Not: Bu kağıt sınav kağıtlarının son kağıdı olacaktır. Kağıdın çıktısını sınavdan önce alıp arka yüzeyine istediğiniz bilgileri yazmak serbesttir! Sınava gelirken herkes bu kağıdı getirmek zorundadır. Diğer türlü tablolar ve formüller olmadan çözersiniz! Formüllerin kenarlarındaki boşluklara istediğiniz bilgileri yazabilirsiniz. Gerekli Tablo değerleri soru içinde verilecektir!

Vize Öncesinden kalan gerekli olabilecek bazı formüller

$$\sigma_{\varsigma} = \frac{F}{A} \tau_k = \frac{F}{A} M_b = 9550 \frac{P}{n} \omega = \frac{2 \pi n}{60} \sigma_e = \frac{M_e}{W_e} = \frac{M_e}{\frac{I_x}{c}} \tau_b = \frac{M_b}{W_b} = \frac{M_b}{\frac{I_b}{r}} d^{-\frac{16 M_b}{\pi \tau_{em}}}$$

 $\delta = 2 \ (0.6 \ R_{tm} + \ 0.6 \ R_{td}) \ F_{cak} = \mu . P. \pi . d . b$ $\Delta d = d . \lambda . \Delta t \ M_s = k . M_d \ k=1.5 \ (\text{Orta titreşimli bağlantılar})$

$$F_{s\"{o}k} = F_{cak} = k \cdot F_{mak} \\ F_{s\"{o}k} = \mu \cdot P \cdot \pi \cdot d \cdot b$$

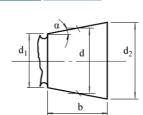
$$U_{mak} = \Delta_{mak} + \delta_{ez}$$

$$P_{min} = \frac{2 \cdot M_s}{\pi \cdot \mu \cdot b \cdot d^2}$$

$$M_s = \frac{1}{2} \pi \cdot \mu \cdot P \cdot b \cdot d^2$$

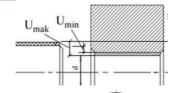
$$P_{max} = \tau_{em} \left(1 - C_2^2\right)$$

$$C_{1} = \frac{r_{i}}{r_{s}} \left| C_{2} = \frac{R_{i}}{R_{s}} \right| \tau_{mak} = \frac{P_{mak}}{1 - C_{2}^{2}} \leq \tau_{em} = \frac{\sigma_{em}}{2} \left| \Delta = \Delta_{1} + \Delta_{2} = P.d \left[\frac{1}{E_{1}} \left(\frac{1 + C_{1}^{2}}{1 - C_{1}^{2}} - \vartheta_{1} \right) + \frac{1}{E_{2}} \left(\frac{1 + C_{2}^{2}}{1 - C_{2}^{2}} + \vartheta_{2} \right) \right]$$



$Tan \alpha = \frac{d_2 - d_1}{2b} \quad d = \frac{d_2 + d_1}{2} \quad A = \frac{\pi. d. b}{Cos\alpha} \quad M_s = k. M_d$ $M_s = \frac{\pi. \mu. P. b. d^2}{2. Cos\alpha} \quad F_{cak} = \pi. P. d. b (Tan\alpha + \mu)$ $F_{s\ddot{o}k} = \pi. P. d. b (Tan\alpha - \mu)$ Silvan Pres

$$M_{s} = rac{\pi.\,\mu.\,P.\,b.\,d^2}{2.\,\textit{Cos}\,lpha} egin{array}{c} F_{arphi ak} = \pi.\,P.\,d.\,b\,\,(\textit{Tan}lpha + \,\mu\,) \ F_{arphi\ddot{o}k} = \pi.\,P.\,d.\,b\,\,(\textit{Tan}lpha - \,\mu\,) \end{array}$$



$$M_{s} = \mu . F_{N} . d M_{s} = \mu . P. b. d^{2}$$

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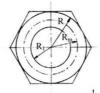
$$\text{Vidalar}$$

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$$Tan \alpha = \frac{h}{\pi d_2} \left[\mu = Tan \gamma \right] \left[\mu' = \mu/Cos(\frac{\beta}{2}) \right] \mu' = Tan \gamma' \left[F_H = F_{\ddot{0}} Tan(\alpha + \gamma) \right] \left[F_H = F_{\ddot{0}} Tan(\alpha - \gamma) \right]$$

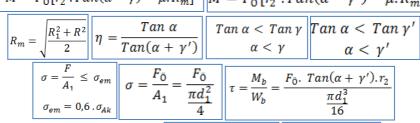
$$M_d = F_H \cdot r_2 \qquad d_2 = d - t \qquad F_H = F_{\ddot{0}} Tan(\alpha + \gamma') \qquad F_H = F_{\ddot{0}} Tan(\alpha - \gamma') \qquad \gamma' = ArcTan(\mu')$$

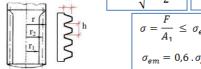
$$\boxed{ \textit{M}_{\textit{Anahtar}} = \textit{M}_{\textit{dişler}} + \; \textit{M}_{\textit{somun_alti}} \; \boxed{ \textit{F}_{\textit{A}} \cdot \textit{r}_{\textit{A}} = [\textit{F}_{\bar{\textit{0}}} \textit{Tan}(\alpha + \gamma)] \cdot \textit{r}_{\textit{2}} + \; [\mu \cdot \textit{F}_{\bar{\textit{0}}}] \cdot \textit{R}_{\textit{m}} \; \boxed{ \textit{M}_{\textit{dişler}} = \textit{F}_{\textit{H}} \cdot \textit{r}_{\textit{2}} } }$$



$$M = F_{\ddot{0}}[r_2 . Tan(\alpha + \gamma) + \mu . R_m] M = F_{\ddot{0}}[r_2 . Tan(\alpha + \gamma') + \mu . R_m]$$

$$M = F_{\bar{0}}[r_2 . Tan(\alpha - \gamma) - \mu . R_m] M = F_{\bar{0}}[r_2 . Tan(\alpha - \gamma') - \mu . R_m]$$





$$\frac{\sigma = \frac{F}{A_1} \le \sigma_{em}}{\sigma_{em} = 0, 6. \sigma_{Ak}} \quad \sigma = \frac{F_{\bar{0}}}{A_1} = \frac{F_{\bar{0}}}{\frac{\pi d_1^2}{4}} \quad \tau = \frac{M_b}{W_b} = \frac{F_{\bar{0}}. Tan(\alpha + \gamma').r_2}{\frac{\pi d_1^3}{16}}$$

$$\sigma_{e\$} = \sqrt{\sigma^2 + 3 \tau^2} \le \sigma_{em} \quad P = \frac{F}{z . \pi d_2 . t} \le P_{em} \quad z = \frac{F}{P_{em} . \pi d_2 . t} \quad m = z . h$$

$$\sigma_{e} = \frac{3.F.t}{z.\pi d_{1}.h^{2}} \leq \sigma_{em} \quad \tau = \frac{F}{z.\pi d_{1}.h} = \leq \tau_{em}$$