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Secure Data Sharing Models in Cloud Environments

My Research Journey

- 2015 –Prof. Ashutosh Kumar Singh's Research Lab
 - As a PhD Scholar (4 Years and 5 Months) since 2018



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 - Quality matters: 10 SCI Journals papers (6 IEEE Journals)
 - ✓ Accepted: 9 papers (4 IEEE + 4 SCI + 1 Scopus + 2 Others)
 - ✓ Under Review: 2 IEEE Journals
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- Ph.D. Completed: March 2023



Outline



- Introduction and Motivation
 - ✓ Challenges of conventional cloud computing
- Differential Privacy based Data Protection Model
 - ✓ Data Protection and Training
 - ✓ Operational summary
 - ✓ Evaluation and comparison
- Quantum Machine learning based Malicious User Prediction
 - ✓ User Behavior Modeling Unit
 - ✓ Data Preprocessing and Training
 - ✓ QML based Malicious User Analysis Unit
 - ✓ Results and Comparison

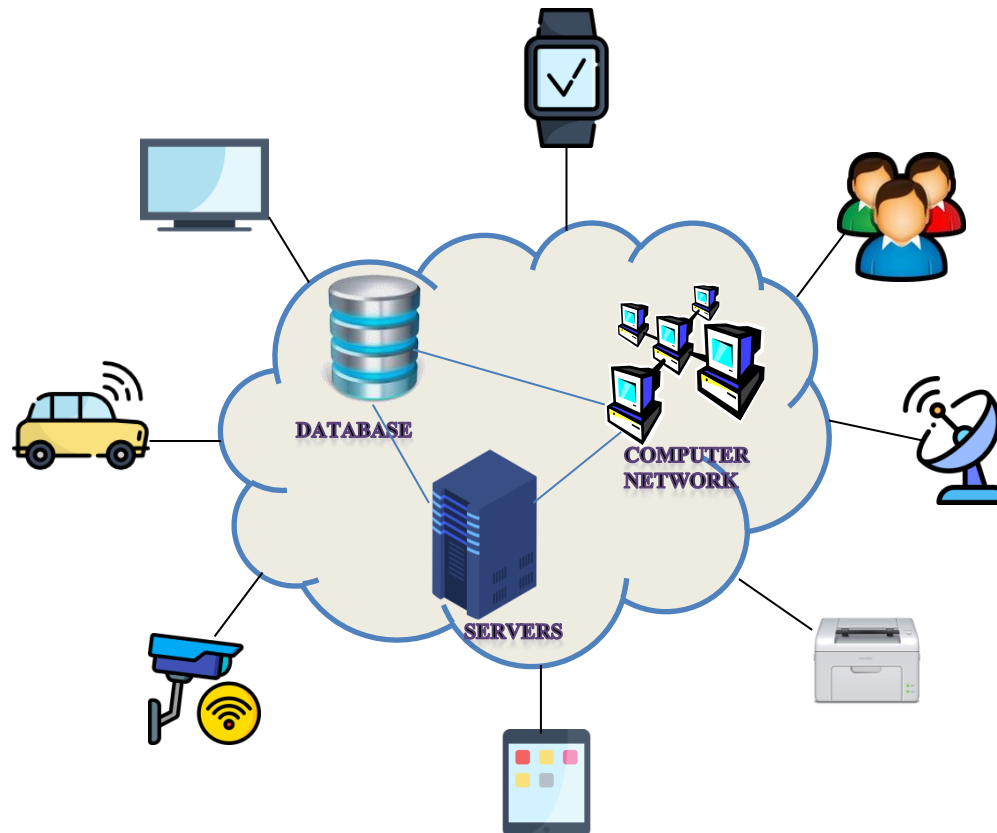


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- Summary
- Remarks
- References



Cloud Computing

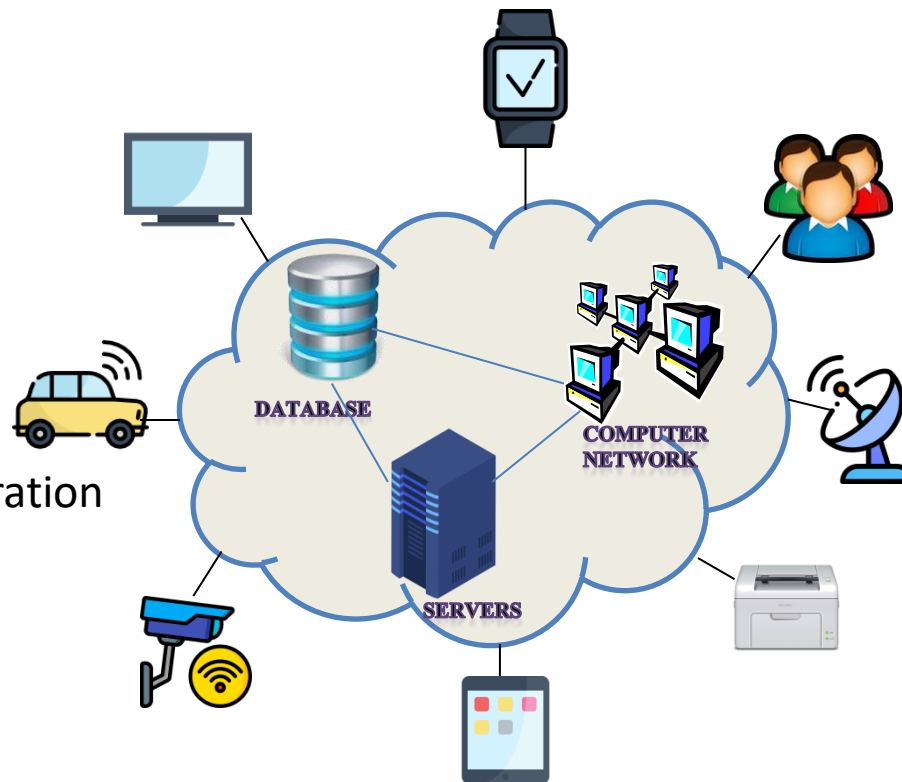
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Cloud Computing

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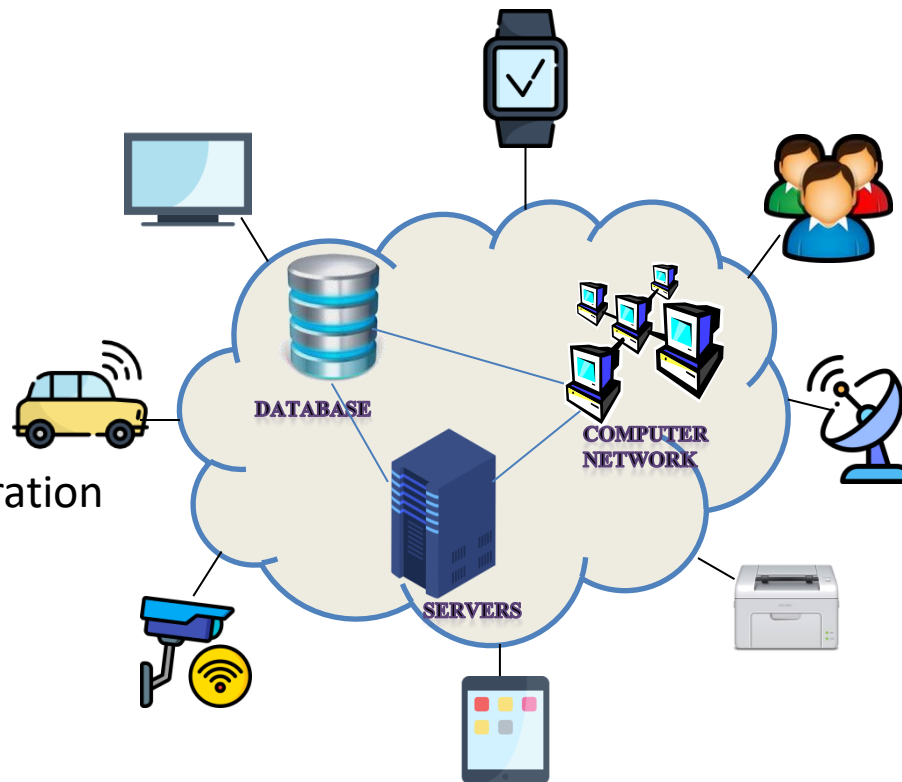
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- Availability
- Disaster Recovery
- Speed & Scales
- Increased Collaboration



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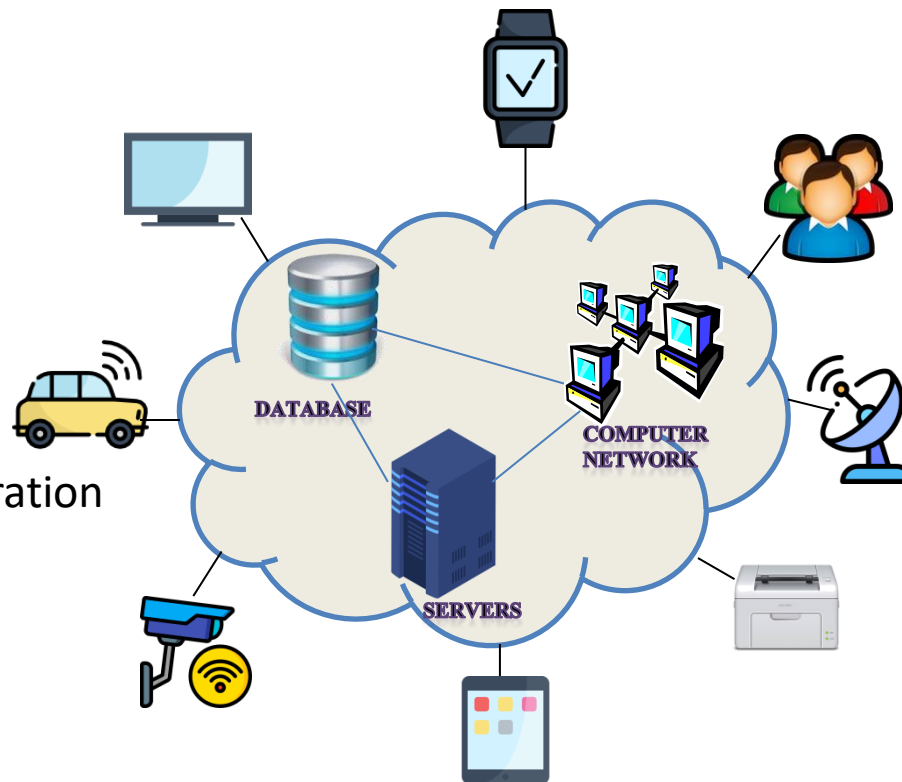


- Data Security
- Data Privacy
- Load Balancing
- Resource Utilization
- Migration
- Power Consumption

Cloud Computing

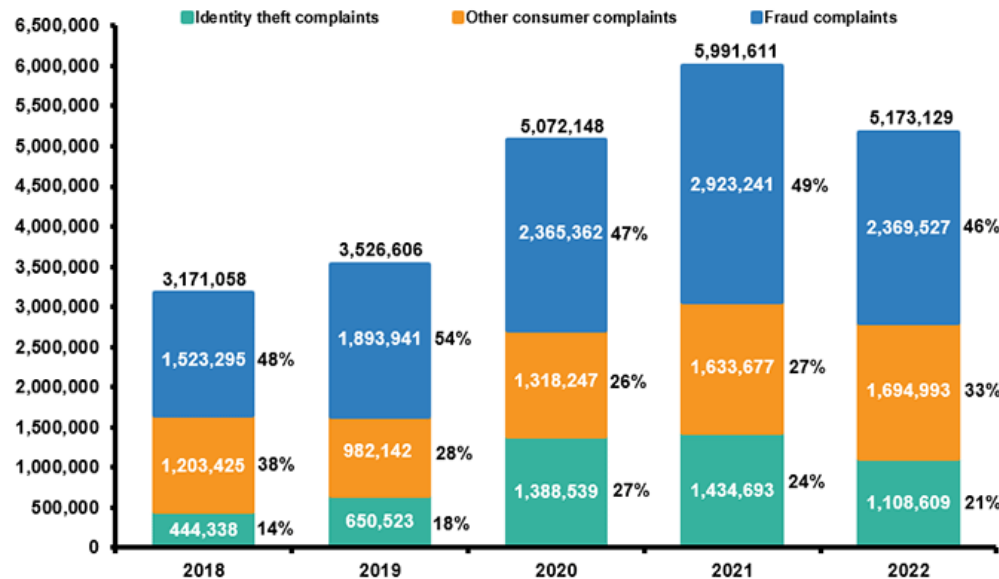
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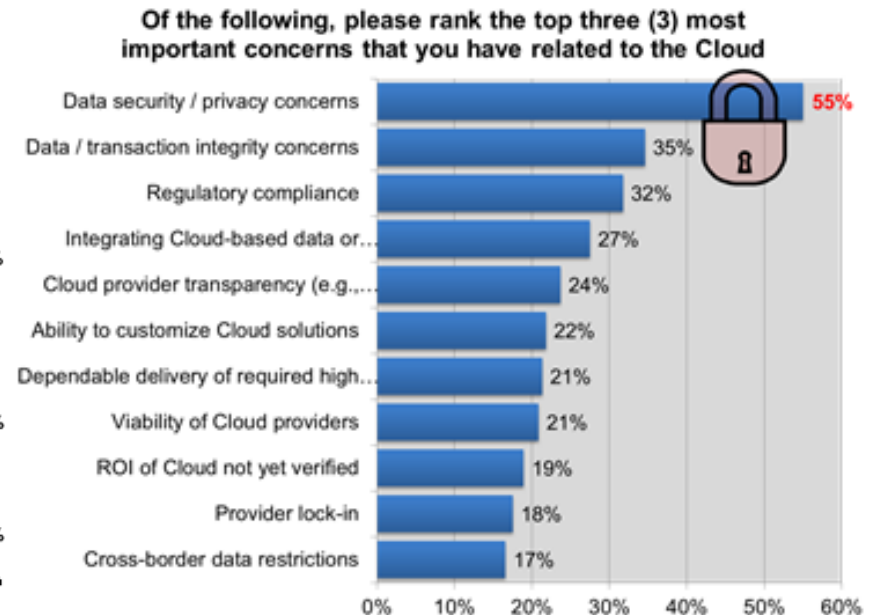
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Motivation



Identity Theft And Fraud Reports, 2018-2022

<https://www.iii.org/fact-statistic/facts-statistics-identity-theft-and-cybercrime>



Security as a Top Concern

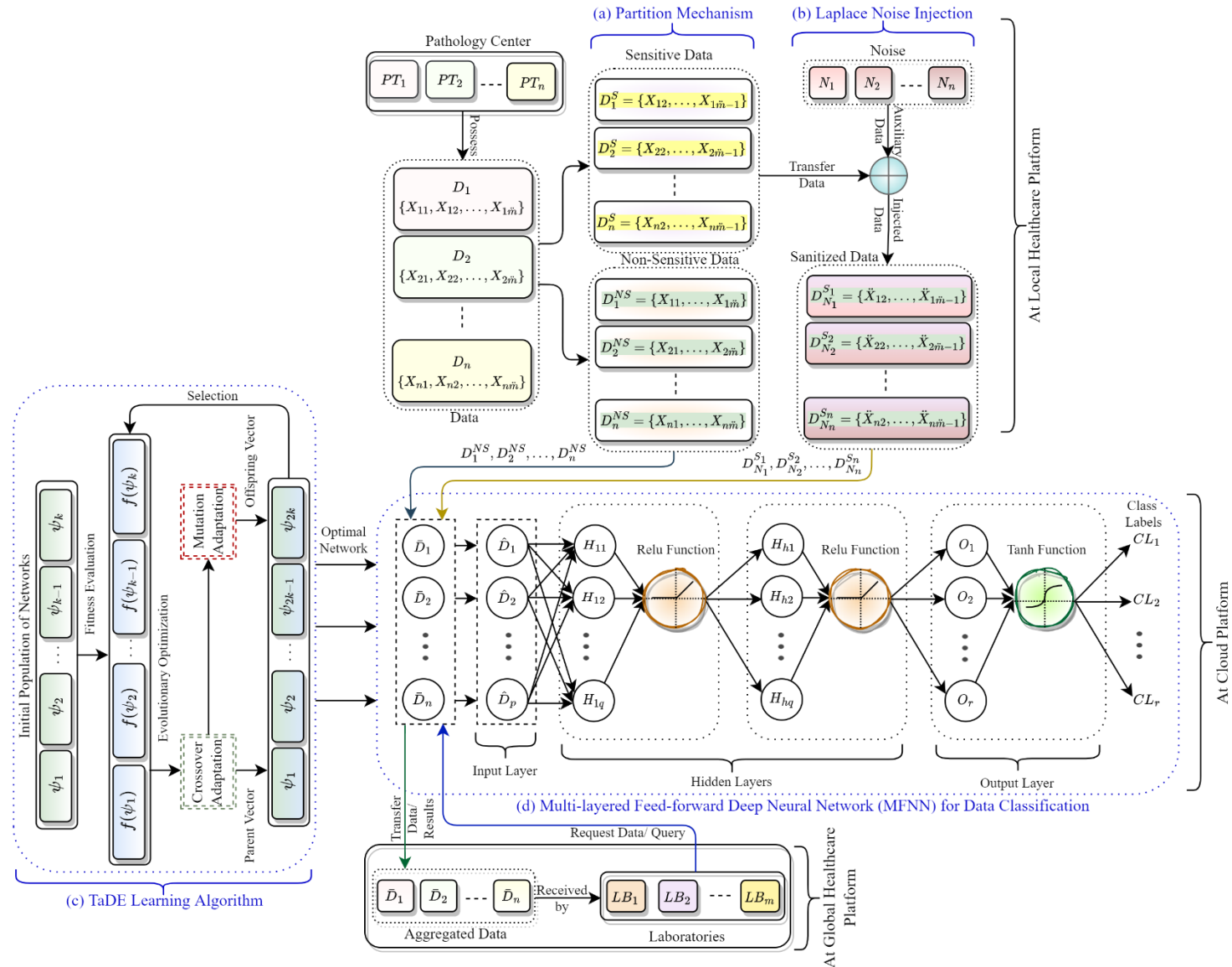
<https://www.business2community.com/cloud-computing/why-the-cloud-helps-to-overcome-security-concerns-0591171>



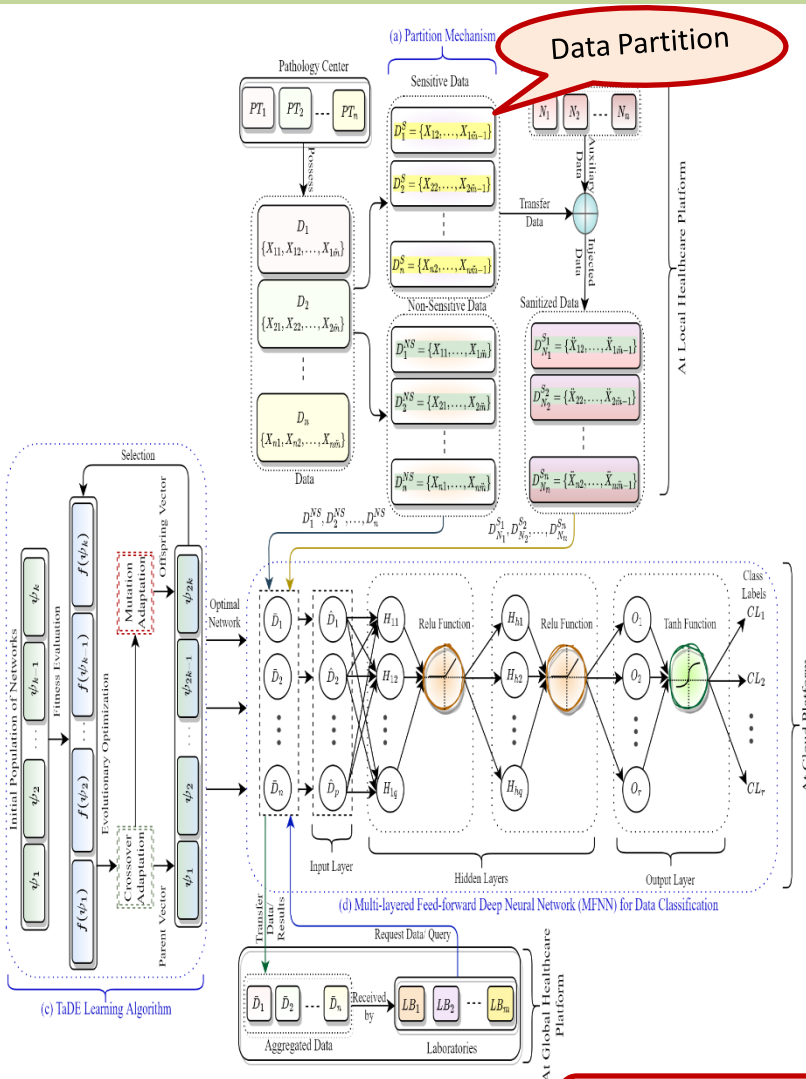
Differential Privacy and TriPhase Adaptive Learning based Data Privacy-Preserving Model



Proposed Model



Proposed Model



Data Partition

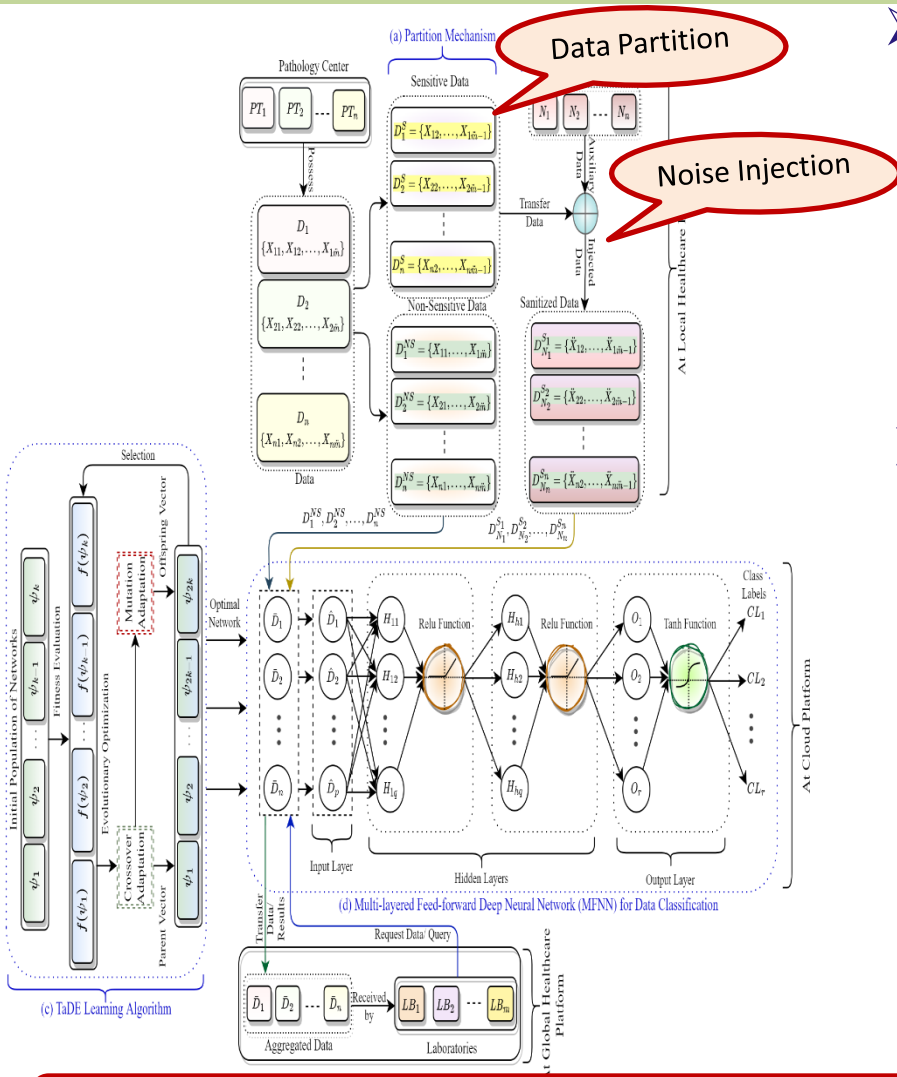
- ✓ Sensitive and Non-Sensitive

$$SD_1^I = \prod_{(S_1, S_2, \dots, S_\chi)} (D_1^I)$$

$$ND_1^I = \prod_{(NS_1, NS_2, \dots, NS_\tau)} (D_1^I)$$

SI : Sensitive Data ND : Non-Sensitive Data

Proposed Model



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Data Protection

- ✓ ϵ -Differential Privacy

$$\Pr[\hat{R}(D) = \vartheta] \leq \exp(\epsilon) \times \Pr[\hat{R}(D') = \vartheta]$$

- ✓ Sensitivity

$$\Delta f = \max_{D, D'} 1_{D, D'} \|f(D) - f(D')\|_{P_1}$$

- ✓ Laplace mechanism

$$N = \frac{1}{2s} \cdot \left(\exp\left(\frac{-|x - \mu|}{s}\right) \right)$$

SI : Sensitive Data ND : Non-Sensitive Data

s : Scaling Factor

μ : mean

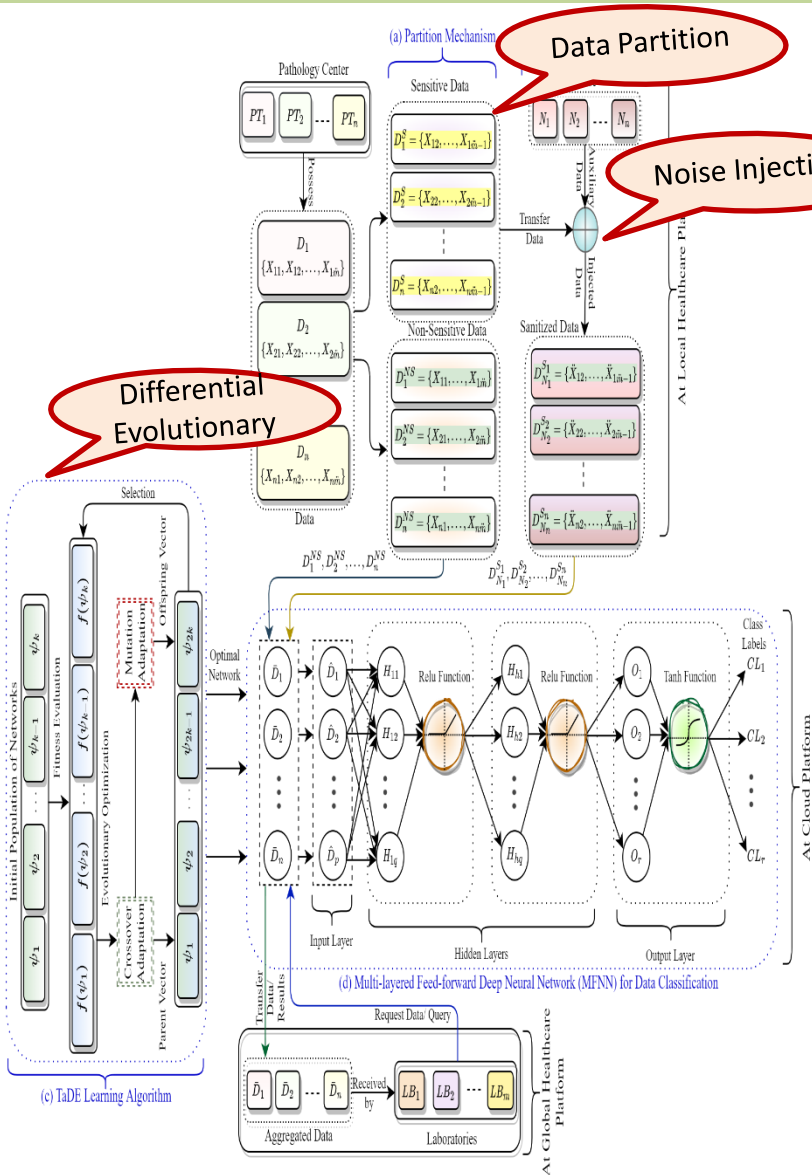


Proposed Model

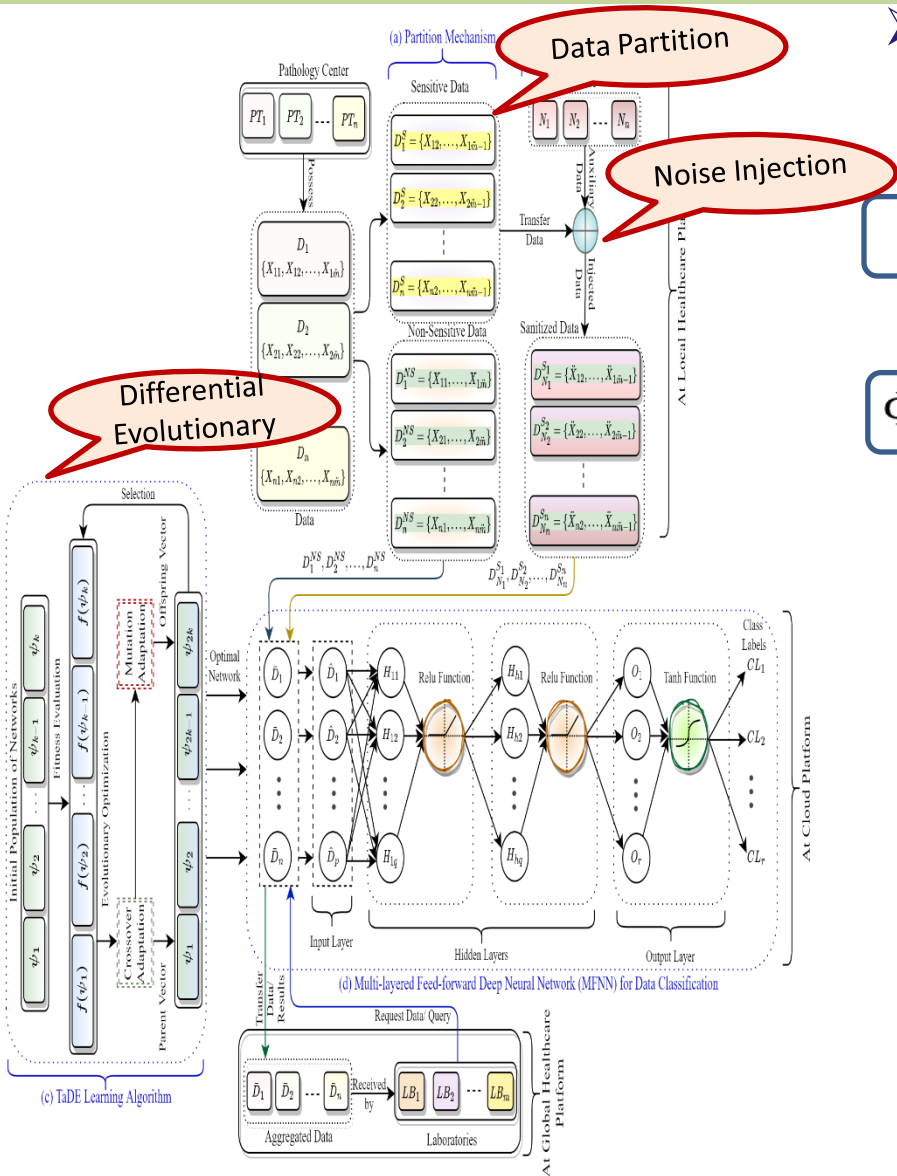
➤ Mutation Strategies

✓ DE/rand/2

$$\Phi_u^v = \varrho_{r1}^v + \delta_u \times (\varrho_{r2}^v - \varrho_{r3}^v) + \delta_u \times (\varrho_{r4}^v - \varrho_{r5}^v)$$



Proposed Model



Mutation Strategies

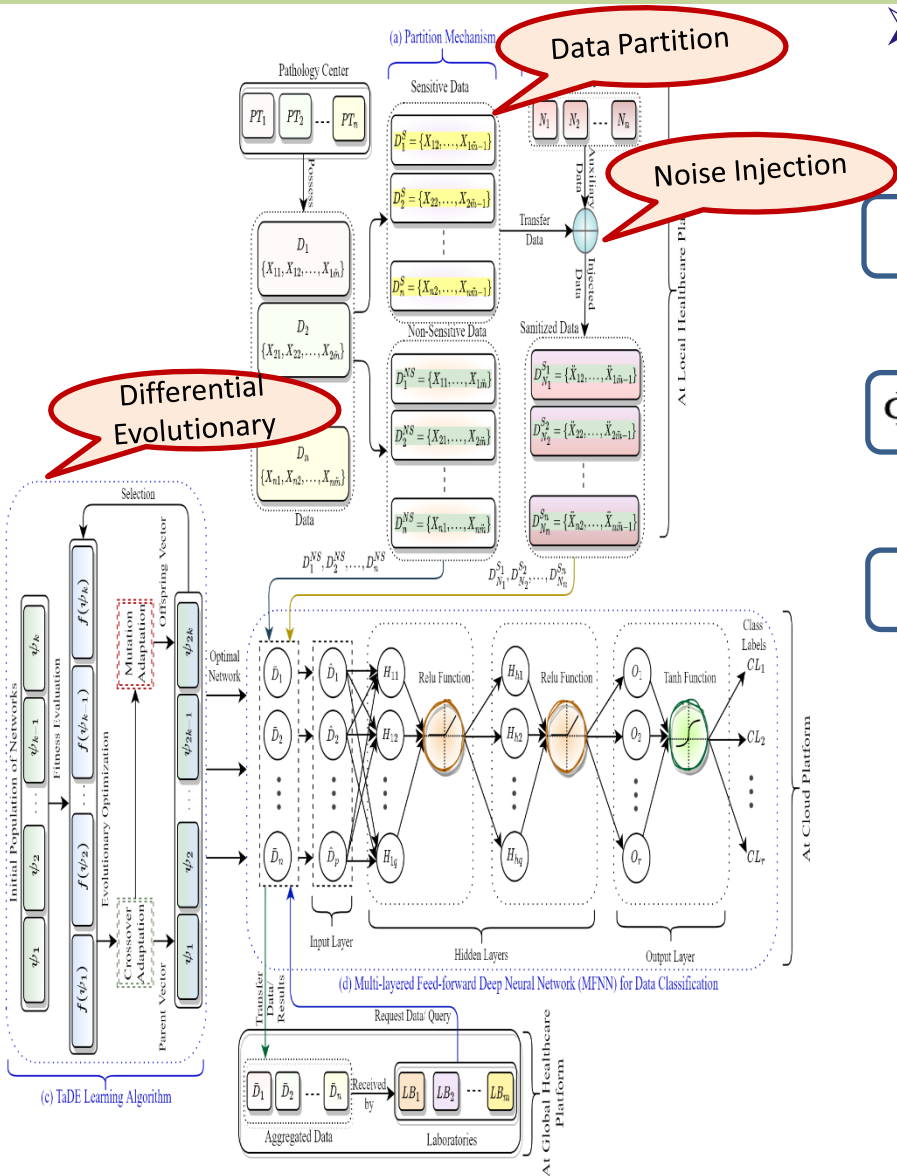
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Proposed Model



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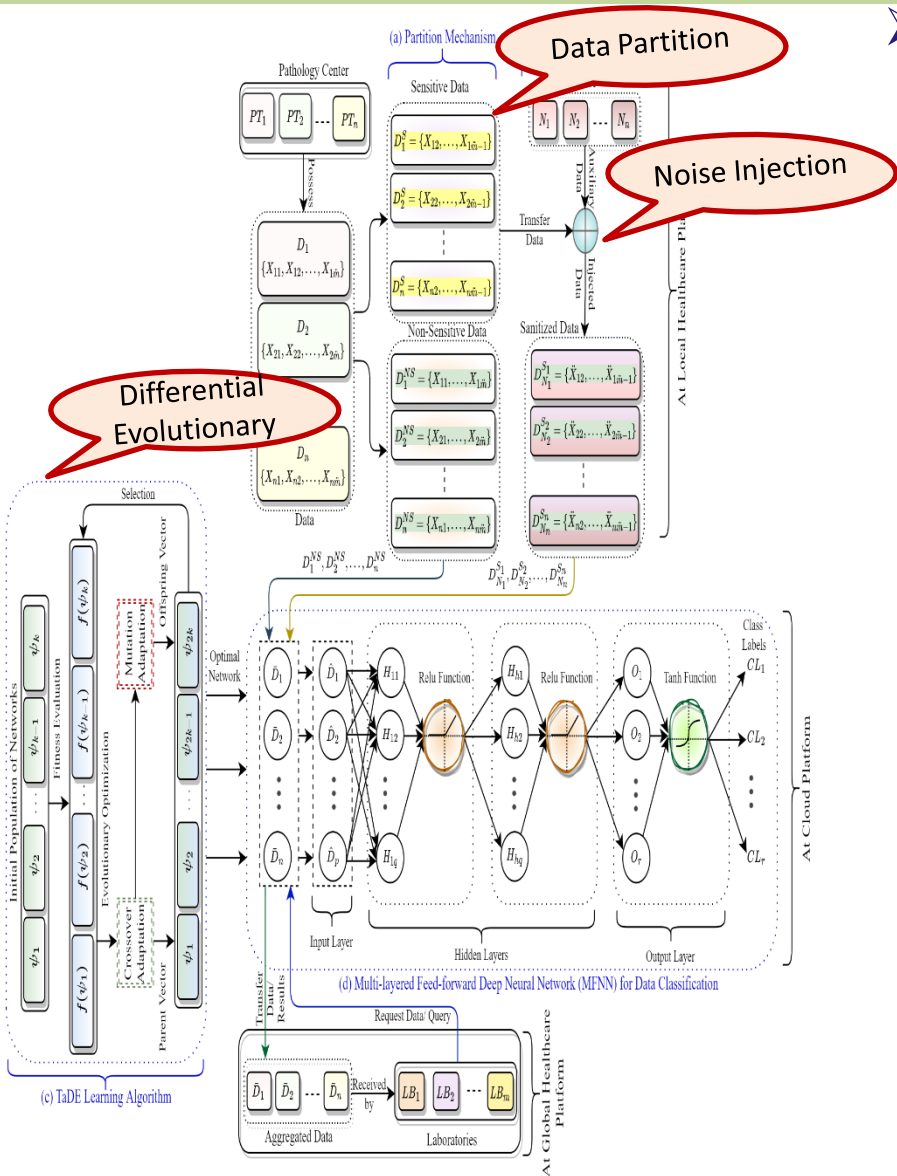
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✓ DE/current-to-best/2

$$\Phi_u^v = \varrho_u^v + \delta_u \times (\varrho_{best}^v - \varrho_u^v) + \delta_u \times (\varrho_{r1}^v - \varrho_{r2}^v)$$

Proposed Model



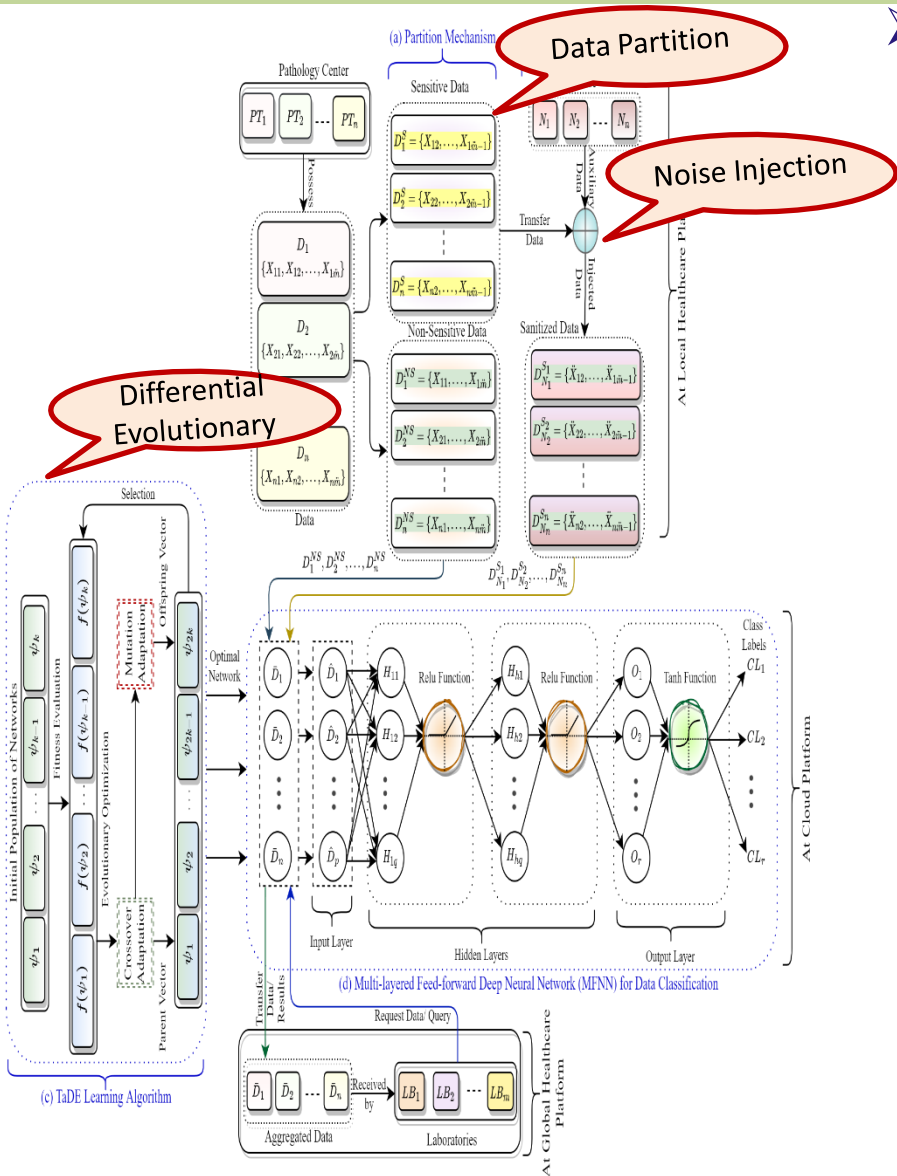
Crossover Strategies

Multi-point

$$\varrho_{child1}^u = \begin{cases} \varrho_{2u} & \text{If } (k_1 \leq \varrho_{1u} \leq k_2) \\ \varrho_{1u} & \text{otherwise} \end{cases}$$

$$\varrho_{child2}^u = \begin{cases} \varrho_{1u} & \text{If } (k_1 \leq \varrho_{2u} \leq k_2) \\ \varrho_{2u} & \text{otherwise} \end{cases}$$

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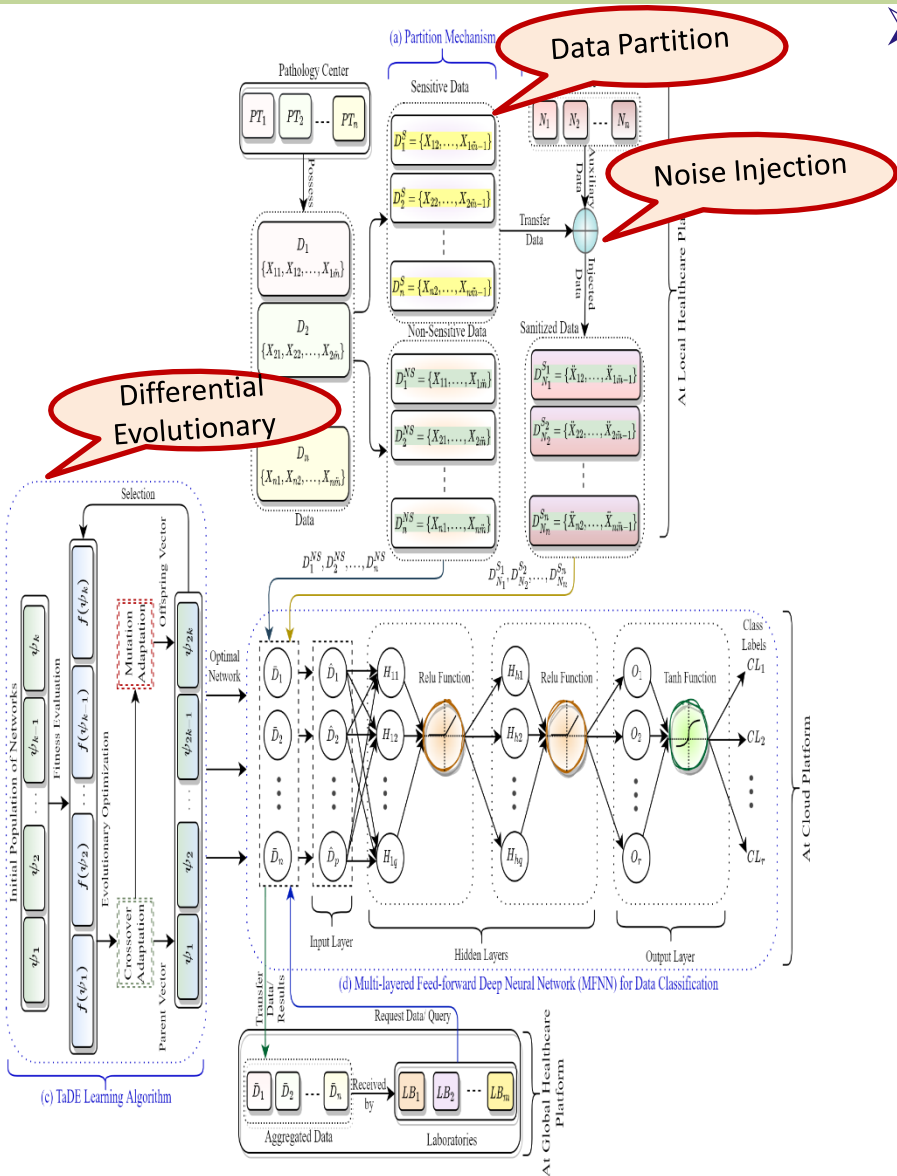
$$\varrho_{child2}^u = \begin{cases} \varrho_{1u} & \text{If } (k_1 \leq \varrho_{2u} \leq k_2) \\ \varrho_{2u} & \text{otherwise} \end{cases}$$

Ring

$$\varrho_{child1}^u = \mathfrak{B} \times \varrho_{1u} + (L - \mathfrak{B}) \times \varrho_{2u}$$

$$\varrho_{child2}^u = \mathfrak{B} \times \varrho_{2u} + (L - \mathfrak{B}) \times \varrho_{1u}$$

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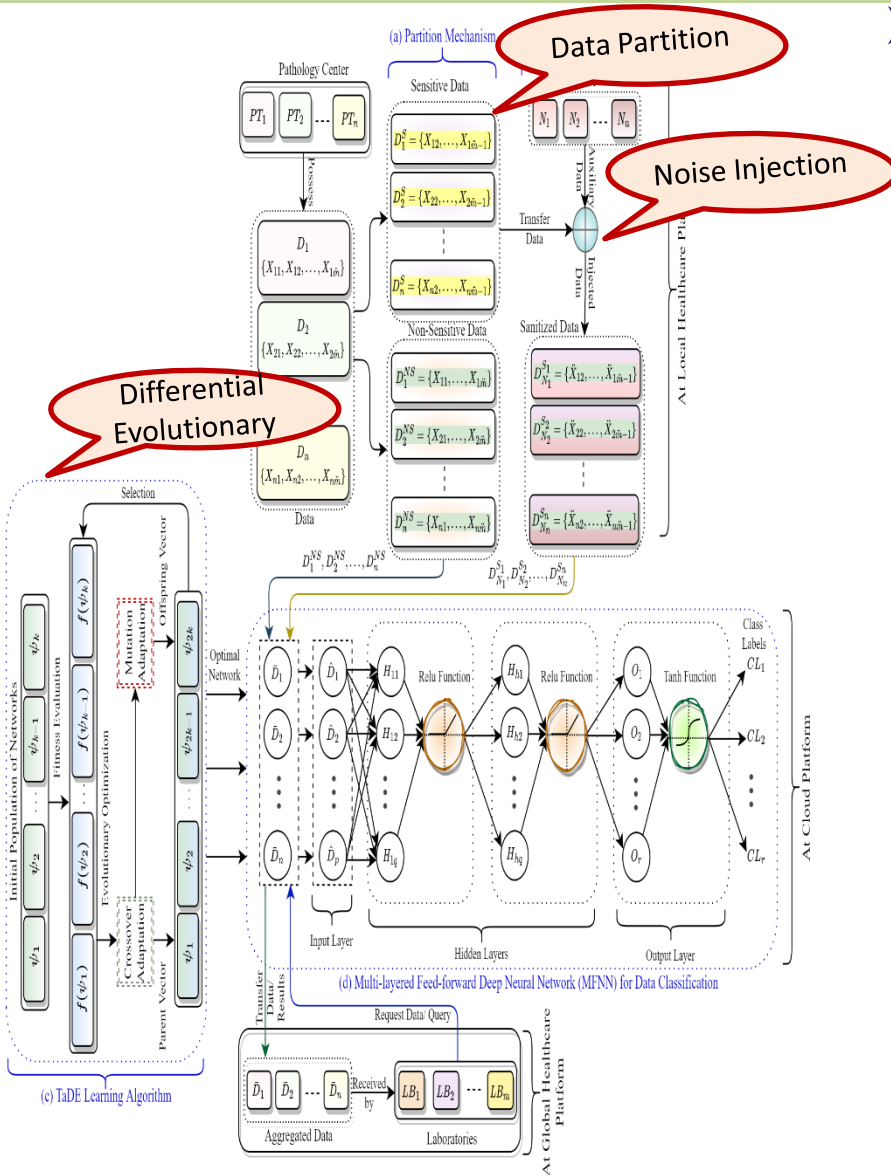
Heuristic

$$\varrho_{childu} = \delta \times (\varrho_{1u} - \varrho_{2u}) + \varrho_{1u}$$

Proposed Model

Control Parameters

$$MR_i^{j+1} = \begin{cases} MR_i + \theta_m(MR_u - MR_i) & (g \leq Z) \\ MR_i^j & (\text{otherwise.}) \end{cases}$$

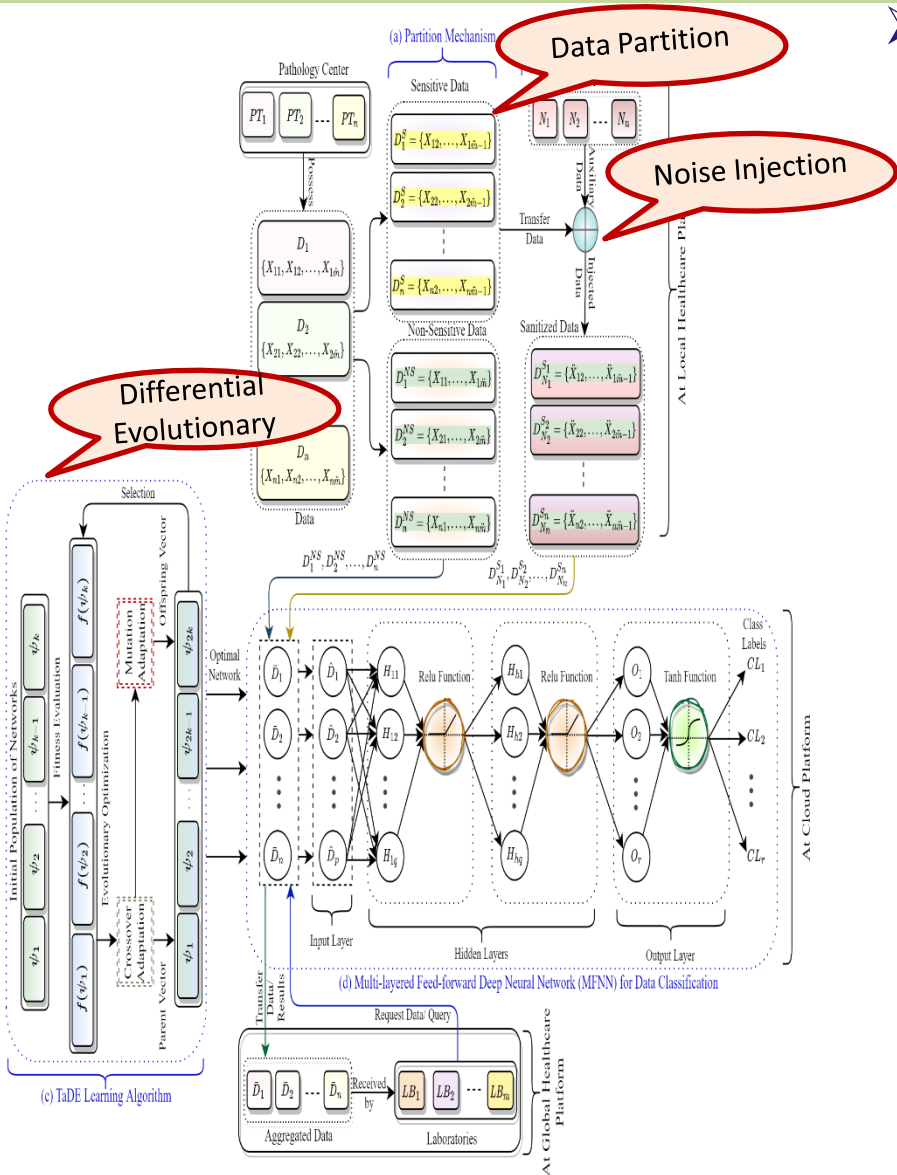


Proposed Model

Control Parameters

$$MR_i^{j+1} = \begin{cases} MR_l + \theta_m(MR_u - MR_l) & (g \leq Z) \\ MR_i^j & (otherwise.) \end{cases}$$

$$CR_i^{j+1} = \begin{cases} CR_l + \theta_c(CR_u - CR_l) & (g \leq Z) \\ CR_i^j & (otherwise.) \end{cases}$$



DT-PPM: Operational Summary

Parameters
initialization

Algorithm 1: DT-PPM operational summary

```

1 Initialize  $Pm_1, Pm_2 = 0.33, Pm_3 = 0.34, Pr_1, Pr_2 = 0.33, Pr_3 = 0.34$ 
2 for  $i = 1$  to  $n$  do
3    $D_i^S = D_i - D_i^N, N_i = \text{Lap}(0, \epsilon), D_{N_i}^S = D_i^S + N_i$ 
4   Initialize synaptic weight neural network with  $\psi$ 
5   Evaluate each network using fitness function
6   for each solution  $v$  do
7     Generate  $m_{ps}$  and  $c_{ps}$  of  $\psi$ 
8     for each solution  $u$  do
9       Generate  $r_1, r_2, r_3, r_4$ , and  $r_5 \in [1, L]$ 
10      if  $0 < m_{ps_u} < Pm_1$  then
11        | Apply  $DE/rand/2$  mutation
12      end
13      else if  $Pm_1 < m_{ps_u} < Pm_1 + Pm_2$  then
14        | Apply  $DE/best/2$  mutation
15      end
16      else
17        | Apply  $DE/current - to - best/2$ 
18      end
19      if  $0 < c_{ps_u} < Pr_1$  then
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22      else if  $Pr_1 < c_{ps_u} < Pr_1 + Pr_2$  then
23        | Apply Heuristic crossover
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25      else
26        | Apply Ring crossover
27      end
28    end
29    Compute fitness value for each candidates
30    Select  $\omega$  having best fitness value
31    Update  $ms_1, ms_2, ms_3, mf_1, mf_2$ , and  $mf_3$ 
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Parameters initialization

Noise Injection

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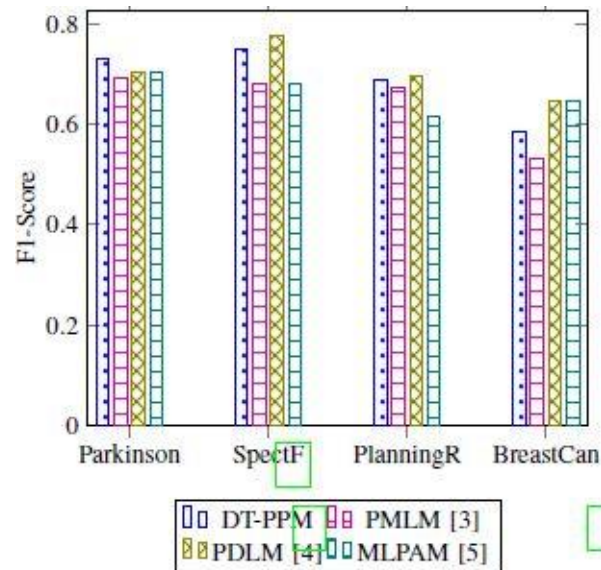
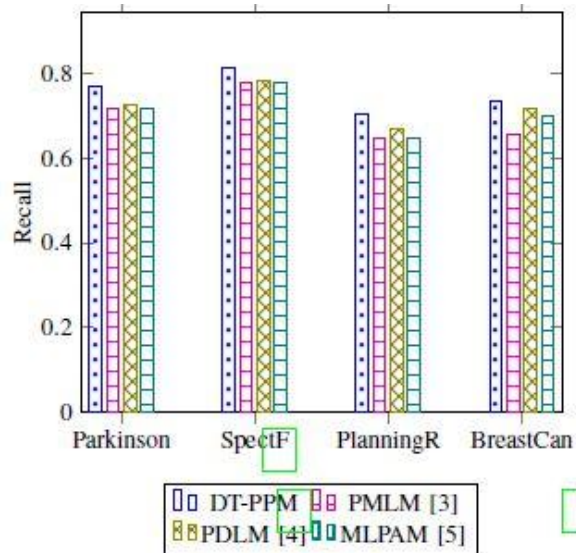
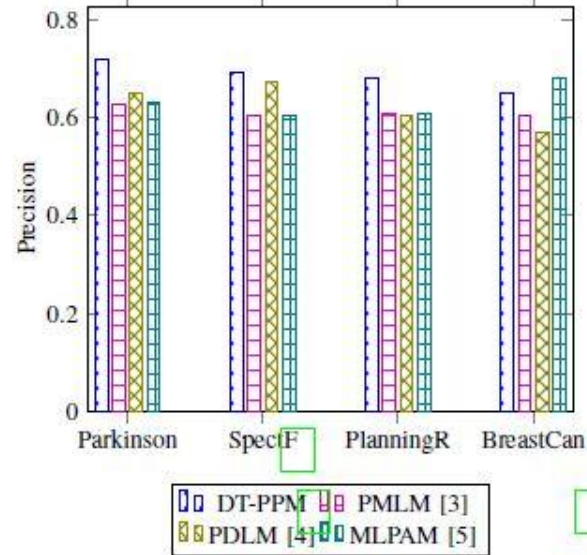
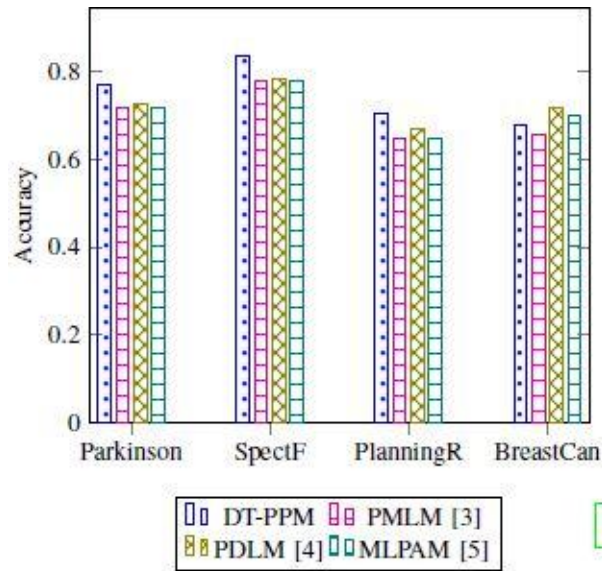
Parameters initialization

Noise Injection

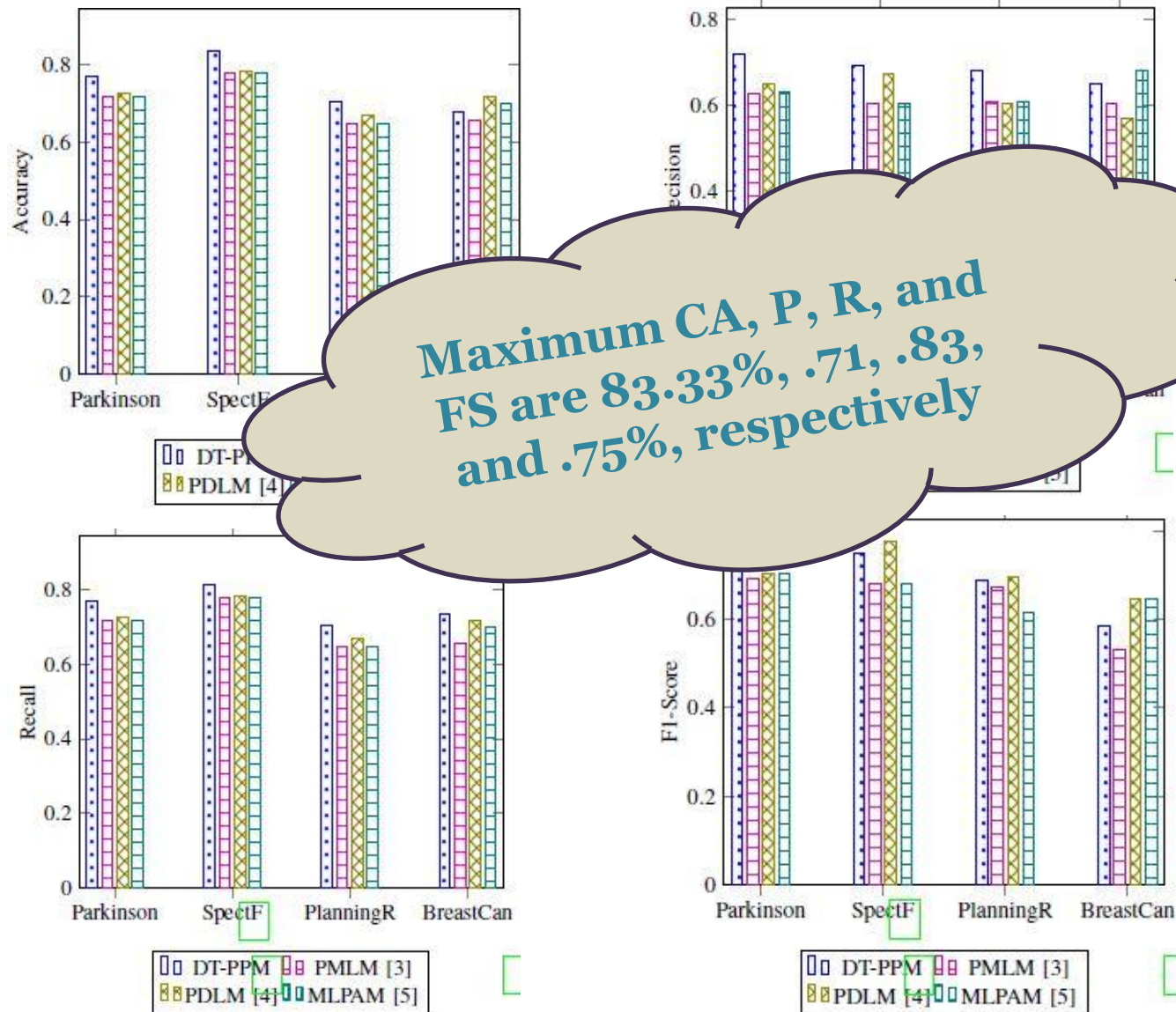
NN Optimization



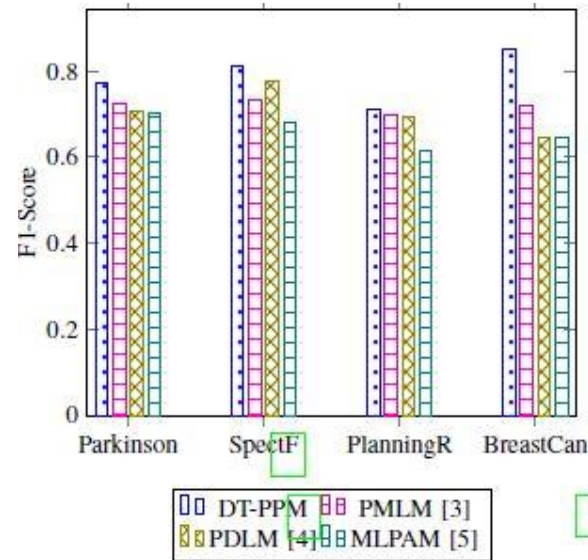
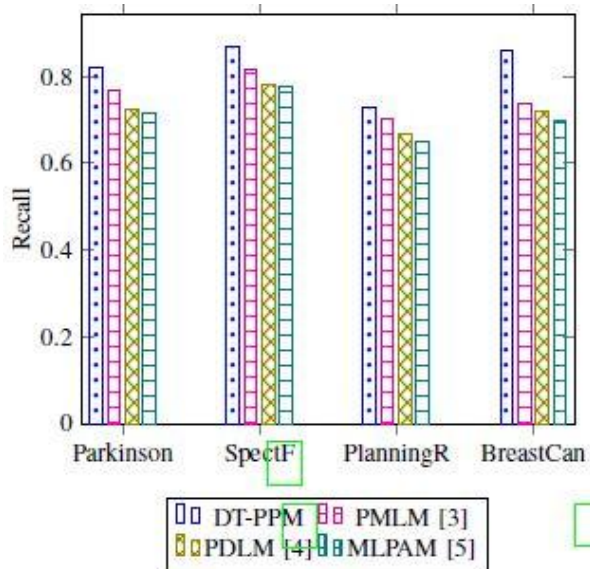
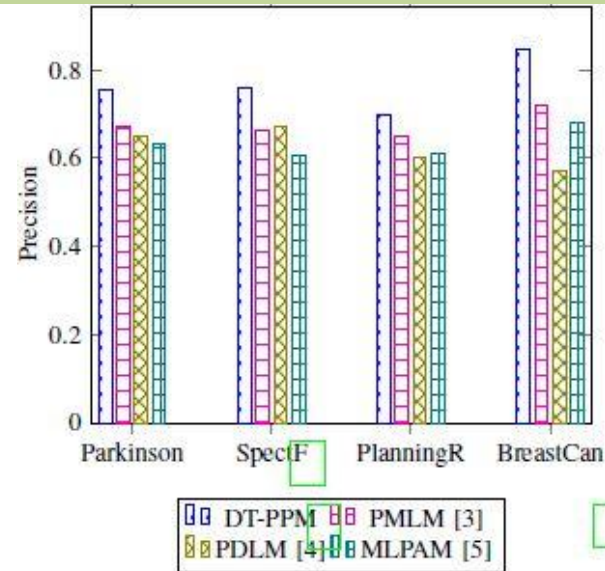
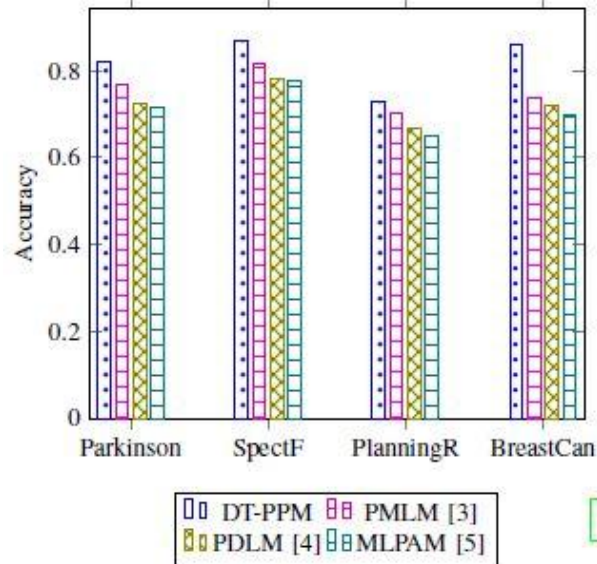
Classification Results – epsilon-0.1



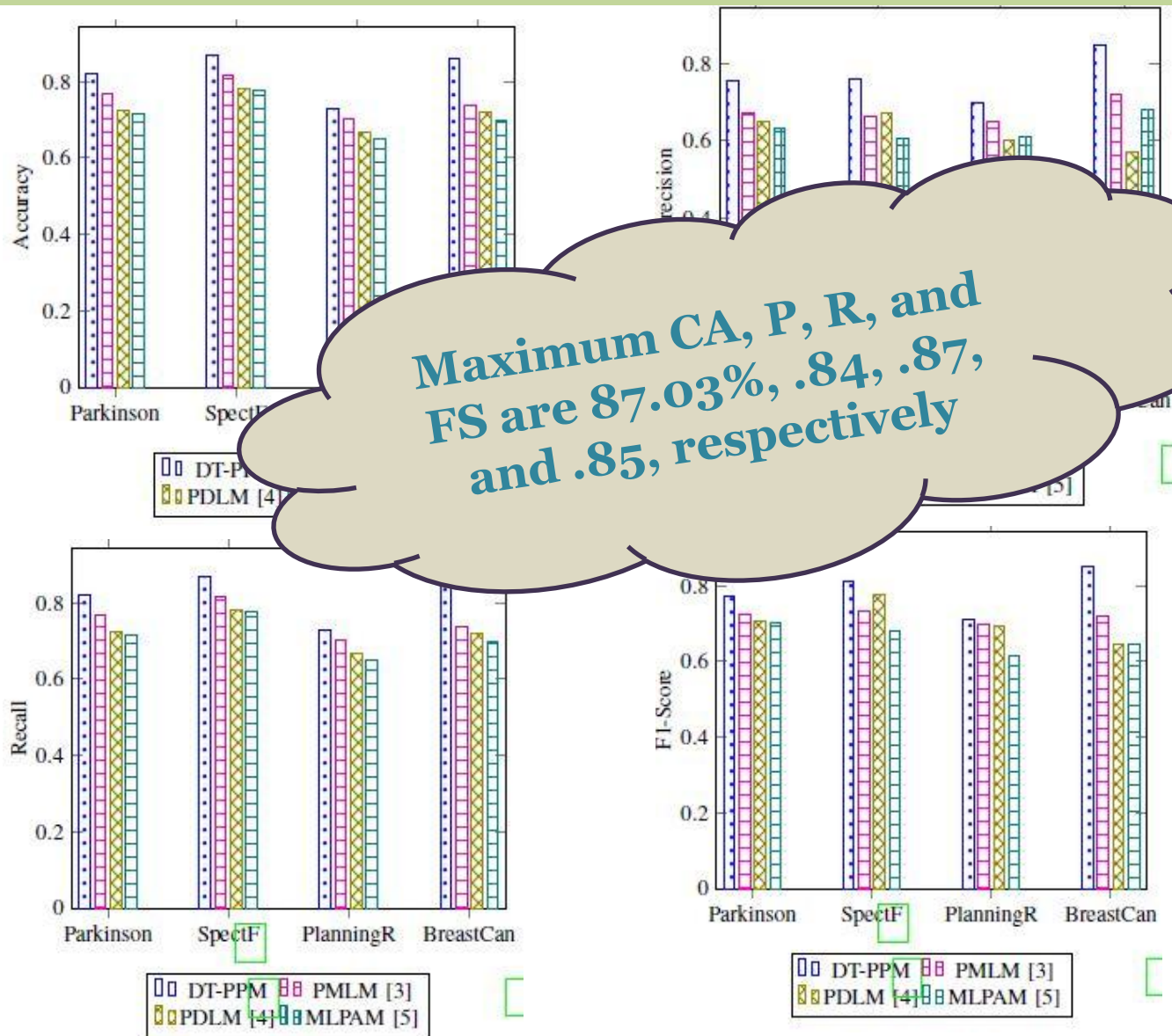
Classification Results - epsilon-0.1



Classification Results – epsilon-1.0



Classification Results - epsilon-1.0



Classification Results

Improvement of privacy parameters of DT-PPM over PMLM, PDLM
and MLPAM

Dataset	Accuracy			Precision			Recall			F1-Score		
	[3]	[4]	[5]	[3]	[4]	[5]	[3]	[4]	[5]	[3]	[4]	[5]
Parkinson	5.13	9.61	10.26	8.41	10.55	12.55	5.13	9.61	10.26	5.03	6.68	7.16
SpectF	5.55	8.79	9.26	9.36	8.41	15.26	5.55	8.79	9.26	10.50	3.39	15.61
Planning Relax	2.70	6.04	8.11	4.80	9.33	8.70	2.70	6.04	8.11	6.54	1.63	14.82
Breast Cancer	12.32	13.98	15.89	12.70	27.73	16.57	12.32	13.98	15.89	14.13	20.31	21.44



Classification Results

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Planning Relax	2.70	6.04	9.61	8.41	14.13	15.89	4.13	1.63	14.82
Breast Cancer	12.32	13.98	15.89	8.41	14.13	21.44	14.13	20.31	21.44

**Maximum improvements
for CA, P, R, and FS are
15.89%, 27.73%, 15.89%,
and 21.44%, respectively**

Future Scope of Work

Reduction of values of DT-PPM over Clean data

Dataset	Accuracy	Precision	Recall	F1-Score
Parkinson	5.12	0.27	5.12	0.34
SpectF	1.85	3.26	1.85	2.66
Planning Relax	10.81	0.53	10.81	5.24
Breast Cancer	0.57	1.55	0.57	1.02



Future Scope of Work

Reduction of values of DT-PPM over Clean data

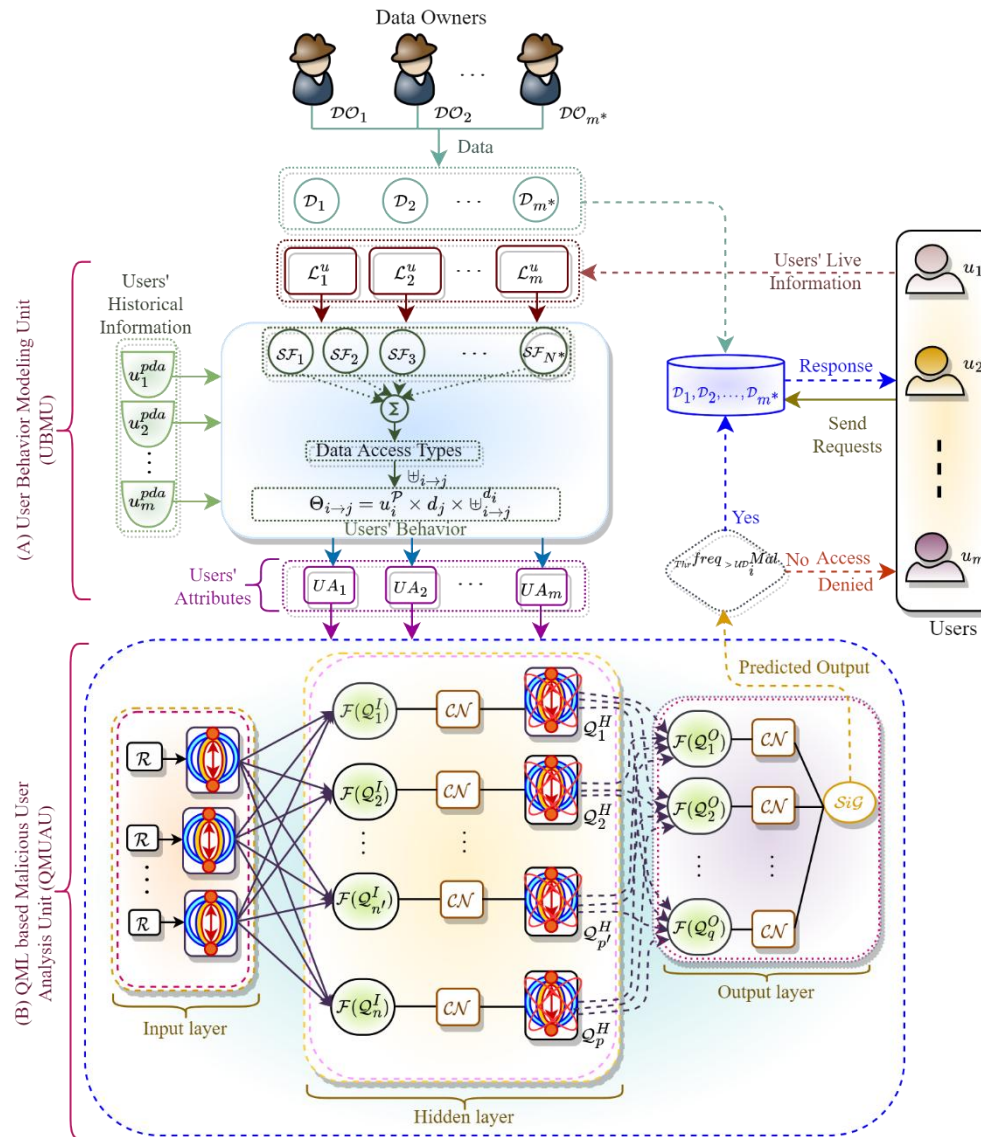
Dataset	Accuracy	Precision	Recall	F1 Score
Parkinson	5.12%	10.81%	3.26%	10.81%
SpectF	10.81%	3.26%	10.81%	5.24%
Planning	10.81%	3.26%	10.81%	5.24%
Breast	10.81%	3.26%	10.81%	5.24%

**Maximum reductions for
CA, P, R, and FS are
10.81%, 3.26%, 10.81%,
and 5.24%, respectively**

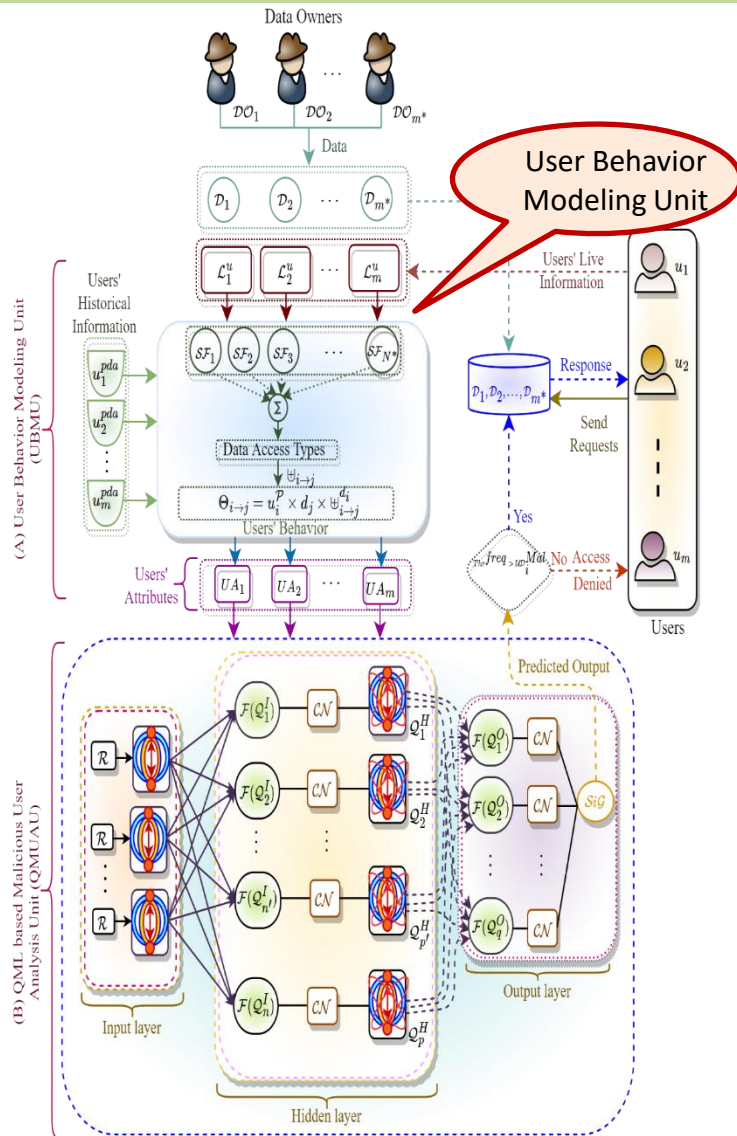
Quantum Machine Learning Driven Malicious User Prediction for Cloud Network Communications



Proposed Model



Proposed Model

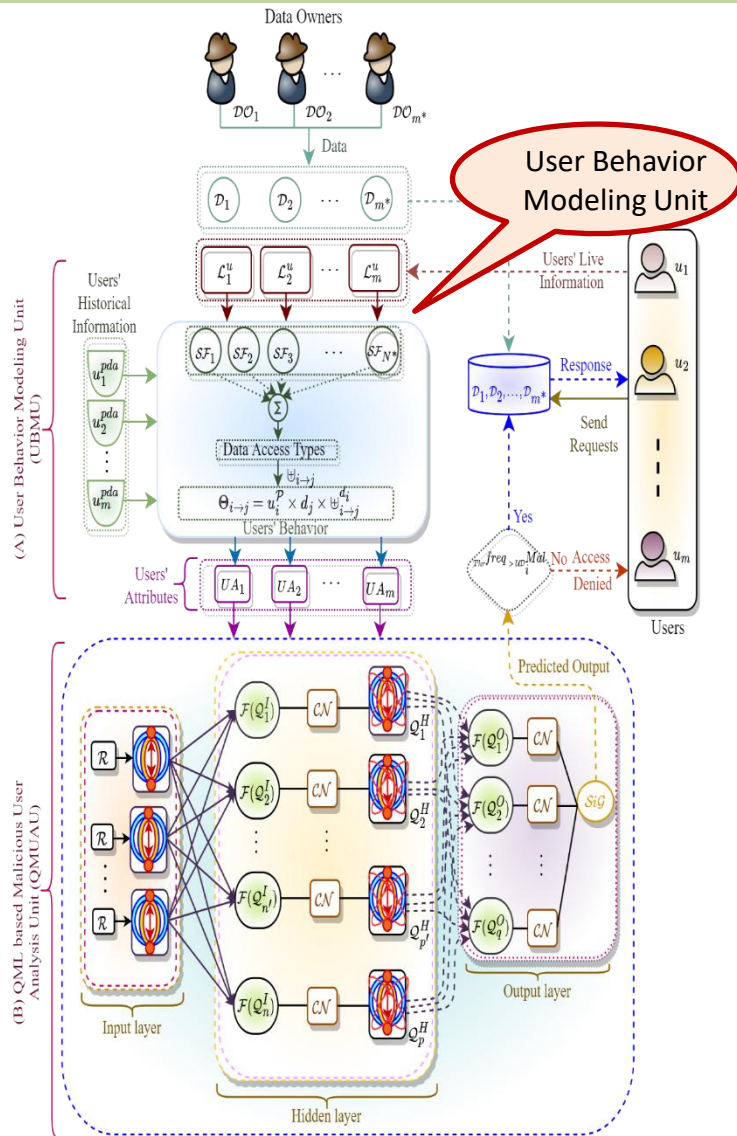


➤ User Behavior Modeling Unit

✓ Historical Data

$$\mathcal{SF}_{u_i^{pda}} = \begin{cases} \text{Known}(0), & \text{If } (|u_i^{pda}| > 0) \\ \text{Unknown}(1), & \text{Otherwise} \end{cases}$$

Proposed Model



➤ User Behavior Modeling Unit

✓ Historical Data

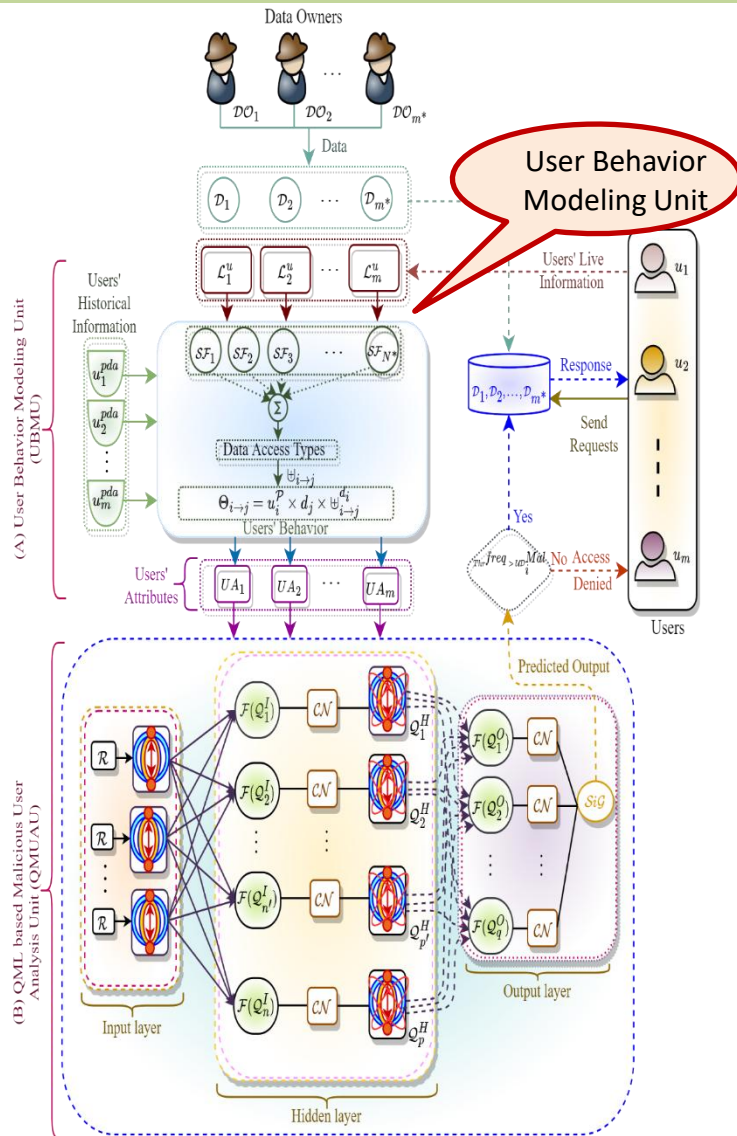
$$SF_{u_i^{pda}} = \begin{cases} \text{Known}(0), & \text{If } (|u_i^{pda}| > 0) \\ \text{Unknown}(1), & \text{Otherwise} \end{cases}$$

✓ Frequently asking data

$$UD_i^{Mal} = \left| \sum_{k=1}^H \sum_{j=1}^M dz_k \times t_{ijk} \times u_i \right|$$

$$SF_{UD^{Mal}} = \begin{cases} \text{Allowed}(0), & \text{If } (Thr^{freq} > UD_i^{Mal}) \\ \text{Denied}(1), & \text{Otherwise} \end{cases}$$

Proposed Model



➤ User Behavior Modeling Unit

✓ Historical Data

$$\mathcal{SF}_{u_i^{pda}} = \begin{cases} \text{Known}(0), & \text{If } (|u_i^{pda}| > 0) \\ \text{Unknown}(1), & \text{Otherwise} \end{cases}$$

✓ Frequently asking data

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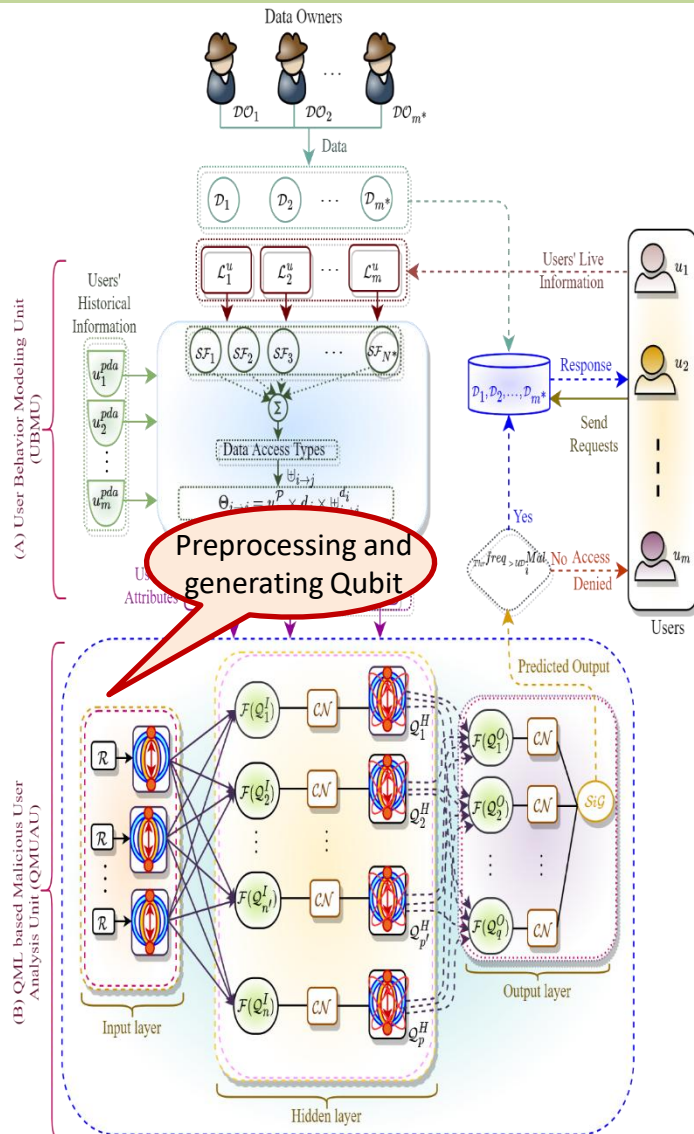
$$\mathcal{SF}_{\mathcal{UD}^{Mal}} = \begin{cases} \text{Allowed}(0), & \text{If } (Thr^{freq} > \mathcal{UD}_i^{Mal}) \\ \text{Denied}(1), & \text{Otherwise} \end{cases}$$

✓ Type of Requests

$$\mathcal{AD}_i = (\mathcal{P}_1 \times \sum_{k=1}^{z_1} d_k) \cup (\mathcal{P}_2 \times \sum_{k=1}^{z_2} d_k) \cup \dots \cup (\mathcal{P}_{m^*} \times \sum_{k=1}^{z_{m^*}} d_k)$$

$$\mathcal{SF}_{\mathcal{AD}_i} = \begin{cases} \text{Authorized}(0), & \text{If } (u_i \times (\mathcal{P}_i \times d_i) \subseteq \mathcal{AD}_i) \\ \text{Unauthorized}(1), & \text{Otherwise} \end{cases}$$

Proposed Model

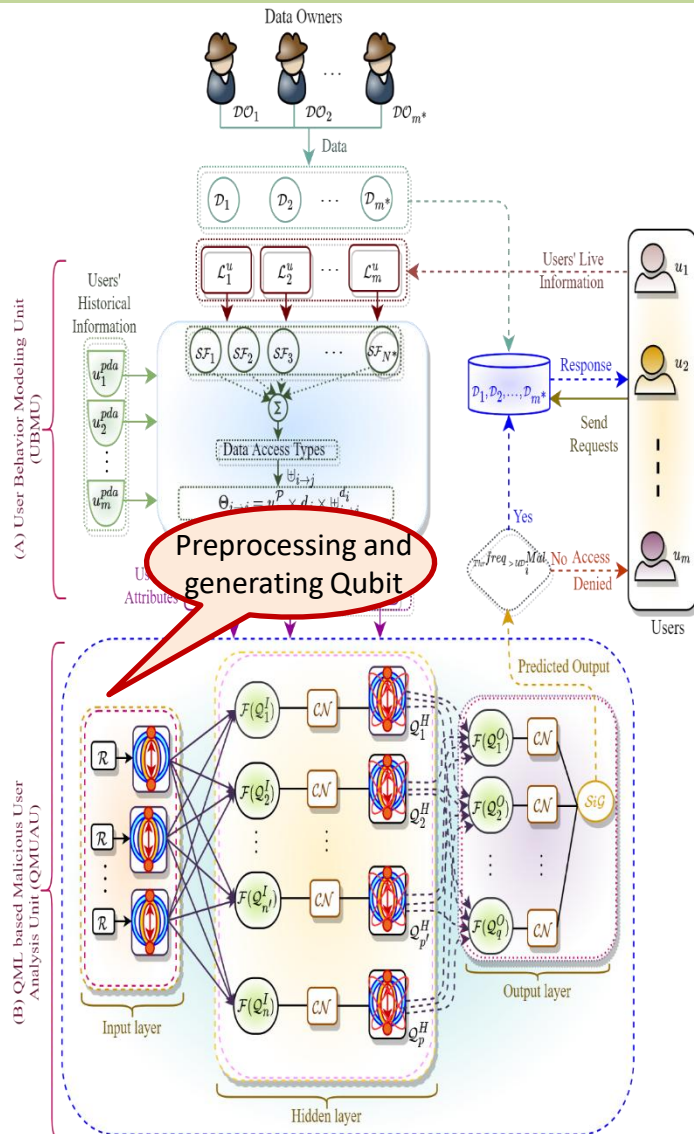


➤ Data Pre-Processing

- ✓ The training input values (UA) are extracted, aggregated, and normalized

$$\hat{UA}_j = \frac{UA_j - UA_{min}}{UA_{max} - UA_{min}}$$

Proposed Model



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➤ At Input layer, Qubit generation

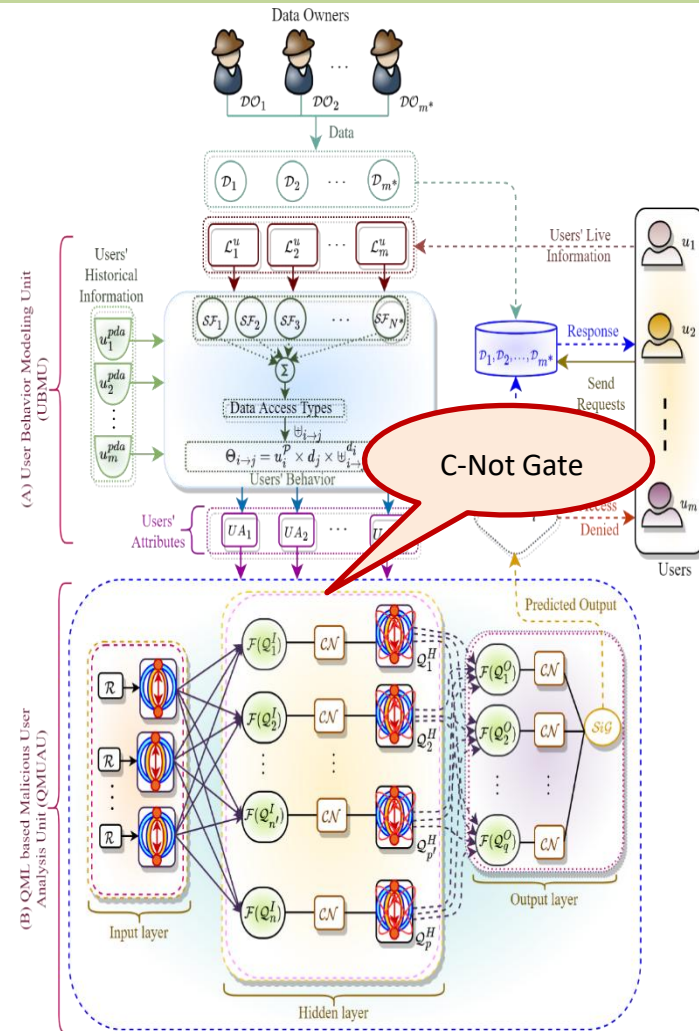
- ✓ Converted into Qubits (θ) by applying rotation effect

$$\theta = \frac{\pi}{2} \times \hat{D}$$

Proposed Model

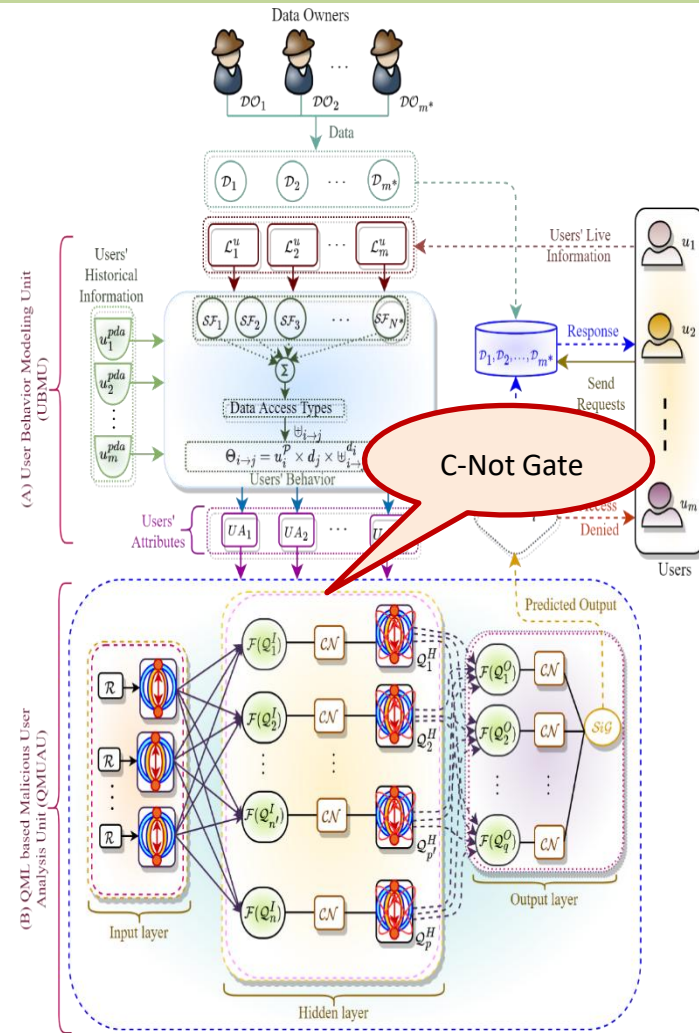
➤ QNN Information Processing

- ✓ At Hidden layer, Qubit vector is obtained by applying C-Not gate effect as an activation function



ω : Qubit weight B^I : Bias $G(\delta^H)$: Sigmoid function $\arg(Q_j^{*H})$: Amplitude of qubit vector

Proposed Model



QNN Information Processing

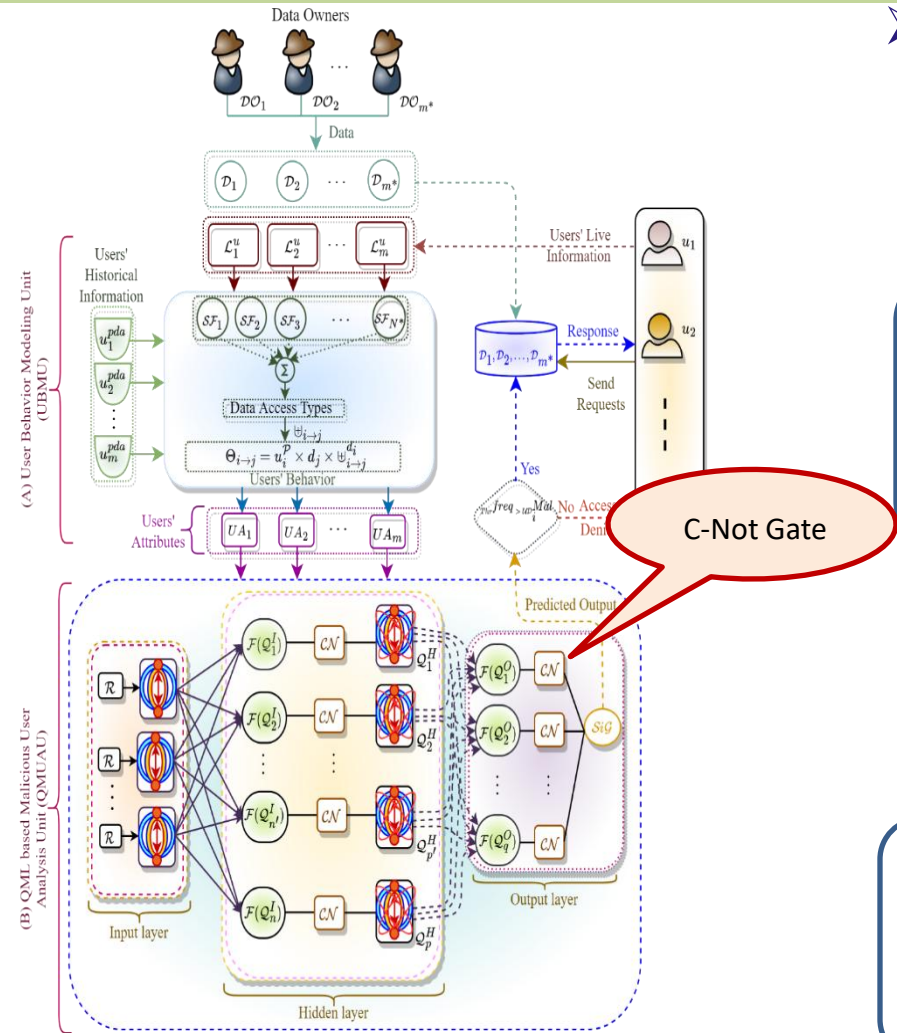
- ✓ At Hidden layer, Qubit vector is obtained by applying C-Not gate effect as an activation function

$$Q_j^H = \frac{\pi}{2} \times \mathcal{G}(\delta^H) - \arg(Q_j^{*H})$$

$$Q^{*H} = \sum_{i=1, j=1}^{n, p} \mathcal{F}(\varpi_{ij}^I) \times \mathcal{F}(Q_i^I) - \mathcal{F}(B^I)$$

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Proposed Model



QNN Information Processing

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- ✓ At Output layer, predicted output is obtained by applying C-Not gate effect and sigmoid function as an activation function

$$y^O = \frac{\pi}{2} \times \mathcal{G}(\delta^O) - \arg(Q^{*O})$$

$$Q^{*O} = \sum_{i=1}^p \mathcal{F}(\varpi_i^H) \times \mathcal{F}(Q_i^H)$$

ϖ : Qubit weight B^I : Bias $\mathcal{G}(\delta^H)$: Sigmoid function $\arg(Q^{*H}_j)$: Amplitude of qubit vector

QM-MUP: Operational Summary

Algorithm 1: QM-MUP: Operational Summary

Parameters
initialization

```

1 Initialize: list of users ( $List_{\mathcal{U}}$ ) with related attributes
  and data requests;
2 Train and re-train DE-QNN with historical and latest
  malicious user data samples, periodically;
3 for each time-interval  $\{t_a, t_b\}$  do
4   for each user ( $u_i : i \in \{1, 2, \dots, m\}$ ) do
5     Receive users requests and analyse
       $\mathcal{SF} = \{\mathcal{SF}_1 \cup \mathcal{SF}_2 \cup \dots \cup \mathcal{SF}_{N^*}\}$  ;
6     Examine the probable purpose of data request
      by computing Eq. (12) ;
7      $\Theta^{Mal} \leftarrow \text{DE-QNN}(\Theta, \{\mathcal{L}_1^u, \mathcal{L}_2^u, \dots, \mathcal{L}_m^u\})$  ;
8     if  $\Theta^{Mal} > 0$  then
9        $u_i$  is 'Malicious' and data access is denied;
10    else
11      Access is allowed and data is distributed;
12    end
13  end
14 end
  
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Parameters
initialization

User Behavior
Modeling Unit



QM-MUP: Operational Summary

Algorithm 1: QM-MUP: Operational Summary

```

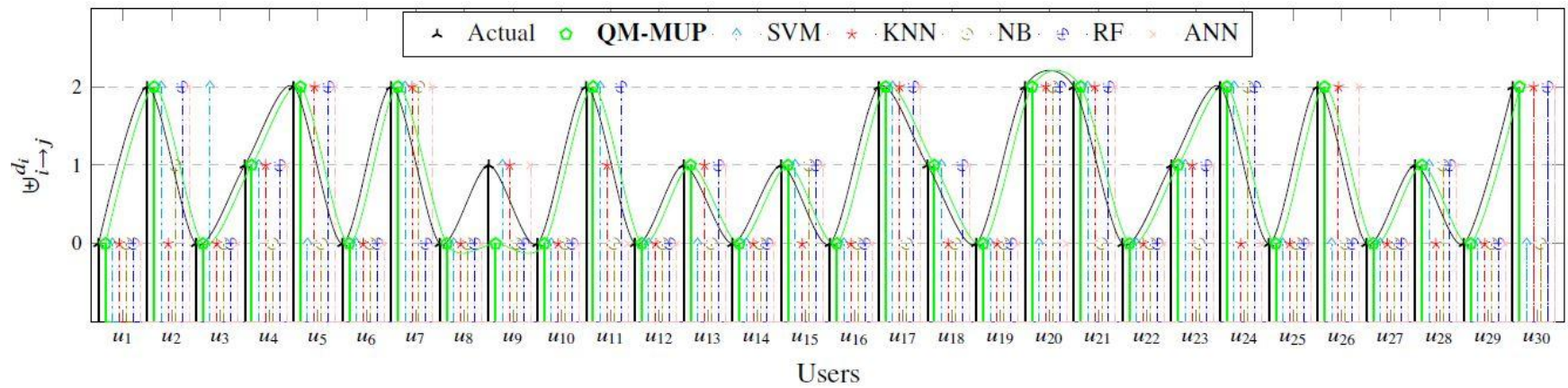
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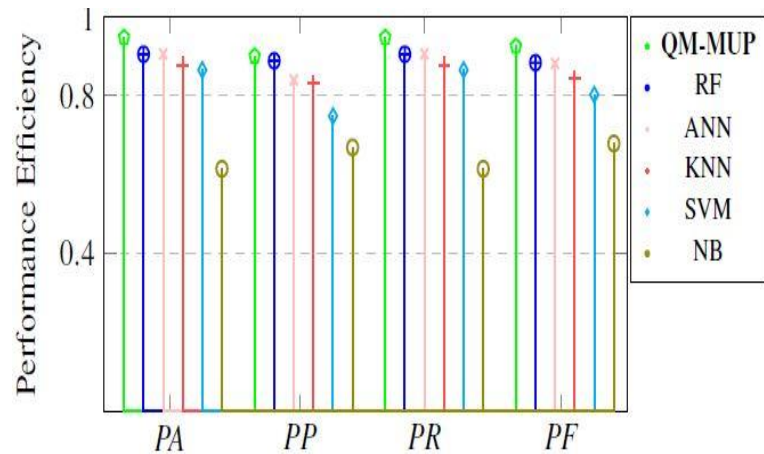
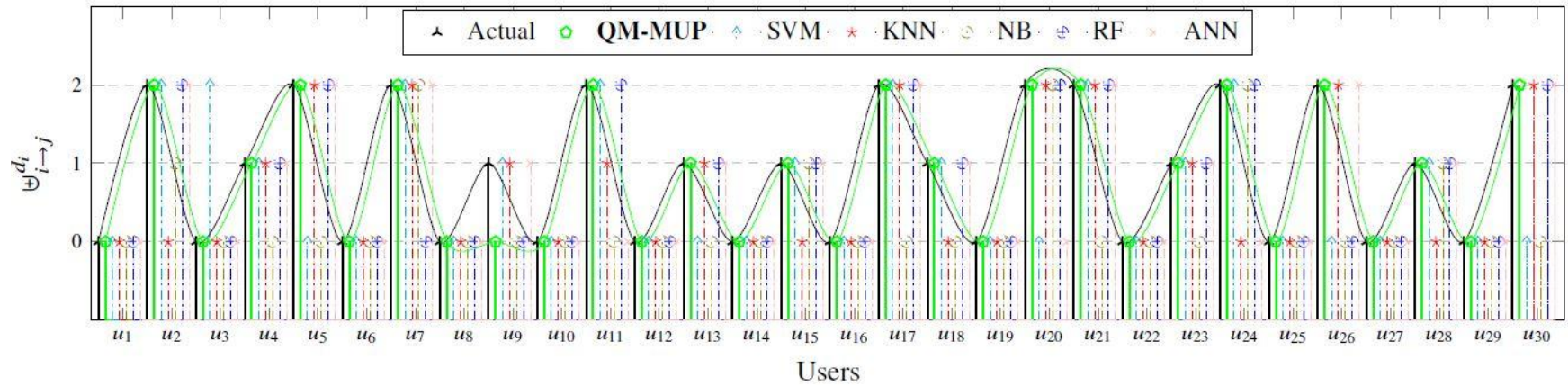
Parameters
initialization

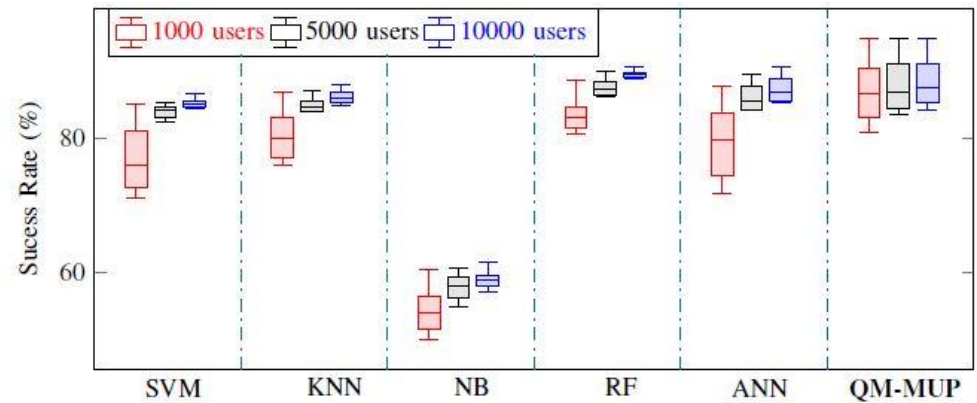
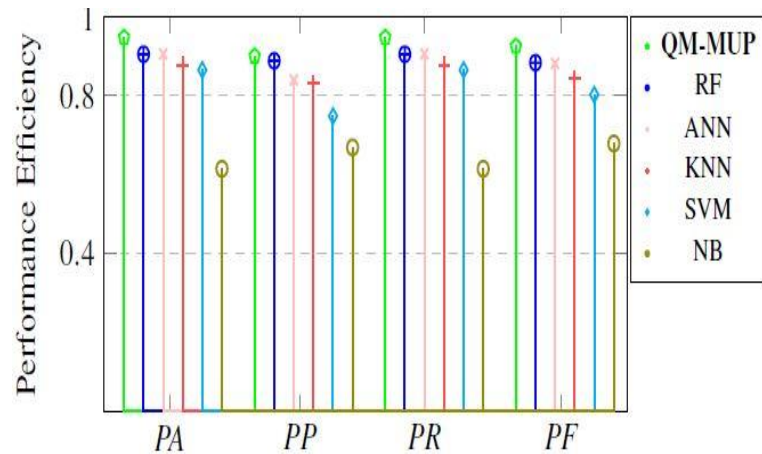
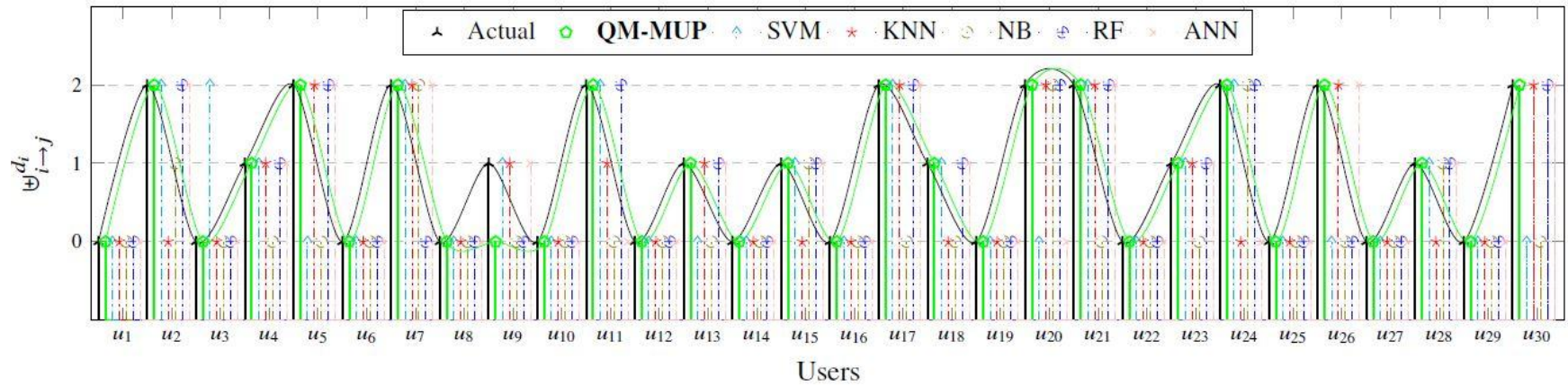
User Behavior
Modeling Unit

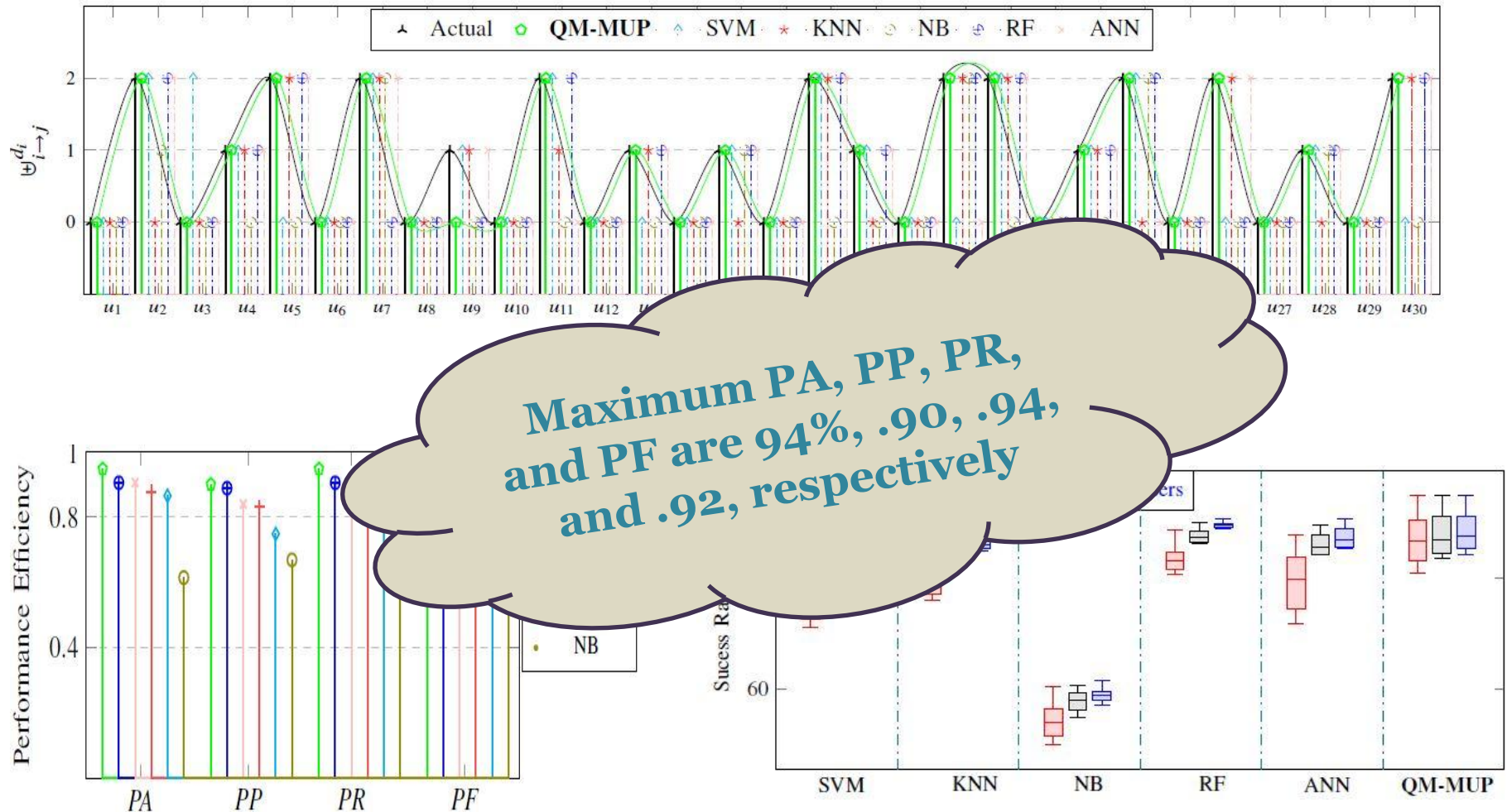
QML based
Malicious User
Analysis Unit

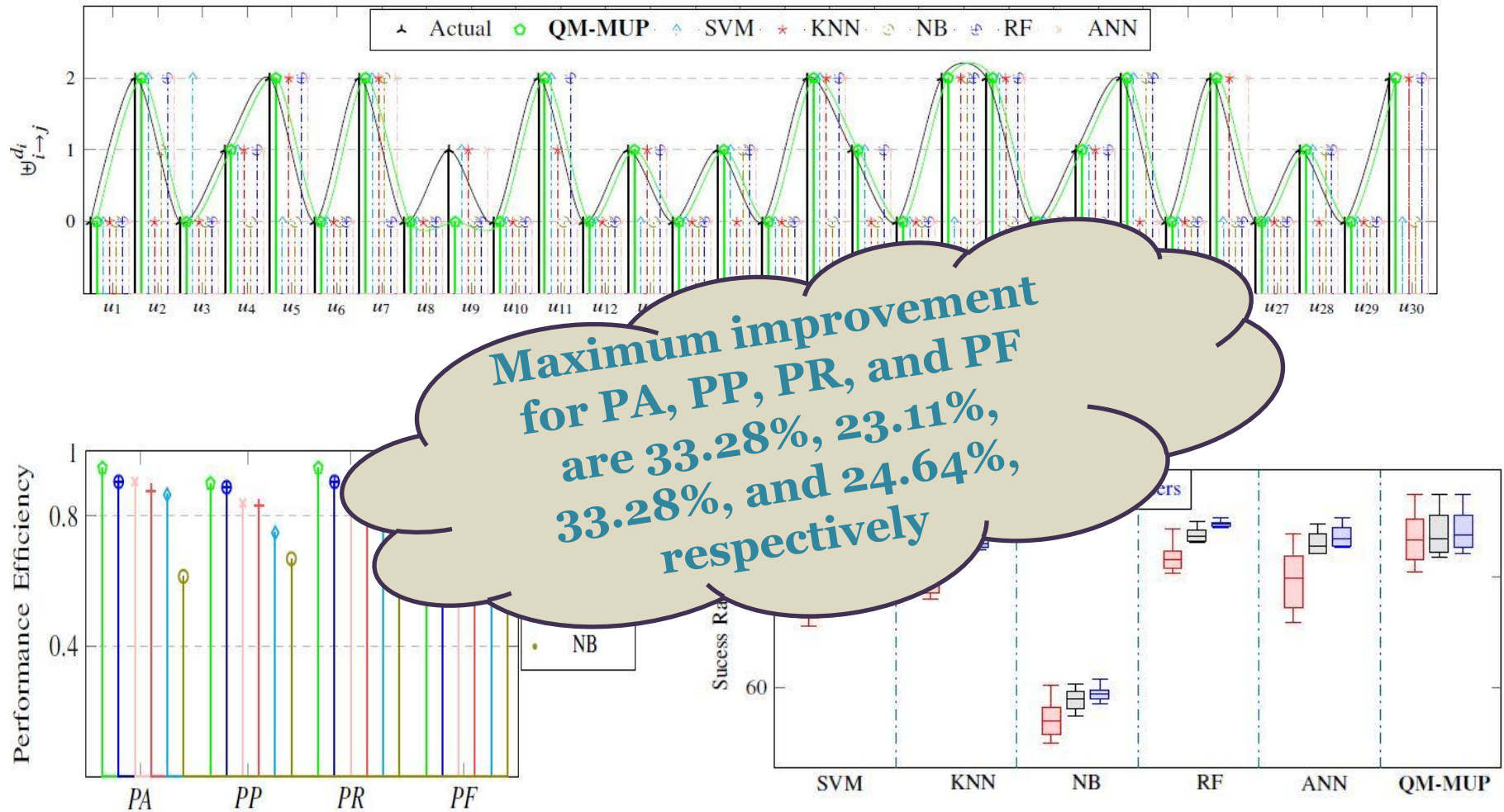












Summary

- The different newly proposed secure data protection model, such as DT-PPM, are capable of improving data and its communication security while maintaining utility and reducing computation time.
- QM-MUP avoid data breaches due to malicious, non-malicious, and unknown users and substantially decrease intended cyberthreats.



Future Research Plans

- To develop cybersecurity models seeking proactive cyber threat detection by applying Quantum Machine Learning approaches for secure data communications
- To upgrade data protection by engaging effective privacy mechanisms and facilitate automatic optimization of the accuracy of query results while maintaining security
- To implement the newly proposed models in a simulated distributed computing environment for maximizing the security of user stored and shared data



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Thank you

