

MATH 181 2ND EXAM PRACTICE A

Spring 2019

NT		
Name:		

- Write your **full name** on the line above.
- Show your work. Incorrect answers with work can receive partial credit.
- Attempt every question; showing you understand the question earns some credit.
- If you run out of room for an answer, continue on the back of the page. Before doing so, write "see back" with a circle around it.
- You can use 1 page (front and back) of notes.
- You can use (and probably need) a calculator.
- You can use the Geogebra Scientific Calculator instead of a calculator. You need to put your phone on **airplane mode** and then within the application, start **exam mode**; you should see a green bar with a timer counting up.
- If a question is confusing or ambiguous, please ask for clarification; however, you will not be told how to answer the question.
- · Box your final answer.
- A formula sheet is attached to this test.

Do not write in this grade table.

Question:	Q1	Total
Points:	10	10
Score:		

Normal Distribution:

 $X \sim \mathcal{N}(\mu, \sigma)$

 μ = population mean

 σ = population standard deviation

x =possible value of X

P = percentile of x

$$P = \Phi(x)$$
$$x = \Phi^{-1}(P)$$

Bernoulli Distribution:

 $X \sim \text{Bern}(p)$

X = 0 for fail or 1 for success

p =probability of success

$$P(X = 0) = 1 - p$$

$$P(X = 1) = p$$

$$\mu = p$$

$$\sigma = \sqrt{p(1 - p)}$$

Geometric Distribution:

 $X \sim \mathsf{Geo}(p)$

X = number of trials until first success

p =probability of success on each trial

n = a possible number of trials

$$P(X = n) = (1 - p)^{n-1}(p)$$

$$\mu = \frac{1}{p}$$

$$\sigma = \sqrt{\frac{1 - p}{p^2}}$$

Binomial Distribution:

 $X \sim \mathcal{B}(n, p)$

X = number of successes from n trials

p =probability of success on each trial

n = number of trials

k = a possible number of successes

$$P(X = k) = \binom{n}{k} p^k (1 - p)^{n - k}$$
$$\mu = np$$
$$\sigma = \sqrt{np(1 - p)}$$

If $np \ge 10$ and $n(1-p) \ge 10$, then

$$X \sim \mathcal{N}(\mu, \sigma)$$

Continuity correction:

$$P(X \le k) \approx \Phi\left(\frac{k + 0.5 - \mu}{\sigma}\right)$$

$$P(X < k) \approx \Phi\left(\frac{k - 0.5 - \mu}{\sigma}\right)$$

Mean-Sampling Distribution:

 \bar{X} = sample mean

s =sample standard deviation

n =sample size

 μ = population mean

 σ = population standard deviation

SE =standard error

$$SE = \frac{\sigma}{\sqrt{n}}$$

If $n \ge 30$ (or if population is normal) then:

$$\bar{X} \sim \mathcal{N}(\mu, SE)$$

Confidence Interval:

CI =confidence interval

 γ = confidence level

 $\bar{x} = \text{sample mean}$

s =sample standard deviation

$$z^* = \Phi^{-1} \left(\frac{\gamma + 1}{2} \right)$$
$$SE \approx \frac{s}{\sqrt{n}}$$
$$CI = \bar{x} \pm z^* SE$$

Q1. (10 points) Hi