

V51 Circuits with operational amplifiers

Abstract

In this experiment, basic circuits with operational amplifiers are set up and their characteristics are determined. The differences between a real and an ideal operational amplifier, as well as some possible applications and limitations, are to be clarified.

References

- [1] Horowitz and Hill, *The art of electronics* Cambridge
- [2] Joachim Frederau, *Operationsverstärker*, Springer (2017)
- [3] Ludwig Brabetz, *Gleichstromnetze, Operationsverstärkerschaltungen, elektrische und magnetische Felder*, DeGruyter (2015)
- [4] Jerald G. Graeme, *Operational amplifiers*, McGraw-Hill (1971)

Preparation

Hundreds of different types of **OP**erational **Amplifiers** (OP-Amp) are available. So it is absolutely necessary to know the pin configuration of the LM741 from the data sheet.¹ If you can answer the following questions and calculate the values from the preparation you are ready to do the experiment.

- What is the pin configuration of a LM741 in a DIL8 housing?
- Why are the two supply voltages used symmetrically around 0V in most cases? What happens if the two voltages are not exactly opposite and equal?
- What differences between ideal and real operational amplifier exists?
- Illustrate how to set up a circuit on a breadboard (use Figure 1) by sketching a circuit of an inverting amplifier.
- What is common mode suppression?
- How are amplification and output bandwidth related?
- What is meant by the term positive and negative feedback?
- Show by calculation that an operation amplifier can be used to integrate and differentiate a voltage. What is the frequency behaviour in each case?

¹The company of the data sheet is not relevant.

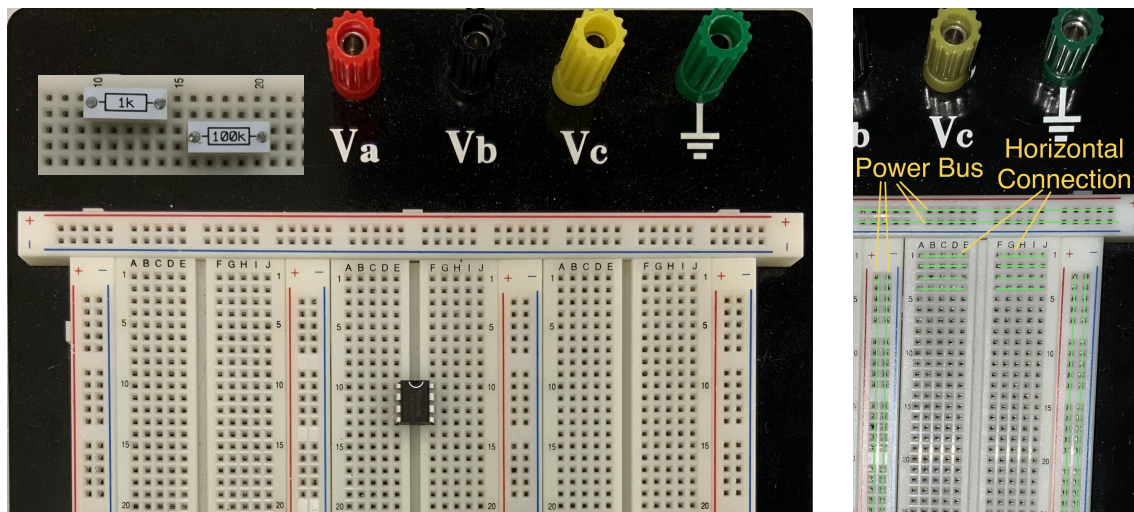


Figure 1: left: Breadboard with a LM741. The inset shows the dimension of the resistors used in the experiment. right: Detail of the breadboard. The green lines display the connected contacts of the breadboard.

- How does the **characteristic of a Schmitt trigger** with positive feedback look like? Evaluate the **switching point** and the **threshold value**.
- What **signal curve** results when the feedback of the Schmitt trigger is an **integrator**?
- What is the **theoretical value of the oscillation frequency** generated in the circuit in Fig. 7?
- Which **DGL** describes the **voltage curve** at the output of the **oscillation generator** in Fig. 8 at the point U_a ?

Experimental setup and Measurements

The different circuits you have to built are set up on a breadboard shown in Figure 2. The electronic components as resistors, OP-Amps plug directly in the sockets of the bread board and thus no soldering is necessary. As shown in Figure 2 there are **vertical connections which are used for power and ground**. Divided by a centering line there are **horizontal connected** sockets marked with **a - e** and **f - j**, respectively. Components which are in the **same row** will be connected. For further connections use the **breadboard jumper wires**. To run the different circuits a **function generator**, a **power supply**, a **multimeter**, an **oscilloscope** and several other electronic components are supplied. Note



Figure 2: Devices used in the experiment.

the **direction of the notch** on the OP-Amp in order to correctly assign the contacts. The OP-Amp can be destroyed if the connections are incorrect!!!

Inverting amplifier

Set up the circuit of an inverting amplifier shown in Figure 3. Measure with $R_1 = 1\text{ k}\Omega$ and $R_2 = 100\text{ k}\Omega$ the frequency dependence of the **amplitude** (Gain) and the **phase** over several decades. Plot the results in a **double logarithmic diagram** (Bode plot). Extract with a fit the **amplification, Cutoff frequency and bandwidth** from the plot.

Repeat the measurements for at least **two more amplifications**.

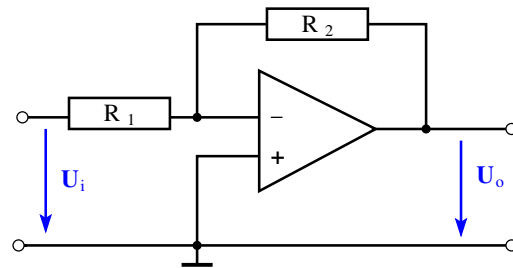


Figure 3: Circuit of an inverting OP-Amp

Integrator

Set up the reverse integrator shown in Figure 4 with $R = 10\text{ k}\Omega$ and $C = 100\text{ nF}$. Check whether the chosen **time constant is reasonable**. Measure the **input voltage** and the **output voltage** as a function of the **frequency** and plot the data in a **double logarithmic diagram**. Compare the result with your **calculation** (preparation).

Display the output signals for an initial **triangular and rectangular input signal**. Make sure that the input voltage does **not contain any DC voltage components**.

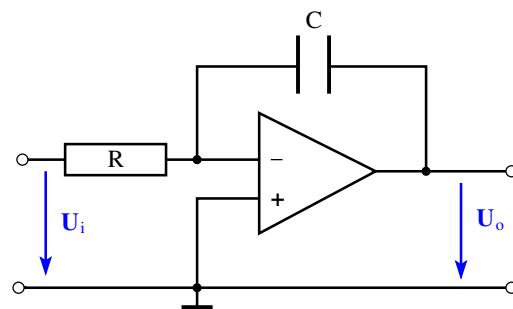


Figure 4: Circuit of an Integrator

Differentiator

Set up a differentiator with $R = 100\text{ k}\Omega$ and $C = 22\text{ nF}$ as shown in Figure 5. Proceed with the measurements analogously to the analysis of the integrator.

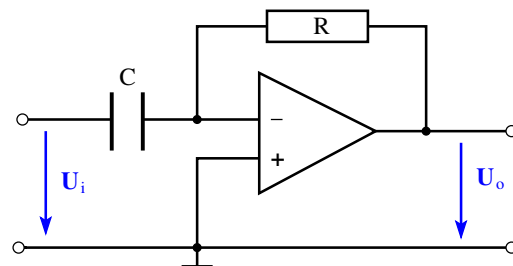


Figure 5: Circuit of an Differentiator

Schmitt Trigger

Set up the circuit of a Schmitt Trigger with $R_1 = 10\text{ k}\Omega$ and $R_2 = 100\text{ k}\Omega$ shown in Figure 6. Starting from 0 V , increase the amplitude in steps of a few mV . Use the oscilloscope to determine the peak value at which the circuit just begins to tilt. An alternative method to determine the peak value is to use a triangle input signal with a higher amplitude than the threshold. Measure with this method several points where the circuit starts to tilt and average over them.

Note there is a hysteresis curve between input and output voltage. Store synchronously data of input and output voltage on the oscilloscope. Compare the breakdown voltage /peak voltage with the theoretical predicted value (preparation).

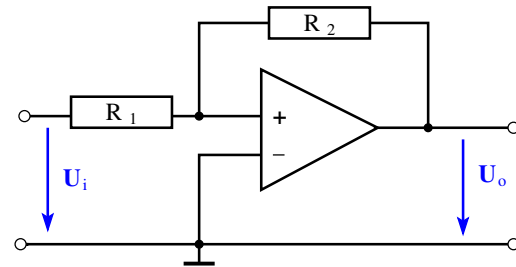


Figure 6: Circuit of a Schmitt Trigger

Generator

Set up the circuit of a generator shown in Figure 7. Use the following components for the

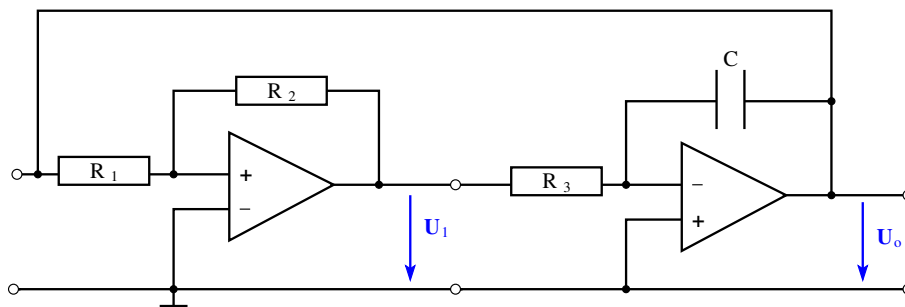


Figure 7: Circuit of an Generator

generator: $R_1 = 10\text{ k}\Omega$, $R_2 = 100\text{ k}\Omega$, $R_3 = 1\text{ k}\Omega$ and $C = 1\text{ }\mu\text{F}$. The system starts spontaneously to oscillate and generates a triangular signal U_a with frequency

$$\nu_a = \frac{R_2}{4 C R_1 R_3} \quad (1)$$

and amplitude

$$U_0 = U_{max} \frac{R_1}{R_2} \quad (2)$$

Using the oscilloscope, measure the signals U_1 and U_a and compare the frequency and the amplitudes with the theoretical values.

Generator with varying amplitudes

Set up the circuit of a generator with varying amplitude shown in Figure 8. A good choice

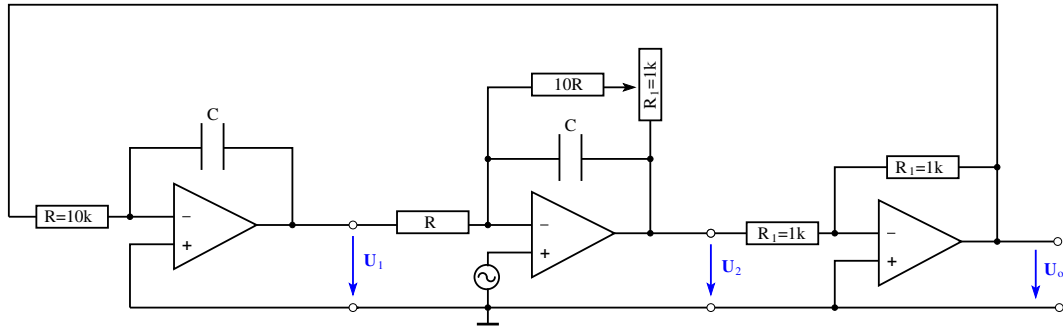


Figure 8: Circuit of an Generator for varying amplitudes

for the capacitor C are the values $C = 22 \text{ nF}$ or $C = 100 \text{ nF}$. Show experimentally that the following holds

$$T = 2\pi RC \quad (3)$$

$$\tau = \frac{20RC}{|\eta|} \quad (4)$$

for the period of oscillation T and the decay-time τ . The damping factor η represents the fraction of the output voltage U_a which is applied to the input of the second op-amp. Its value can be varied by the potentiometer P between -1 and 1 .

In case of $\eta < 0$, a damped oscillation is to be recorded with an oscilloscope. Due to the damping, you must feed a square wave voltage into the non-inverting input of the second op-amp, as the system does not start to oscillates on its own.

Measure the damping of the oscillation, plot the result in a semi-logarithmic diagram and determine τ . Compare it with the theoretical value.

In case of $\eta > 0$ the circuit will oscillate. Measure the period of oscillation and compare it with the theoretical value.