

$$H \rightarrow H$$

$$G \rightarrow H$$

$$C \rightarrow E$$

R.13.1

$L \rightarrow M$ where $M \in \text{NPC}$

NO.

the fact that a problem L is Polynomial time reducible to an NP-Complete problem M doesn't imply that $P = \text{NP}$.
to prove $P = \text{NP}$, one would need to show that there exist a Polynomial-time algorithm that can solve any problem in NP.

R.13.13

(A) Prove that the Set Partition is NP

① Pick set of Integers of S and take half in S_1 and the rest in S_2 .

Algorithm Set-Partition (S, S_1, S_2)

sum1 := 0

for e in S_1 do

sum1 := sum1 + e.element()

sum2 := 0

for e in S_2 do

sum2 := sum2 + e.element()

if sum1 = sum2

return yes

else

return no found

3)

① we pass integers to w , w is a list of integers

Algorithm $\text{subsetSum}(S, T, w)$

$\text{sum} := 0$

for e in w do

$\text{sum} := \text{sum} + e$ element

if $\text{sum} = T$

return true

else return NO-FOUND

→

$(S, T) \rightarrow (S, S_1, S_2)$

① $\{1, 2, 3, 4, 5\}$ with target 10

• $\{1, 2, 3, 4, 5, 15\}$ YES WORK, but only if its possible
Create 1 subset sum

② • $\{1, 2, 3, 4, 5, 10, 15\}$ THIS work
_{2 4 -6}

③ • $\{1, 2, 3, 4, 5, 10\}$ NO WORK DEPENDS of the target

④ • $\{1, 2, 3, 4, 5, 10, 25\}$ Its not possible only exist 1 solve
because the last element if its too big

5. $\{1, 2, 3, 4, 5, -5\}$
_{2 -4} DON WORK