

**Example 38:** As shown in the figure,  $\triangle$  ABC and  $\triangle$   $A_1B_1C_1$  are symmetrical about the line MN, PA  $/\!\!/$   $B_1C_1$ , PB  $/\!\!/$   $C_1A_1$ , prove PC  $/\!\!/$   $A_1B_1$ .

$$\frac{\frac{B'-C'}{M-N}}{\frac{M-N}{B-C}} \frac{P-A}{B'-C'} + \frac{\frac{C'-A'}{M-N}}{\frac{M-N}{C-A}} \frac{P-B}{C'-A'} + \frac{\frac{A'-B'}{M-N}}{\frac{M-N}{A-B}} \frac{P-C}{A'-B'} = 0,$$