



Example 173 : As shown in Figure 3, in $\triangle ABC$, O is the circumcenter, $EA \perp AO$, $EC \perp CO$, the point O is on AB , and $DO \perp BC$, to prove: E, D, O , and C are all circles.

$$\frac{E-O}{E-A} \frac{D-A}{D-O} = \left(\frac{C-A}{C-E} \frac{O-E}{O-A} \right) \left(\frac{B-C}{D-O} \frac{B-A}{B-C} \frac{C-O}{C-A} \right) \left(\frac{O-A}{E-A} \frac{E-C}{C-O} \right) \frac{D-A}{B-A}.$$