

## Input Parameters.

- ① node ID nodal co-ordinates.
- ② ~~④~~ • element ID Starting node, ending node  
 Section level ~~bolomnce~~, ~~material~~ Section ID
- ~~③~~ ~~material define~~

- ③
- Section ID.
  - Rectangular width, depth  
 circular  $r$ .
  - not
  - steel layer steel distance  
 area from middle.
  - concrete material
  - steel material.

8

- ④ • Boundary conditions.

node	dof		
1	1	2	3
4	1	2	3



- ⑤ Structure level iteration • bolomnce • convergence criteria
- ⑥ Load controlling dof • max iteration
- ⑦ Displacement control Force decide control.

reference load vector.

step size  $\leftarrow \begin{matrix} (+) \\ (-) \end{matrix}$

number steps

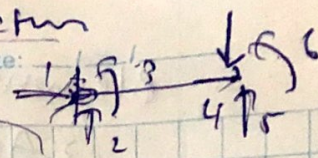
- ⑧ external load, dof  
 force step size, number of steps



No.:

\* calculating initial structure

Date:



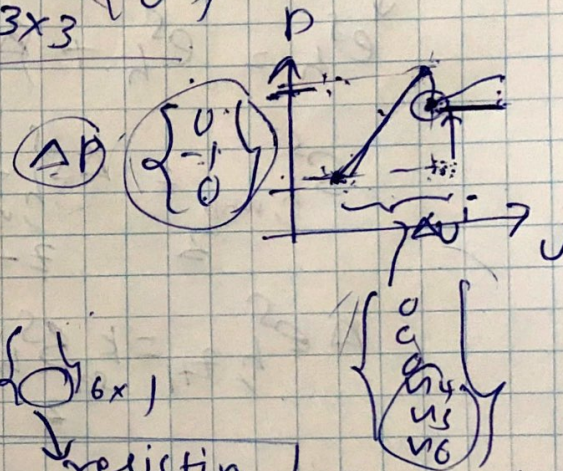
① structure level

$$\begin{Bmatrix} F_1 \\ F_2 \\ F_3 \\ 0 \\ 0 \\ 0 \end{Bmatrix} = \begin{bmatrix} | & | & | & | & | & | \\ | & | & | & | & | & | \\ | & | & | & | & | & | \\ | & | & | & | & | & | \\ | & | & | & | & | & | \\ | & | & | & | & | & | \end{bmatrix} \begin{Bmatrix} 0 \\ 0 \\ 0 \\ u_4 \\ u_5 \\ u_6 \end{Bmatrix}$$

② Structure stiffness → applying boundary

$$\begin{Bmatrix} u_4 \\ u_5 \\ u_6 \end{Bmatrix} \cdot \begin{bmatrix} | & | & | \\ | & | & | \\ | & | & | \end{bmatrix}^{-1} \begin{Bmatrix} 0 \\ 0 \\ 0 \end{Bmatrix}$$

$K_{i-1} \text{ } 3 \times 3$



$$\text{unbalanced force}_i = \frac{(\text{unbalanced force})_{i-1}}{\Delta P} \begin{Bmatrix} 0 \\ -P \\ 0 \end{Bmatrix}$$

$$\text{resisting force}_i = K_i \Delta V_i \rightarrow \begin{Bmatrix} 0 \\ 0 \\ 0 \end{Bmatrix} \text{ } 6 \times 1$$

resisting force

$$\text{unbalanced force}_i = \text{unbalanced force}_{i-1} - \text{resisting force}$$

$$K_i \times \text{unbalanced force}_i = \Delta V_{i+1}$$

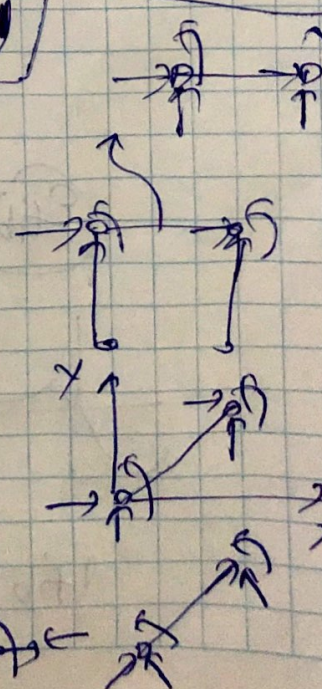
$3 \times 3$

$$E = \frac{1}{2} \{ \Delta V_i \}^T \{ \text{unbalanced force} \}$$

② converting to local co-ordinates

$$A q_{\text{local},i}^e = [T_{\text{rot}}] \Delta q_{\text{global},i}^e$$

$$A q_i^e = [T_{\text{rot}}] \Delta q_{\text{local},i}^e$$





No. element force increment.

Date: / /

$$\{\Delta \phi_i^e\} = [k_{i-1}^e] \{\Delta \phi_i^e\} - \{\phi_{unb, i-1}\}$$

$$\Delta S_h^s = [N^h] \{\Delta \phi_i^e\}$$

shape function.

Section  
for incomp

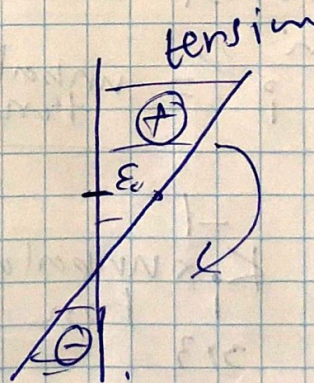
$$\{\Delta \phi_h^s\} = [k_{sec}]^{-1} \Delta S_h^s$$

$$e_h^s = e_h^s + \Delta \phi_h^s$$

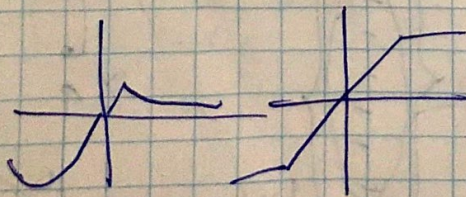
$$S_{h, unb}^s = \Delta S_{h, unb}^s - S_{h, res}^s$$

$$\Delta \phi_{h, z+1}^s = k_{sec} S_{h, unb}^s$$

3.  $\begin{Bmatrix} \epsilon_0 \\ k \end{Bmatrix}$



$$\epsilon_{fib} = \epsilon_0 - \gamma k$$



$\sigma_{fib}$

$$S_{h, res}^s = \begin{Bmatrix} \sum \sigma_{fib} A_{fib} \\ \sum - \sigma_{fib} A_{fib} y \end{Bmatrix}$$

Atlas



No: \_\_\_\_\_

Date: \_\_\_\_/\_\_\_\_/\_\_\_\_

$$(K_{rec}) = \sum \begin{bmatrix} E_T A_{fib} & -E_T A_{fib} \\ -E_T A_{fib} & E_T A_{fib}^2 \end{bmatrix}$$

