test_sauvegarde_reprise

October 15, 2022

1 Test de la sauvegarde-reprise

[1]:
```
import sys
import os

lib_path = os.path.realpath(os.path.join(os.getcwd(), ".."))
if lib_path not in sys.path:
    sys.path = [lib_path] + sys.path
savefig_path = os.path.join(lib_path, "figures/")
save_fig = True
```

[2]:
```
from src.main_discontinu import *
from src.plot_fields import *
from src.time_problem import *
from src.plot_stats import *

%matplotlib widget
rc("figure", figsize=(10, 5))
rc("figure", dpi=100)
rc("font", size=18)
rc("legend", fontsize=16)
rc("text.latex", preamble=r"\usepackage{siunitx}")
```

1.1 Test avec la formulation TOF

Ici on va réaliser une simulation jusqu'à t_0, la sauvegarder et la reprendre pendant à nouveau un temps t_0, et comparer les réslutats avec ceux obtenus en lançant d'une traite la même simulation pendant $2t_0$.

La résolution se fait à chaque fois en Quick avec Euler explicite en temps.

[3]:
```
n_lim = 10**8
t_0 = 0.02
```

[4]:
```
# d = 6./100*Delta/2.
dx = 0.06 / 30.0
```

```
phy_prop_conv = PhysicalProperties(
    Delta=1.0,
    v=1.0,
    dS=0.005**2,
    lda1=1.0,
    lda2=1.0,
    rho_cp1=1.0,
    rho_cp2=1.0,
    diff=1.0,
    alpha=0.06,
    a_i=357.0,
)
num_prop_quick = NumericalProperties(
    dx=dx,
    schema="quick",
    time_scheme="euler",
    phy_prop=phy_prop_conv,
    cfl=0.3,
    fo=0.3,
)
markers = Bulles(phy_prop=phy_prop_conv, n_bulle=1)
```

[5]:
```
prob_quick_debut = TimeProblem(
    get_T_creneau, markers=markers, phy_prop=phy_prop_conv,␣
 ↪num_prop=num_prop_quick
)
t, e = prob_quick_debut.timestep(
    t_fin=t_0,
    n=n_lim,
    number_of_plots=1,
    plotter=Plotter("decale", ispretty=True),
)
prob_quick_debut.save()

prob_quick_fin = TimeProblem(
    get_T_creneau, markers=markers, phy_prop=phy_prop_conv,␣
 ↪num_prop=num_prop_quick
)
prob_quick_fin.load(t_fin=t_0)
t, e = prob_quick_fin.timestep(
    t_fin=2 * t_0 - prob_quick_fin.problem_state.time,
    n=n_lim,
    number_of_plots=1,
    plotter=Plotter("decale", ispretty=True),
)

prob_quick_total = TimeProblem(
```

```
    get_T_creneau, markers=markers, phy_prop=phy_prop_conv,␣
 ↪num_prop=num_prop_quick
)
t, e = prob_quick_total.timestep(
    t_fin=2 * t_0,
    n=n_lim,
    number_of_plots=1,
    plotter=Plotter("decale", ispretty=True),
)
```

```
TOF
===
dt fourier
1.2e-06
Db / dx = 30
Monofluid convection :  quick

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dt fourier
1.2e-06
Db / dx = 30
Monofluid convection :  quick
Liste des simus similaires :
['../References/TOF, euler, quick, dx = 0.002, dt = 1.2e-06, cfl =
0.0006_t_0.019999.pkl']
Loading ======> ../References/TOF, euler, quick, dx = 0.002, dt = 1.2e-06, cfl =
0.0006_t_0.019999.pkl
remaining time to compute : 0.000001
Liste des simus similaires :
['../References/statistics_TOF, euler, quick, dx = 0.002, dt = 1.2e-06, cfl =
0.0006_t_0.019999.pkl']

TOF
===
dt fourier
1.2e-06
Db / dx = 30
Monofluid convection :  quick
```
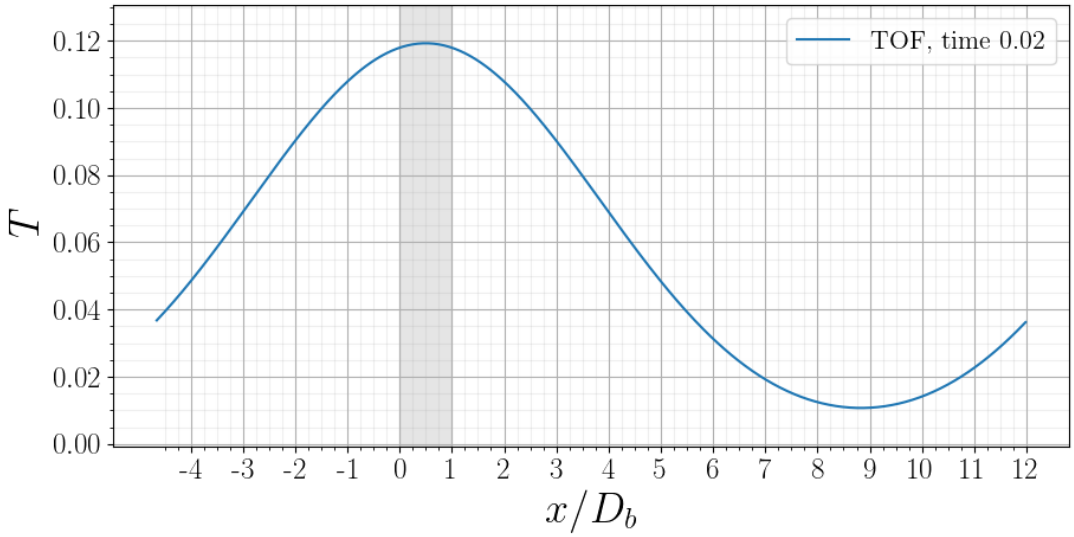
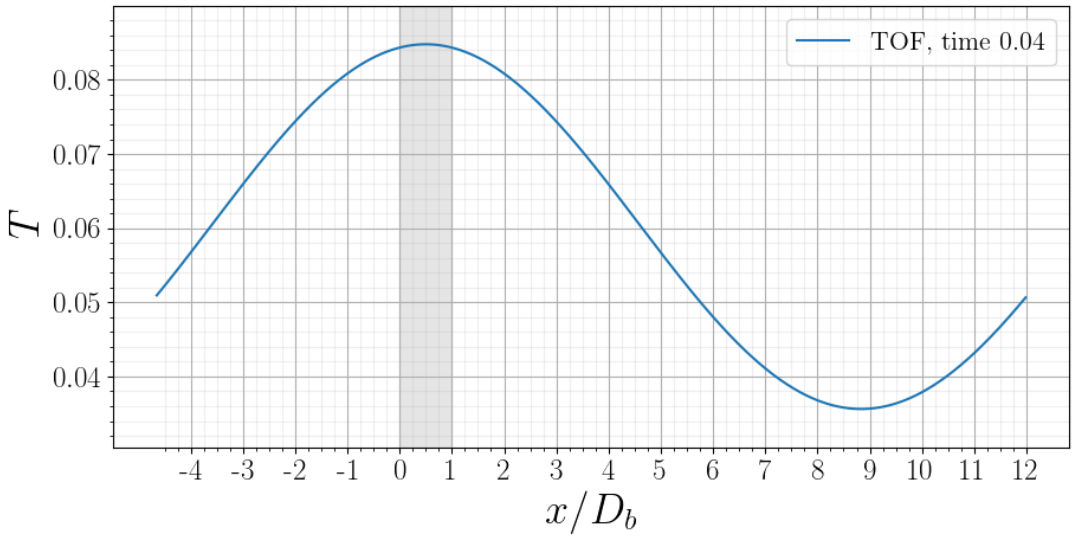
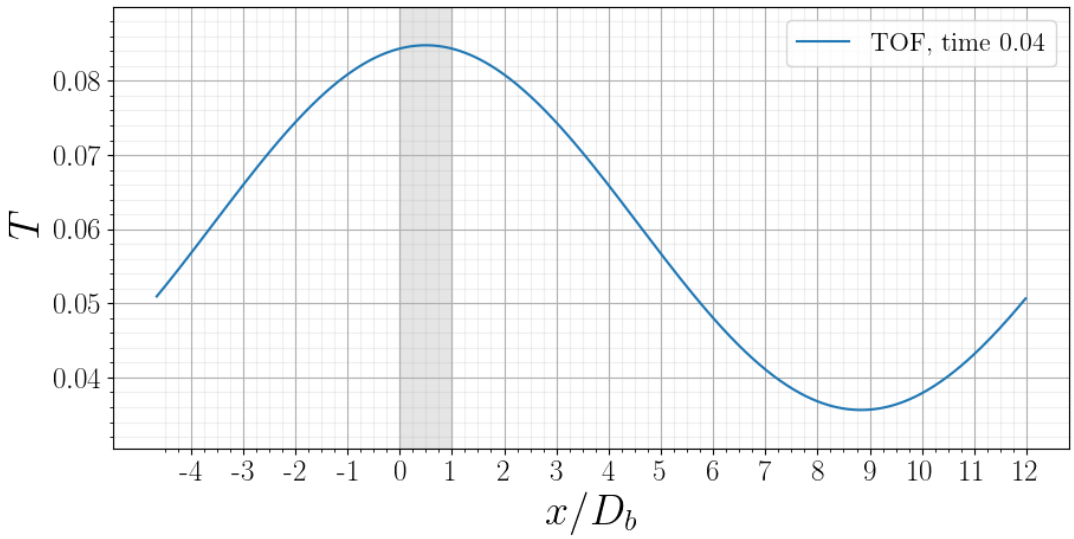
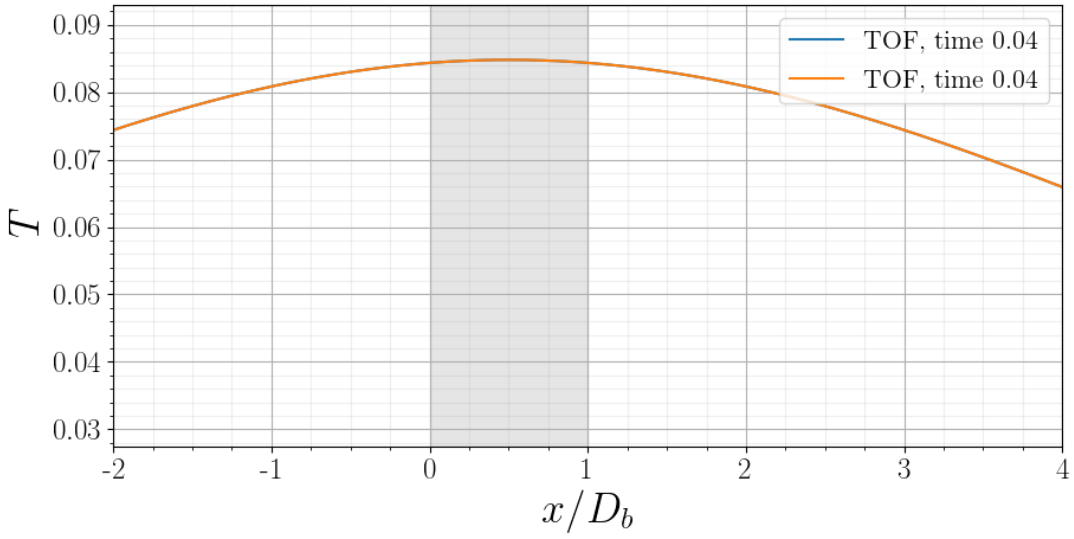


TOF, time 0.02
0.12
0.10
0.08
0.06
0.04
0.02
0.00
T
-4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10 11 12
x/D_b


TOF, time 0.04
0.08
0.07
0.06
0.05
0.04
T
-4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10 11 12
x/D_b



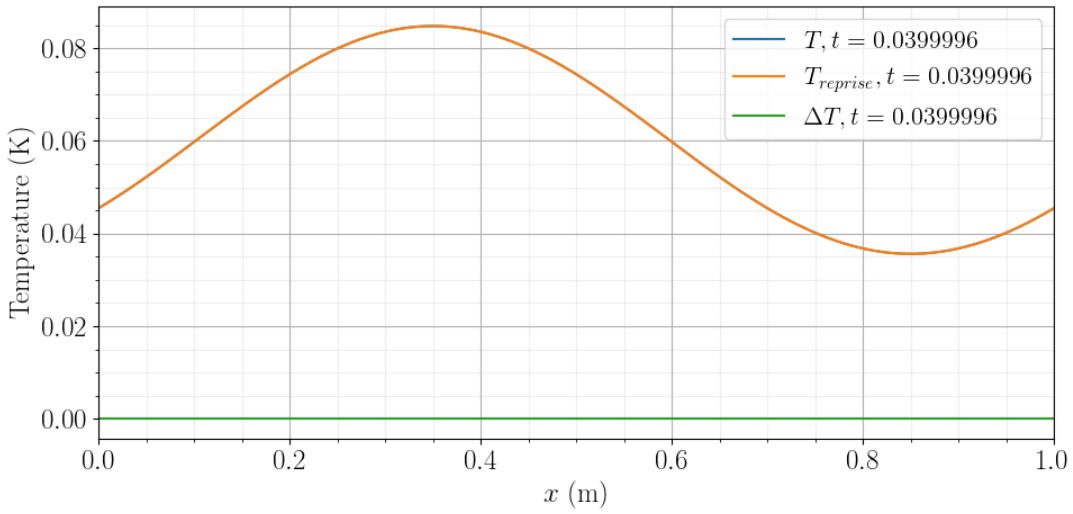
[6]:
```
plot = Plotter("decale", ispretty=True, zoom=(-2, 4))
plot.plot(prob_quick_fin.problem_state)
plot.plot(prob_quick_total.problem_state)
```

[6]: '#ff7f0e'



[7]:
```
fig, ax = plt.subplots()
pbtot = prob_quick_total.problem_state
```

```
pbfin = prob_quick_fin.problem_state
ax.plot(pbtot.x, pbtot.T, label=r'$T, t = %g$' % pbtot.time)
ax.plot(pbtot.x, pbfin.T, label=r'$T_{reprise}, t = %g$' % pbtot.time)
ax.plot(pbtot.x, pbtot.T - pbfin.T, label=r'$\Delta T, t = %g$' % pbtot.time)
ax.legend()
ax.minorticks_on()
ax.grid(visible=True, which='major')
ax.grid(visible=True, which='minor', alpha=0.2)
ax.set_xlim(0.,1.)
ax.set_xlabel(r'$x$ (m)')
ax.set_ylabel(r'Temperature (K)')
fig.tight_layout()
fig.savefig(os.path.join(os.getcwd(), '../figures/', 'sauvegarde_reprise/deltaT.
 ↪pdf'))
```

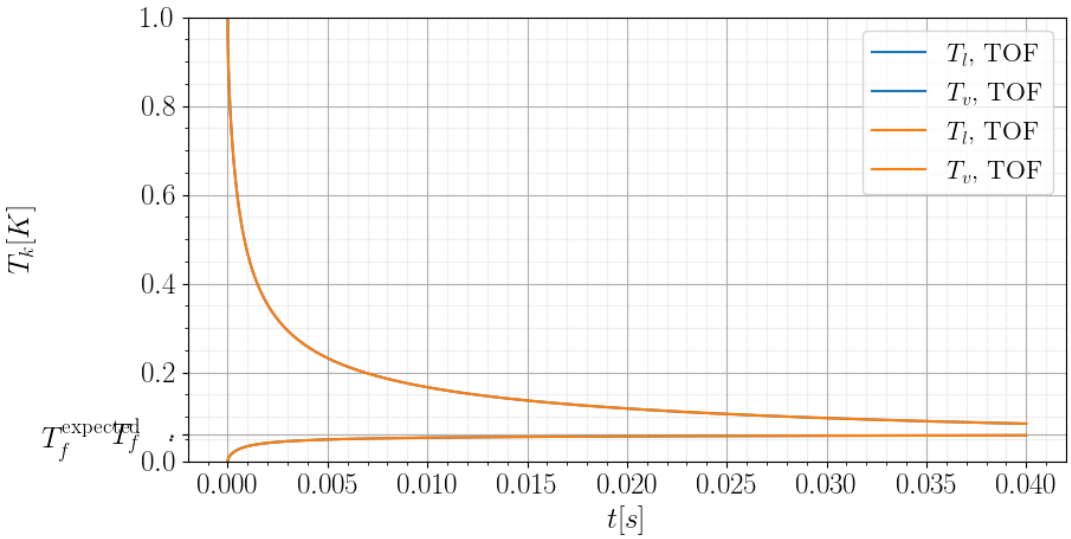


[8]:
```
plot_T = TemperaturePlot()
plot_T.plot_tpb(prob_quick_fin)
plot_T.plot_tpb(prob_quick_total)
plot_T.add_T_final()
plot_T.ax.set_ylim(0, 1)
```

```
$T_l$, TOF
==========
dT/dt = 0.201699

$T_v$, TOF
==========
dT/dt = -3.15995
```

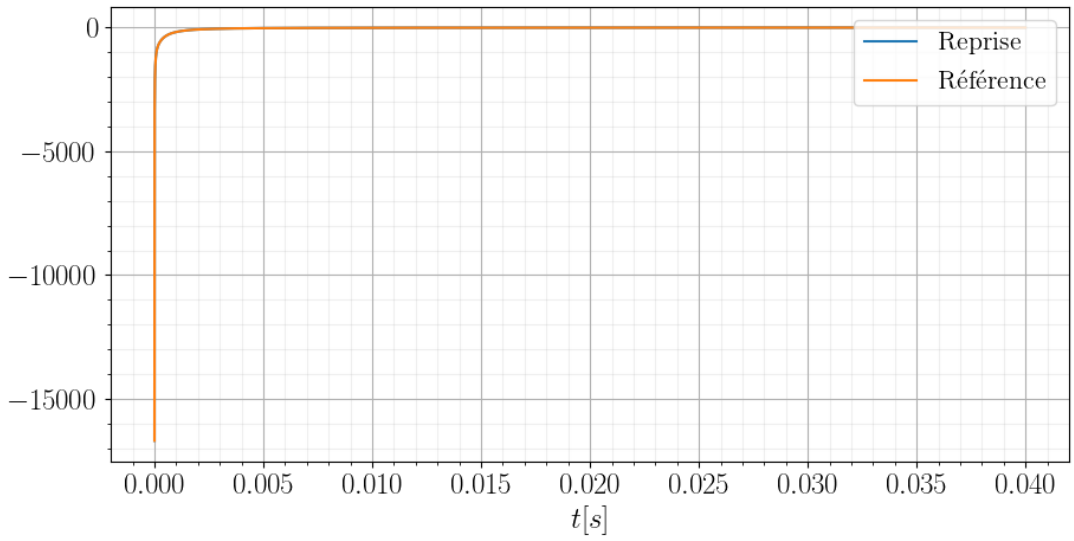
```
$T_l$, TOF
==========
dT/dt = 0.201699

$T_v$, TOF
==========
dT/dt = -3.15995
```

[8]: (0.0, 1.0)



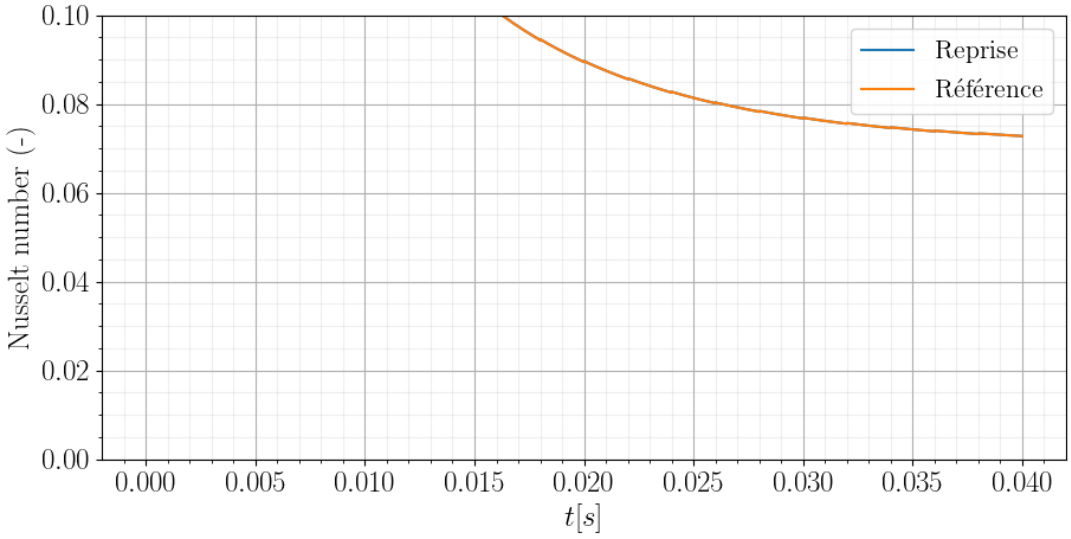
[9]:
```
def plot_dTdt(stat, plot, **args):
    dTdt = np.gradient(stat.Tv, stat.t)
    plot.ax.plot(stat.t, dTdt, **args)
```

[10]:
```
plot_dT = TimePlot()
plot_dTdt(prob_quick_fin.stat, plot_dT, label="Reprise")
plot_dTdt(prob_quick_total.stat, plot_dT, label="Référence")
le = plot_dT.ax.legend()
plot_dT.fig.tight_layout()
```



[11]:
```python
def compute_nu(stat, phy_prop):
    dTdt = np.gradient(stat.Tl, stat.t)
    DeltaT = stat.Tv - stat.Tl
    nu = (
        phy_prop.rho_cp1
        * dTdt
        * phy_prop.Delta
        * phy_prop.alpha
        / (2.0 * phy_prop.lda1 * DeltaT)
    )
    return nu
```

[12]:
```python
plot_Nu = TimePlot()
plot_Nu.ax.plot(
    prob_quick_fin.stat.t,
    compute_nu(prob_quick_fin.stat, phy_prop_conv),
    label=r"Reprise",
)
plot_Nu.ax.plot(
    prob_quick_total.stat.t,
    compute_nu(prob_quick_total.stat, phy_prop_conv),
    label=r"Référence",
)
plot_Nu.ax.legend()
plot_Nu.ax.set_ylim(0.0, 0.1)
plot_Nu.ax.set_ylabel(r"Nusselt number (-)")
plot_Nu.fig.tight_layout()
```


Reprise
Référence
Nusselt number (-)
0.10
0.08
0.06
0.04
0.02
0.00
0.000
0.005
0.010
0.015
0.020
0.025
0.030
0.035
0.040
$t[s]$