

[CLHW16]

-  $\text{KeyGen}(P)$ ;

- output  $sk \xleftarrow{\$} K$ , where  $K$ : key space.

-  $\text{Enc}(sk, m)$ ;

- let  $m = b_1 b_2 \dots b_n$  be the binary representation

- for each  $1 \leq i \leq n$ ,

$$u_i = F(sk, (i, b_1 \dots b_{i-1} \| 0^{n-i})) + b_i \pmod{M} \quad \text{where } F: K \times (\{n\} \times \{0,1\}^{n-1}) \rightarrow \mathbb{Z}_M$$

(1, 2, ..., n)  
||  
{1, 2, ..., n}

- output the tuple  $c = (u_1, u_2, \dots, u_n)$

-  $\text{CMP}(c_1, c_2)$ ;

- let  $c_1 = (u_1, u_2, \dots, u_n)$  and  $c_2 = (u'_1, u'_2, \dots, u'_n)$ .

- Find the smallest  $i$  s.t.  $u_i \neq u'_i$ .  $\rightarrow$  reveals the first different bit.

- If no such index exists, output 0.

- If exists, output 1 if  $u'_i = u_i + 1 \pmod{M}$   
output 0 otherwise.

10가지 비례는 것과 동일함.

Note. [DDC16] "What else is revealed by Order-Revealing Encryption?" @ CCS'16.

- almost "half bits" of a plaintext are revealed.

- leakage of concrete ORE schemes on "non-uniform" data  
leads to more accurate plaintext recovery than suggested.