

```

#Load in necessary modules and packages.
#%pip install sounddevice
# %pip install tensorflow
# %pip install keras

import os
import numpy as np
import scipy.io.wavfile as sio_wav
import scipy.signal as sp_sig
from filters import
(erb_point,erb_space,centre_freqs,make_erb_filters,erb_filterbank,gamm
atone_analysis,pow_stft,hz2mel,mel2hz,mel_fb,mel_analysis)
import matplotlib.pyplot as plt
from scipy.fftpack import dct
from signal_utils import *
%matplotlib inline
import sounddevice as sd
import scipy.io
from scipy import signal
import keras
from keras.models import model_from_json
# from keras.utils import CustomObjectScope
from keras.initializers import glorot_uniform
from helper_ops import *
import warnings
warnings.filterwarnings("ignore")
print("Done!")

```

Done!

```

#Main function to load the speech.
#Sarah Verhulst, Deepak Baby, Arthur Van Den Broucke, UGent, 2021

```

```

# General parameters
L = 70. # specify the desired SPL of the input

# read the wavfile
fs, x = sio_wav.read('example.wav')

# framelength_t=0.04
# frameshift_t=0.01

framelength_t = 0.025 # framelength in time = 25ms
frameshift_t = 0.01 # frameshift in time = 10ms

#cut some part out of it
sample_duration = 1 #needs to be in seconds
num_samples = int(sample_duration * fs)
x = x[:num_samples]
#adjust the SPL to the desired level

```

```

x = adjust_spl(x, L)

# parameters for gammatone analysis
fmin = 50. #minimum frequency to be analyzed
numbands = 64 #number of frequency bins

#load in CoNNear model

json_file = open("connear/Gmodel.json", "r")
loaded_model_json = json_file.read()
json_file.close()
connear = model_from_json(loaded_model_json)
connear.load_weights("connear/Gmodel.h5")
connear.summary()

# parameters for CoNNear features
fs_nn = 20e3 # CoNNear requires 20kHz

# %%
# Generate Mel feats ----- MEL -----
framelength = int(framelength_t * fs)
frameshift = int(frameshift_t * fs)
nfft = next_power_of_two(framelength)

pspec = pow_stft(x, framelength, frameshift, nfft)
mel_out = mel_analysis(x, fs, numbands, framelength, frameshift, nfft,
fmin) # returns mel and cf

#Generate mfcc ----- MFCC -----
mel_feats = np.where(mel_out['mel'] == 0, np.finfo(float).eps,
mel_out['mel']) # Numerical Stability
mel_feats = 20 * np.log10(mel_feats) # dB
numceps = 12 # number of mfcc coefficients
mfcc = dct(mel_feats, type=2, axis=1, norm='ortho')[:, 1 : (numceps +
1)]
mfcc = lifter_mfcc(mfcc)

# Generate Gammatone features ----- GAMMATONE -----
gt_out = gammatone_analysis(x, fs, numbands, fmin)
gt_cochleagram = cochleagram(gt_out['bmm'], framelength, frameshift)

#Generate CoNNear features
if fs != fs_nn :
    print("Resampling signal to " + str(fs_nn) + " Hz")
    x_nn = sp_sig.resample_poly(x, fs_nn, fs)

x_nn = np.expand_dims(x_nn, axis=0) #The CoNNear model needs an
(1,x,1) input, hence expanding the dimensions

```

```

x_nn = np.expand_dims(x_nn, axis=2)
nn_out = connear.predict(x_nn)
nn_out = nn_out[0, :, :]
nn_cochleagram = cochleagram(nn_out.T, int(framelength_t * fs_nn),
int(frameshift_t * fs_nn))

# %%
# Plot features
plt.figure(1)
plt.plot(x), plt.title("Input Waveform")

plt.figure(2)
plt.imshow(20 * np.log10(np.flipud(pspec.T)), cmap='jet',
aspect='auto')
plt.title("Power STFT in dB")
plt.xlabel("Frame Number")
plt.ylabel("Filter Number")

plt.figure(3)
plt.imshow(np.flipud(mel_feats.T), cmap='jet', aspect='auto')
plt.title("Mel Spectrogram in dB")
plt.xlabel("Frame Number")
plt.ylabel("Filter Number")

plt.figure(4)
plt.imshow(mfcc.T, cmap='jet', aspect='auto')
plt.title("MFCC coefficients")
plt.xlabel("Frame Number")
plt.ylabel("Filter Number")

plt.figure(5)
plt.imshow(20 * np.log10(gt_cochleagram), cmap='jet', aspect='auto')
plt.title("Gammatone cochleagram in dB")
plt.xlabel("Frame Number")
plt.ylabel("Filter Number")

plt.figure(6)
plt.imshow(20 * np.log10(nn_cochleagram), cmap='jet', aspect='auto')
plt.title("CoNNear cochleagram in dB - based on CoNNear framework")
plt.xlabel("Frame Number")
plt.ylabel("Filter Number")

plt.show()

Model: "model_2"

```

Layer (type)	Output Shape	Param #
audio_input (InputLayer)	[(None, None, 1)]	0

model_1 (Functional)

(None, None, 201)

11689984

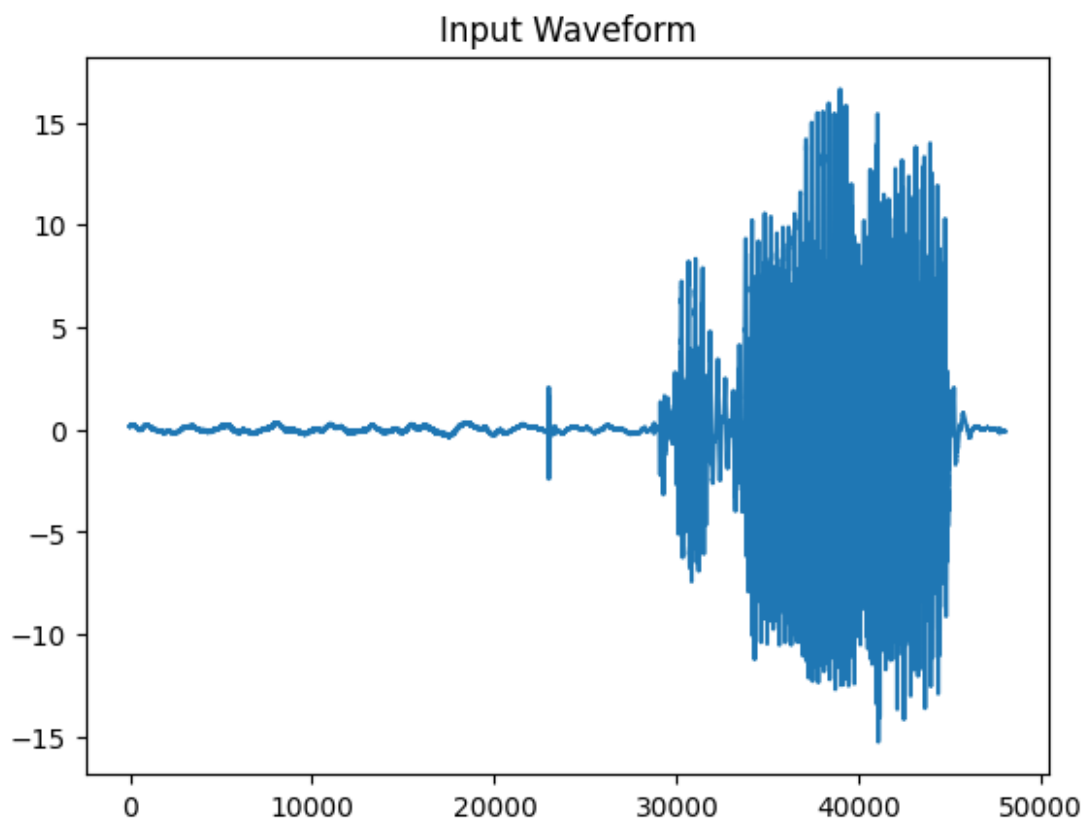
=====
Total params: 11,689,984

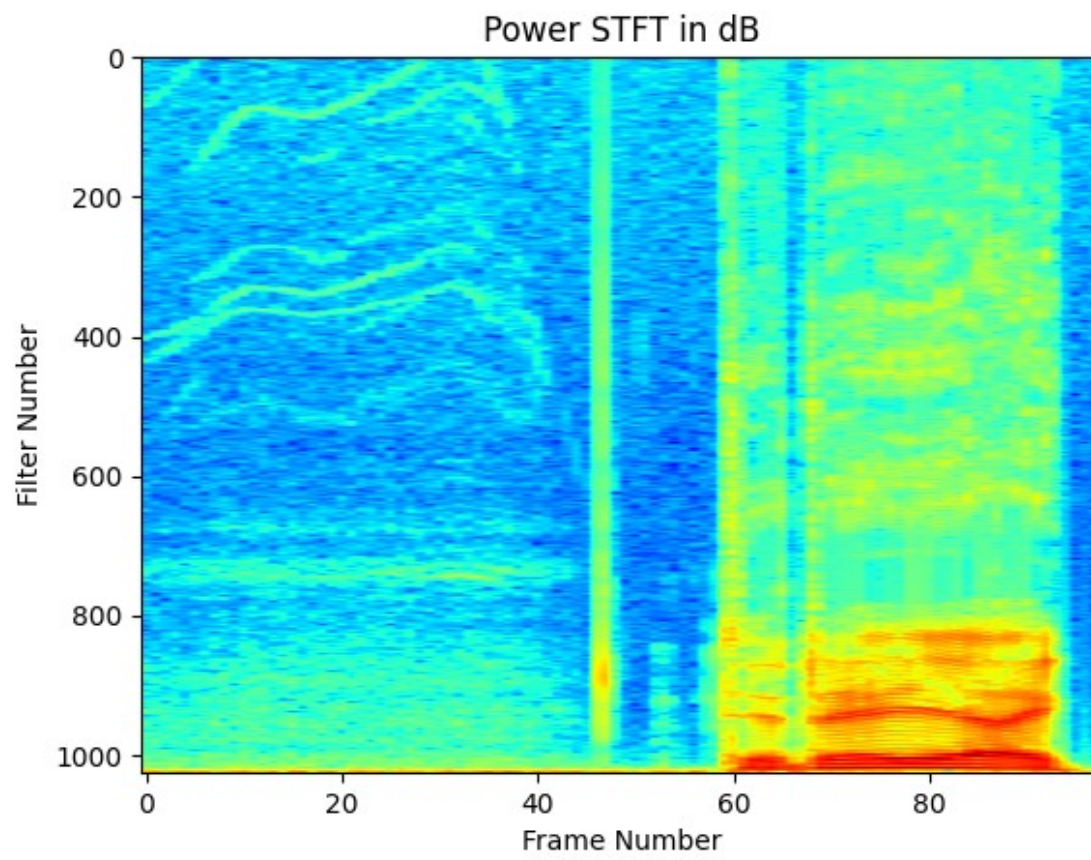
Trainable params: 11,689,984

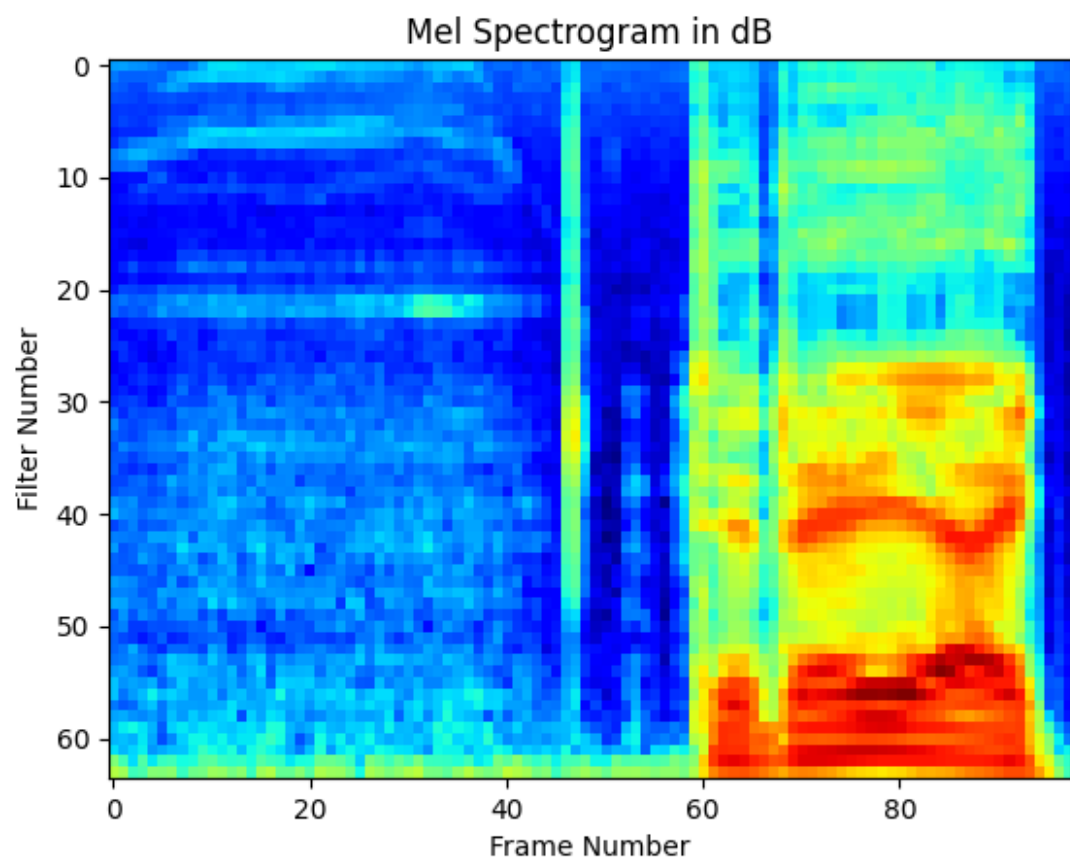
Non-trainable params: 0

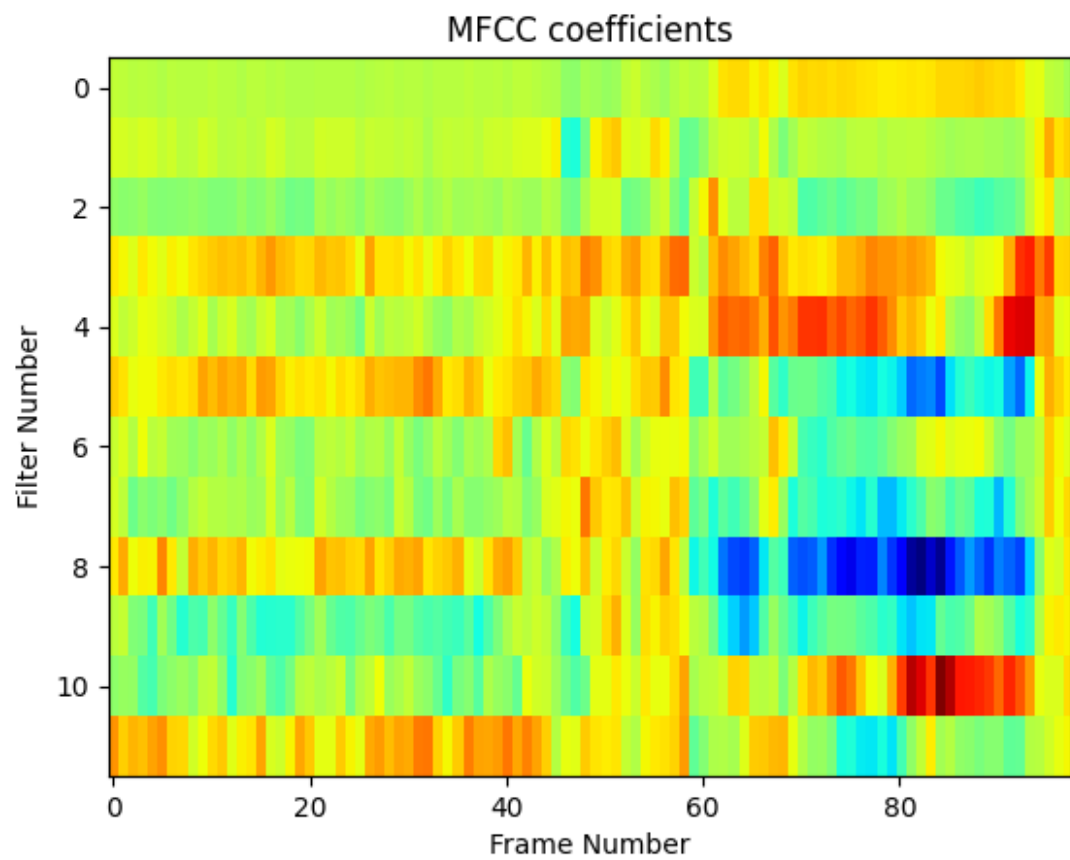
Resampling signal to 20000.0 Hz

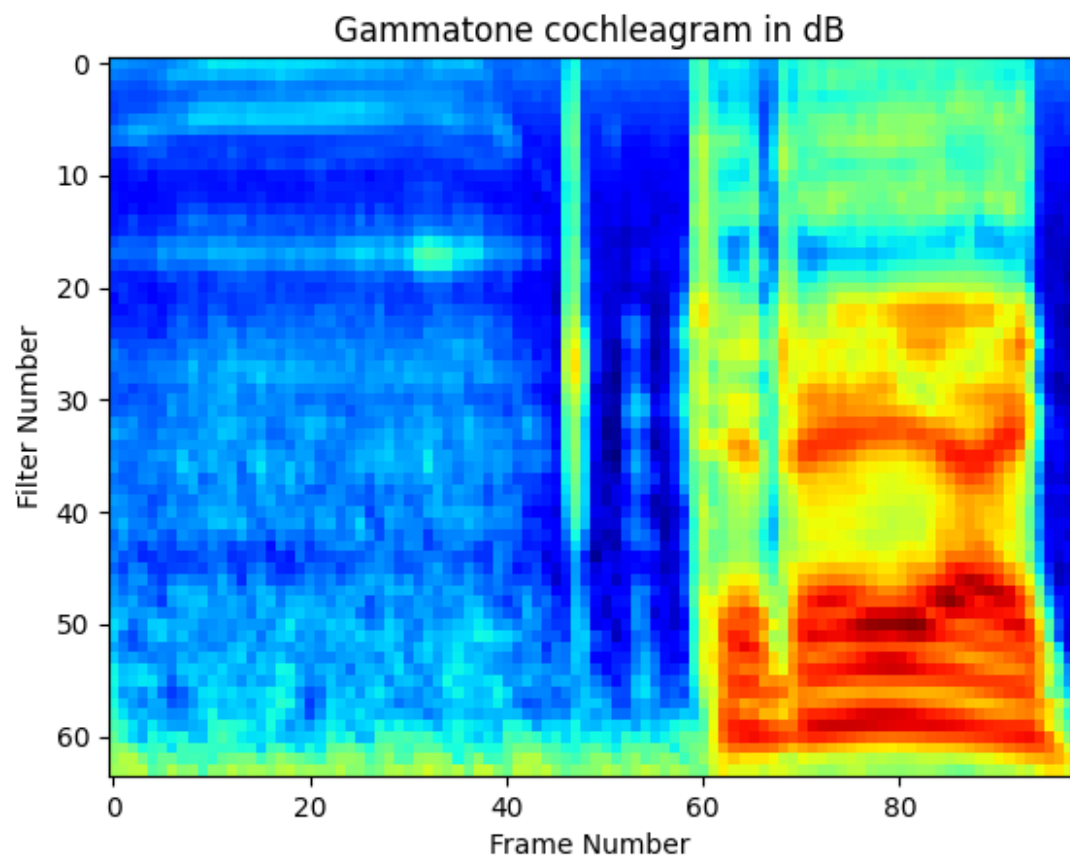
1/1 [=====] - 1s 1s/step

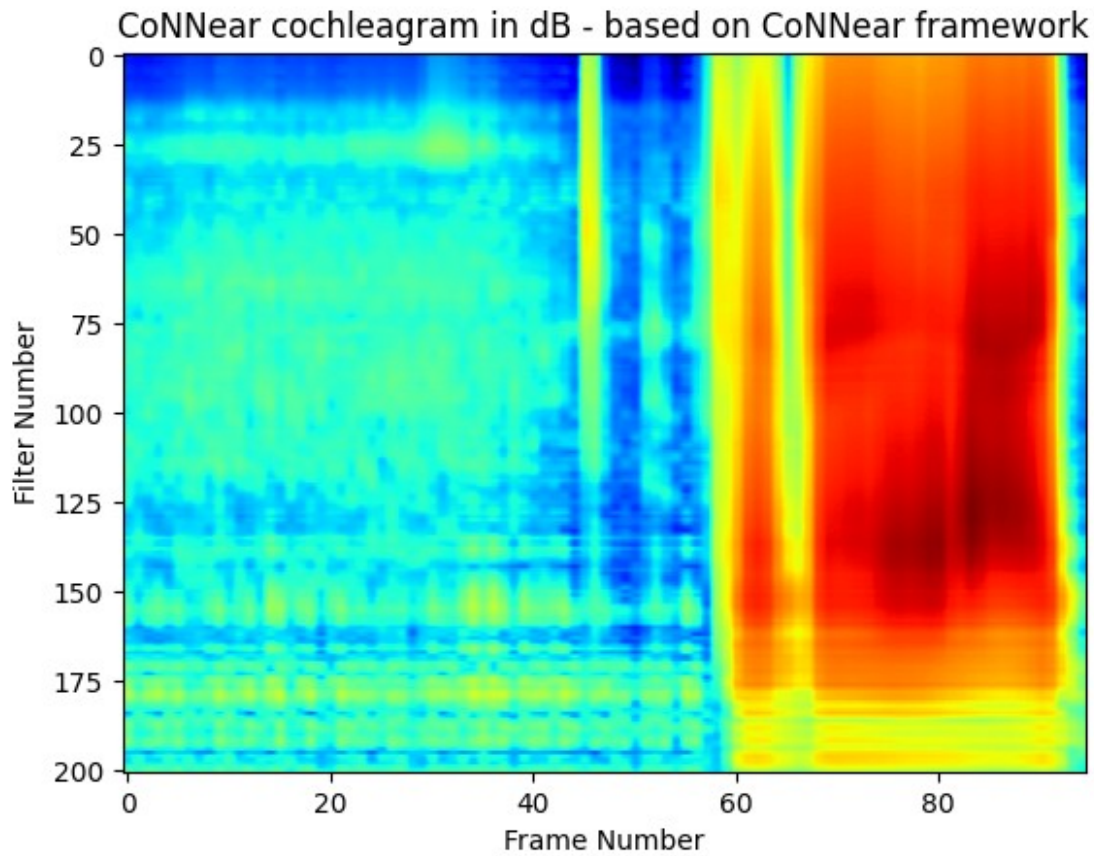












```
mel_cf = mel_out['cf']
gt_cf = np.flip(gt_out['cf'])
```

```
conn_cf = []
with open('cf.txt') as f:
    for line in f:
        conn_cf.append(float(line))
conn_cf = np.array(conn_cf) * 1000 # conn in kHz
```

```
plt.figure(1)
plt.plot(mel_cf, label="mel")
plt.plot(gt_cf, label="gammatone")
plt.plot(conn_cf, label="Connear")
plt.legend()
plt.title("Comparing central frequencies")
```

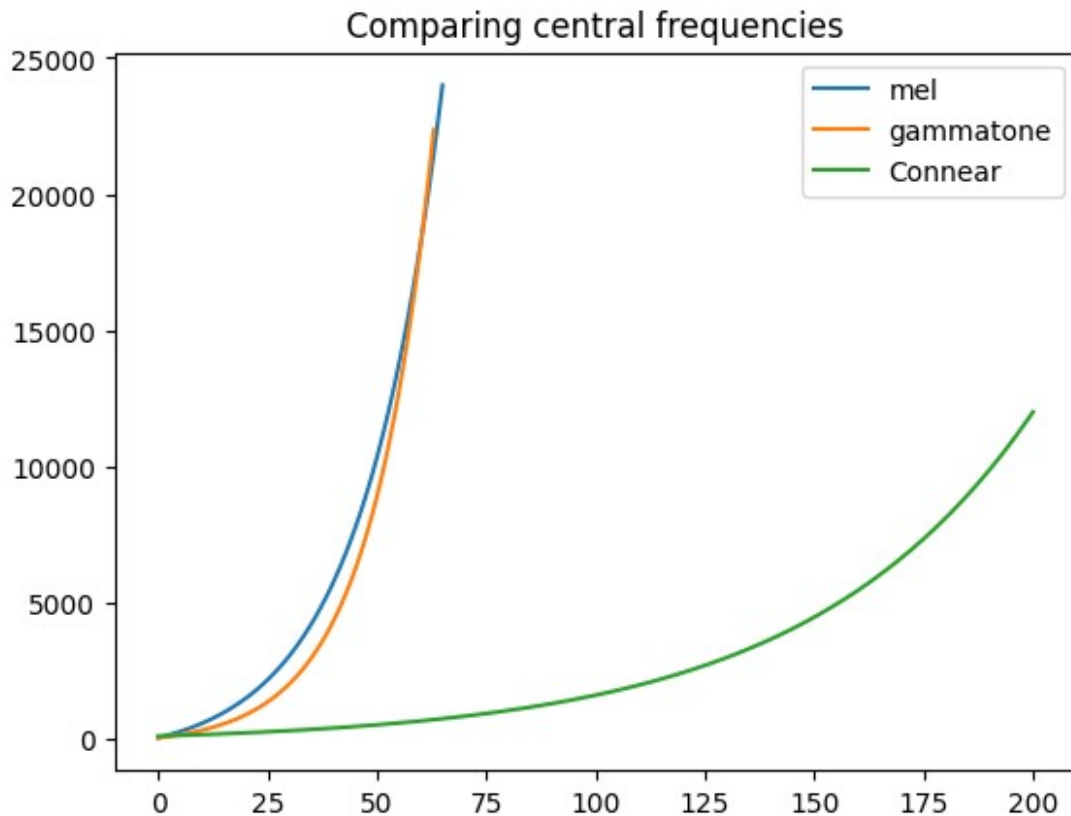
What are the differences between the mel and gammatone frequency-per-band organization?
Are both scales logarithmically spaced?

Both scales are close to be logarithmically spaced, the only difference for the observed data is more noticeable at the beginning

of the curve

where gammatone increases a bit faster

Text(0.5, 1.0, 'Comparing central frequencies')



```
import sounddevice as sd #To play sound
```

#Get the time-domain signal output of a specific Gammatone channel

```
Nch,N = np.shape(gt_out['bmm'])
```

```
t = np.arange(N) / fs
```

#find the 1 kHz CH channel for the model

```
Ch1k_gt = np.abs(gt_out['cf'] - 1000).argmin()
```

```
gt = np.zeros((Nch, N)) #copy the data so we can work with it
```

```
gt = gt_out['bmm']
```

```
N_nn,Nch_nn = np.shape(nn_out)
```

```
nn = np.zeros((Nch_nn, N_nn)) #copy the data so we can work with it
```

```
nn = nn_out
```

```
t_nn = np.arange(N_nn) / fs
```

#get the 1kHz-CF time-domain signal vs energy signal in specific bins

```
nn_1k = nn[:,79] #time domain signal nn
```

```
gt_1k = gt[Ch1k_gt,:] #time domain signal gt
```

```
egt_1k = gt_cochleagram[Ch1k_gt,:] #gt energy in 1-kHz channel, when  
used as preprocessing for Machine Hearing
```

```
plt.figure()  
plt.plot(t_nn,nn_1k)  
plt.legend(['CoNNear at 1 kHz'])  
plt.figure()  
plt.plot(t,gt_1k)  
plt.legend(['GT at 1 kHz'])  
plt.show()
```

```
#Now generate a time domain signal from the energetic signal by  
extrapolating
```

```
n_repeat = int((frameshift_t *fs)) #check this framelength thin  
egt_1k_time = np.repeat(egt_1k, n_repeat)  
N = len(egt_1k_time)  
t_egt = np.arange(N) / fs
```

```
plt.figure(7)  
plt.plot(t,gt_1k/max(gt_1k), label="GT 1kHz")  
plt.plot(t_egt,egt_1k_time/max(egt_1k_time), label="energetic")  
plt.legend()  
#plt.xlim((0.3, 0.6))  
plt.show()
```

```
# sd.play(gt_1k, fs)  
sd.play(egt_1k_time, fs)
```

```
# Evaluate their influence on the energetic algorithm and sound.  
# Describe your observations.
```

```
# The energetic signal creates an unintelligable sound, and the  
information of the 1kHz signal is completely lost for us.
```

