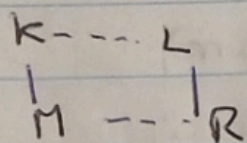
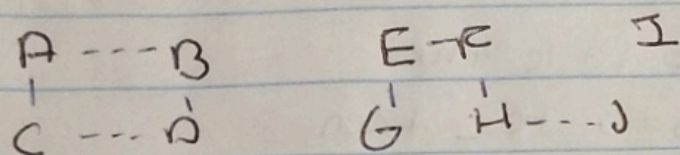


R-6.1, Draw a simple undirected graph  $G$  that has 12 vertices, 18 edges, and 3 connected components. Why would it be impossible to draw  $G$  with 3 connected components if  $G$  had 66 edges?



In this Graph are connected  $(A, B, C, D)$ ,  $(E, F, G, H, I)$  and  $(K, L, M, R)$ .

but when and try to draw it's impossible

- if there are three components connected, must have at least one vertex.

$$V_1 + V_2 + V_3 = 12$$

and the maximum number of edges is  $\frac{V \times (V-1)}{2}$

Where Max Edges:

$$\frac{V_1 \times (V_1 - 1)}{2} + \frac{V_2 \times (V_2 - 1)}{2} + \frac{V_3 \times (V_3 - 1)}{2} = 66$$

if we try to compute  $V_1 + V_2 + V_3 = 12$  and Max edges = 66 we find that there are no integers solution.

6x12

max Edges  $m \leq \frac{n(n-1)}{2} = m \leq \frac{12(11)}{2} = \frac{66}{3} = 22$



R-6-4:

- 1) LA15 has not prerequisites
- 2) LA22 has not prerequisites
- 3) LA16 bob can take this after LA15, LA16, ~~LA16~~
- 4) LA31 bob can take this after LA15, LA16, LA32
- 5) LA32 bob can take this after LA15, LA16, LA31
- 6) LA141 take after LA15, LA16, LA22
- 7) LA126 take after LA15, LA16, LA22, LA32
- 8) LA169 take after LA15, LA16, LA22, LA32
- 9) LA127 take after LA15, LA16, LA22, LA141

R-6.7.

Would you use the adjacency list structure or the adjacency matrix structure in each of the following cases?

a) Adjacency List

- An adjacency matrix allocates entries for 100 000 000 edges while the graph has only 20000 edges
- An adjacency list would have about 20.000 nodes whereas the adjacency matrix would require  $10000 \times 10000 = 100000000$  booleans

b) both are preferable

- Adjacency list as well as Adjacency matrix both structures work well in this case, and matrix structure is much better for the operation are Adjacent(), is better than InsertVertex and removeVertex

c) Adjacency matrix

- Adjacency matrix structure support the operation and is adjacent in  $O(1)$  time, in a list search by row  $i$  to  $j$  is  $O(n)$