



FASHION BRAND EXPERIMENT

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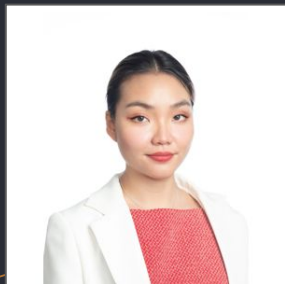
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Our Team



Chris Chang

Yongxian (Caroline) Lun



Linh To

Yesol (Sally) Lee





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OVERVIEW OF EXPERIMENT

OUR EXPERIMENT

The goal of our experiment is to find out how brand name affects the preference of clothing products, especially amongst young consumers.

Thus we conducted a survey to measure how people's preferences change among very similar designed clothing of **high-end brands** and **fast fashion brands**.



Branded Clothing



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METHODOLOGY

One long survey with a lot of logics

Control/Treatment randomization

Randomization in individual level

Question randomization

Randomly assigning 10 questions to participants

Question choices randomization

Randomly assigning all 3 choices in each question



Survey display logic

Match gender question to displaying right question to the right gender (blocking method)

Scoring

Match each high-brand choices to the scores

Which sweater do you like the most?

Option 1


☐

Option 2


☐

Option 3


☐

QUALTRICS Survey

Here is 2 samples of
our control and
treatment surveys for
female groups

Which scarf do you like the most?

Raspberry


☐

May


☐

Clear


☐

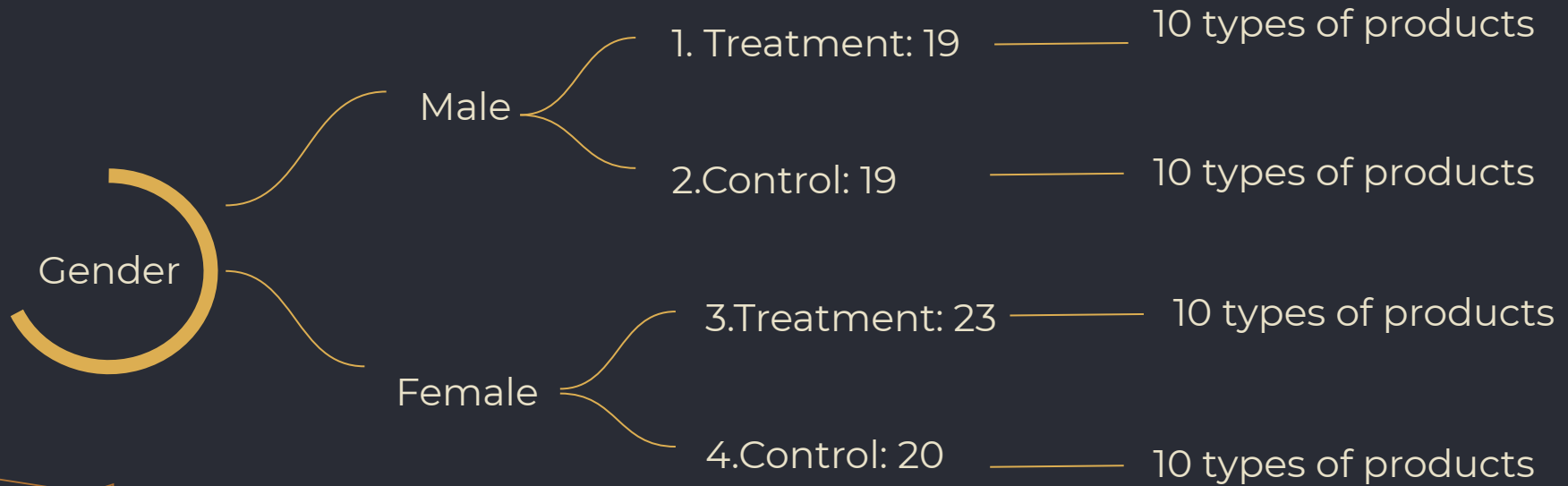
Procedure

who contact	F/M	Done
Sally	F	✓
Caroline	M	✓
Chris	M	✓
Linh	F	✓

Conducted surveys on graduate students in BU and other institutes

Google spreadsheet to track progress to avoid duplicates

Result





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EXPLORATORY DATA ANALYSIS

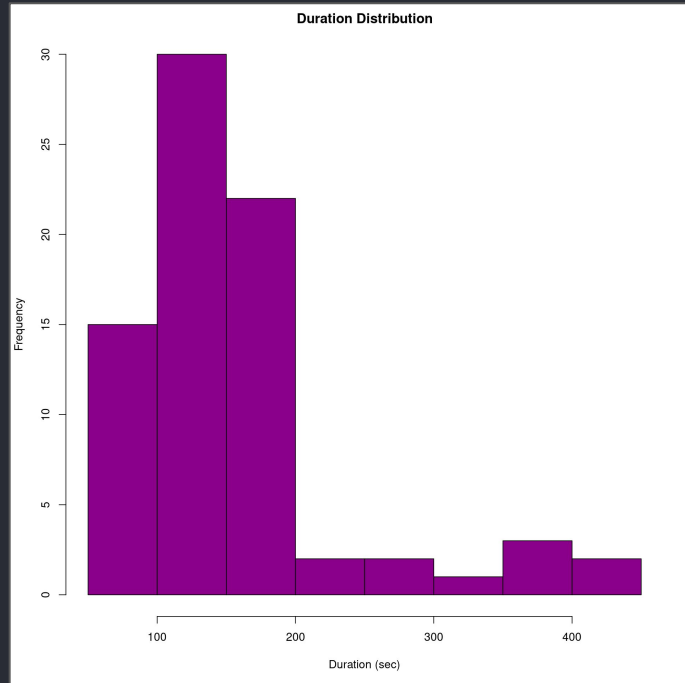
Number of Treatment and Control Samples

any_treatment <int>	gender <dbl>	num_observation <int>
0	0	18
0	1	20
1	0	18
1	1	21

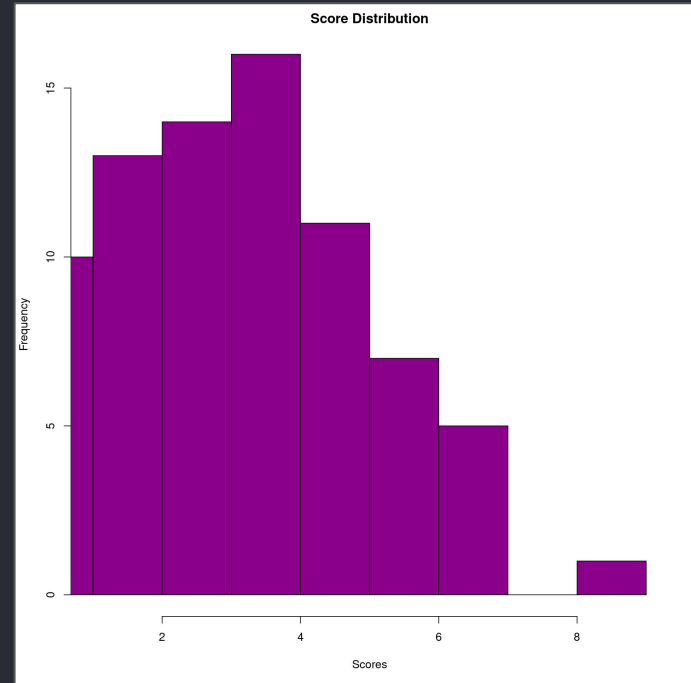
any_treatment
0 = Control
1 = Treatment

gender
0 = Male
1 = Female

Distributions of Score and Duration



Median = 137



Median = 4



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AVERAGE TREATMENT EFFECT

Estimate Average Treatment Effect

```
simple_reg <- feols(score ~ any_treatment, data=data, se='white')
```

```
> summary(simple_reg)
```

OLS estimation, Dep. Var.: score

Observations: 77

Standard-errors: Heteroskedasticity-robust

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	3.421	0.231	14.79	< 2.2e-16 ***
any_treatment	0.451	0.427	1.06	0.29411

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

RMSE: 1.85732 Adj. R2: 0.001368

Conditional Average Treatment Effect

```
m_ate <- male[any_treatment == 1, mean(score)] - male[any_treatment == 0, mean(score)]
```

```
t.test(male[any_treatment==1, score], male[any_treatment==0, score])
```

```
[1] 1.17
```

Welch Two Sample t-test

data: male[any_treatment == 1, score] and male[any_treatment == 0, score]

t = 2, df = 31, p-value = 0.06

alternative hypothesis: true difference in means is not equal to 0

95 percent confidence interval:

-0.0704 2.4037

sample estimates:

mean of x mean of y

4.61 3.44

Conditional Average Treatment Effect

```
f_ate <- female[any_treatment == 1, mean(score)] - female[any_treatment == 0, mean(score)]
```

```
t.test(female[any_treatment==1, score], female[any_treatment==0, score])
```

```
[1] -0.162
```

Welch Two Sample t-test

data: female[any_treatment == 1, score] and female[any_treatment == 0, score]

t = -0.3, df = 33, p-value = 0.8

alternative hypothesis: true difference in means is not equal to 0

95 percent confidence interval:

-1.33 1.01

sample estimates:

mean of x mean of y

3.24 3.40

Control Covariate in Regression

```
cov_reg <- feols(score ~ any_treatment + gender, data=data, se='white')
```

```
> summary(cov_reg)
OLS estimation, Dep. Var.: score
Observations: 77
Standard-errors: Heteroskedasticity-robust
```

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	3.798	0.339	11.22	< 2.2e-16 ***
any_treatment	0.459	0.421	1.09	0.27904
gender	-0.716	0.424	-1.69	0.09511 .

```
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
RMSE: 1.82261  Adj. R2: 0.025344
```

Estimate: 0.451 → 0.459
Standard Error: 0.427 → 0.421



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RANDOMIZATION CHECK

Randomization Check Part 1

```
regression_pre_effects_gender <- feols(gender ~ any_treatment, data = data)
```

	Estimate <dbl>	Std. Error <dbl>	t value <dbl>	Pr(> t) <chr>	<fctr>
(Intercept)	0.5263	0.082	6.418	1.1199e-08	***
any_treatment	0.0121	0.115	0.105	9.1633e-01	

2 rows

- Gender is a control variable that is not affected by treatment
- The estimate of any_treatment is not significant
- It proves that no substantial differences in before experiment variables

Randomization Check

Part 2

- P-value = 1 > 0.05 ---> can't reject the null
- The randomization proportion was done properly

```
Prop.test(num_obs_treat,  
num_obs_all, p =  
proportion_treatment)
```

1-sample proportions test with continuity correction

```
data: num_obs_treat out of num_obs_all, null probability proportion_treatment  
X-squared = 0, df = 1, p-value = 1  
alternative hypothesis: true p is not equal to 0.5  
95 percent confidence interval:  
 0.391 0.621  
sample estimates:  
      p  
0.506
```



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STATISTICAL POWER

Statistical Power

- The Cohen's D of 0.239 -> small effect
- The power of 0.179 -> less likely to detect the effect

t test power calculation

```
n1 = 39
n2 = 38
d = 0.239
sig.level = 0.05
power = 0.179
alternative = two.sided
```

```
pwr.t2n.test(n1 = num_obs_treat, n2 =
num_control, d = cohens_d, sig.level = .05,
power = NULL)
```

Statistical Power

need 275 observations in total



higher power of 0.8

Two-sample t test power calculation

```
n = 275  
d = 0.239  
sig.level = 0.05  
power = 0.8  
alternative = two.sided
```

NOTE: n is number in *each* group

`Pwr.t.test (n = NULL, d = cohens_d,
sig.level = .05, power = 0.8)`



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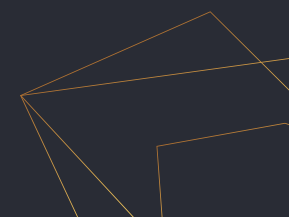
CONCLUSION & LIMITATION



Conclusion

- Analyzed effect of brand names on clothing preferences
- Positive effect overall but not significant
- Men had higher ATE than women - more likely to choose high-end products.
- Experiment was done properly based on randomization check
- Need 275 observations to reach power of 0.8

Limitations

- Adding more product variety in the same product category
 - Expanding age range of respondents
 - Adding more brands - include mid-luxury brands
- 

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Thank you!