

Datas

1 Assumptions

Notation	Definition (according to [?])	Value
U	Total aqueous humor	
F_h	Fluid inflow in posterior chamber	mean daily value : $2.4\text{mm}^3/\text{min}$ datas : $2.1 - 4.0\text{mm}^3/\text{min}$
F_e	net inflow via trabecular path	
p	IOP	$14 - 30\text{mmHg}$
R	output hydraulic resistance	$2.5-5\text{mmHgmin}/\text{mm}^3$ [?] $4\text{mmHgmin}/\text{mm}^3$ (mean) [?]
p_e	pressure in the episcleral veins	$4 - 8 \text{ mmHG}$
p_a	pressure in the ciliary body capillaries we can find it by using the formula $p_a = 1/3\text{MAP}$ REF?	$30 - 35\text{mmHg}$ [?] HBP : 35.5mmHg – NBP : 31.1mmHg LBP : 26.6mmHg
L_p	permeability of the equivalent membrane	$0.3\text{mm}^3/\text{minmmHg}$
$\Delta\Pi_p$	osmotic pressure diff. accross membrane (proteins)	$\approx 25\text{mmHg}$
$\Delta\Pi_s$	osmotic pressure diff. accross membrane (low molecular component)	$-400 - -450\text{mmHg}$
σ_p	reflection coeff. (proteins)	1
σ_s	reflection coeff. (low molecular components)	must range 0.02–0.2
C_{p1}	proteins concentration at membrane output (blood plasma)	$\approx 7\text{g/dl}$
C_{p2}	proteins concentration at membrane output (aqueous humor)	≈ 0
C_p	proteins concentration	$\equiv C_{p1}$
ρ	universal gas constant \times absolute temperature	$8.31 \times 300\text{J/mol}$ 2493N.m/mol
C_1	total molar concentration of low-molecular components (blood)	$306.64.10^{-3}\mu\text{mol}/\text{mm}^3$??[?]
C_2	total molar concentration of low-molecular components (intra-ocular fluid near ciliary body surface)	
C_2^0	Initial possible value of C_2	$325.02\mu\text{mol}/\text{mL}$ $= 325.02.10^{-3}\mu\text{mol}/\text{mm}^3$ [?]
Q_s	Flux of these low-molecular components	
J	Influx due to active transport	$\approx 0.04-0.18\mu\text{mol}/\text{min}$
ξ_s	average permeability of membrane for low-molecular species	
\bar{C}	$\frac{C_1 + C_2}{2}$	

2 Mathematical model

$$\frac{dV}{dt} = L_p ((p_a - p) - \sigma_p \Delta\Pi_p - \sigma_s \rho (C_1 - C_2)) - \frac{p - p_e}{R}$$

$$f(v, p) = 0$$

$$V^* \frac{dC_2}{dt} = -\xi_s(C_2 - C_1) + J + (1 - \sigma_s) L_p ((p_a - p) - \sigma_p \Delta \Pi_p - \sigma_s \rho (C_1 - C_2)) \frac{C_1 + C_2}{2}$$

Resolution ? (stationary state ?)

$$p \left(L_p + \frac{1}{R} \right) = L_p (p_a - \sigma_p \Delta \Pi_p - \sigma_s \rho C_1) + \frac{p_e}{R} + \sigma_s \rho C_2$$

$$p = \alpha_1 + \alpha_2 C_2$$

$$\alpha_1 = \frac{1}{L_p + \frac{1}{R}} \left(L_p (p_a - \sigma_p \Delta \Pi_p - \sigma_s \rho C_1) + \frac{p_e}{R} \right)$$

$$\alpha_2 = \frac{\sigma_s \rho}{L_p + \frac{1}{R}}$$

$$\Delta \Pi_s = \rho (C_1 - C_2)$$

then

$$C_1 = \frac{\Delta \Pi_s}{\rho} + C_2$$

Resolution : non stationary state ?

$$V = V_0 + \alpha(p - \beta) - \beta P$$

$$\frac{dV}{dt} = \alpha \frac{dp}{dt}$$

But we're gonna go with ODE system

$$\alpha \frac{dp}{dt} = f(p, C_2)$$

with

$$V^* \frac{dC_2}{dt} = g(p, C_2)$$

3 values

L_p	$0.3mm^3$
σ_p	1
σ_s	0.02-0.2
$p = p(R)$	
C_1	??
??	$2.5 - 5 \text{ mmHg min} / \text{mm}^3$
?????? d30c0c707ca6ead34131d29007f34f702bac5546 V^*	volume of intraocular fluid between the folds of the c

Notation	Definition (according to [?])	Value
$2l$	characteristic distances between the folds of strongly convoluted surface of the ciliary body	$100\mu\text{m}$
D	diffusion coefficient (low molecular species in water)	$\approx 10^{-9}\text{m}^2/\text{s}$
T_1	characteristic time of diffusion mixing ($T_1 = l^2/D$)	$< 2.5 \approx 1$
T_2	dwelt time of fluid between the folds of ciliary body ($T_2 = V^*/F_h$)	$\approx 10\text{min}$
V_1	volume of posterior chamber	$\approx 60\text{mm}^3$
T_3	dwelt time in the posterior chamber ($T_3 = V_1/F_h$)	$\approx 25\text{min}$
L	characteristic distance covered by the fluid in posterior chamber	$\approx 1\text{cm}$
T_4	diffusion time in the posterior chamber ($T_4 = L^2/D$)	$\approx 2 \times 10^2\text{min}$
Q_e	solute outflow from V^* into the posterior chamber	
V_2	volume of solid structure	
V_3	volume of blood in blood vessels and choroids	
S	area of the posterior chamber-facing secreting surface of the ciliary body	6mm^2
ξ_0	epithelial membrane permeability coeff. for low-molecular admixture per unit area ($\xi_0 = \xi/S$)	10^7m/s
α	volume compliance of the eye shell (varies significantly)	$1\text{mm}^3/\text{mmHg}$
τ	characteristic time of transient processes for hydrodynamic quantities (if $\Delta\Pi_s = Ct$)	$\approx 1\text{min}$ (or somewhat higher)

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4 Goal

1. Paper values $\rightarrow p$
2. R, L_p, σ_s
3. as 2/ for $p_a = 20 \dots 40$
4. $R = R(p)$
5. V_3 choroid
6. connect with retina

Here is change

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Now in the general case where $\Delta\Pi_s$ varies

τ_c	characteristic time (stabilization of the concentrations) (if $\Delta\Pi_s$ varies)	an order greater than τ <i>need checking</i>
F_h^*	characteristic influx rate	$\approx 2.4\text{mm}^3/\text{min}$
p_t	amplitude of $p(\omega)$	
$\Delta\phi$	phase shift relative to the forcing action	