

Week1_Homework

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Sec 1.2, Question 3

```
myData = read.table("exer01-0203.txt", header = TRUE, sep = "\r")
print(myData)
```

```
##      C1
## 1  0.31
## 2  0.35
## 3  0.36
## 4  0.36
## 5  0.37
## 6  0.38
## 7  0.40
## 8  0.40
## 9  0.40
## 10 0.41
## 11 0.41
## 12 0.42
## 13 0.42
## 14 0.42
## 15 0.42
## 16 0.42
## 17 0.43
## 18 0.44
## 19 0.45
## 20 0.46
## 21 0.46
## 22 0.47
## 23 0.48
## 24 0.48
## 25 0.48
## 26 0.51
## 27 0.54
## 28 0.54
## 29 0.55
## 30 0.58
## 31 0.62
## 32 0.66
## 33 0.66
## 34 0.67
## 35 0.68
## 36 0.75
```

```
stem(myData$C1)
```

```
##
## The decimal point is 1 digit(s) to the left of the |
##
```

```
## 3 | 1
## 3 | 56678
## 4 | 000112222234
## 4 | 5667888
## 5 | 144
## 5 | 58
## 6 | 2
## 6 | 6678
## 7 |
## 7 | 5
```

Sec 1.3, Question 19

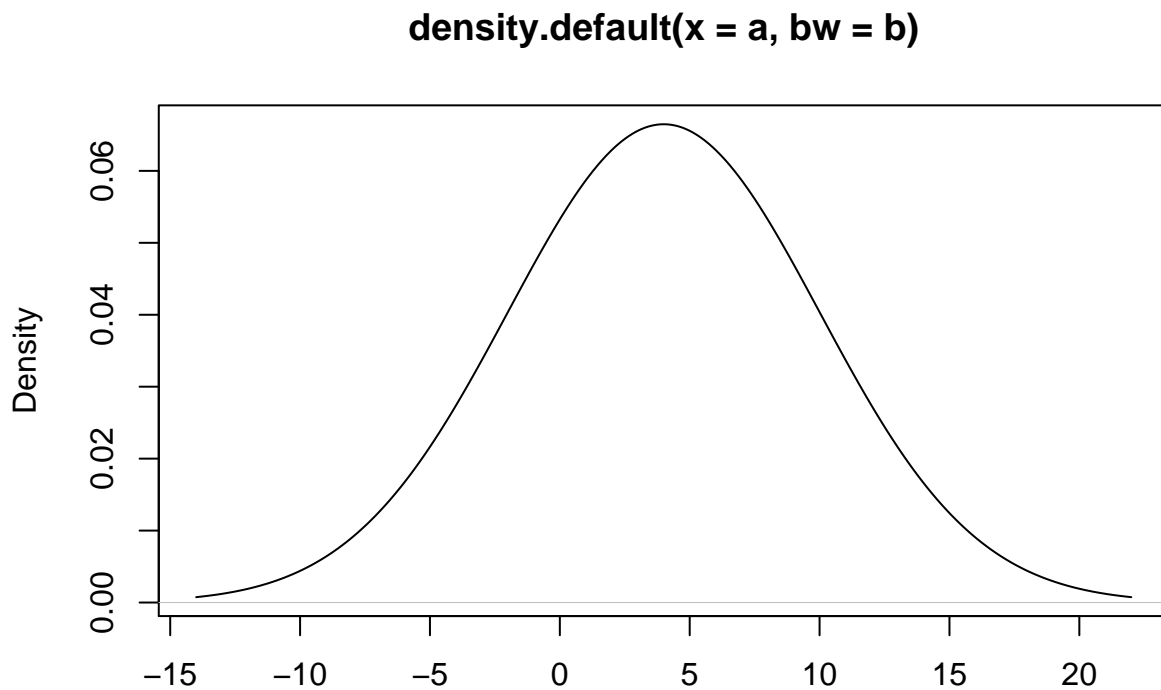
Part a

a = 4

b = 6

data = c(a, b)

plot(density(a, b))



N = 1 Bandwidth = 6

*# Density curve is plotted. To verify the area under the curve is 1, use the formula for
Area, $A = bh$ where base is $6-4=2$ and height is $1/(b-a) = .5$ Therefore $A = 2(.5) = 1$*

Part b

*# To find out what portion of the forms will be processed between 4.5 and 5.5 minutes
you use the same formula of $1/(b-a)$ but put it in the integral formula. Integral from
4.5 to 5.5 of $1/(6-4) dx = 1/2x$ from 4.5 to 5.5 = $(.5)(5.5) - (.5)(4.5) = .5$ So 50%
of the forms will be processed in that time.*

Part C

To find what value separates the slower half from the faster half, you can examine the

```

# graph and see it's 5, or you can solve for the mean.  $\mu = (4 + 6) / 2 = 5$ 

# Part d (extra, did it then saw the instructions to only do a, b, and c)
# The best 10% will happen before  $a + 10\%(b-a) = 4 + (.1)(6-4) = 4 + .2 = 4.2$  4.2 is the
# value that separates the best 10% from the other 90%

# Sec 1.4 Question 32 (all parts)
# Part a
# The value of z such that the area under the standard normal curve is .9082 is 1.33

# Part b
# The value of z such that the area under the standard normal curve to the left of the
# value is .9080 is 1.325. To get this value find the row with .9080. It's close to 1.32
# and 1.33. Take the average of the two and you get 1.325

# Part c
# Value of z such that the area under the curve to the right of z is .121 In order to use
# the z table to find the area to the right (or above) the z number, you subtract
#  $1 - .121 = .879$  Find that on the table and the value of z is 1.17.

# Part d
# What value of z* is such that the area under the standard normal curve between -z and z
# is .754?
# Since the standard curve is symmetrical, we can divide the percentage in half to get both
# sides.  $.754/2 = .377$  is the percentage in the middle of the two points.
# Find the -z value that corresponds with .377,  $-z = -.31$  (This is the area to the left)
# Find the +z value (the area to the right)  $1 - .377 = .623$ ,  $z = .31$ 
# Therefore  $z = \pm .31$ 

# Part e
# How far to the right of 0 would you have to go to capture an upper-tail(to the right of)
# z curve area of .002? How far to the left would you have to go to capture this same
# lower-tail area?
# Upper-tail:  $1 - .002 = .998$  gives a z value of 2.88
# Using symmetry to get the same curve on the left we get  $z = -2.88$ .

# Sec 2.1 Question 1

# Part a
myData2 = read.table("exer02-0101.txt", header = TRUE, sep = "\r")
# print(myData2$Sales)
myMean = mean(myData2$Sales)
print(myMean)

## [1] 640.5

myMedian = median(myData2$Sales)
print(myMedian)

## [1] 582.5

# Part b
myData2 = read.table("exer02-0101 copy.txt", header = TRUE, sep = "\r")
# print(myData2$Sales)

```

```
myMean = mean(myData2$Sales)
print(myMean)
```

```
## [1] 610.5
```

```
myMedian = median(myData2$Sales)
print(myMedian)
```

```
## [1] 582.5
```

Question 8

A target is located at the point 0 on the horizontal axis. Let x be

the landing point of a shot aimed at the target, a continuous

variable with density function $f(x) = .75(1-x^2)$ for $-1 < x < 1$.

What is the mean value of x ?

Using the integral formula for mean: Integral from -1 to 1

of $.75x(1-x^2)dx = .75$ integral from -1 to 1 of $(x-x^3) dx = 0$

Therefore mean value of x is 0.