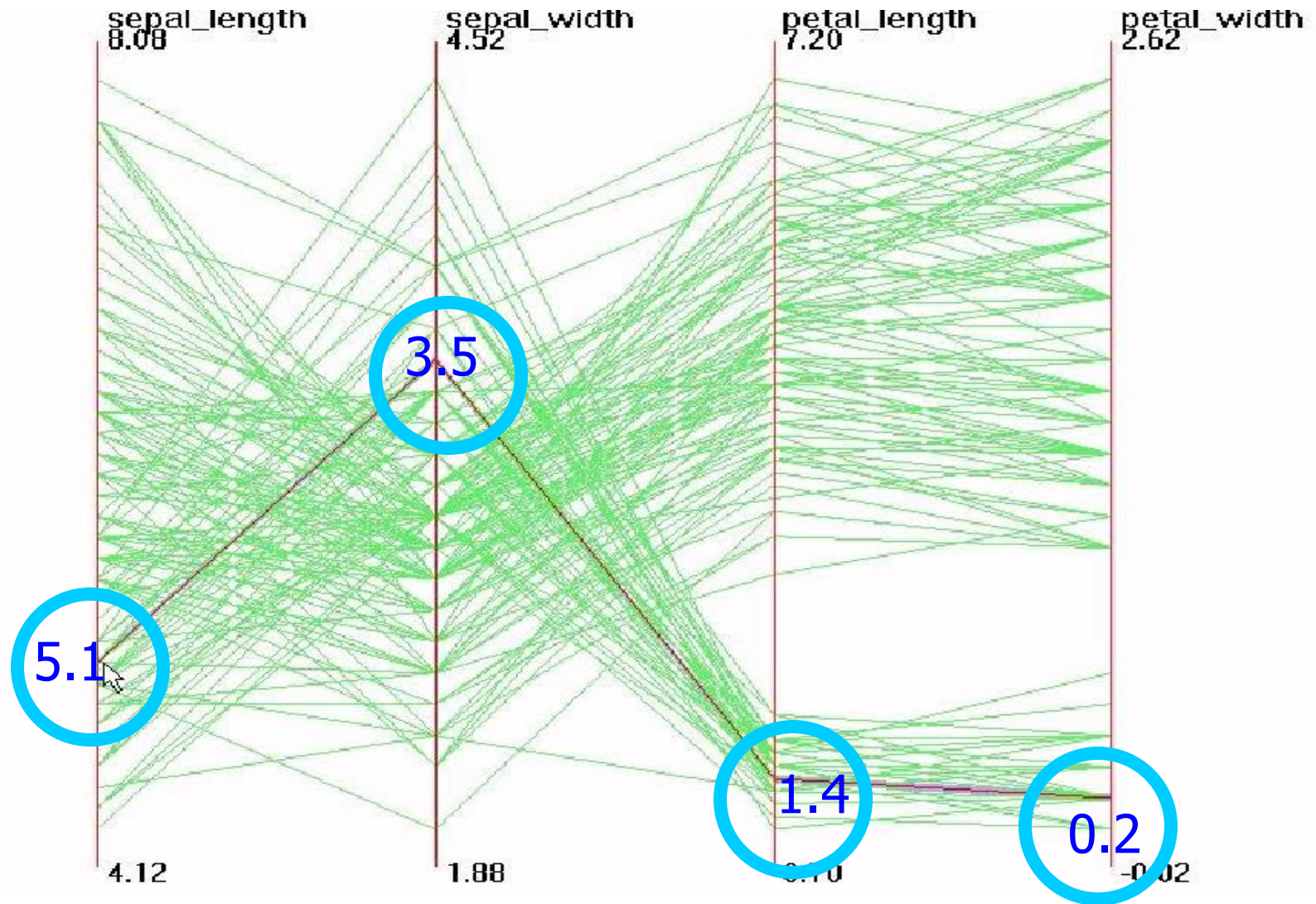
sepal length	sepal width	petal length	petal width
5.1	3.5	1.4	0.2

Parallel Coordinates: 4 D



sepal length	sepal width	petal length	petal width
5.1	3.5	1.4	0.2

Parallel Visualization of Iris data



Multivariate:

168 Martin Theus

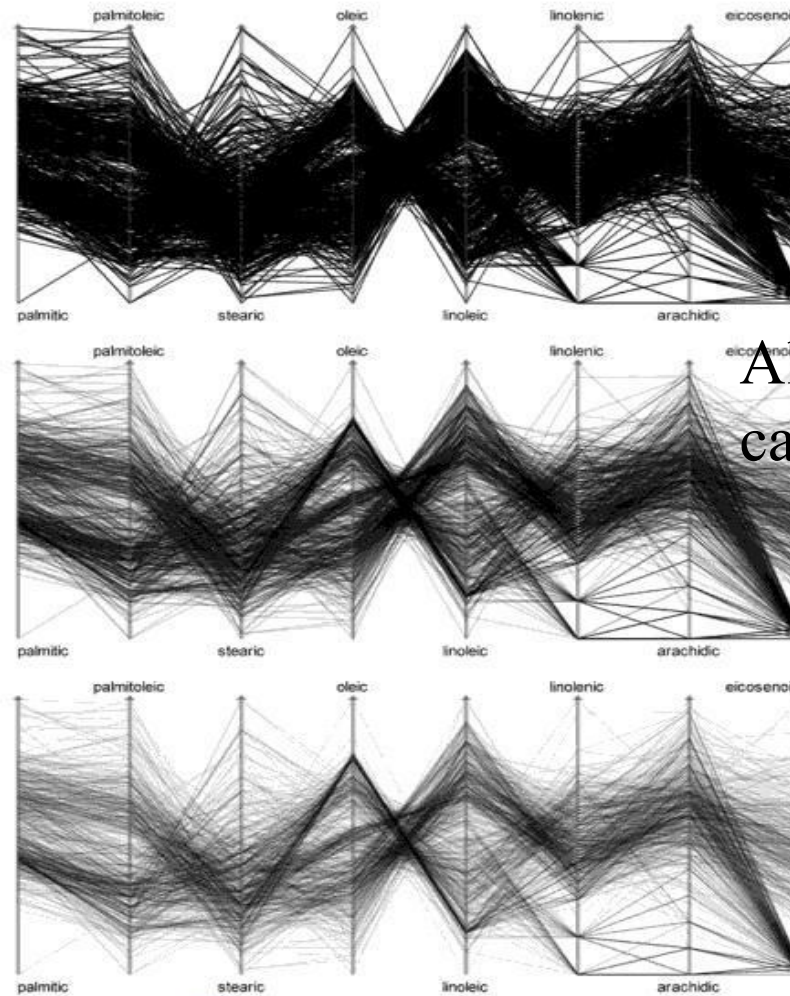


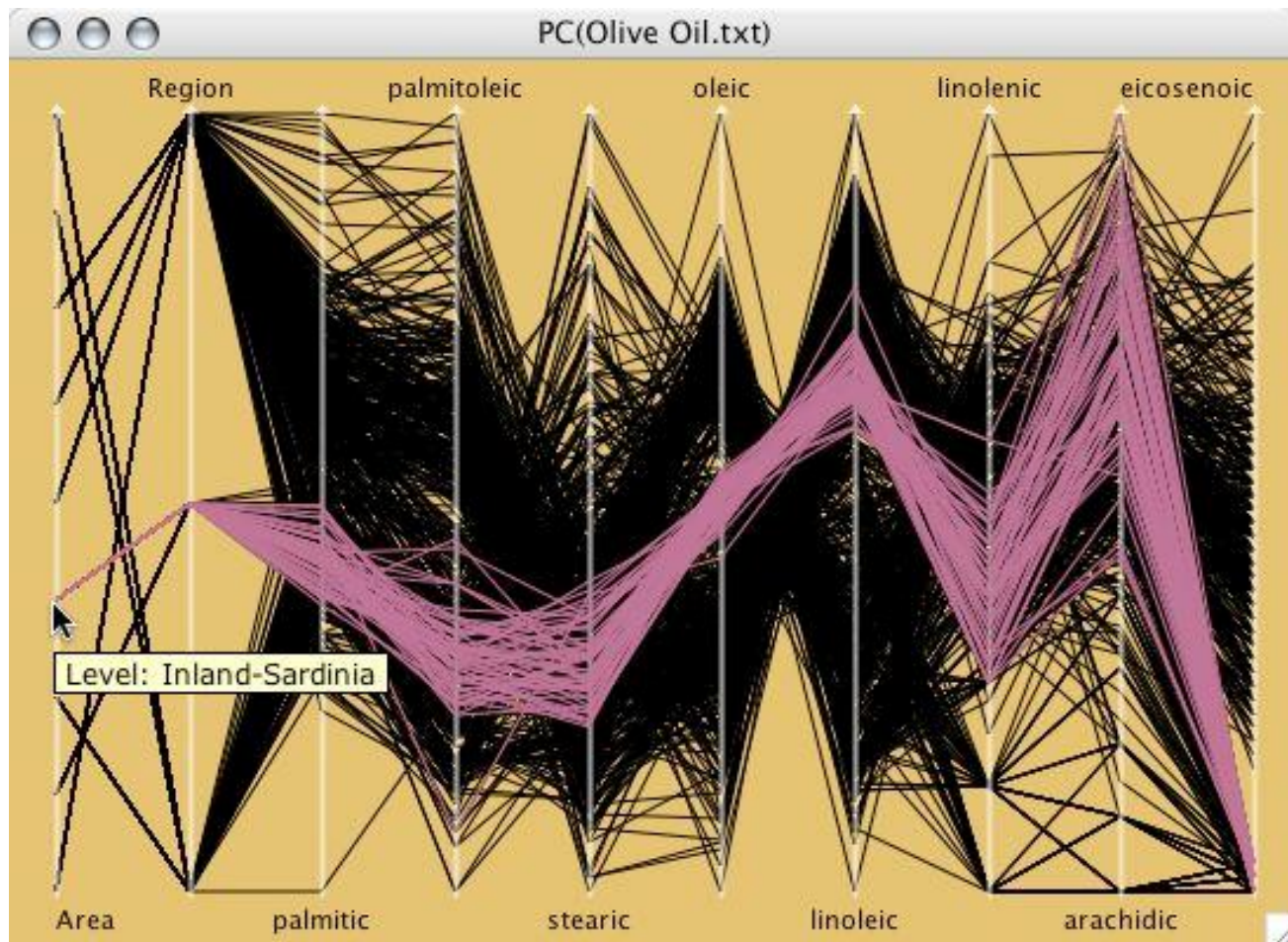
Figure 6.15. The "Olive Oils" data with $\alpha = 0.5$ (top), $\alpha = 0.1$ (middle), and $\alpha = 0.05$ (bottom)

Alpha blending
can be effective

Courtesy Unwin, Theus, Hofmann

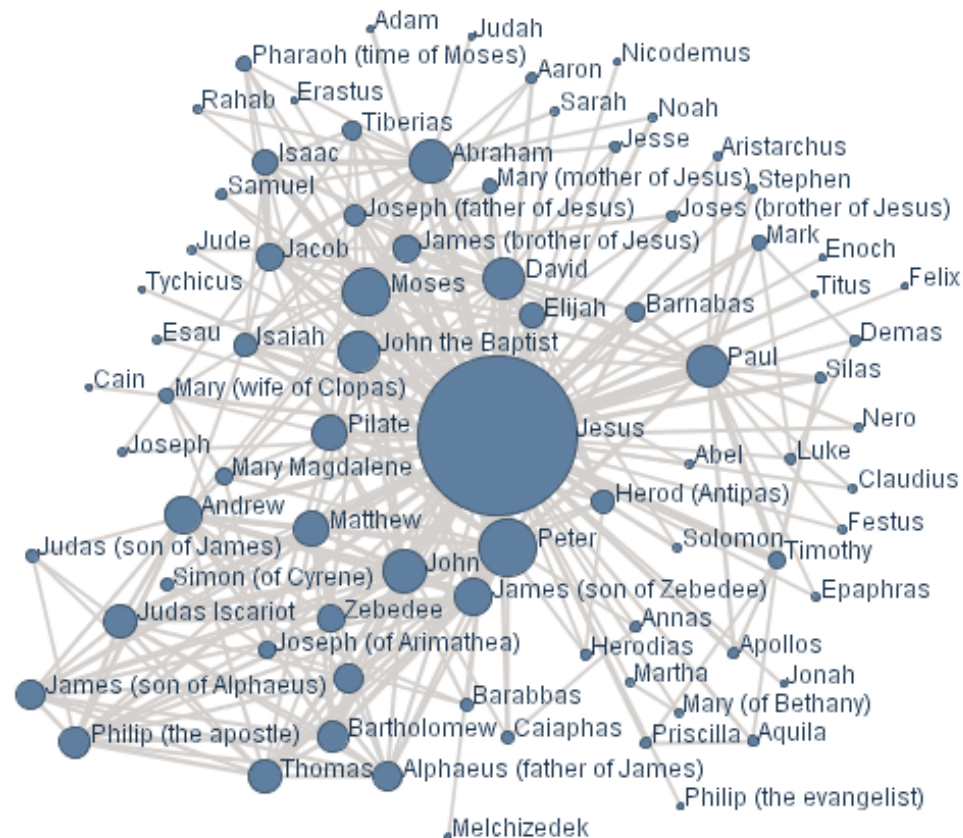
Parallel coordinates

Useful in an interactive setting



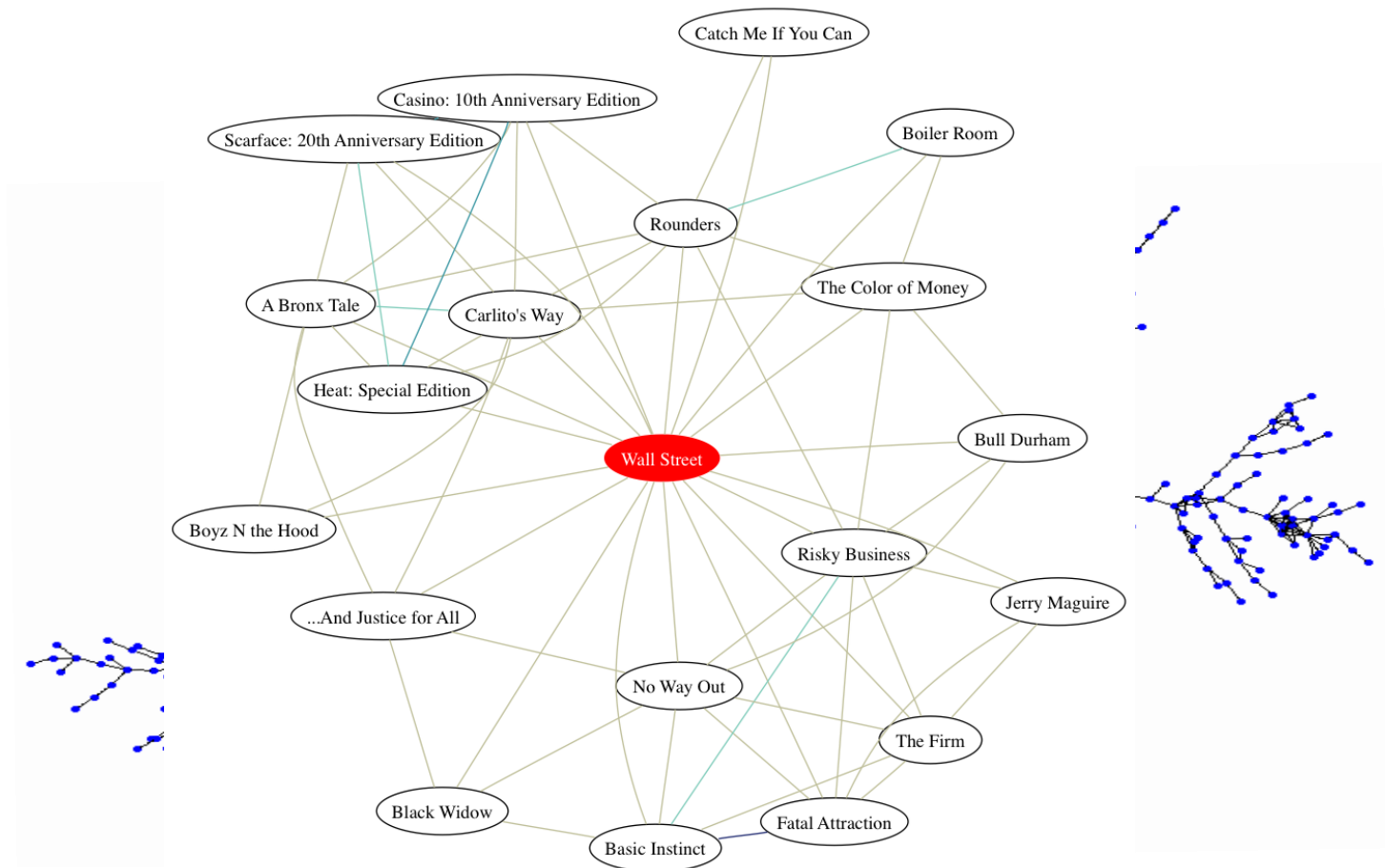
Networks and Graphs

Visualizing networks is helpful, even if it is not obvious that a network exists



Network Visualization

Graphviz (open source software) is a nice layout tool for big and small graphs



What's missing?

pie charts

very popular

good for showing simple relations of proportions

Human perception not good at comparing arcs

barplots, histograms usually better (but less pretty)

3D

nice to be able to show three dimensions

hard to do well

often done poorly

3d best shown through “spinning” in 2D

uses various types of projecting into 2D

<http://www.stat.tamu.edu/~west/bradley/>

New Zealand Meat Consumption

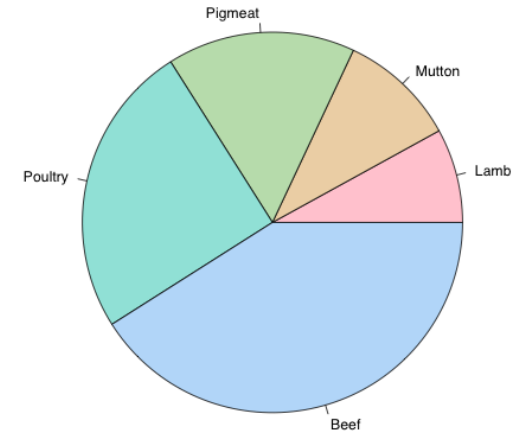
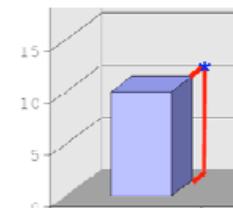
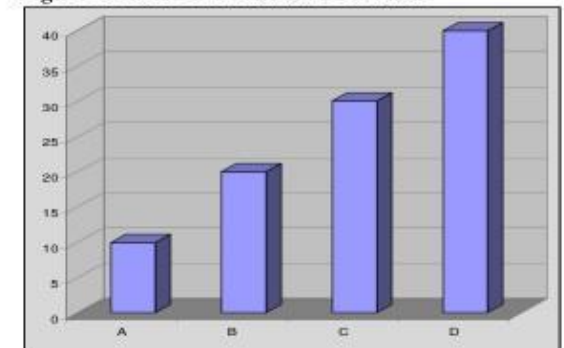


Figure 1. Three-dimensional bar chart.



Dimension Reduction

One way to visualize high dimensional data is to reduce it to 2 or 3 dimensions

- Variable selection

 - e.g. stepwise

- Principle Components

 - find linear projection onto p-space with maximal variance

- Multi-dimensional scaling

 - takes a matrix of (dis)similarities and embeds the points in p-dimensional space to retain those similarities

More on this when we talk about Data Visualization

Visualization done right

Hans Rosling @ TED

<http://www.youtube.com/watch?v=jbkSRLYSojo>