

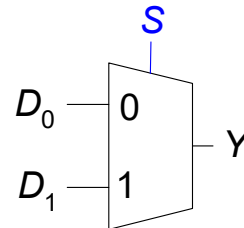
Combinational Building Blocks

- Multiplexers
- Decoders

Multiplexer (Mux)

- Selects between one of N inputs to connect to output
- $\log_2 N$ -bit select input – control input
- Example:

2:1 Mux



S	D ₁	D ₀	Y	S	Y
0	0	0	0	0	D ₀
0	0	1	1	1	D ₁
0	1	0	0		
0	1	1	1		
1	0	0	0		
1	0	1	0		
1	1	0	1		
1	1	1	1		

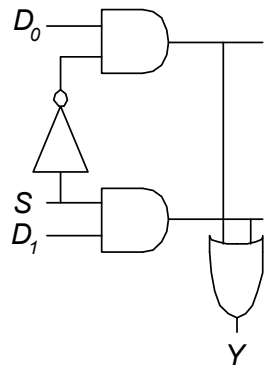
Multiplexer Implementations

- **Logic gates**

- Sum-of-products form

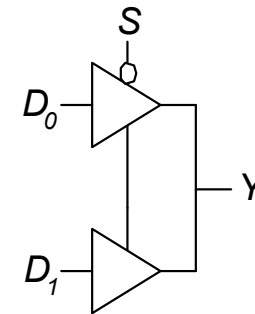
Y S	$D_0 D_1$			
	00	01	11	10
0	0	0	1	1
1	0	1	1	0

$$Y = D_0 \bar{S} + D_1 S$$



- **Tristates**

- For an N-input mux, use N tristates
- Turn on exactly one to select the appropriate input

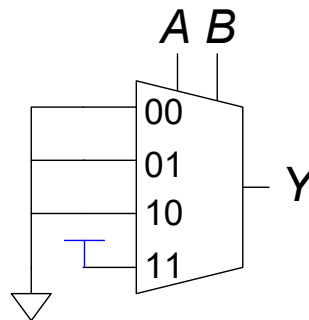


Logic using Multiplexers

- Using the mux as a lookup table

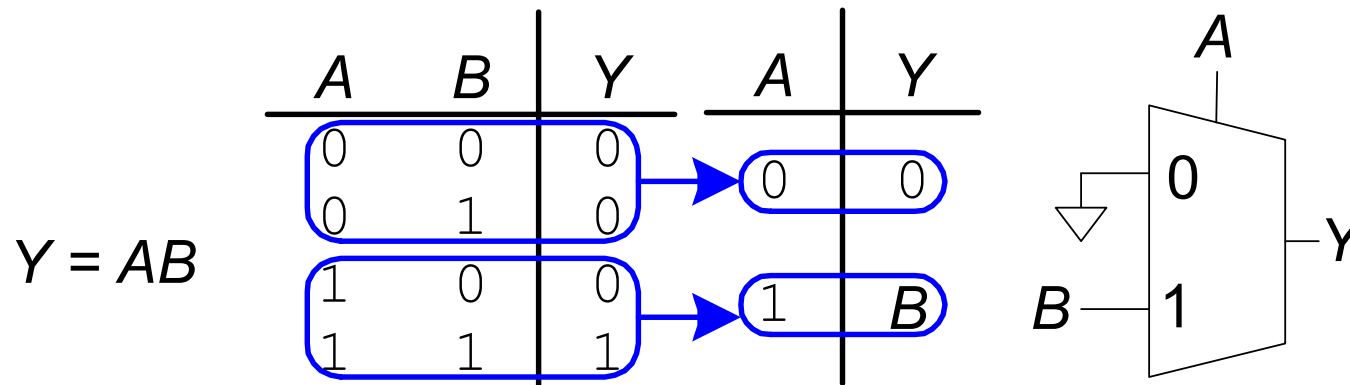
<i>A</i>	<i>B</i>	<i>Y</i>
0	0	0
0	1	0
1	0	0
1	1	1

$$Y = AB$$



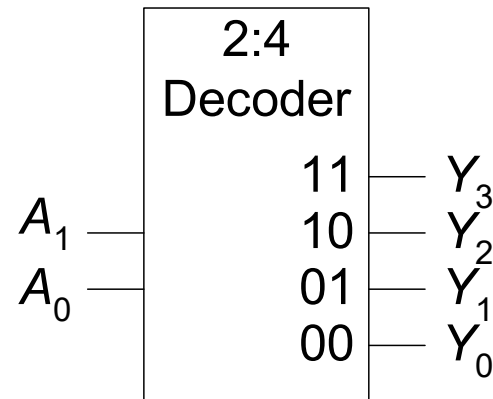
Logic using Multiplexers

- Reducing the size of the mux



Decoders

- N inputs, 2^N outputs
- One-hot outputs: only one output HIGH at once

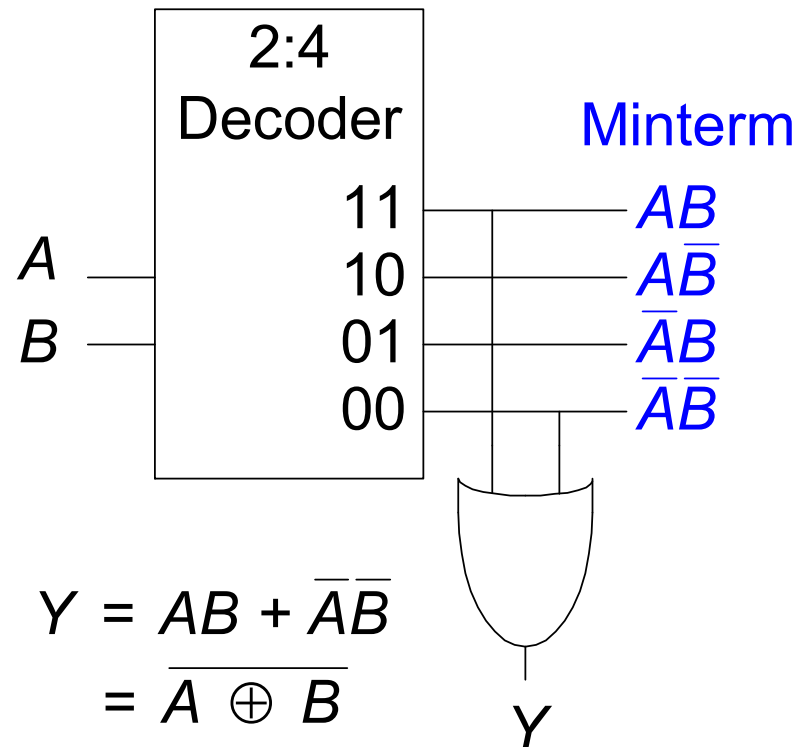


A_1	A_0	Y_3	Y_2	Y_1	Y_0
0	0	0	0	0	1
0	1	0	0	1	0
1	0	0	1	0	0
1	1	1	0	0	0



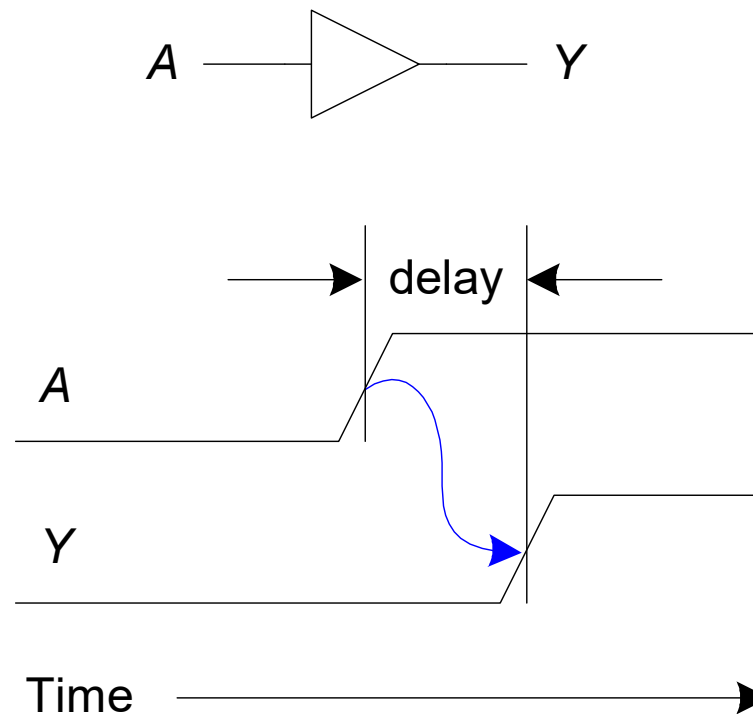
Logic Using Decoders

- OR minterms



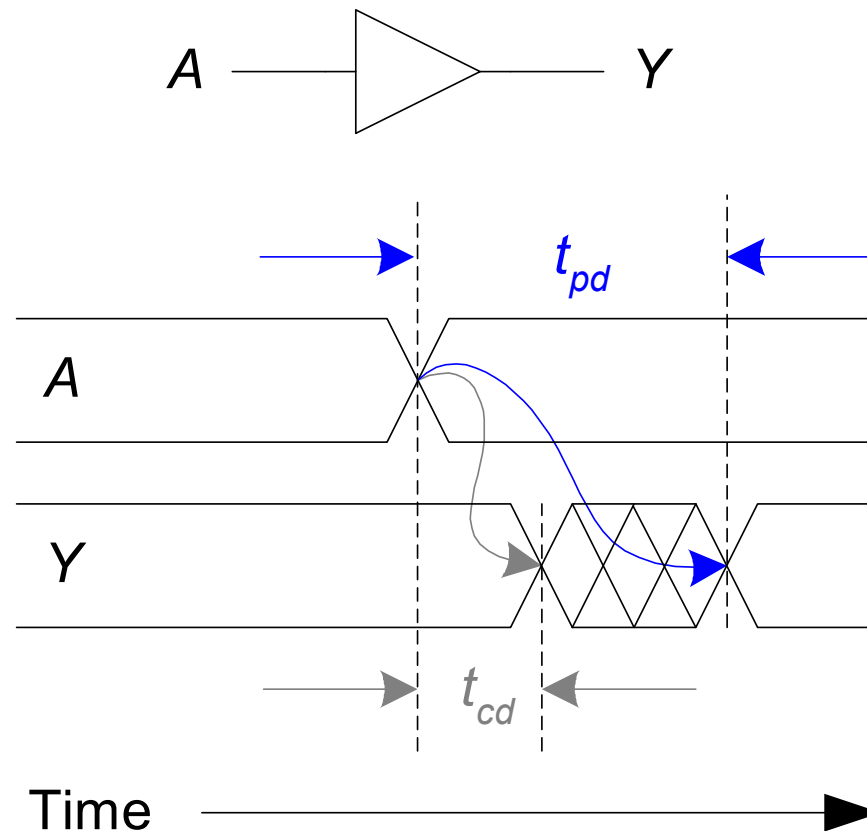
Timing

- Delay between input change and output changing
- How to build fast circuits?



Propagation & Contamination Delay

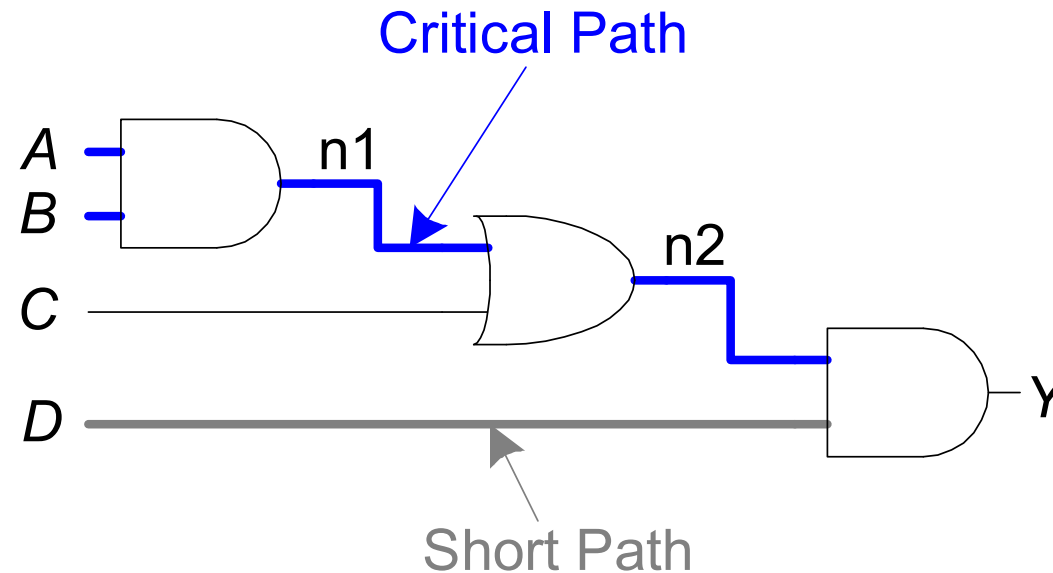
- **Propagation delay:** t_{pd} = max delay from input to output
- **Contamination delay:** t_{cd} = min delay from input to output



Propagation & Contamination Delay

- Delay is caused by
 - Capacitance and resistance in a circuit
 - Speed of light limitation
- Reasons why t_{pd} and t_{cd} may be different:
 - Different rising and falling delays
 - Multiple inputs and outputs, some of which are faster than others
 - Circuits slow down when hot and speed up when cold

Critical (Long) & Short Paths



Critical (Long) Path: $t_{pd} = 2t_{pd_AND} + t_{pd_OR}$

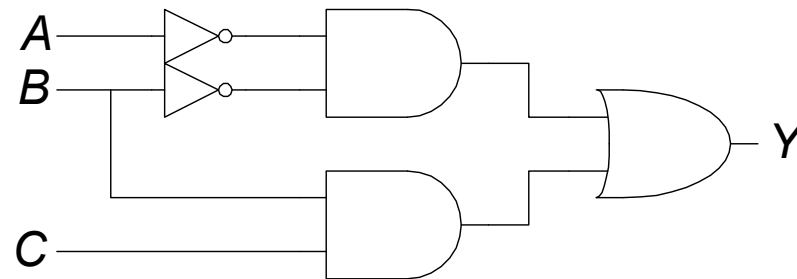
Short Path: $t_{cd} = t_{cd_AND}$

Glitches

- When a single input change causes multiple output changes

Glitch Example

- What happens when $A = 0$, $C = 1$, B falls?

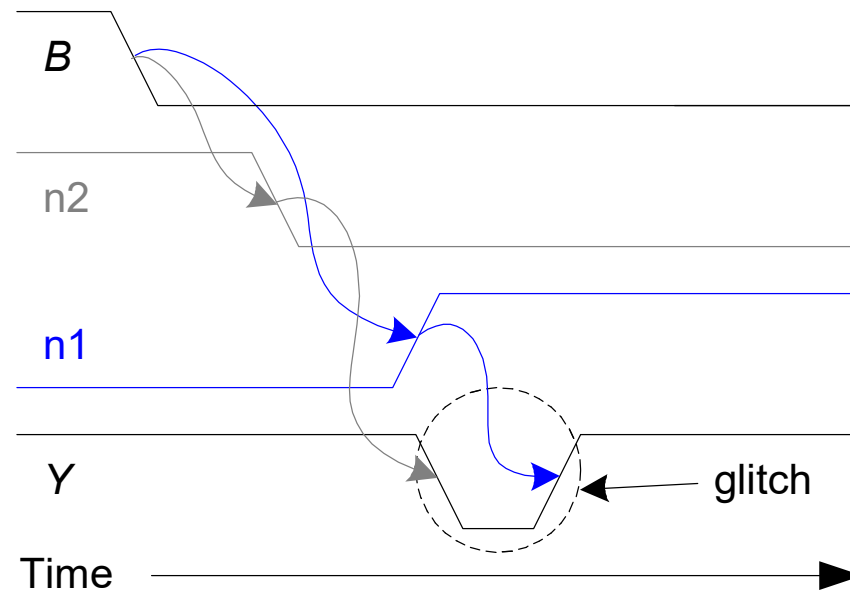
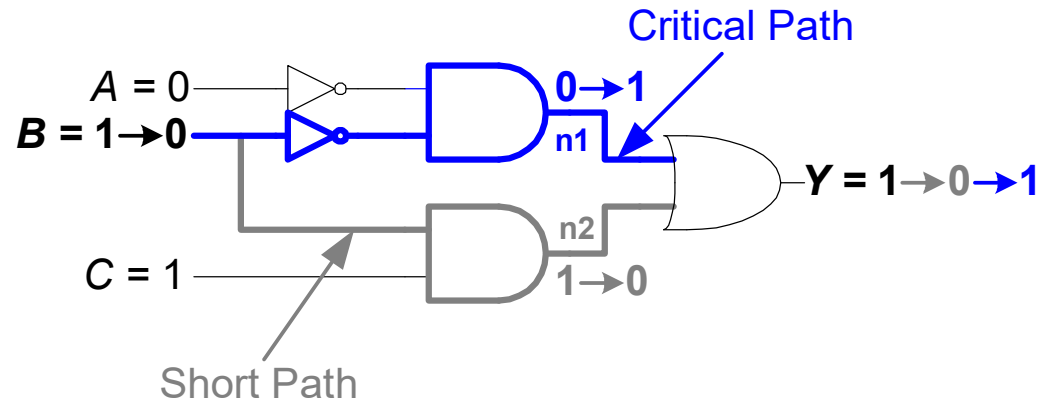


		AB			
		00	01	11	10
C	0	1	0	0	0
	1	1	1	1	0

$$Y = \bar{A}\bar{B} + BC$$



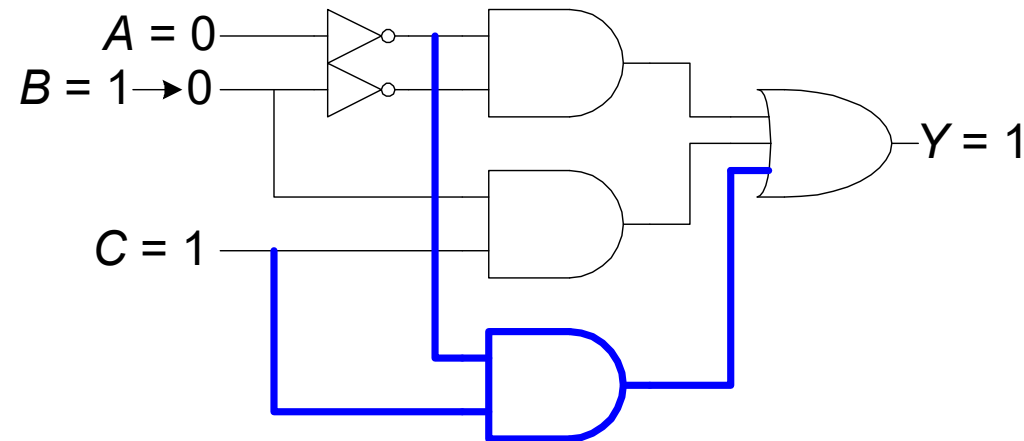
Glitch Example (cont.)



Fixing the Glitch

		AB			
C	0	1	0	0	0
	1	1	1	1	0

$\bar{A}\bar{C}$ (points to the first 1 in the C=1 row)

$$Y = \bar{A}\bar{B} + BC + \bar{A}C$$


Why Understand Glitches?

- Glitches don't cause problems because of **synchronous design** conventions (see Chapter 3)
- It's important to **recognize** a glitch: in simulations or on oscilloscope
- Can't get rid of all glitches – simultaneous transitions on multiple inputs can also cause glitches