

cdf5579_econometrics_Rproblemset3

2022-12-06

R Markdown

```
#lets load some libraries first
```

```
library(dplyr)
```

```
##
```

```
## Attaching package: 'dplyr'
```

```
## The following objects are masked from 'package:stats':
```

```
##
```

```
## filter, lag
```

```
## The following objects are masked from 'package:base':
```

```
##
```

```
## intersect, setdiff, setequal, union
```

```
library(magrittr)
```

```
library(readxl)
```

```
library(tinytex)
```

```
library(data.table)
```

```
##
```

```
## Attaching package: 'data.table'
```

```
## The following objects are masked from 'package:dplyr':
```

```
##
```

```
## between, first, last
```

```
library(tibble)
```

```
library(ggplot2)
```

```
library(lmtest)
```

```
## Loading required package: zoo
```

```
##
```

```
## Attaching package: 'zoo'
```

```
## The following objects are masked from 'package:base':
```

```
##
```

```
## as.Date, as.Date.numeric
```

```
library(car)
```

```
## Loading required package: carData
```

```
##
```

```
## Attaching package: 'car'
```

```
## The following object is masked from 'package:dplyr':
```

```
##
```

```
##      recode
```

```
library(sandwich) #robust SEs
```

Install package one time.

```
#install.packages("AER")
```

Load the data and analyze it.

```
data("Guns", package = "AER")
```

```
??Guns
```

```
## starting httpd help server ... done
```

REMAINDERS OF CODE

```
#reminders provided:
```

```
# Running a panel regression in R
```

```
#plm(y ~ x1 + x2 + ..., index = c("entityVariable", "timeVariable"), method = "method", effect = "individual")
```

```
# Recovering HETEROSCEDASTIC - ROBUST standard errors
```

```
#m1 = plm(y~x,...)
```

```
#summary(m1, vcov = vcovHC(m1, type = "HC1", method = "white1"))
```

```
# Recovering CLUSTER - ROBUST standard errors
```

```
#m2 = plm(y~x,...)
```

```
#summary(m2, vcov = vcovHC(m2, type = "HC1", cluster = "group"))
```

The "...", entity and time variables, method and effect are left to you to fill in correctly. As a series of hints: within is the method that does fixed effects while fd takes first differences; individual does just individual effects, time does just time fixed effects, and twoway does both.

ENTITY VARIABLE IS STATE TIME VARIABLE IS YEARS

and for methods and effect is a bit diff

In each, report the coefficient on law, the standard error on law, the t statistic, and the F test of all variables except the fixed effects. (Construct Table)

PART A_____

1. A linear regression of log murder rate on whether a state has a shall-issue law. Notice that the crime rates are reported in levels, not in logs. You will need to apply the appropriate transformation. Hint: You can apply the logarithm directly in a regression. E.g

Following the instructions from the table, no fixed effects are added, so the data is not yet treated as a panel data accounting for time or state effects.

```
# Logs directly in R
```

```
library("plm")
```

```
##
```

```
## Attaching package: 'plm'
```

```
## The following object is masked from 'package:data.table':
```

```
##
```

```
##      between
```

```
## The following objects are masked from 'package:dplyr':
```

```
##
```

```
##      between, lag, lead
```

```
print("Simplest model with no fixed effects")
```

```
## [1] "Simplest model with no fixed effects"
```

```
regression1 <- lm(log(murder) ~ factor(law), data = Guns)
```

```
regression1
```

```
##
```

```
## Call:
```

```
## lm(formula = log(murder) ~ factor(law), data = Guns)
```

```
##
```

```
## Coefficients:
```

```
##      (Intercept)  factor(law)yes
```

```
##           1.8976           -0.4734
```

```
print("Summary of the regression")
```

```
## [1] "Summary of the regression"
```

```
summary(regression1, vcov = vcovHC(regression1, type = "HC1", method = "white1"))
```

```
##
```

```
## Call:
```

```
## lm(formula = log(murder) ~ factor(law), data = Guns)
```

```
##
```

```
## Residuals:
```

```
##      Min      1Q  Median      3Q      Max
## -3.0336 -0.4866  0.1019  0.4629  2.4919
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)    1.89756    0.02261   83.93  <2e-16 ***
## factor(law)yes -0.47337    0.04587  -10.32  <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.6737 on 1171 degrees of freedom
## Multiple R-squared:  0.08337,    Adjusted R-squared:  0.08259
## F-statistic: 106.5 on 1 and 1171 DF,  p-value: < 2.2e-16
```

#errors and all the stuff they asked about

Summary required:_____

Coefficient on law: -0.4734 The standard error on law: 0.04587 The t statistic: -10.32 The F test of all variables: 106.5 on (law)

2. Now include the following variables as controls: the percent of the state that is male male, the percent of the state that is African-American afam, the percent of the state that is Caucasian cauc, the log of income income, the log of density density, and the log of the prison population prisoners. Notice that once again, you will need to transform the variables that are not in logarithms.

Following the instructions from the table, no fixed effects are added, so the data is not yet treated as a panel data accounting for time or state effects.

```
regression2 <- lm(log(murder) ~ factor(law) + male + afam + cauc + log(income) + log(density) + log(prisoners), data = Guns)
regression2
```

```
##
## Call:
## lm(formula = log(murder) ~ factor(law) + male + afam + cauc +
##     log(income) + log(density) + log(prisoners), data = Guns)
##
## Coefficients:
##      (Intercept)  factor(law)yes          male          afam          cauc
##      -0.463389    -0.233392      0.180306      0.030008      0.006597
##      log(income)    log(density)  log(prisoners)
##      -0.529945      0.104919      0.794761
```

```
print("Summary of the regression")
```

```
## [1] "Summary of the regression"
```

```
summary(regression2, vcov = vcovHC(regression2, type = "HC1", method = "white1"))
```

```
##
## Call:
## lm(formula = log(murder) ~ factor(law) + male + afam + cauc +
##     log(income) + log(density) + log(prisoners), data = Guns)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -2.0876 -0.2796  0.0335  0.2998  1.1699
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)  -0.463389   0.939765  -0.493   0.6220
## factor(law)yes -0.233392   0.032706  -7.136 1.69e-12 ***
## male           0.180306   0.011772  15.317 < 2e-16 ***
## afam           0.030008   0.016973   1.768   0.0773 .
## cauc           0.006597   0.008356   0.789   0.4300
## log(income)    -0.529945   0.105301  -5.033 5.60e-07 ***
## log(density)    0.104919   0.009847  10.655 < 2e-16 ***
## log(prisoners)  0.794761   0.028457  27.928 < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.431 on 1165 degrees of freedom
## Multiple R-squared:  0.6268, Adjusted R-squared:  0.6246
## F-statistic: 279.6 on 7 and 1165 DF, p-value: < 2.2e-16
```

Summary required:_____

Coefficient on law: -0.233392 The standard error on law: 0.032706 The t statistic: -7.136 The F test of all variables: 279.6

3. Now run the same regression as in (ii) but adding state fixed effects. This requires using the individual method.

```
regression_3 <- plm(log(murder) ~ factor(law) + male + afam + cauc + log(income) + log(density) + log(prisoners), data = Guns, model = "fixed")
regression_3
```

```
##
## Model Formula: log(murder) ~ factor(law) + male + afam + cauc + log(income) +
##     log(density) + log(prisoners)
##
## Coefficients:
## factor(law)yes      male      afam      cauc      log(income)
##    -0.0622328    0.0039837   -0.0300534    0.0119157    0.5192112
## log(density) log(prisoners)
##    -0.4208726   -0.1521952
```

```
print("Summary of the regression")
```

```
## [1] "Summary of the regression"
```

```
summary(regression_3, vcov = vcovHC(regression_3, type = "HC1", method = "white1"))
```

```
## Oneway (individual) effect Within Model
##
## Note: Coefficient variance-covariance matrix supplied: vcovHC(regression_3, type = "HC1", method = "white1")
##
## Call:
## plm(formula = log(murder) ~ factor(law) + male + afam + cauc +
##      log(income) + log(density) + log(prisoners), data = Guns,
##      effect = "individual", index = c("state", "year"), method = "within")
##
## Balanced Panel: n = 51, T = 23, N = 1173
##
## Residuals:
##      Min.      1st Qu.      Median      3rd Qu.      Max.
## -1.7145994 -0.1225898  0.0005896  0.1265117  0.8666789
##
## Coefficients:
##              Estimate Std. Error t-value Pr(>|t|)
## factor(law)yes -0.0622328  0.0281570 -2.2102 0.0272929 *
## male           0.0039837  0.0125766  0.3168 0.7514906
## afam          -0.0300534  0.0286824 -1.0478 0.2949580
## cauc           0.0119157  0.0075572  1.5767 0.1151381
## log(income)     0.5192112  0.1272622  4.0799 4.827e-05 ***
## log(density)    -0.4208726  0.1129540 -3.7261 0.0002043 ***
## log(prisoners) -0.1521952  0.0366789 -4.1494 3.587e-05 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Total Sum of Squares:    63.314
## Residual Sum of Squares: 54.341
## R-Squared:              0.14172
## Adj. R-Squared: 0.097849
## F-statistic: 29.1807 on 7 and 50 DF, p-value: 1.4487e-15
```

Summary required:_____

Coefficient on law: -0.0622328 The standard error on law: 0.0281570 The t statistic: -2.2102

(no longer reporting Fstat for fixed effects)

4. Now run the same regression as in (iii) but adding time fixed effects. This requires using the two ways method.

```
regression_4 <- plm(log(murder) ~ factor(law) + male + afam + cauc + log(income) + log(density) + log(prisoners), data = Guns, effect = "none", index = c("state", "year"), method = "within")
regression_4
```

```
##
## Model Formula: log(murder) ~ factor(law) + male + afam + cauc + log(income) +
##      log(density) + log(prisoners)
##
## Coefficients:
```

```
## factor(law)yes      male      afam      cauc      log(income)
##      -0.027975      0.064951     -0.089953     -0.017678      0.965636
##   log(density) log(prisoners)
##      -0.395109      -0.087352
```

```
print("Summary of the regression")
```

```
## [1] "Summary of the regression"
```

```
summary(regression_4, vcov = vcovHC(regression_4, type = "HC1", method = "white1"))
```

```
## Twoways effects Within Model
```

```
##
```

```
## Note: Coefficient variance-covariance matrix supplied: vcovHC(regression_4, type = "HC1", method = "white1")
```

```
##
```

```
## Call:
```

```
## plm(formula = log(murder) ~ factor(law) + male + afam + cauc +
##      log(income) + log(density) + log(prisoners), data = Guns,
##      effect = "twoway", index = c("state", "year"), method = "within")
##
```

```
## Balanced Panel: n = 51, T = 23, N = 1173
```

```
##
```

```
## Residuals:
```

```
##      Min.      1st Qu.      Median      3rd Qu.      Max.
## -1.74214787 -0.10125175  0.00072159  0.11297027  0.85853202
```

```
##
```

```
## Coefficients:
```

```
##      Estimate Std. Error t-value Pr(>|t|)
## factor(law)yes -0.027975  0.028043 -0.9976 0.3187088
## male           0.064951  0.024115  2.6934 0.0071816 **
## afam           -0.089953  0.036883 -2.4389 0.0148921 *
## cauc           -0.017678  0.012325 -1.4342 0.1517873
## log(income)     0.965636  0.163179  5.9177 4.365e-09 ***
## log(density)    -0.395109  0.110232 -3.5843 0.0003528 ***
## log(prisoners) -0.087352  0.041472 -2.1063 0.0354071 *
```

```
## ---
```

```
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
##
```

```
## Total Sum of Squares: 50.793
```

```
## Residual Sum of Squares: 46.318
```

```
## R-Squared: 0.088114
```

```
## Adj. R-Squared: 0.022205
```

```
## F-statistic: 10.5906 on 7 and 50 DF, p-value: 4.3851e-08
```

Summary required:_____

Coefficient on law: -0.027975 The standard error on law: 0.028043 The t statistic: -0.9976

(no longer reporting Fstat for fixed effects)

5. Finally, run the same regression as in (iv), but report the cluster robust standard errors.

```
#regression 4 but with clusters
```

```
regression_5 <- plm(log(murder) ~ factor(law) + male + afam + cauc + log(income) + log(density) + log(prisoners), data = Guns, method = "within", index = c("state", "year"))
regression_5
```

```
##
## Model Formula: log(murder) ~ factor(law) + male + afam + cauc + log(income) +
##   log(density) + log(prisoners)
##
## Coefficients:
## factor(law)yes      male      afam      cauc      log(income)
##      -0.027975      0.064951     -0.089953     -0.017678      0.965636
##   log(density) log(prisoners)
##      -0.395109     -0.087352
```

```
print("Summary of the regression but with cluster robust standard errors")
```

```
## [1] "Summary of the regression but with cluster robust standard errors"
```

```
summary(regression_5, vcov = vcovHC(regression_5, type = "HC1", cluster = "group"))
```

```
## Twoways effects Within Model
```

```
##
```

```
## Note: Coefficient variance-covariance matrix supplied: vcovHC(regression_5, type = "HC1", cluster = "group")
```

```
##
```

```
## Call:
```

```
## plm(formula = log(murder) ~ factor(law) + male + afam + cauc +
##   log(income) + log(density) + log(prisoners), data = Guns,
##   effect = "twoway", index = c("state", "year"), method = "within")
##
```

```
## Balanced Panel: n = 51, T = 23, N = 1173
```

```
##
```

```
## Residuals:
```

```
##      Min.      1st Qu.      Median      3rd Qu.      Max.
## -1.74214787 -0.10125175  0.00072159  0.11297027  0.85853202
```

```
##
```

```
## Coefficients:
```

```
##      Estimate Std. Error t-value Pr(>|t|)
## factor(law)yes -0.027975  0.040421 -0.6921  0.48903
## male           0.064951  0.043652  1.4879  0.13706
## afam           -0.089953  0.102824 -0.8748  0.38186
## cauc           -0.017678  0.025767 -0.6861  0.49282
## log(income)     0.965636  0.237749  4.0616 5.222e-05 ***
## log(density)    -0.395109  0.192023 -2.0576  0.03986 *
## log(prisoners) -0.087352  0.063806 -1.3690  0.17128
```

```
## ---
```

```
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
##
```

```
## Total Sum of Squares: 50.793
```

```
## Residual Sum of Squares: 46.318
```

```
## R-Squared: 0.088114
```


Adj. R-Squared: 0.022205

F-statistic: 4.10456 on 7 and 50 DF, p-value: 0.0012467

Summary required:_____

Coefficient on law: -0.027975 The standard error on law: 0.040421 The t statistic: -0.6921

For definition, the difference is that clustered standard errors are a special kind of robust standard errors that account for heteroskedasticity across “clusters” of observations (such as states, schools, or individuals)

So the final summary of coefficient and its transition after adding control variables and both way fixed effects is:

1. Test 1 with simple linear regression and no controls

Coefficient on law: -0.4734 The standard error on law: 0.04587 The t statistic: -10.32 The F test of all variables: 106.5 on (law)

2. Test 2 with simple linear regression, including controls

Coefficient on law: -0.233392 The standard error on law: 0.032706 The t statistic: -7.136 The F test of all variables: 279.6

3. Test 3 with fixed effects on states (individual), including controls

Coefficient on law: -0.0622328 The standard error on law: 0.0281570 The t statistic: -2.2102

4. Test 4 with fixed effects on states and year (twoway), including controls

Coefficient on law: -0.027975 The standard error on law: 0.028043 The t statistic: -0.9976

5. Test 4 with fixed effects on states and year (twoway), including controls and with robust cluster standard errors on coefficient

Coefficient on law: -0.027975 The standard error on law: 0.040421 The t statistic: -0.6921

First observations: It appears that murder rate (in logs) has a negative relationship with the law pro guns being in place, but as we control for more variables and measure the effect it has had in states that have it and it states that don't over time, this relationship seems to fade away, and a falling T-stat together with standard errors increasing leads us to fail to disprove the null hypothesis, in which the law pro guns does not affect the percentage of murder rates in a state, based in the US data we have.

PART B_____

For all of the regressions above:

- i. Write out the underlying statistical model being estimated.
- ii. Interpret the coefficient on law and comment on its economic significance (i.e., it is a “big” number, regardless of statistical significance).
- iii. Perform a 5% significance test of the variable law

1. Test 1 with simple linear regression and no controls

Coefficient on law: -0.4734 The standard error on law: 0.04587 The t statistic: -10.32 The F test of all variables: 106.5 on (law)

The underlying statistical model being estimated is a simple linear regression between log of murder rates and whether the state has a law against guns present. This model is showing a strong relationship but missing a lot of variables in the way

What -0.4734 means in this scenario is that having a shall carry law for guns in general is associated with a 47.34% percent decrease in murder rates. This is a very significant result, and it seems as if gun laws were completely necessary. Missing other variables will lead us to a misleading conclusion still.

Performing a 5% significance test of the variable, -10.32 is higher than $|1.96|$, so we reject the null hypothesis. And the F test is even higher.

2. Test 2 with simple linear regression, including controls

Coefficient on law: -0.233392 The standard error on law: 0.032706 The t statistic: -7.136 The F test of all variables: 279.6

The underlying statistical model being estimated is still a linear regression with logarithms, but now we are controlling for more variables in order to get a clearer effect of law pro guns in decreasing murder rates.

What -0.233392 means in this scenario is that having a shall carry gun law in general is associated with a 23.39% percent decrease in murder rates, while holding the rest of the variables constant for their effects on murder rates. This is still a pretty high coefficient, and its also saying something similar than part 1 (that laws against gun are effective), but its still not the right way to analyze this problem, because we are still picking up signals that mess up the causal path between murder rates and the law.

Performing a 5% significance test of the variable, -7.136 is higher than $|1.96|$, so we reject the null hypothesis. And the F test is even higher.

3. Test 3 with fixed effects on states (individual), including controls

Coefficient on law: -0.0622328 The standard error on law: 0.0281570 The t statistic: -2.2102

The underlying statistical model being estimated is that now we are including fixed effects on each state, but still compliant with OLS. Now, we are taking differences of our model within states in order to clean up for time-invariant variables, and let us to a clearer connection between law and murder rates. Moreover, still controlling in other variables

What -0.0622328 means in this scenario is that having a shall carry law for guns in general is associated with a 6.22% percent decrease in murder rates, while holding the rest of the variables constant for their effects on murder rates, and accounting for state fixed effects (changes in other variables, seen and unseen). With a little more robustness, we see that the decrease rate is now 6.22%, which is still condirable, but very small in comparison to the first results we obtained.

Performing a 5% significance test of the variable, -2.2102 is higher than $|1.96|$, so we reject the null hypothesis, but by very little.

4. Test 4 with fixed effects on states and year (twoway), including controls

Coefficient on law: -0.027975 The standard error on law: 0.028043 The t statistic: -0.9976

The underlying statistical model being estimated is that now we are including fixed effects on each state, but still compliant with OLS. Now, we are taking differences of our model within states in order to clean up for time-invariant variables, and let us to a clearer connection between law and murder rates. Moreover, now we are also accounting for time fixed effects, which control for underlying observable and unobservable systematic differences between observed time units (years that we have). Moreover, still controlling in other variables

What -0.027975 means in this scenario is that having a shall carry law for guns in general is associated with a 2.79% percent decrease in murder rates, while holding the rest of the variables constant for their effects on murder rates, and accounting for state and time fixed effects (changes in other variables, seen and unseen, through the years of information we have from each state). With a little more robustness, we see that the decrease rate is now 2.79%, very small in comparison to the first results we obtained, and we fail to disprove null. Now, the effect that a law pro guns has in a state in terms of lowering the murder rate is very ambiguous, and in economic terms, its not meaningful to account for.

Performing a 5% significance test of the variable, -0.9976 is less than $|1.96|$, so we fail to reject the null hypothesis

5. Test 4 with fixed effects on states and year (twoway), including controls and with robust cluster standard errors on coefficient

Coefficient on law: -0.027975 The standard error on law: 0.040421 The t statistic: -0.6921

The underlying statistical model being estimated is that now we are including fixed effects on each state, but still compliant with OLS. Now, we are taking differences of our model within states in order to clean up for time-invariant variables, and let us to a clearer connection between law and murder rates. Moreover, now we are also accounting for time fixed effects, which control for underlying observable and unobservable systematic differences between observed time units (years that we have). Moreover, still controlling in other variables. And now, using cluster robust standard errors. When error terms are correlated within clusters but independent across clusters, then regular standard errors, which assume independence between all observations, will be incorrect. Cluster-robust standard errors are designed to allow for correlation between observations within cluster. So its the appropriate one to use with this type of model, giving us a clearer picture of the actual errors.

What -0.027975 means in this scenario is that having a shall carry law for guns in general is associated with a 2.79% percent decrease in murder rates, while holding the rest of the variables constant for their effects on murder rates, and accounting for state and time fixed effects (changes in other variables, seen and unseen, through the years of information we have from each state). With a little more robustness, we see that the decrease rate is now 2.79%, very small in comparison to the first results we obtained, and we fail to disprove null. Now, the effect that a law pro guns has in a state in terms of lowering the murder rate is very ambiguous, and almost non-existent, and in economic terms, its not meaningful to account for.

Performing a 5% significance test of the variable, -0.6921 is less than $|1.96|$, so we fail to reject the null hypothesis

In conclusion: It's not bringing as much benefit as we thought it could to lowering murdering rates, but its not increasing them either (no evidence). So whether they should be in place or not, still ambiguous.

PART c

Think of at least one omitted variable that is solved by the inclusion of state fixed effects. For your answer to be valid three conditions will have to be met:

Variables that vary between states but not over time: Attitudes towards guns and crime, history of criminality, races, quality of police and crime-prevention programs.

- (1) the variable must be correlated with the probability of passing "shall-carry laws";

Attitudes towards guns and crime: since these laws are passed by politicians of the state, whether or not they have laws against guns or pro guns depends on the perspective their locals have, and its often a deal-breaker in terms of democratic leaning in some states. States like Texas are very pro shall-carry laws, and that would carry an omitted variable that we are controlling when controlling for individual states.

Quality of the police and crime-prevention programs: if there is a good policy and strong crime-prevention programs, then the state won't have many issues with allowing a shall-carry law, since crimes aren't really a strong concern for their citizens, and even if the law carried more violence, this force will be rephended by the strongness of their programs.

- (2) the variable must be correlated with the murder rate;

Attitudes towards guns and crime: If the town has a strong attitude about guns not being dangerous for the population, they will want to prove their point and promote a save use of guns in order to keep them legal. So that will drive the murdering rate down just by affecting expectations and crowd psychology.

Quality of the police and crime-prevention programs: if these programs are in place, people are going to have less incentives towards committing a crime, and will have very low murdering rates. As famously said,

the number one prevention against murder is that its illegal, and in states where its strongly enforced, there isn't much place in order for these crimes to happen.

- (3) the variable must be state-specific, but time-invariant. In addition to explaining why it meets conditions (1)-(3), describe the direction of the bias that results from ignoring it.

Attitudes towards guns and crime: Is driving bias up, by shifting estimations down (a higher percentage of murder rates decreased)

Quality of the police and crime-prevention programs: Is driving bias up, by shifting estimations down (a higher percentage of murder rates decreased)

And we can see that, because when we control for these variables using fixed effects by state, the coefficient goes up (closer to zero), meaning that it will make us over-estimate the benefits this law will have in decreasing murdering rates.

PART D

Think of at least one omitted variable that is solved by the inclusion of time fixed effects. A similar set of three conditions to above will have to be met, properly modified for time fixed effects. Also, describe the direction of the bias that results from ignoring your variable.

A national recession can increase crime in all states; from 1977 to 1999 a lot of economic changes happened, including one of the highest inflation rises in the US history.

- (1) the variable must be correlated with the probability of passing "shall-carry laws";

When economic conditions deteriorate in the US, politicians shift focus to helping unemployed citizens, and the conversation about shall-carry laws become less important. Thus, the amount of states promoting these laws will diminish.

- (2) the variable must be correlated with the murder rate;

An economic decline through those years could have caused more households to not pay their bills because they cannot afford it, and some of them start committing crimes in order to sustain a living. The more crime, the more violence is there and thus murdering rates.

- (3) the variable must be state-specific, but time-invariant. In addition to explaining why it meets conditions (1)-(3), describe the direction of the bias that results from ignoring it.

Every state suffers an economic depression differently, thus we will see some states being affected by the economic situation more than others. But in general, the direction of the bias will be similar to the ones that we mentioned for the last section, bias going up by the coefficient going down further. We also see the drop in law coefficient when we add time fixed effects, and it could be connected to this reason.

PART E

Think of a variable that is not included in this regression and is also not solved by including state level or time fixed effects. In what direction will this variable bias the regression?

Differences in the formulation of "shall carry" laws. Whether a law exists or not is a big generalization in terms of discussing whether murdering rates go up and down. Some laws allow for bigger guns and less requirements to obtain a licence (meaning that almost everyone could get a gun), while others are very strict (fewer number of permits are given, and only given when the citizen is completely compliant with all the requirements to have a gun). Studying the flexibility of these laws will be key in order to figure out if these laws actually help in reducing murdering rates or no.

In terms of the things we needed last section:

1. It is correlated with “murder rate” because strong restrictions will decrease the amount of people that would have a gun in comparison to a state with softer laws (reducing incentives by a lot), and give it to folks who have no reason at all to not give a gun to.
2. It is correlated with laws because it is easier for a population to accept strict gun controls in some states than softer laws.
3. thus, the bias direction is ambiguous, depending on the state, but this categorical variable of the details of the law is not included, and maybe we could have a more insightful view by not generalizing gun laws into an study like this.