

Row and Bounded Polymorphism via Disjoint Polymorphism (Artifact)

Ningning Xie

The University of Hong Kong, Hong Kong, China
nnxie@cs.hku.hk

Bruno C. d. S. Oliveira

The University of Hong Kong, Hong Kong, China
bruno@cs.hku.hk

Xuan Bi

The University of Hong Kong, Hong Kong, China
xbi@cs.hku.hk

Tom Schrijvers

KU Leuven, Belgium
tom.schrijvers@cs.kuleuven.be

Abstract

The artifact contains the Coq formalization of the elaboration from row polymorphism and bounded polymorphism to disjoint polymorphism, as described in the paper “row and bounded polymorphism via disjoint polymorphism”. We document in detail how to build and compile the Coq proofs from scratch, as well as the proof and structure. Moreover, we have provided a docker image that can be downloaded and used to check the proofs.

2012 ACM Subject Classification Theory of computation → Type theory; Software and its engineering-Object oriented languages; Software and its engineering → Polymorphism

Keywords and phrases Intersection types, bounded polymorphism, row polymorphism

Digital Object Identifier 10.4230/LIPICs.ECOOP.2020.23

1 Building Instructions

Our Coq proofs are verified in *Coq 8.8.2*. We rely on two Coq libraries: *metalib* for the locally nameless representation in our proofs; and *coq-equations* for defining logical relations using pattern matching.

We provide two ways to evaluate the artifact. Section 1.1 describes how to download the docker image. The docker image has all dependencies installed, and thus we can simply run the proofs. Section 1.2 describes how to build the proofs from scratch.

1.1 Docker Image

1.1.1 Getting a Docker Image

1. Open terminal
2. Type `docker pull ecoop2020/artifact`
Sha256-code: `sha256:90a15bb8130a535e09a360d8c724fd55a92f661efe1939c822d5fddeb0b32048`.
3. Type `docker run -it ecoop2020/artifact`
4. The artifact is located in directory `/home/coq/proof/`

1.1.2 Build and Compile the Proofs

1. Type `cd /home/coq/proof`



© Ningning Xie, Xuan Bi, Bruno C. d. S. Oliveira and Tom Schrijvers;
licensed under Creative Commons License CC-BY

34th European Conference on Object-Oriented Programming (ECOOP 2020).

Editors: John Q. Open and Joan R. Access; Article No. 23; pp. 23:1–23:6

Leibniz International Proceedings in Informatics



LIPICs Schloss Dagstuhl – Leibniz-Zentrum für Informatik, Dagstuhl Publishing, Germany

23:2 Row and Bounded Polymorphism via Disjoint Polymorphism (Artifact)

- 41 2. There are two Coq directories, *elaborations* and *operational-semantics*
- 42 3. Go to either directory
- 43 4. Type `make` in the terminal to build and compile the proofs.
- 44 5. You should see something like the following (suppose `>` is the prompt):

```
45 > make
46 COQC file1.v
47 COQC file2.v
48 .....
49 COQC filen.v
```

50 It takes roughly half a hour to finish the compilation.

51 1.2 Build from Scratch

52 1.2.1 Prerequisites

- 53 1. Install *Coq 8.8.2*. The recommended way to install Coq is via OPAM. Refer to <https://coq.inria.fr/opam/www/using.html> for detailed steps. Or one could download the pre-built packages for Windows and MacOS via <https://github.com/coq/coq/releases/tag/V8.8.2>. Choose a suitable installer according to your platform.
- 54 2. Make sure Coq is installed (type `coqc` in the terminal, if you see “command not found” this means you have not properly installed Coq), then install *metalib*, checking out the commit that is compatible with Coq 8.8.2:
 - 55 a. Open terminal
 - 56 b. Type `git clone https://github.com/plclub/metalib`
 - 57 c. Type `cd metalib/Metalib`
 - 58 d. Type `git checkout fca72de3d`
 - 59 e. Type `make install`
- 60 3. Install `coq-equations.1.0+8.8`, refer to <https://github.com/mattam82/Coq-Equations#installation>.
 - 61 a. Open terminal
 - 62 b. Type `opam repo add coq-released https://coq.inria.fr/opam/released`
 - 63 c. Type `opam install coq-equations.1.0+8.8`

70 1.2.2 Build and Compile the Proofs

- 71 1. Unzip the archive file
- 72 2. There are two Coq directories, *elaborations* and *operational-semantics*
- 73 3. Go to either directory
- 74 4. Type `make` in the terminal to build and compile the proofs.
- 75 5. You should see something like the following (suppose `>` is the prompt):

```
76 > make
77 COQC file1.v
78 COQC file2.v
79 .....
80 COQC filen.v
```

81 It takes roughly half a hour to finish the compilation.

2 Proof Structure

We have two directories for the Coq proof.

1. `./elaborations`: All lemmas related to elaborations.
2. `./operational-semantics`: All lemmas related to coherence in operational semantics.

The differences are as follows.

1. Elaboration focuses only on type-preservation lemmas, while operational-semantics contains the elaboration from F_i^+ to F_{co} , and the coherence lemma for elaboration.
2. Operational-semantics contains more files related to logical relation and contextually equivalence.
3. Operational-semantics contains only the predicative subset of the systems, as the logical relation is only defined for F_i^+ 's predicative subset (please refer to Paper footnote 4).

Other lemmas should be the same in these two versions.

2.1 Elaborations

`./elaborations`

- Utility: `LibTactics.v`
- Syntax of F_i^+ and $\lambda^||$: `Syntax_ott.v`
- F_i^+ :
 - `Fii_inf.v`: infrastructure, mostly generated by Metalib.
 - `Infrastructure.v`: more advanced properties.
 - `Disjoint.v`: disjointness lemmas.
- $\lambda^||$:
 - `Row_inf.v`: infrastructure, mostly generated by Metalib.
 - `Row_Properties.v`: more advanced properties.
 - `Row_Elaboration.v`: elaboration function definitions and proofs.
- The intuitive elaboration scheme for the modified row type system:
 - `Row_Intuitive_Syntax.v`: definition and elaboration scheme.
 - `Row_Intuitive_Inf.v`: infrastructure, mostly generated by Metalib.
 - `Row_Intuitive_Elaboration.v`: elaboration proof.
- kernel $F_{<}$:
 - `FSub_Definition.v`: definition.
 - `FSub_Infrastructure.v`: infrastructure.
 - `FSub_Lemma.v`: more advanced properties.
 - `FSub_Elaboration.v`: elaboration function definitions and proofs.

115 **2.2 Operational Semantics**116 `./operational-semantics`117 `■ Utility: LibTactics.v`118 `■ Syntax of F_i^+ and $\lambda^||$: Syntax_ott.v`119 `■ Axioms: Assumed.v`120 `■ F_i^+ :`121 `■ Fii_inf.v: infrastructure, mostly generated by Metalib.`122 `■ Infrastructure.v: more advanced properties.`123 `■ TypeSystems: type systems, including elaboration to F_{co} .`124 `■ Disjoint.v: disjointness lemmas.`125 `■ LR.v: logical relation definition.`126 `■ Compatibility.v: compatibility lemmas for logical relation.`127 `■ SourceProperty.v: lemmas related to elaboration to F_{co} .`128 `■ Coherence.v: lemmas for contextual equivalence.`129 `■ F_{co} :`130 `■ SystemF_inf: infrastructure, mostly generated by Metalib.`131 `■ TargetProperty.v: more advanced properties.`132 `■ kernel $F_{<}$:`133 `■ FSub_Definition.v: definition.`134 `■ FSub_Infrastructure.v: infrastructure.`135 `■ FSub_Lemma.v: more advanced properties.`136 `■ FSub_Elaboration.v: elaboration function definitions and proofs.`137 `■ FSub_Operational.v: coherence proofs.`138 `■ $\lambda^||$:`139 `■ Row_inf.v: infrastructure, mostly generated by Metalib.`140 `■ Row_Properties.v: more advanced properties.`141 `■ Row_Elaboration.v: elaboration function definitions and proofs.`142 `■ Row_Operational.v: coherence proofs.`

143

3 Correspondence

144

3.1 Definitions

Paper	Definition	File	Name of formalization
F_i^+			
Figure 1	Expression	Syntax_ott.v	Inductive sexp
	Type	Syntax_ott.v	Inductive sty
	Subtyping	Syntax_ott.v	Inductive sub
	Typing	Syntax_ott.v	Inductive has_type
Figure 2	Top-like	Syntax_ott.v	Inductive TopLike
	Disjointness	Syntax_ott.v	Inductive disjoint
λ^{\parallel}			
Figure 3	Expression	Syntax_ott.v	Inductive rexp
	Type	Syntax_ott.v	Inductive rt
	Well-formedness	Syntax_ott.v	Inductive wftc
	Compatibility	Syntax_ott.v	with cmp
	Constraint list satisfaction	Syntax_ott.v	Inductive cmpList
	Type equivalence	Syntax_ott.v	with teq
	Constraint list equivalence	Syntax_ott.v	with ceq
Figure 4	Type-directed elaboration	Row_Elaboration.v	Inductive wtt
Figure 5	Translation of types	Row_Intuitive_Inf.v	Fixpoint trans_rt
	Type-directed elaboration	Row_Intuitive_Elaboration.v	Inductive wtt
Figure 6	Translation of types	Row_Elaboration.v	Inductive trans_rt
kernel $F_{<}$			
Figure 7	Expression	FSub_Definitions.v	Inductive exp
	Type	FSub_Definitions.v	Inductive typ
	Subtyping	FSub_Definitions.v	Inductive fsub
	Typing	FSub_Elaboration.v	Inductive typing
	Elaboration of types	FSub_Elaboration.v	Inductive fsub_trans_typ
	Elaboration of contexts	FSub_Elaboration.v	Inductive fsub_trans_D
	Elaboration of contexts	FSub_Elaboration.v	Inductive fsub_trans_G

145

146 **3.2 Lemmas in Elaborations**147 `./elaborations`

148

Paper Lemma	File	Name of formalization
F_i^+		
Lemma 1	Disjoint.v	Lemma disjoint_sub
λ^{\parallel}		
Theorem 6	Row_Intuitive_Elaboration.v	Theorem type_safe
Lemma 10	Row_Elaboration.v	Lemma trans_rt_substitution_distributivity
Lemma 11	Row_Elaboration.v	Lemma trans_teq
Lemma 12	Row_Elaboration.v	Lemma trans_r_trans_r_cmp
		Lemma bot_trans_r_bot_trans_r_cmp
		Lemma bot_trans_r_trans_r_cmp_and_trans_r_bot_trans_r_c
Lemma 13	Row_Elaboration.v	Lemma cmp_record_r
Theorem 14	Row_Elaboration.v	Lemma translation_well_formed
kernel $F_{<}$:		
Lemma 16	FSub_Elaboration.v	Lemma fsub_trans_typ_exists
		Lemma fsub_trans_typ_uniq
Lemma 18	FSub_Elaboration.v	Lemma trans_subst_fsub_general
Theorem 19	FSub_Elaboration.v	Lemma trans_typing

150 **3.3 Lemmas in Operational Semantics**151 `./operational-semantics`

152

Paper Lemma	File	Name of formalization
F_i^+		
Theorem 2	Coherence.v	Theorem coherence
λ^{\parallel}		
Theorem 15	Row_Operational.v	Theorem translation_coherence
kernel $F_{<}$:		
Theorem 20	FSub_Operational.v	Theorem translation_coherence

154

155 Note Theorem 21 (Simulation) a paper proof and is given in Appendix D (please refer to
 156 the paragraph after Theorem 21).