# IMPERIAL

# Efficient Implementation of LLMs: An ECOC-based approach to reducing the vocabulary bottleneck

Harsh Rajiv Agarwal - MSc Computing (AI/ML)

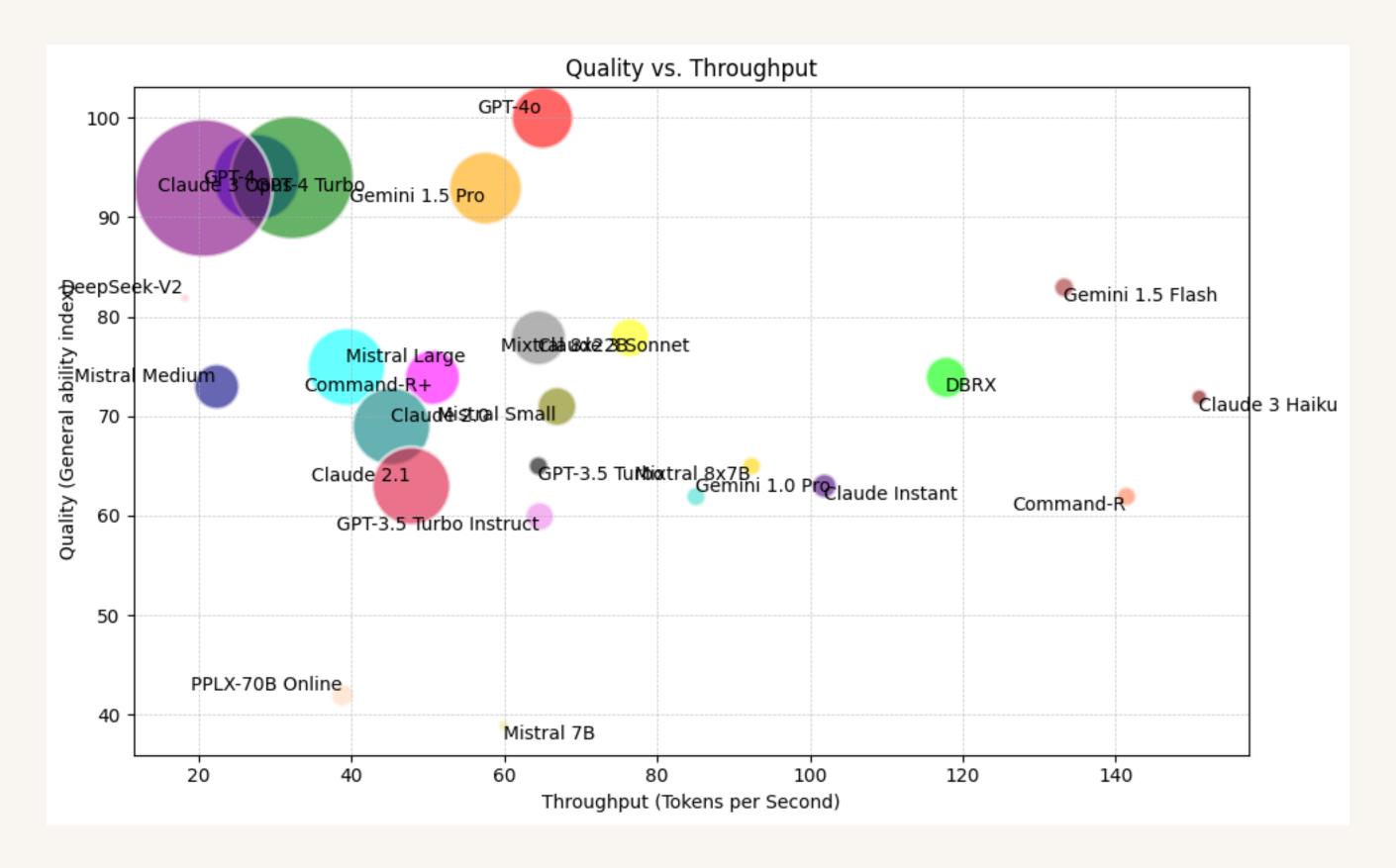
<u>Supervisors</u>: Dr Tolga Birdal & Dr Cemre Zor (Amazon Web Services)

13th September 2024

#### **AGENDA**

- 1. Motivation
- 2. Background Existing Techniques & Drawbacks
- 3. Background ECOC & Design Strategies
- 4. Proposed ECOC-based Architecture
- 5. Fine-tuning Setup
- 6. Experimental Analysis
  - a. Protocol 1 Comparison of different configurartions
  - b. Protocol 2 Effect of intermediate layer dimension
  - c. Protocol 3 Effect of different codeword length
  - d. Protocol 4 Varying different decoder backbones
- 7. Conclusion
- 8. Future Considerations

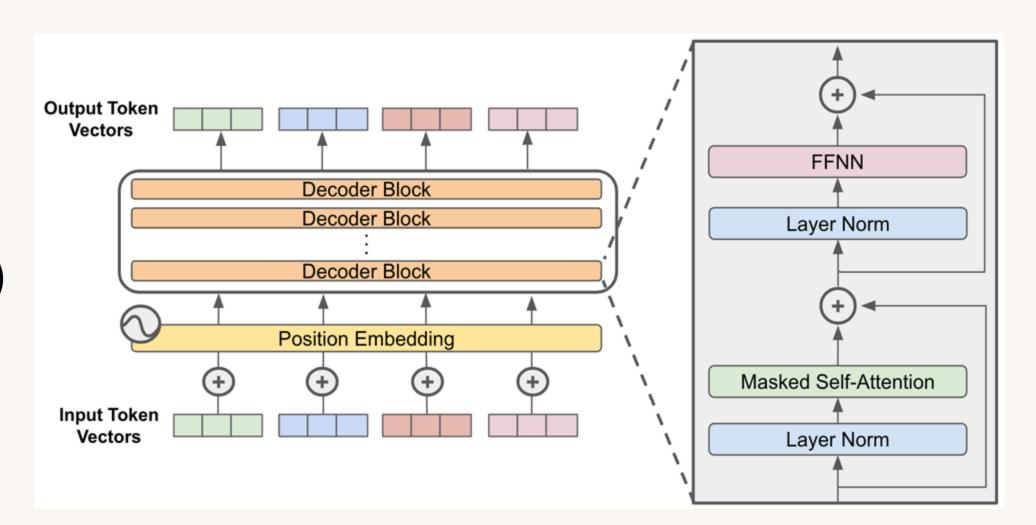
## MOTIVATION



Data Source: <a href="https://artificialanalysis.ai/models">https://artificialanalysis.ai/models</a>

#### MOTIVATION

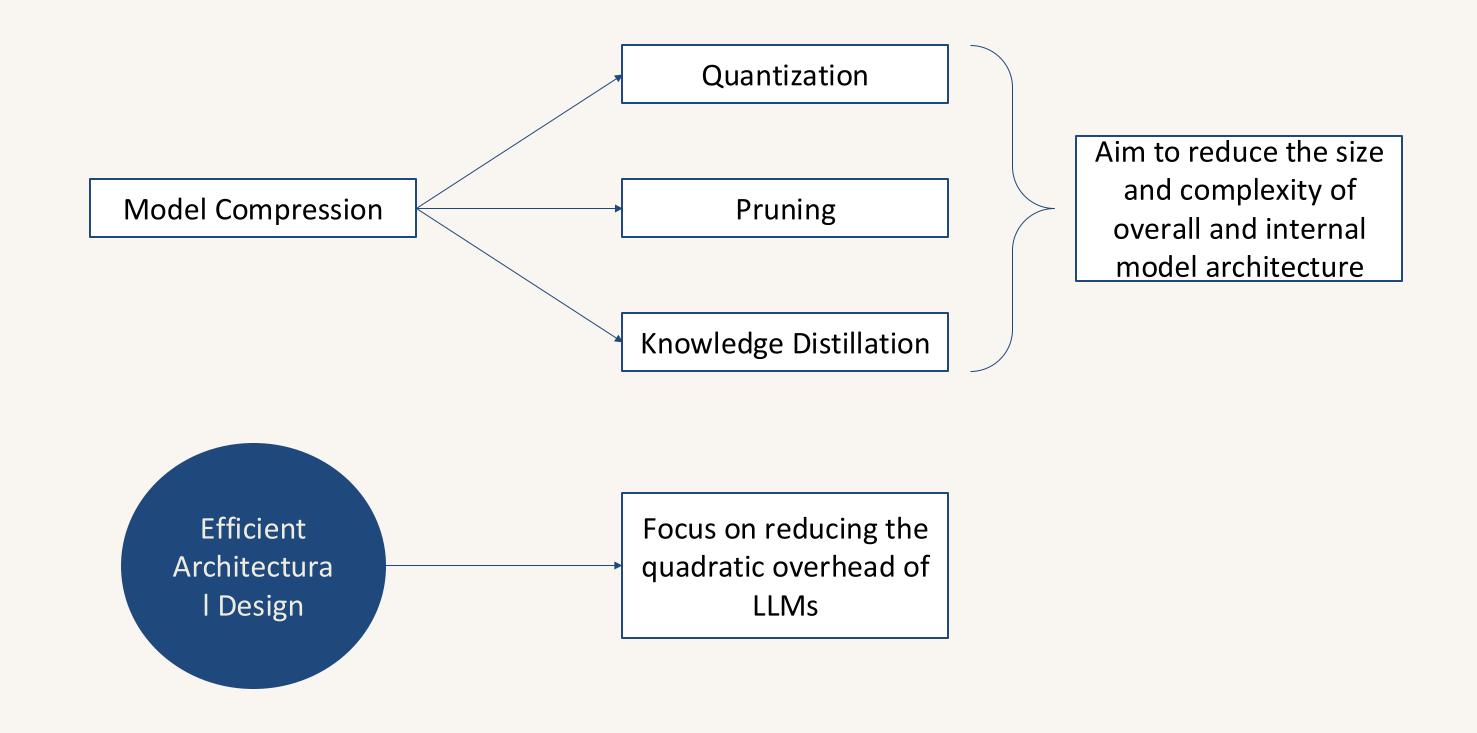
- LLMs have deep architectures comprising of:
  - Decoder layers relying on multihead attention and feed-forward networks.
    - Time complexity is O(LSd(d + S))
  - o LM head, which projects hidden states to a large vocabulary.
    - Time complexity is \$O(SdV)



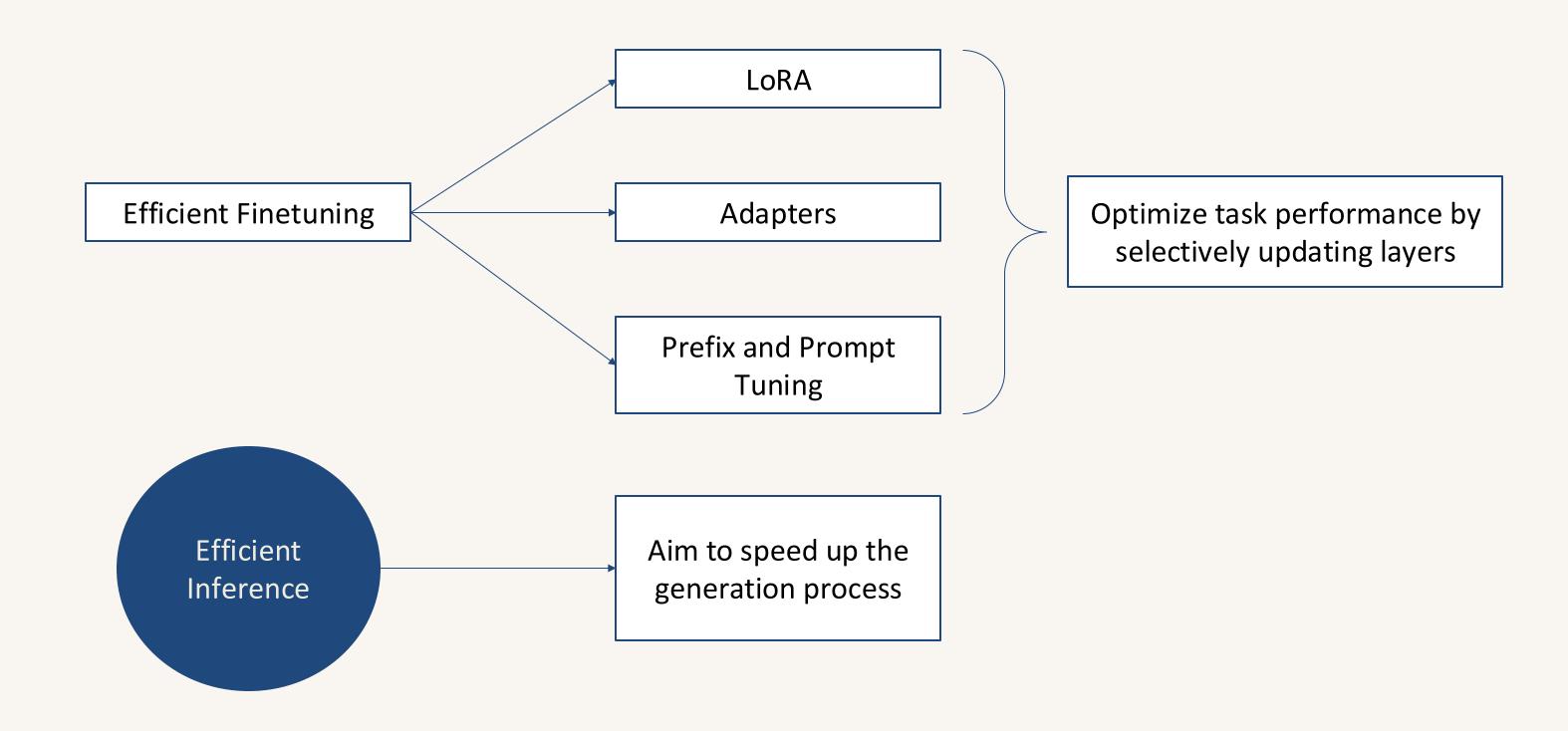
 The term "Sd" contributes significant overhead to both complexities. However, for large vocabularies V > L(d + s)

Image Source: Internet

EXISTING TECHNIQUES & DRAWBACKS



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#### EXISTING TECHNIQUES & DRAWBACKS

- Vocabulary Reduction: Approaches by [1] and [2] reduce vocabulary size using token frequency, semantics, and domain importance.
- Word Embedding Compression: Techniques such as K-way coding and binarization reduce embedding size by up to 98% without losing accuracy. [3-6] explore discrete code learning and binarization.
- Dynamic Compression: [7] adaptively compresses word embeddings based on task relevance using variable-length codes.

<sup>[1]</sup> Nikolay Bogoychev, Pinzhen Chen, Barry Haddow, and Alexandra Birch. 2024. The Ups and Downs of Large Language Model Inference with Vocabulary Trimming by Language Heuristics. In Proceedings of the Fifth Workshop on Insights from Negative Results in NLP. ACL.

<sup>[2]</sup> Asahi Ushio, Yi Zhou, and Jose Camacho-Collados. 2023. Efficient Multilingual Language Model Compression through Vocabulary Trimming. In Findings of the ACL: EMNLP 2023.

<sup>[3]</sup> Ting Chen, Martin Rengiang Min, and Yizhou Sun. Learning k-way d-dimensional discrete codes for compact embedding representations. In ICML 2018.

<sup>[4]</sup> Julien Tissier, Christophe Gravier, and Amaury Habrard. Near-lossless binarization of word embeddings. In Proceedings of the AAAI Conference on Artificial Intelligence, 2019.

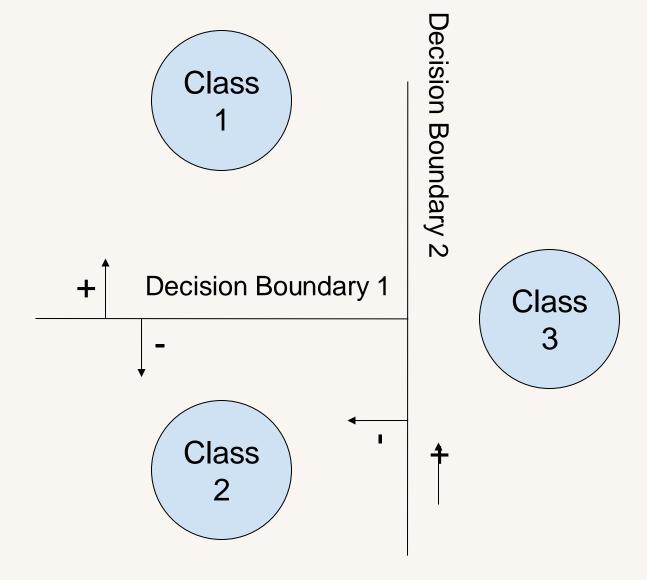
<sup>[5]</sup> Samarth Navali, Praneet Sherki, Ramesh Inturi, and Vanraj Vala. Word embedding binarization with semantic information preservation. In Proceedings of the 28th ICCL, 2020.

<sup>[6]</sup> Siyu Liao, Jie Chen, Yanzhi Wang, Qinru Qiu, and Bo Yuan. Embedding compression with isotropic iterative quantization. In Proceedings of the AAAI Conference on Artificial Intelligence, 2020.

<sup>[7]</sup> Yeachan Kim, Kang-Min Kim, and SangKeun Lee. Adaptive compression of word embeddings. In Proceedings of the 58th annual meeting of the ACL, 2020

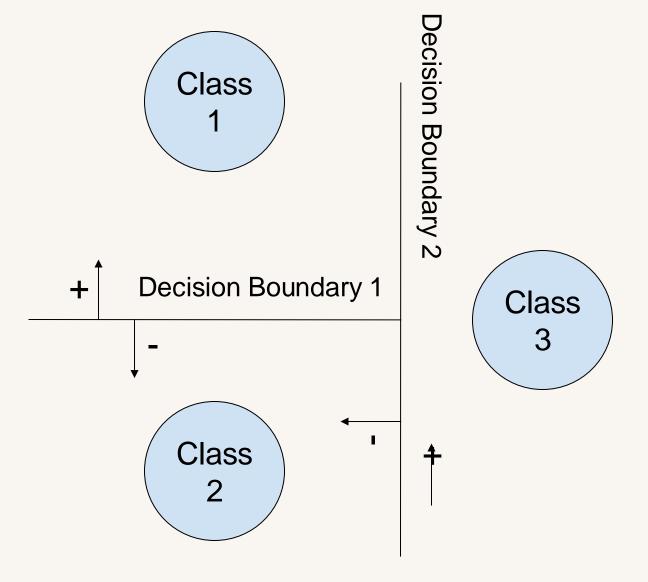
# BACKGROUND WHAT IS ECOC?

• Simplifies multi-class problems by converting them into multiple binary classification tasks through effective decision boundaries.



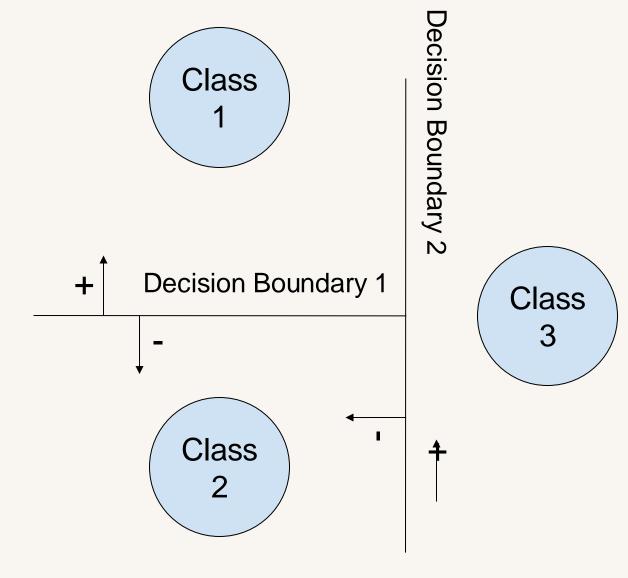
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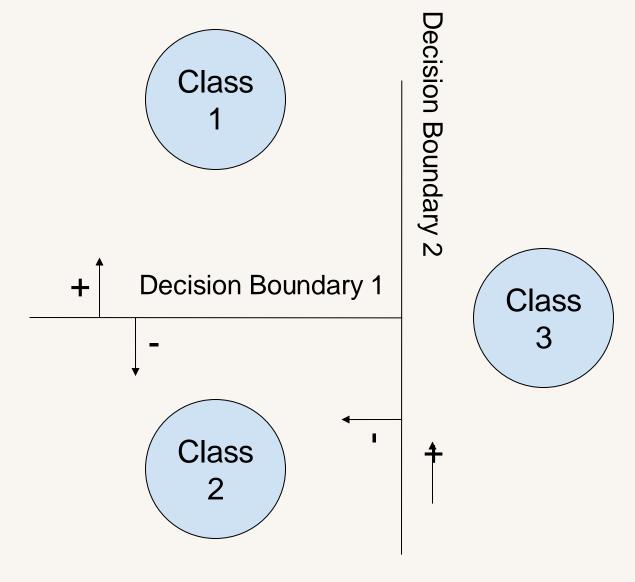
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- Each class is represented by a unique binary or ternary codeword.
- In codewords, each element represents the outcome of a binary classifier
  - length of a codeword = the number of binary classifiers
  - o Example: [1, -1] for Class 1



|         | Classifier 1 | Classifier 2 |
|---------|--------------|--------------|
| Class 1 | 1            | -1           |
| Class 2 | -1           | -1           |
| Class 3 | 0            | 1            |

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  - length of a codeword = the number of binary classifiers
  - o Example: [1, -1] for Class 1
- Test sample outputs are compared to class codewords, and the class with the smallest distance (e.g., Hamming, Manhattan) is chosen.



|         | Classifier 1 | Classifier 2 |
|---------|--------------|--------------|
| Class 1 | 1            | -1           |
| Class 2 | -1           | -1           |
| Class 3 | 0            | 1            |



| Class | $B^1$ | $B^2$ | $B^3$ | $B^4$ | $B^5$ | $B^6$ | $B^7$ | $B^8$ | $B^9$ | $B^{10}$ |
|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|----------|
| 0     | 1     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1       |
| 1     | -1    | 1     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1       |
| 2     | -1    | -1    | 1     | -1    | -1    | -1    | -1    | -1    | -1    | -1       |
| 3     | -1    | -1    | -1    | 1     | -1    | -1    | -1    | -1    | -1    | -1       |
| 4     | -1    | -1    | -1    | -1    | 1     | -1    | -1    | -1    | -1    | -1       |
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| 6     | -1    | -1    | -1    | -1    | -1    | -1    | 1     | -1    | -1    | -1       |
| 7     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | 1     | -1    | -1       |
| 8     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1    | 1     | -1       |
| 9     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1    | 1        |

#### One vs All (OvA)<sup>[8]</sup>

- Each classifier treats one class as positive and all others as negative
  - o number of binary classifiers = number of classes



| Class | $B^1$ | $B^2$ | $B^3$ | $B^4$ | $B^5$ | $B^6$ | $B^7$ | $B^8$ | $B^9$ | $B^{10}$ |
|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|----------|
| 0     | 1     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1       |
| 1     | -1    | 1     | -1    | -1    | -1    | -1    | -1    | -1    | -1    | -1       |
| 2     | -1    | -1    | 1     | -1    | -1    | -1    | -1    | -1    | -1    | -1       |
| 3     | -1    | -1    | -1    | 1     | -1    | -1    | -1    | -1    | -1    | -1       |
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|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|----------|--------------|
| 0     | 1     | 1     | 1     | 1     | 1     | 1     | 1     | 1     | 1     | 0        | <br>0        |
| 1     | -1    | 0     | 0     | 0     | 0     | 0     | 0     | 0     | 0     | 1        | <br>0        |
| 2     | 0     | -1    | 0     | 0     | 0     | 0     | 0     | 0     | 0     | 0        | <br>1        |
| 3     | 0     | 0     | -1    | 0     | 0     | 0     | 0     | 0     | 0     | 0        | <br>-1       |
| 4     | 0     | 0     | 0     | -1    | 0     | 0     | 0     | 0     | 0     | 0        | <br>0        |
| 5     | 0     | 0     | 0     | 0     | -1    | 0     | 0     | 0     | 0     | 0        | <br>0        |
| 6     | 0     | 0     | 0     | 0     | 0     | -1    | 0     | 0     | 0     | 0        | <br>0        |
| 7     | 0     | 0     | 0     | 0     | 0     | 0     | -1    | 0     | 0     | 0        | <br>0        |
| 8     | 0     | 0     | 0     | 0     | 0     | 0     | 0     | -1    | 0     | 0        | <br>0        |
| 9     | 0     | 0     | 0     | 0     | 0     | 0     | 0     | 0     | -1    | 0        | <br>0        |

#### One vs All (OvA)[8]

- Each classifier treats one class as positive and all others as negative
  - o number of binary classifiers = number of classes

#### One vs One (OvO)<sup>[9]</sup>

Each classifier discriminated between a pair of classes, ignoring others
 number of binary classifiers = c(c-1)/2, where c is the number of classes



| Class | $B^1$ | $B^2$ | $B^3$ | $B^4$ |
|-------|-------|-------|-------|-------|
| 0     | -1    | -1    | -1    | -1    |
| 1     | -1    | -1    | -1    | 1     |
| 2     | -1    | -1    | 1     | -1    |
| 3     | -1    | -1    | 1     | 1     |
| 4     | -1    | 1     | -1    | -1    |
| 5     | -1    | 1     | -1    | 1     |
| 6     | -1    | 1     | 1     | -1    |
| 7     | -1    | 1     | 1     | 1     |
| 8     | 1     | -1    | -1    | -1    |
| 9     | 1     | -1    | -1    | 1     |

#### Minimal ECOC<sup>[10]</sup>

- Reduces the number of binary classifiers to [log<sub>2</sub>C], C is the number of classes
  - Consecutive class codewords differ by only one bit



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| 0     | -1    | -1    | -1    | -1    |
| 1     | -1    | -1    | -1    | 1     |
| 2     | -1    | -1    | 1     | -1    |
| 3     | -1    | -1    | 1     | 1     |
| 4     | -1    | 1     | -1    | -1    |
| 5     | -1    | 1     | -1    | 1     |
| 6     | -1    | 1     | 1     | -1    |
| 7     | -1    | 1     | 1     | 1     |
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|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|----------|--------------|
| 0     | 1     | 1     | 1     | 1     | -1    | 1     | ·1    | 1     | 1     | -1       | <br>1        |
| 1     | -1    | 1     | -1    | -1    | 1     | -1    | 1     | -1    | 1     | 1        | <br>-1       |
| 2     | 1     | 1     | -1    | 1     | 1     | -1    | -1    | 1     | -1    | -1       | <br>1        |
| 3     | -1    | -1    | 1     | 1     | -1    | 1     | 1     | -1    | -1    | 1        | <br>-1       |
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| 7     | -1    | 1     | -1    | -1    | 1     | 1     | -1    | 1     | -1    | -1       | <br>-1       |
| 8     | 1     | 1     | 1     | -1    | -1    | 1     | 1     | -1    | 1     | -1       | <br>1        |
| 9     | -1    | -1    | -1    | 1     | 1     | -1    | -1    | 1     | -1    | 1        | <br>-1       |

#### Random ECOC<sup>[11]</sup>

- Each binary classifier is randomly assigned groups of classes
  - As the number of classifiers increase,
     optimal performance is reached

DRAWBACKS OF EXISTING DESIGN STRATEGIES

- One-vs-All (OvA):
  - O Simple but creates imbalanced classifiers.
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- Minimal ECOC:
  - o Efficient with minimal classifiers, but lacks robustness.
  - O Struggles when class boundaries are close.
- Random ECOC:
  - O Robust, but the large number of classifiers increases computational cost.

PROPOSED MINRANDOM ECOC DESIGN

 Merges compact Minimal ECOC with the variability of Random ECOC.

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- Merges compact Minimal ECOC with the variability of Random ECOC.
- Starts with minimal code length of [log<sub>2</sub>N], then adds R random bits to improve error resilience.
- Code length: [log<sub>2</sub>N]+ R, where R adds redundancy and diversity.

| Class | N     | Iinim | al Bit | S     | Random Bits |       |       |       |
|-------|-------|-------|--------|-------|-------------|-------|-------|-------|
| Class | $B^1$ | $B^2$ | $B^3$  | $B^4$ | $B^5$       | $B^6$ | $B^7$ | $B^8$ |
| 0     | -1    | -1    | -1     | -1    | -1          | 1     | 1     | -1    |
| 1     | -1    | -1    | -1     | 1     | -1          | -1    | 1     | 1     |
| 2     | -1    | -1    | 1      | -1    | 1           | 1     | 1     | -1    |
| 3     | -1    | -1    | 1      | 1     | 1           | -1    | 1     | 1     |
| 4     | -1    | 1     | -1     | -1    | -1          | 1     | -1    | 1     |
| 5     | -1    | 1     | -1     | 1     | -1          | 1     | -1    | -1    |
| 6     | -1    | 1     | 1      | -1    | -1          | -1    | 1     | -1    |
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| 8     | 1     | -1    | -1     | -1    | 1           | -1    | -1    | 1     |
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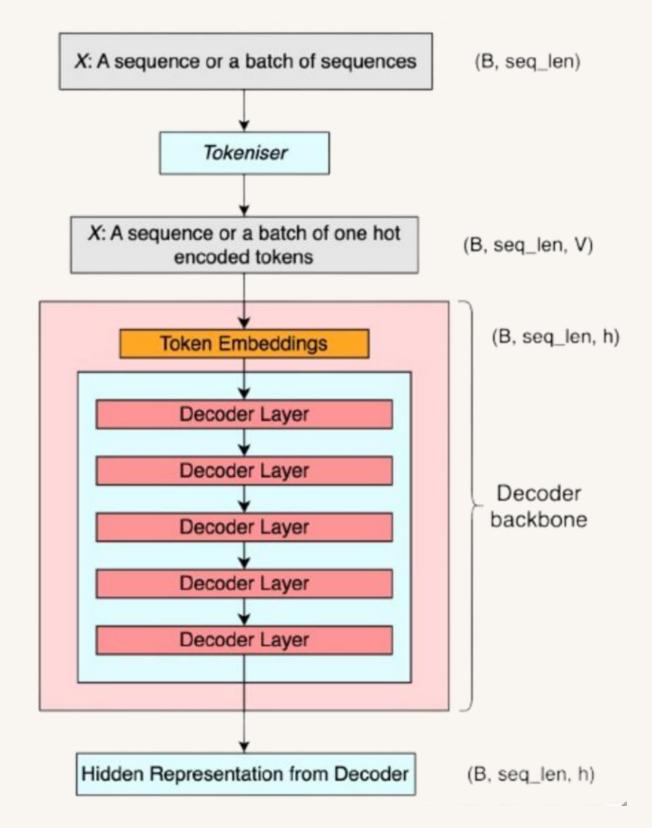
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- Starts with minimal code length of [log<sub>2</sub>N], then adds R random bits to improve error resilience.
- Code length: [log<sub>2</sub>N]+ R, where R adds redundancy and diversity.
- Enhances robustness with a minimal increase in computational overhead.

| Class | Class Minimal Bits |       |       |       |       |       | Random Bits |       |  |  |  |
|-------|--------------------|-------|-------|-------|-------|-------|-------------|-------|--|--|--|
| Class | $B^1$              | $B^2$ | $B^3$ | $B^4$ | $B^5$ | $B^6$ | $B^7$       | $B^8$ |  |  |  |
| 0     | -1                 | -1    | -1    | -1    | -1    | 1     | 1           | -1    |  |  |  |
| 1     | -1                 | -1    | -1    | 1     | -1    | -1    | 1           | 1     |  |  |  |
| 2     | -1                 | -1    | 1     | -1    | 1     | 1     | 1           | -1    |  |  |  |
| 3     | -1                 | -1    | 1     | 1     | 1     | -1    | 1           | 1     |  |  |  |
| 4     | -1                 | 1     | -1    | -1    | -1    | 1     | -1          | 1     |  |  |  |
| 5     | -1                 | 1     | -1    | 1     | -1    | 1     | -1          | -1    |  |  |  |
| 6     | -1                 | 1     | 1     | -1    | -1    | -1    | 1           | -1    |  |  |  |
| 7     | -1                 | 1     | 1     | 1     | -1    | -1    | -1          | -1    |  |  |  |
| 8     | 1                  | -1    | -1    | -1    | 1     | -1    | -1          | 1     |  |  |  |
| 9     | 1                  | -1    | -1    | 1     | 1     | -1    | 1           | 1     |  |  |  |

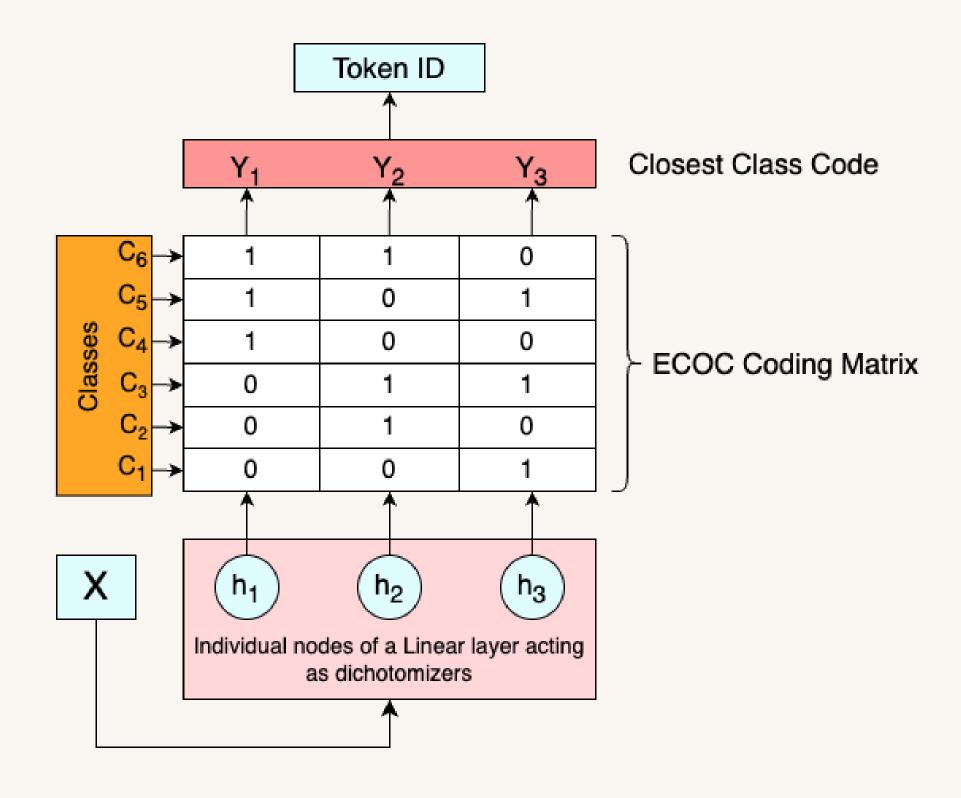
# DECODER BACKBONE

- Input sequences are tokenized and transformed into dense, continuous vectors through an embedding layer.
- Utilizes Transformer architecture with self-attention and feed-forward operations.
- Enriched token representation is passed to the ECOC head by capturing contextual dependencies.
- OPT decoder<sup>[12]</sup> is chosen due to its versatile design that allows scaling and finetuning based on resources.



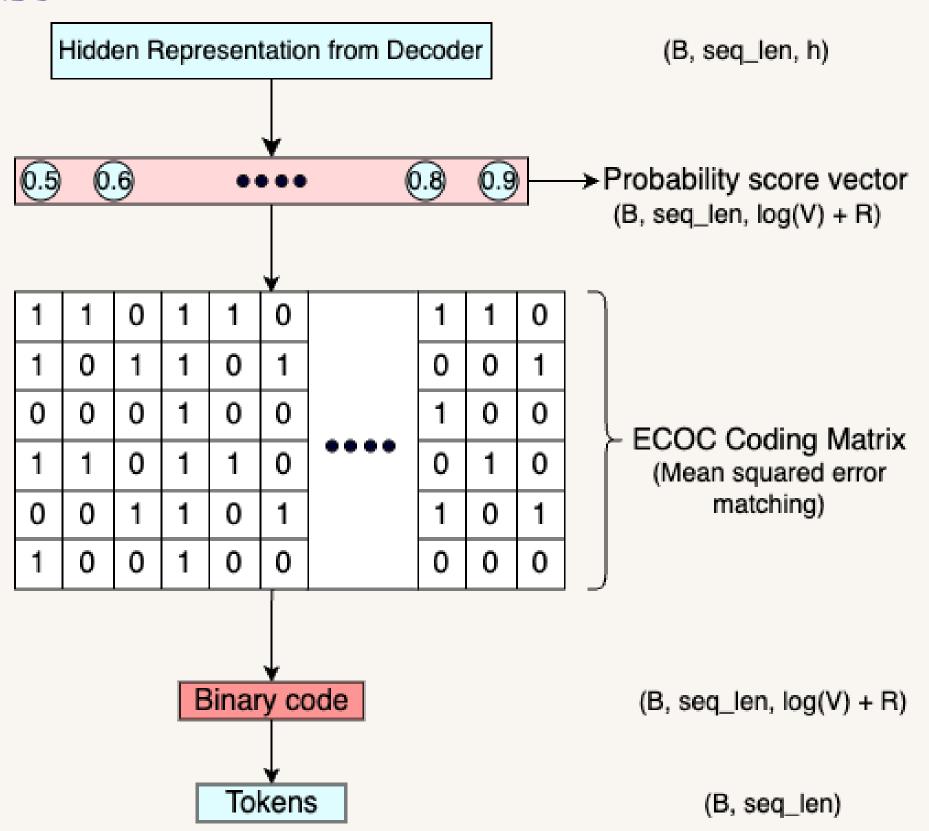
#### OVERVIEW OF ECOC BASED HEAD

- ECOC-based head reduces decoding complexity by using binary codewords, with each node acting as a binary classifier (dichotomizer).
- Dichotomizers output soft labels, forming a prediction vector.
- Prediction vector is matched to the closest binary codeword using a distance metric, then decoded into the final Token ID.
- Output layer complexity is reduced from O(V) to O(logV).



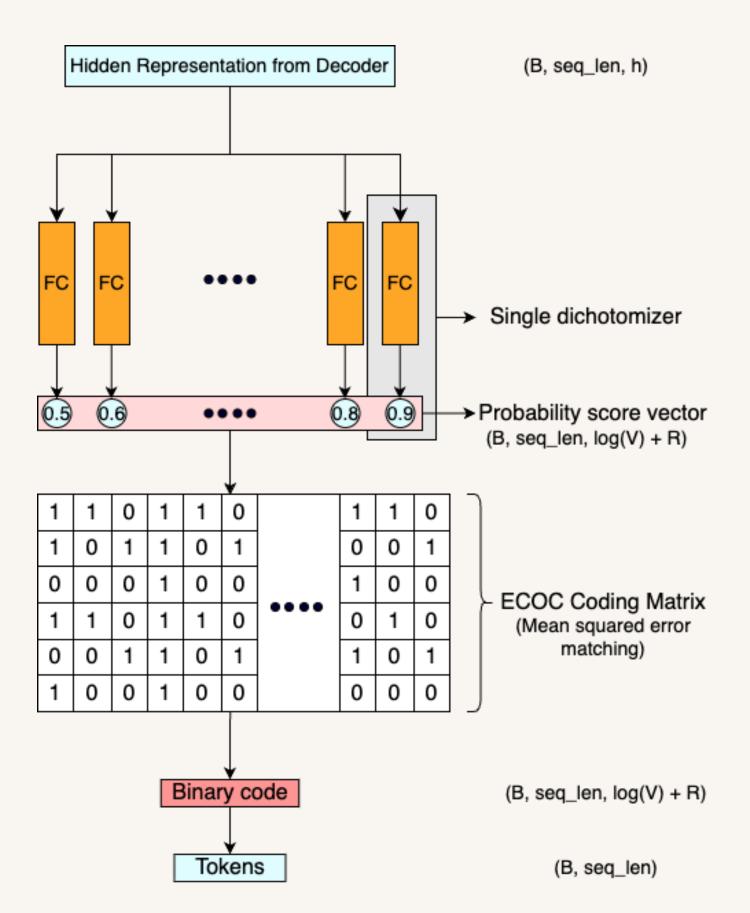
#### PROPOSED DIFFERENT ECOC BASED HEADS

- Replaces traditional large output layer with a compact structure.
- Decoder output is passed through the ECOC head, where each node predicts the probability between 0 and 1 by a sigmoid function for that bit position
- Prediction vector is matched to the closest binary codeword using a distance metric, then decoded into the final Token ID.



#### PROPOSED DIFFERENT ECOC BASED HEADS

- Replaces traditional large output layer with a multi-task learning structure.
- Before each node in the ECOC layer, an additional FC layer refines the decoder embeddings for more nuanced feature extraction.
- Output from each FC layer is fed into a node that generates a probability between 0 and 1 using a sigmoid activation.



#### FINE-TUNING SETUP

- The combined architecture was finetuned on the Stanford Alpaca<sup>[13]</sup> dataset
  - Focus on mainly the attention weights and LM head
  - o tuned on the next token prediction task
- Loss Function: Binary cross entropy loss for i<sup>th</sup> bit.

$$\mathcal{L}_i = -\left(y_i \cdot \log(\hat{y}_i) + (1 - y_i) \cdot \log(1 - \hat{y}_i)\right)$$

- Evaluation Metrics:
  - o BERT-Precision<sup>[14]</sup>
  - o BERT-Recall<sup>[14]</sup>
  - O BERT-F1<sup>[14]</sup>

- Traditional LM Head:
  - O High computational burden due to large parameter count and softmax complexity.

| Configuration                    | Number of parameters in last layer | Inference Time (in mins:secs) |
|----------------------------------|------------------------------------|-------------------------------|
| Without ECOC                     | 102,957,056                        | 12:50                         |
| Minimal ECOC (16, 0)             | 32,768                             | 01:05                         |
| MinRandom ECOC (50, 0)           | 102,400                            | 01:45                         |
| Minimal MTL-ECOC<br>(16, 512)    | 16,785,408                         | 07:00                         |
| MinRandom MTL-<br>ECOC (50, 512) | 52,454,400                         | 08:10                         |

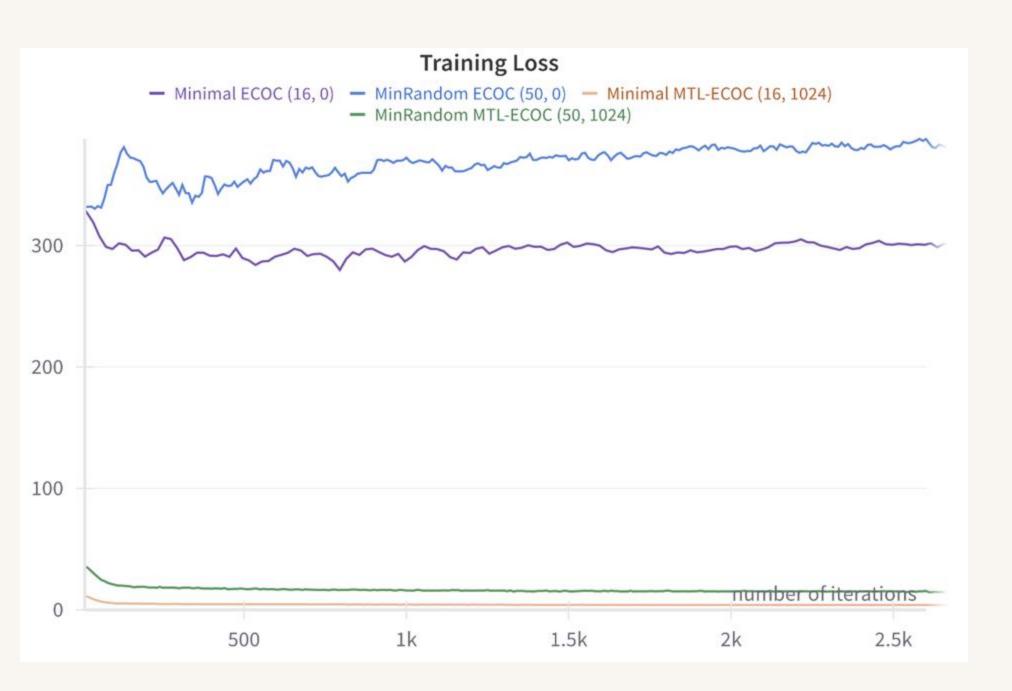
- Traditional LM Head:
  - High computational burden due to large parameter count and softmax complexity.
- Minimal ECOC & MinRandom ECOC:
  - O Highly efficient but leads to considerable loss in F1 score.

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- Traditional LM Head:
  - High computational burden due to large parameter count and softmax complexity.
- Minimal ECOC & MinRandom ECOC:
  - Highly efficient but leads to considerable loss in F1 score.
- MTL-ECOC:
  - Balances parameter reduction with improved accuracy.
  - Random bits increase parameters for enhanced robustness.

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|----------------------------------|------------------------------------|-------------------------------|
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| Minimal ECOC (16, 0)             | 32,768                             | 01:05                         |
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| MinRandom MTL-<br>ECOC (50, 512) | 52,454,400                         | 08:10                         |

- Minimal & MinRandom ECOC:
  - Observation: Higher training losses with fluctuations.
  - o <u>Challenge</u>: Instability due to noisy bit predictions and insufficient capacity.

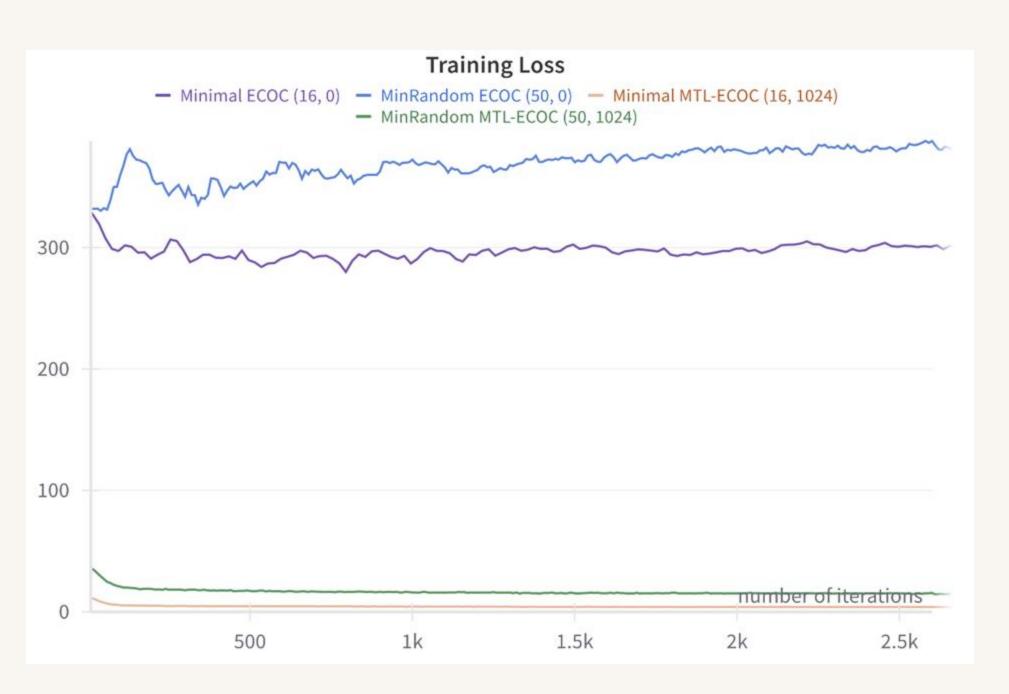


#### PROTOCOL 1: COMPARISON OF DIFFERENT CONFIGURATIONS

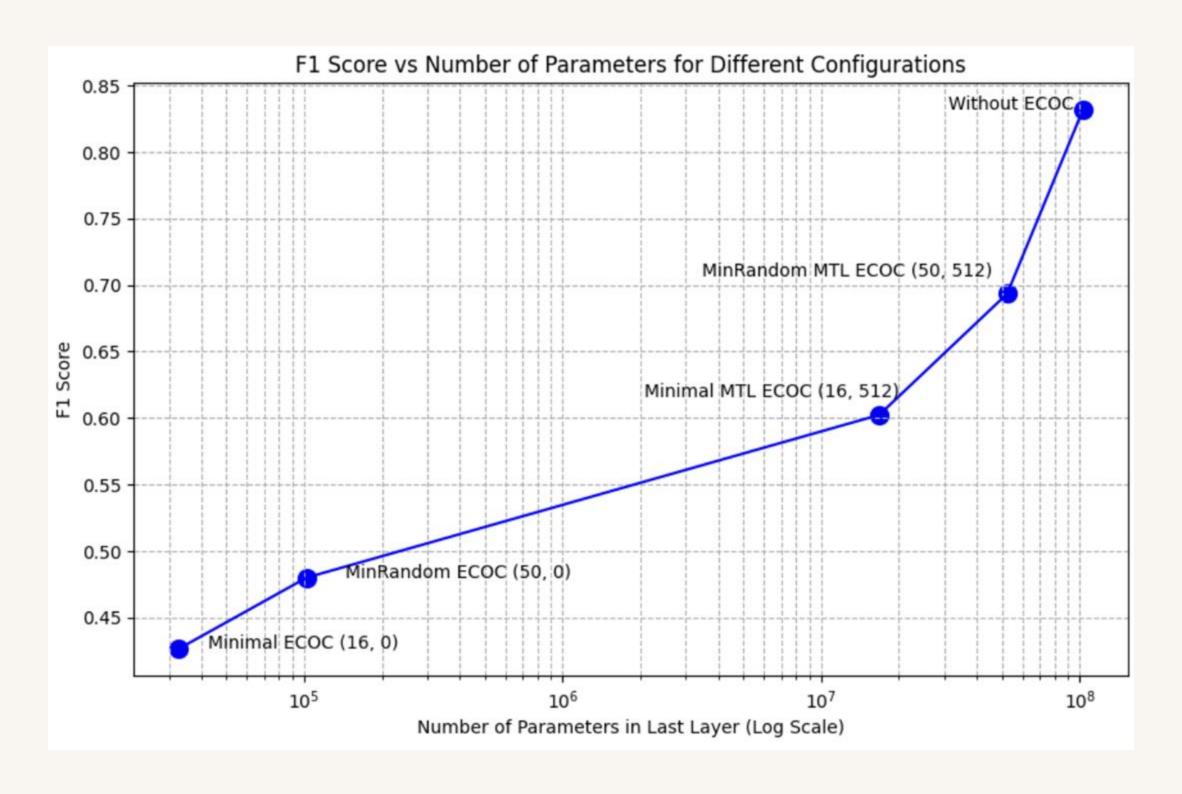
- Minimal & MinRandom ECOC:
  - Observation: Higher training losses with fluctuations.
  - Challenge: Instability due to noisy bit predictions and insufficient capacity.

#### • MTL-ECOC:

- Observation: Lower, more stable training losses from early stages.
- Benefit: Added layer in MTL configurations aids fine-tuning and quicker convergence.



PROTOCOL 1: OBSERVED TRADEOFF



PROTOCOL 2: EFFECT OF INTERMEDIATE LAYER DIMENSION IN MTL-ECOC

 Increasing dimension size improves performance for all MTL-ECOC configurations.

| Configuration                     | Final Mean<br>Training<br>Loss per<br>node | Precision | Recall | F1<br>Score |
|-----------------------------------|--|-----------|--------|-------------|
| Minimal MTL-ECOC<br>(16, 1024)    | 0.2305                                     | 0.6023    | 0.6047 | 0.6034      |
| Minimal MTL-ECOC (16, 512)        | 0.2464                                     | 0.5924    | 0.6126 | 0.6023      |
| Minimal MTL-ECOC<br>(16, 128)     | 0.2657                                     | 0.5749    | 0.5925 | 0.5835      |
| MinRandom MTL-<br>ECOC (50, 1024) | 0.2829                                     | 0.6648    | 0.7439 | 0.7014      |
| MinRandom MTL-<br>ECOC (50, 512)  | 0.3134                                     | 0.6577    | 0.7348 | 0.6934      |
| MinRandom MTL-<br>ECOC (50, 128)  | 0.3230                                     | 0.6256    | 0.7078 | 0.6641      |

#### PROTOCOL 2: EFFECT OF INTERMEDIATE LAYER DIMENSION IN MTL-ECOC

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  - F1 score improvement plateaus beyond 512 nodes.
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- Increasing dimension size improves performance for all MTL-ECOC configurations.
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- Smaller dimensions indicate insufficient representational power
- MinRandom MTL-ECOC outperforms
   Minimal MTL-ECOC

| Configuration                     | Final Mean<br>Training<br>Loss per<br>node | Precision | Recall | F1<br>Score |
|-----------------------------------|--|-----------|--------|-------------|
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| Minimal MTL-ECOC<br>(16, 512)     | 0.2464                                     | 0.5924    | 0.6126 | 0.6023      |
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| MinRandom MTL-<br>ECOC (50, 1024) | 0.2829                                     | 0.6648    | 0.7439 | 0.7014      |
| MinRandom MTL-<br>ECOC (50, 512)  | 0.3134                                     | 0.6577    | 0.7348 | 0.6934      |
| MinRandom MTL-<br>ECOC (50, 128)  | 0.3230                                     | 0.6256    | 0.7078 | 0.6641      |

#### PROTOCOL 3: EFFECT OF DIFFERENT CODEWORD LENGTH

- Increasing codeword length improves performance for all MTL-ECOC configurations.
- Performance Saturation:
  - F1 score improvementplateaus after a certaincodeword length.

| Configuration                     | Final Mean Training Loss per node | Precision | Recall | F1<br>Score |
|-----------------------------------|-----------------------------------|-----------|--------|-------------|
| Minimal MTL-ECOC<br>(16, 512)     | 0.2464                            | 0.5924    | 0.6126 | 0.6023      |
| MinRandom MTL-<br>ECOC (25, 512)  | 0.2760                            | 0.6359    | 0.6583 | 0.6469      |
| MinRandom MTL-<br>ECOC (50, 512)  | 0.3134                            | 0.6577    | 0.7348 | 0.6934      |
| MinRandom MTL-<br>ECOC (75, 512)  | 0.3177                            | 0.6689    | 0.7278 | 0.6971      |
| MinRandom MTL-<br>ECOC (100, 512) | 0.2583                            | 0.6835    | 0.7551 | 0.7175      |

PROTOCOL 4: VARYING DIFFERENT DECODER BACKBONES

- Best performance achieved by Qwen2-1.5B
  - Advanced optimizations like
     GQA and DCA improve
     handling of longer contexts
     and complex tasks

| Configuration                                      | Final Mean Training Loss per node | Precision | Recall | F1 Score |
|--|-----------------------------------|-----------|--------|----------|
| OPT-1.3B MinRandom<br>MTL-ECOC (50, 512)           | 0.3134                            | 0.6577    | 0.7348 | 0.6934   |
| Qwen2-1.5B MinRandom MTL-ECOC (75, 512)            | 0.2821                            | 0.6851    | 0.7759 | 0.7268   |
| TinyLlama-1.1B<br>MinRandom MTL-ECOC<br>(100, 512) | 0.2693                            | 0.66835   | 0.7579 | 0.7102   |

### CONCLUSION

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- ECOC framework reduces the LM head size to 15% of its original capacity while achieving up to 75% of the original F1 score.
- Significant decrease in inference time while maintaining competitive performance.
- Experimental Findings:
  - o Tradeoff: Increased model complexity leads to improved predictive accuracy.
  - Adding random bits improves generalization and robustness.
  - O Optimizing intermediate layer size in MTL-ECOC enhances precision and recall.
  - o Enhancing codeword length is better than increasing intermediate layer size in MTL-ECOC.

- Problem-Dependent ECOC Designs:
  - Explore techniques like DECOC<sup>[15]</sup>, Forest-ECOC<sup>[16]</sup>, and ECOC-ONE<sup>[17]</sup> to dynamically learn decision boundary partitions and generate task-specific codewords.
  - Optimize the trade-off between efficiency and accuracy for better task adaptation.

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- ECOC is architecture-agnostic and can be extended to multi-modal models, improving performance in tasks with diverse output spaces.

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# THANKS !!