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Class: CMP414

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Week 6 Homework

This homework assignment will build three models on the advertising data and evaluate their performance. You can use tools from sklearn to complete this task.

Source of data: https://www.statlearning.com/s/Advertising.csv

- 1. Use train_test_split to split the data into training set (80%) and test set (20%).
- 2. Build a multilinear regression model with 'TV', 'Radio', and 'newspaper' as input variables and 'sales' as output variable. Name the model model_Ir. Train the model on the training set and obtain model predictions on the test set.
- 3. Build a degree 2 polynomial regression model with 'TV', 'Radio', and 'newspaper' as input variables and 'sales' as output variable. Name the model model_pr2. Train the model on the training set and obtain model predictions on the test set.
- 4. Build a degree 10 polynomial regression model with 'TV', 'Radio', and 'newspaper' as input variables and 'sales' as output variable. Name the model model_pr10. Train the model on the training set and obtain model predictions on the test set.
- 5. Calculate the test MSE of each model using the mean_squared_error function. Which model gives the best MSE?

```
# Importing the libraries
   import numpy as np
   import pandas as pd
   import matplotlib.pyplot as plt
   %matplotlib inline
   # Importing the data frame
   url = "https://www.statlearning.com/s/Advertising.csv"
   data = pd.read csv(url, index col=0)
   # Split the data into 80% training data and 20% test data.
   from sklearn.model_selection import train_test_split
   training_data, test_data = train_test_split(data, test_size=0.2)
   test_data = test_data.copy()
   # Initializing values
   trainingX = training_data[["TV","radio","newspaper"]]
   trainingY = training_data["sales"]
   testX = test_data[["TV","radio","newspaper"]]
   testY = test_data["sales"]
   from sklearn.linear model import LinearRegression
   from sklearn.preprocessing import PolynomialFeatures
   def get_Poly(n):
       poly features = PolynomialFeatures(degree=n, include bias=False)
       X_poly = poly_features.fit_transform(trainingX)
       return X_poly
   def get_Predict(X1, X2, Y1, Name):
       # Train the model on training set
       model = LinearRegression()
       model.fit(X1, Y1)
       print(model.coef [:3], model.intercept )
https://colab.research.google.com/drive/1zYL_fDiEcsv4ix22b8oefLrSI_VK4PIM#scrollTo=n-dW9O6GJ37y&printMode=true
```

```
# Obtain the model predictions
    # test_data[Name] = model.predict(X2)
    # print(test_data.head(), "\n")
    return model
# Multilinear Regression
model_lr = get_Predict(trainingX, testX, trainingY, "MLR")
# Polynomial-2 Regression
poly2 = get Poly(2)
model pr2 = get Predict(poly2, polyT2, trainingY, "PR2")
# Polynomial-10 Regression
poly10 = get_Poly(10)
model_pr10 = get_Predict(poly10, polyT10, trainingY, "PR10")
     [0.04647098 0.18500167 0.00167098] 2.81215769581941
     [0.05187328 0.01109873 0.00582227] 5.165260292326725
     [-9.76509031e-12 -2.99379511e-12 -6.65245105e-13] 6.6806009920099045
# Calculate MSE of each model
from sklearn.metrics import mean_squared_error
LR = model lr
# MSE of Multilinear Regression
theta = np.array([LR.intercept_, LR.coef_[0], LR.coef_[1], LR.coef_[2]])
list_errors = []
for i in data.index:
    x = np.array([1, data.loc[i, "TV"], data.loc[i, "radio"], data.loc[i, "newspaper"]])
    theta_dot_x = theta.dot(x)
    y = data.loc[i, "sales"]
    squared error = (theta dot x - y) ** 2
    list_errors.append(squared_error)
print("Multilinear Regression MSE:", np.mean(list_errors))
# MSE of Polynomial-2 Regression
predictions_pr2 = model_pr2.predict(poly2)
mse pr2 = mean squared error(trainingY, predictions pr2)
print("Polynomial Regression 2 MSE:", mse_pr2)
# MSE of Polynomial-10 Regression
predictions_pr10 = model_pr10.predict(poly10)
mse_pr10 = mean_squared_error(trainingY, predictions_pr10)
print("Polynomial Regression 10 MSE:", mse pr10)
    Multilinear Regression MSE: 2.7923499899613478
    Polynomial Regression 2 MSE: 0.3774857219812148
    Polynomial Regression 10 MSE: 0.11184043112007987
```