Local labor markets, population density and the gender gap

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Basic regressions

Accounting for individual characteristics

Route A:

1. Run on individual-level data:

$$\mathit{wage}^{\mathit{g}}_{\mathit{irt}} = \mathit{X}^{\mathit{g}}_{\mathit{iry}} \gamma_{\mathit{t}} + \lambda^{\mathit{g}}_{\mathit{rt}} + \varepsilon^{\mathit{g}}_{\mathit{irt}}$$

2. In a second stage run:

$$\hat{\lambda}_{\mathit{rt}}^{\mathit{male}} - \hat{\lambda}_{\mathit{rt}}^{\mathit{female}} = \tau_t + \beta_t \log(\mathit{density})_{\mathit{rt}} + \varepsilon_{\mathit{irt}}^{\mathit{g}}$$

1

Accounting for individual characteristics

Route B:

If wages are determined at the individual level by the model:

$$w_{irt}^{g} = X_{irt}^{g} \gamma_{t} + \tau_{t} male_{i} + \varepsilon_{t}$$

By aggregating at the CZ level this model becomes:

$$w_{rt}^{male} - w_{rt}^{female} = au_t + (ar{X}_{rt}^{male} - ar{X}_{rt}^{female}) \gamma_t + u_t$$

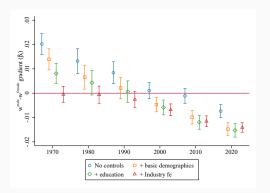
Thus I run regressions of the form:

$$w_{\mathit{rt}}^{\mathit{male}} - w_{\mathit{rt}}^{\mathit{female}} = \tau_t + (\bar{X}_{\mathit{rt}}^{\mathit{male}} - \bar{X}_{\mathit{rt}}^{\mathit{female}}) \gamma_t + \beta_t \log(\mathit{density})_{\mathit{rt}} + u_t$$

2

Route A

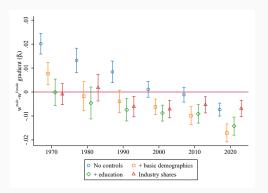
Figure 1: Coefficient on population density β_t controlling for worker characteristics



Note: figure restricts to CZ with more than 1 people per km². The regressions are done on data aggregated at the CZ level. Bars show 95% robust confidence intervals.

Route B

Figure 2: Coefficient on population density β_t controlling for worker characteristics



Note: figure restricts to CZ with more than 1 people per km^2 . The regressions are done on data aggregated at the CZ level. Bars show 95% robust confidence intervals.