

# COMP90054 – Week 2 tutorial

Prepared by Zijie Xu. Last updated: 21 March 2024

## Admin and Communication

### Contact

- Tutor name: Zijie Xu (Jerry)
- Tutorial time
  - Thursday 1 pm – 109, 100 Leicester St
  - Friday 9 am – WG05, John Medley building
- E-mail: [zijie.xu2@unimelb.edu.au](mailto:zijie.xu2@unimelb.edu.au)

### Lecturers

- Dr Nir Lipovetzky, Dr Joseph West, Dr Sarita Rosentock

### Discussion forum

- Preferably, post your questions on the Ed discussion forum

### Some prior knowledge

- Algorithms, data structures (e.g. Dijkstra, dynamic programming)
- Basic set theory and Propositional Logic (e.g.  $\in \subseteq \wedge \vee \cap \cup$ )
- Basic probability (e.g. conditional probability)
- Python (with some knowledge in object-oriented programming)

### Prep work before each tutorial

- Review/Catch-up with last week's lecture material
- Watch the amazing pre-tute prep videos prepared by Guang
- Save a copy of Tutorial Colab Notebook and play with it

## Intro to AI and Planning

### Rationally acting agents

- Knowledge & Percepts & Performance measure -> Action
- Maximise expected performance given its percept and knowledge
- **Problem -> Solver -> Solution**

### Classical planning

Problem	->	Solver	->	Solution
Model	->	Planner	->	Action sequence

Planning is a **model-based approach** to autonomous behaviour:

- We use **model** to specify a **problem**  $P$
- The system/environment can be in one of many **states**
- Task of planning: Find **action sequence** to drive **initial state** into **goal state**
- Submit model to **planner** so it can come up with a **plan** (action sequence)

### State-space model

$$\mathcal{S}(P) = \langle S, s_0, S_G, A, f, c \rangle$$

$S$	State space $S$ , finite and discrete
$s_0$	A <b>known</b> initial state $s_0$ (c.f. belief of initial state)
$S_G$	A set of goal states $S_G \subseteq S$
$A$	A set of actions, with $A(s) \subseteq A$ for each $s \in S$
$f$	A <b>deterministic</b> transition function $f: (a, s) \rightarrow s'$ for $a \in A(s)$
$c$	Positive <b>action cost</b> functions $c(a, s)$

## Blind search algorithms

### Why graph search?

- Model  $\rightarrow$  **Planner**  $\rightarrow$  Action sequence (Plan)
- We want to solve problem  $P$  by using **graph search algorithms** over the graph associate with  $\mathcal{S}(P)$

### Blind Search algorithms

- “Blind” means not requiring any input beyond problem  $P$  (c.f. Heuristics/informed search algorithms, coming up soon!)
- Algorithms
  - Breadth-First Search (BrFS)
  - Depth-First Search (DFS)
  - Iterative Deepening (ID)

### How to extract plans

By following/reversing steps of the search node expansion in search space

A search node  $\sigma$  contains

- $state(\sigma)$  Associated search state
- $parent(\sigma)$  Pointer to search node from which  $\sigma$  is reached  $state(\sigma)$
- $action(\sigma)$  An action leading from  $state(parent(\sigma))$  to
- $g(\sigma)$  Cost of path from the root node to  $\sigma$