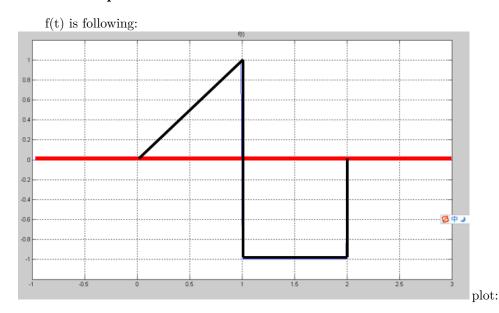
# Matlab $7^{th}$ Homework

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# 1 Plot Signal Curves

# 1.1 Description



$$f(t) + f(t)$$

$$f(t) \cdot f(t)$$

$$f(3 - 4t)$$

$$f(1 - \frac{t}{1.5})$$

$$f(t)f(3 - 4t)$$

$$f'(t)$$

$$\int f(t)$$

odd - even component of f(t)

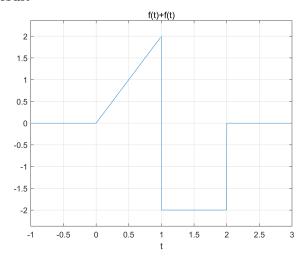
# 1.2 Analysis

To generate step function u(t), use **stepfun()** or **heaviside()**. For numberical solution, f'(t) must use  $\lim_{x \to \delta x} \frac{f(x+\delta x)-f(x)}{\delta x}$ , integration must use sum function.

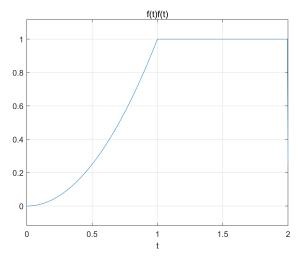
# 1.3 Codes and Result

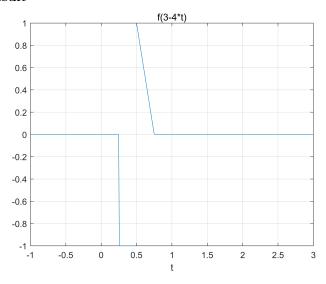
# symbolic solution

#### Result



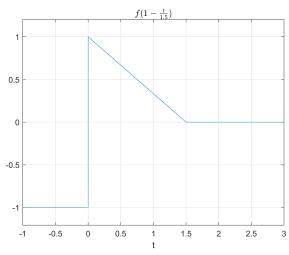
```
grid on;
title('f(t)f(t)');
```

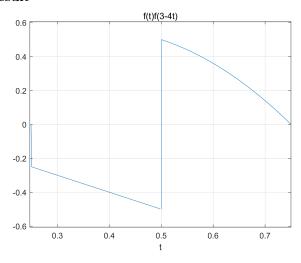


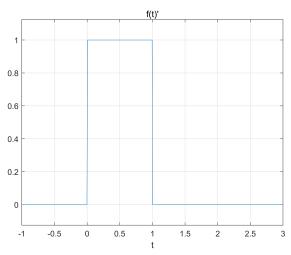


```
 \begin{array}{lll} & \text{clf;} \\ & \text{syms t;} \\ & & f \!=\! (\text{heaviside}(\texttt{t}) \!-\! \text{heaviside}(\texttt{t}\!-\!1))^* \texttt{t} \!-\! (\text{heaviside}(\texttt{t}\!-\!1) \!-\! \text{heaviside}(\texttt{t}\!-\!1))^* \texttt{t} \\ & & & (\texttt{t}\!-\!2)); \\ & & & \text{ezplot}(\texttt{subs}(\texttt{f},\texttt{t},\!1 \!-\! \texttt{t}/1.5),\![-1,3]); \\ & & & & \text{line}([0,0],\![-1,1]) \\ & & & & \text{hold on;} \\ & & & & \text{grid on;} \\ & & & & & \text{title}("f(1-\frac{t}{1.5})",' \text{Interpreter',' Latex'}); \\ \end{array}
```

# $\mathbf{Result}$

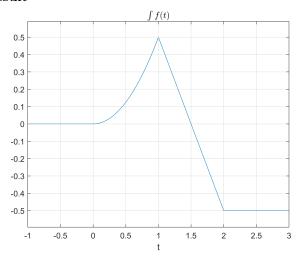






# Question 7

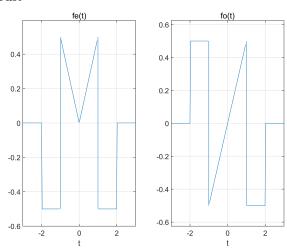
# $\mathbf{Result}$



# Question 8

```
clf;
         f\!=\!(\,h\,e\,a\,v\,i\,s\,i\,d\,e\,(\,t\,)\!-\!h\,e\,a\,v\,i\,s\,i\,d\,e\,(\,t\,-\!1))\,{}^{\displaystyle *}\,t\,-\!(\,h\,e\,a\,v\,i\,s\,i\,d\,e\,(\,t\,-\!1)\!-\!h\,e\,a\,v\,i\,s\,i\,d\,e\,
              (t-2));
         fe = (f + subs(f, t, -t))/2;
         fo=(f-subs(f,t,-t))/2;
         subplot (1,2,1);
         explot(fe,[-3,3]);
         hold on;
         line([-1,-1],[-0.5,0.5]);
         line ([1,1],[-0.5,0.5]);
         grid on;
         title ('fe(t)')
12
         subplot(1,2,2);
13
         explot(fo,[-3,3]);
14
         hold on;
15
         line ([1,1],[-0.5,0.5]);
16
         line([-1,-1],[-0.5,0.5]);
17
         title ('fo(t)')
18
         grid on;
19
```

#### Result



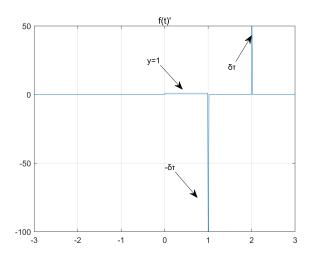
# Numberical method

1 ,

```
2 1
     3 clear all
     4 close all
     t = -3:0.01:3;
     f = (heaviside(t) - heaviside(t-1)) \cdot t - (heaviside(t-1) - heaviside(t-1)) \cdot t - (h
                                              -2));
     7 plot(t,f);
     s \ axis([-3,3,-2,2])
     9 line([1,1],[-2,2])
  10 hold on;
  11 grid on;
 12 title('f(t)+f(t)');
 13 2
 14 clear all
 15 close all
  _{16} t = -3:0.01:3;
  _{17} f=(heaviside(t)-heaviside(t-1))*t-(heaviside(t-1)-heaviside(t
                                              -2));
 18 plot(t,f.*f);
 19 hold on;
 20 grid on;
 21 title('f(t)f(t)');
 22 3
 23 clear all
24 close all
 25 t;
 _{26} \ \ f = (\, \text{heaviside} \, (\, t\, ) - \, \text{heaviside} \, (\, t\, -1)) \, ^*t \, - (\, \text{heaviside} \, (\, t\, -1) - \, \text{heaviside} \, (\, t\, -1) \, - \, \text{heavisid
                                              -2));
 _{27} ezplot(subs(f,t,3-4*t));
 28 hold on;
 29 grid on;
 30 title ('f(3-4t)');
31 4
32 clf;
 t = -3:0.01:3;
 _{34} f=(heaviside(3-4*t)-heaviside(3-4*t-1)).*t-(heaviside(3-4*t-1)-
                                               heaviside(3-4*t-2));
 35 plot(t,f);
 36 hold on;
 37 grid on;
 38 title ("f(1-\frac{t}{1.5})", 'Interpreter', 'Latex'); ,
 39 5
```

```
40 clear all
41 close all
t = -3:0.01:3;
_{43} f=(heaviside(t)-heaviside(t-1)).*t-(heaviside(t-1)-heaviside(t
                                     -2)).*(heaviside(3-4*t)-heaviside(3-4*t-1)).*t-(heaviside
                                   (3-4*t-1)-heaviside(3-4*t-2));
44 plot(t,f);
45 hold on;
46 line ([0.5, 0.5], [-0.5, 0.5])
47 grid on;
48 title ('f(t)f(3-4t)');,
49 6
_{50} t = -3:0.01:3;
f = (heaviside(t) - heaviside(t-1)) \cdot *t - (heaviside(t-1) - heaviside(t-1))
                                    -2));
_{52} for i = -3:0.01:3
                                       if i \sim = -3
                                                              y(round((i+3)/0.01)+1)=(f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)+1)-f(round((i+3)/0.01)
                                                                                       ((i+3)/0.01))/0.01;
                                       else y(1)=(f(1)-0)/0.01;
55
                                       end
56
57
58 end
59 plot(t,y);
60 hold on;
61 grid on;
62 title("f(t)'");
63 7
64 clf;
65 t = -3:0.01:3;
f = (heaviside(t) - heaviside(t-1)) \cdot *t - (heaviside(t-1) - heaviside(t-1))
                                    -2));
for i = -3:0.01:3
                                       f1(round((i+3)/0.01+1))=sum(f(1:round((i+3)/0.01)+1))*0.01;
69 end
70 plot(t, f1);
71 %line ([],[])
72 hold on;
73 grid on;
_{74} title ("\int f(t)", 'Interpreter', 'Latex'); _{\mathbf{v}}
75 8
76 clf;
```

```
77 t = -3:0.01:3;
 _{78} \ f = (\, \text{heaviside} \, (\, \text{t} \, ) - \, \text{heaviside} \, (\, \text{t} \, -1)) \, . \, ^* \, \text{t} \, - (\, \text{heaviside} \, (\, \text{t} \, -1) - \, \text{heaviside} \, (\, \text{t} \, -1) - 
                                                    -2));
 79 fe = (f + fliplr(f))/2;
 so fo=(f-fliplr(f))/2;
 81 subplot(1,2,1);
 82 plot(t, fe);
 83 hold on;
 84 a \times is([-3,3,-1,1])
85 grid on;
 86 title('fe(t)')
87 subplot (1,2,2);
 88 plot(t, fo);
 89 hold on;
_{90} %line ([1,1],[-0.5,0.5]);
_{91} %line ([-1, -1],[-0.5,0.5]);
92 title('fo(t)')
93 axis([-3,3,-1,1]);
94 grid on;
```



numberical solution for T6 shows  $\delta t$  on the figure.

# 2 Plot f

# 2.1 Description

 $f = \frac{\sin(\pi t)}{t}$ , plot figures as follow.

$$2f(t-1)$$
  $f(2t)$   
- $f(0.25t)$   $f(1-0.5t)$ 

# 2.2 Anaylsis

use function subplot(),plot,ezplot().

# 2.3 Code and Result

```
1 %Numberical method
_{2} t = -10:0.01:10;
3 subplot (2,2,1);
_{4} f=2*sinc(t-1)*pi;
5 plot(t,f);
6 hold on;
7 grid on;
s title ('2f(t-1)');
9 subplot (2,2,2);
_{10} f=sinc(2*t)*pi;
plot(t,f);
12 hold on;
13 grid on;
14 title('f(2t)');
15 subplot (2,2,3);
_{16} f=-sinc(0.25*t)*pi;
17 plot(t,f)
18 hold on;
19 grid on;
20 title('-f(0.25t)');
21 subplot (2,2,4);
_{22} f=sinc(1-0.5*t)*pi;
23 plot(t,f);
24 hold on;
25 grid on;
_{26} title ('f(1-0.5t)')
  symbolic solution
       f=sinc(t)*pi;
       subplot (2,2,1);
```

```
ezplot(2*subs(f,t,t-1));
       hold on;
       grid on;
       title('2f(t-1)');
       subplot (2,2,2);
       ezplot(2*subs(f,t,2*t));
       hold on;
       grid on;
10
       title('f(2t)');
11
       subplot(2,2,3);
12
       ezplot(-subs(f,t,0.25*t));
13
       hold on;
14
       grid on;
15
       title('-f(0.25t)');
       subplot (2,2,4);
       ezplot(subs(f,t,1-0.5*t));
       hold on;
19
       grid on;
20
       title('f(1-0.5t)')
21
```

